

# Assignment 4

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2018393

Simulated Annealing

Importing relevant packages

```
In [1]: import random
import matplotlib.pyplot as plt
import math
```

Returns a random motif of given length

```
In [2]: def random_motif(length_motif):
motif = ""
n = ["a", "t", "c", "g"]
for i in range(length_motif):
    motif += random.choice(n)
return motif
```

Hamming score returns score equal to the number of matching nucleotides in 2 sequences, more the similarity higher the score

```
In [3]: def hamming_score(s1, s2):
sc = 0
for i in range(len(s1)):
    if s1[i] == s2[i]:
        sc += 1
return sc
```

Cost function to maximise score and return it This calculates score by finding max hamming score for each sequence and then adding scores for all sequences

```
In [4]: def cost_function(list_dna, motif):
cum_score = 0
length_motif = len(motif)
for dna in list_dna:
    score = 0
    for ind in range(len(list_dna[0])-length_motif+1):
        score = max(score, hamming_score(motif, dna[ind: ind+length_motif]))
        # print("ham", motif, dna[ind: ind+length_motif])
    cum_score += score
    # maximise cumulative score
return cum_score
```

find\_neighbour returns a sequence with max 2 mutations

```
In [5]: def find_neighbour(motif):
# max 2 mutations
pos1 = random.randint(0, len(motif)-1)
pos2 = random.randint(0, len(motif)-1)
motif = motif[:pos1] + random.choice(["a", "t", "c", "g"]) + motif[pos1 + 1:]
motif = motif[:pos2] + random.choice(["a", "t", "c", "g"]) + motif[pos2 + 1:]
return motif
```

Function that performs simulated annealing

Calls functions to find random motif, calculates its cost and while conditions are favorable, keeps finding neighbours and updating scores, changes t every iteration  
Runs for maximum 500 iterations if loop doesn't break  
Finds best motif match and prints it  
Also plots a graph to show costs and iterations

```
In [6]: def simulated_annealing(list_dna, length_motif):
motif = random_motif(length_motif)
cost_new = cost_function(list_dna, motif)
cost_old = 0
final_motif = ""

plt.xlabel('Iterations')
plt.ylabel('Cost')
time = 1
flag = True
iterations = 0
t = 2000
while flag:
    # print(cost_new, motif)
    iterations += 1
    plt.plot(time, cost_new, color='black', marker='o', markersize=0.3)
    time += 1
    neighbour = find_neighbour(motif)
    cost_old = cost_new
    cost_new = cost_function(list_dna, neighbour)
    max_cost = 0
    if cost_new > max_cost:
```

```
max_cost = cost_new
final_motif = motif

if iterations > 500:
    flag = False

elif cost_new >= cost_old:
    motif = neighbour

else:
    try:
        # probability of e^(-cost/t)
        if random.uniform(0, 1) < math.exp(-(cost_new - cost_old) / t):
            motif = neighbour

    except:
        flag = False

t *= 0.95

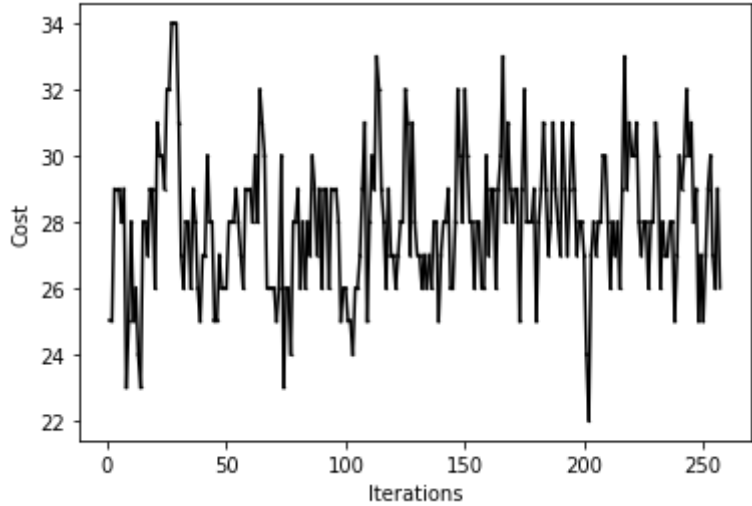
# plt.plot(time, cost_new, color='black', marker='o', markersize=3)
plt.plot([time-1, time], [cost_old, cost_new], 'k-')

plt.show()
return final_motif
```

Main Function to take inputs

```
In [7]: if __name__ == "__main__":
        list_dna = []
        length_motif = int(input("Enter length: "))
        no_of_seq = int(input("Enter no of seq: "))
        for i in range(no_of_seq):
            list_dna.append(input())
        ans = simulated_annealing(list_dna, length_motif)
        print(ans)
```

Enter length: 10  
Enter no of seq: 5  
agcaatcgcccgtattccgttaaagcctgcctcgctagctcgaagctg  
ggtcttgctgcatcgctaagctagcaaccgctagcatgcgctagcct  
gattcgaataggcaaacgcacgaagtcggttaaagctagcatcgatcg  
gctagctagcactattccgttttagcgatccgcctagccagagagatc  
ccgctcgatcgtagcggatcgctagcatttcgttatccgtgcatagcg



taaagttaca  
So the best match is found to be: taaagttaca