# **Rationally Inattentive Monetary Policy**

Joshua Bernstein

Rupal Kamdar

Indiana University Indiana University

June 2022 Barcelona Summer Forum

#### **Motivation**

- Lessons for optimal monetary policy are usually derived given complete information
- In reality, policy is set with limited information
   "Uncertainty about the current state of the economy is a chronic problem for policymakers" -Bernanke
- Due to limited information, policy will deviate from the full information benchmark
  - How can the policy maker minimize the impact of their mistakes?
  - What should they focus their limited attention on?
  - What are the ramifications for macroeconomic dynamics?

#### **Contributions**

- We study optimal monetary policy with rational inattention in an otherwise textbook New Keynesian model driven by demand and supply shocks
- The policy maker solves a Ramsey problem subject to a rational inattention constraint
- We study how this constraint affects the solution analytically and quantitatively

#### **Analytical Results**

- Demonstrate how the policy maker's information choices shape their expectations and the dynamics of the macroeconomy
- Rational inattention attenuates the policy maker's expectation formation process
   Monetary policy is less responsive to exogenous shocks
- Rational inattention "noises up" the policy maker's expectation formation process
   Monetary policy is subject to endogenous shocks
- Output responds relatively more to demand shocks and less to supply shocks vs. the efficient benchmark

#### **Quantitative Results**

- How does improved information processing by policy makers affect the macroeconomy?
- Outcomes converge towards the efficient benchmark
- Macro volatility and the co-movement between output and inflation all decline, consistent with empirical trends
- Optimal for policy makers to focus their attention on demand shocks
  - Intuition: persistent supply shocks have only a small effect on efficient interest rates

#### Literature

- Monetary policy with exogenous information Aoki (2003), Boehm and House (2019)
- Monetary policy when the private sector has limited information Paciello and Wiederholt (2014), Angeletos and La'O (2020)
- Robust monetary policy with uncertainty about private sector beliefs Woodford (2010), Adam and Woodford (2012)
- Flattening of the empirical Phillips curve McLeay and Tenreyro (2020)

#### **Outline**

- Environment
- Analytical Results
- Quantitative Results

## **Setting and Aggregate Shocks**

- Economy is a textbook log-linear New Keynesian model
- Hatted variables denote log deviations from the deterministic steady state
- The economy is driven by two exogenous stochastic processes that drive the household discount rate  $\hat{\rho}_t$  and total factor productivity (TFP)  $\hat{a}_t$

$$\begin{split} \hat{\rho}_t &= \delta_\rho \hat{\rho}_{t-1} + \sigma_\rho e_{\rho,t}, \\ \hat{a}_t &= \delta_{\text{a}} \hat{a}_{t-1} + \sigma_{\text{a}} e_{\text{a},t}, \end{split}$$

where 
$$\delta_{
ho},\delta_{ extbf{a}}\in\left[0,1\right)$$
,  $e_{
ho,t}\sim\mathcal{N}\left(0,1\right)$ , and  $e_{ extbf{a},t}\sim\mathcal{N}\left(0,1\right)$ 

We interpret and refer to these as demand and supply shocks

#### Flexible Price Benchmark

- Suppose that the economy is subject to demand shocks  $\hat{\rho}_t$  and supply shocks  $\hat{a}_t$
- When prices are flexible and monetary policy is neutral, outcomes are
  Pareto efficient and are described by starred variables for output and the
  real interest rate that satisfy:

$$\hat{y}_t^* = rac{1+arphi}{1/\gamma + arphi} \hat{a}_t$$
  $r_t^* = 
ho + \hat{
ho}_t - rac{1+arphi}{1/\gamma + arphi} (1-\delta_{ extsf{a}}) \hat{a}_t$ 

where  $\gamma>0$  is the elasticity of intertemporal substitution and  $1/\varphi$  is the Frisch labor elasticity

# Equilibrium Dynamics w/ Sticky Prices

- We analyze outcomes under sticky prices in terms of their deviations from the efficient benchmark (output gap  $\tilde{y}_t = \hat{y}_t \hat{y}_t^*$ )
- Outcomes are described by the Euler equation and the New Keynesian Phillips curve:

$$\mathbb{E}_{t}\tilde{y}_{t+1} - \tilde{y}_{t} = \gamma \left( \iota_{t} - \mathbb{E}_{t}\pi_{t+1} - r_{t}^{*} \right)$$
$$\pi_{t} = \varphi_{y}\tilde{y}_{t} + \frac{1}{1+\rho}\mathbb{E}_{t}\pi_{t+1}.$$

• Optimal monetary policy with full-information:

$$\iota_t = r_t^* \implies \tilde{y}_t = \pi_t = 0, \quad \hat{y}_t = \hat{y}_t^*$$

#### **Information Frictions**

- We use Shannon mutual information to quantify how much information the policy maker processes about demand and supply shocks, and then uses to implement policy
- Define the average per-period mutual information between two stochastic processes:  $\mathcal{I}(\{X\}; \{Y\}) = \lim_{T \to \infty} \frac{1}{T} I(\mathbf{X}; \mathbf{Y})$
- Information constraint:

$$\mathcal{I}\left(\left\{\hat{\rho}_{t}, \hat{a}_{t}\right\}; \left\{\mathbb{E}_{M, t}\left[\hat{\rho}_{t}\right], \mathbb{E}_{M, t}\left[\hat{a}_{t}\right]\right\}\right) \leq \kappa_{M}$$

Assuming independent learning and independent shocks:

$$\underbrace{\mathcal{I}\left(\{\hat{\rho}_t\}; \{\mathbb{E}_{M,t}\left[\hat{\rho}_t\right]\}\right)}_{=\kappa_{\rho}} + \underbrace{\mathcal{I}\left(\{\hat{a}_t\}; \{\mathbb{E}_{M,t}\left[\hat{a}_t\right]\}\right)}_{=\kappa_{\theta}} \leq \kappa_{M}$$

ullet Finite  $\kappa_M \Longrightarrow$  policy maker cannot eliminate all uncertainty about  $r_t^*$ 

#### **Optimal Policy Problem**

The optimal policy problem can be broken into two subproblems:

- First, in period t = -1 the policy maker chooses their information structure:
  - How much attention to allocate to supply vs. demand shocks?
  - ullet This division characterizes how the expectations,  $\mathbb{E}_M$ , will be formed before any information is received
- Second, in each period  $t \ge 0$ , the policy maker chooses  $\iota_t$  given their information set
- Let me begin by discussing the second subproblem

# Ramsey Problem (Second Subproblem)

• To determine the optimal choice of  $\iota_t$  the policy maker solves

$$\min_{\iota_t} rac{1}{2} \mathbb{E}_{M,t} \left[ ilde{y}_t^2 + rac{\xi}{1/\gamma + arphi} \pi_t^2 
ight]$$

subject to

$$\pi_t = \varphi_y \tilde{y}_t + \frac{1}{1+\rho} \mathbb{E}_t \pi_{t+1}$$
$$\mathbb{E}_t \tilde{y}_{t+1} - \tilde{y}_t = \gamma \left( \iota_t - \mathbb{E}_t \pi_{t+1} - r_t^* \right)$$

ullet The optimal discretionary monetary policy satisfies  $\iota_t = \mathbb{E}_{M,t}\left[r_t^*
ight]$ , so:

$$\iota_{t} = \rho + \mathbb{E}_{M,t} \left[ \hat{\rho}_{t} \right] - \frac{1 + \varphi}{1 + \gamma \varphi} \mathbb{E}_{M,t} \left[ \hat{a}_{t} \right].$$

 Optimal monetary policy is the subjective expectation of the optimal policy under complete information

## Information Structure Choice (First Subproblem)

• Recall the information constraint:

$$\underbrace{\mathcal{I}\left(\left\{\hat{\rho}_{t}\right\};\left\{\mathbb{E}_{M,t}\left[\hat{\rho}_{t}\right]\right\}\right)}_{=\kappa_{\rho}} + \underbrace{\mathcal{I}\left(\left\{\hat{a}_{t}\right\};\left\{\mathbb{E}_{M,t}\left[\hat{a}_{t}\right]\right\}\right)}_{=\kappa_{a}} \leq \kappa_{M}$$

• To determine their information allocation, the policy maker minimizes the discounted expected welfare loss (conditional on the optimal policy)

$$\min_{\kappa_{\rho}, \kappa_{a}} \frac{1}{2} \mathbb{E}_{M,-1} \left[ \sum_{t=0}^{\infty} \beta^{t} \left( \tilde{y}_{t}^{2} + \frac{\xi}{1/\gamma + \varphi} \pi_{t}^{2} \right) \right]$$

subject to

$$\kappa_{\rho} + \kappa_{\mathsf{a}} \le \kappa_{\mathsf{M}}$$

### **Analytical Results**

- Assume shocks are i.i.d. over time  $(\delta_{\rho} = \delta_{a} = 0)$
- How does the policy maker form their expectations?
- Derive properties of  $E_{M,t}$  in terms of the information capacity allocated to demand and supply shocks
  - $\kappa_{\rho}$  and  $\kappa_{a}$  where  $\kappa_{\rho} + \kappa_{a} = \kappa_{M}$

# **Policy Maker Expectations**

Policy maker's expectations of supply and demand shocks:

$$E_{M,t}\hat{a}_{t} = (1 - 1/2^{2\kappa_{a}})\hat{a}_{t} + (\sqrt{2^{2\kappa_{a}} - 1}/2^{2\kappa_{a}})\sigma_{a}v_{t}$$

$$E_{M,t}\hat{\rho}_{t} = (1 - 1/2^{2\kappa_{\rho}})\hat{\rho}_{t} + (\sqrt{2^{2\kappa_{\rho}} - 1}/2^{2\kappa_{\rho}})\sigma_{\rho}u_{t}$$

where  $v, u \sim N(0, 1)$ 

- Limited information  $(\kappa_a < \infty) \Rightarrow$  policy maker attenuates their expectation towards their prior,  $\hat{a}_t = 0$
- Processing some information  $(\kappa_a > 0)$   $\Rightarrow$  expectation formation is subject to noise
- Similar intuition for  $E_{M,t}\hat{\rho}_t$

# **Policy Maker Expectations**

Policy maker's expectations of supply and demand shocks:

$$E_{M,t}\hat{a}_{t} = (1 - 1/2^{2\kappa_{a}})\hat{a}_{t} + (\sqrt{2^{2\kappa_{a}} - 1}/2^{2\kappa_{a}})\sigma_{a}v_{t}$$

$$E_{M,t}\hat{\rho}_{t} = (1 - 1/2^{2\kappa_{\rho}})\hat{\rho}_{t} + (\sqrt{2^{2\kappa_{\rho}} - 1}/2^{2\kappa_{\rho}})\sigma_{\rho}u_{t}$$

where  $v, u \sim N(0, 1)$ 

- Limited information  $(\kappa_a < \infty) \Rightarrow$  policy maker attenuates their expectation towards their prior,  $\hat{a}_t = 0$
- Processing some information  $(\kappa_a > 0)$   $\Rightarrow$  expectation formation is subject to noise
- Similar intuition for  $E_{M,t}\hat{\rho}_t$

### **Optimal Path for Nominal Rates**

Now we can write the optimal path of nominal (equal to real) rates as:

$$\iota_{t} = \rho + (1 - 1/2^{2\kappa_{\rho}})\hat{\rho}_{t} + (\sqrt{2^{2\kappa_{\rho}} - 1}/2^{2\kappa_{\rho}})\sigma_{\rho}u_{t} 
- \frac{1+\varphi}{1+\gamma\varphi}((1 - 1/2^{2\kappa_{\sigma}})\hat{a}_{t} + (\sqrt{2^{2\kappa_{\sigma}} - 1}/2^{2\kappa_{\sigma}})\sigma_{\sigma}v_{t})$$

- Muted response to to exogenous demand and supply shocks (relative to the efficient benchmark where  $\iota_t^* = \rho + \hat{\rho}_t \frac{1+\varphi}{1/\gamma+\varphi}(1-\delta_a)\hat{a}_t)$
- Endogenous and stochastic shocks to optimal monetary policy that a policy maker with full information could avoid
- Informational trade-off: monetary policy responds more strongly and more precisely to the shock that the policy maker pays more attention

### **Optimal Path for Nominal Rates**

Now we can write the optimal path of nominal (equal to real) rates as:

$$\iota_{t} = \rho + (1 - 1/2^{2\kappa_{\rho}})\hat{\rho}_{t} + (\sqrt{2^{2\kappa_{\rho}} - 1}/2^{2\kappa_{\rho}})\sigma_{\rho}u_{t} \\
- \frac{1+\varphi}{1+\gamma\varphi}((1 - 1/2^{2\kappa_{a}})\hat{a}_{t} + (\sqrt{2^{2\kappa_{a}} - 1}/2^{2\kappa_{a}})\sigma_{a}v_{t})$$

- Muted response to to exogenous demand and supply shocks (relative to the efficient benchmark where  $\iota_t^* = \rho + \hat{\rho}_t \frac{1+\varphi}{1/\gamma+\varphi}(1-\delta_a)\hat{a}_t)$
- Endogenous and stochastic shocks to optimal monetary policy that a policy maker with full information could avoid
- Informational trade-off: monetary policy responds more strongly and more precisely to the shock that the policy maker pays more attention

### **Optimal Path for Nominal Rates**

Now we can write the optimal path of nominal (equal to real) rates as:

$$egin{aligned} \iota_t &= 
ho + (1 - 1/2^{2\kappa_
ho})\hat{
ho}_t + (\sqrt{2^{2\kappa_
ho} - 1}/2^{2\kappa_
ho})\sigma_
ho u_t \ &- rac{1 + arphi}{1 + \gammaarphi}((1 - 1/2^{2\kappa_s})\hat{a}_t + (\sqrt{2^{2\kappa_s} - 1}/2^{2\kappa_s})\sigma_s v_t) \end{aligned}$$

- Muted response to to exogenous demand and supply shocks (relative to the efficient benchmark where  $\iota_t^* = \rho + \hat{\rho}_t \frac{1+\varphi}{1/\gamma+\varphi}(1-\delta_a)\hat{a}_t$ )
- Endogenous and stochastic shocks to optimal monetary policy that a policy maker with full information could avoid
- Informational trade-off: monetary policy responds more strongly and more precisely to the shock that the policy maker pays more attention

### **Output Dynamics**

 Combining the nominal rate, Euler equation and New Keynesian Phillips curve, we can solve for output:

$$\hat{y}_{t} = \gamma (\hat{\rho}_{t}/2^{2\kappa_{\rho}} - (\sqrt{2^{2\kappa_{\rho}} - 1}/2^{2\kappa_{\rho}})\sigma_{\rho}u_{t}) 
+ \frac{1+\varphi}{1/\gamma+\varphi} ((1-1/2^{2\kappa_{\theta}})\hat{a}_{t} + (\sqrt{2^{2\kappa_{\theta}} - 1}/2^{2\kappa_{\theta}})\sigma_{\theta}v_{t})$$

- Compare to efficient output process:  $\hat{y}_t^* = \frac{1+\varphi}{1/\gamma+\varphi}\hat{a}_t$
- Output responds less to supply shocks
  - $\bullet \ \ \mathsf{Muted} \ \mathsf{real} \ \mathsf{rate} \ \mathsf{response} \Rightarrow \mathsf{less} \ \mathsf{intertemporal} \ \mathsf{substitution} \\$
- Output responds more to demand shocks
  - Larger gap between real rate and discount rate ⇒ more intertemporal substitution
- Output has endogenous fluctuations driven by noisy expectations

### **Output Dynamics**

 Combining the nominal rate, Euler equation and New Keynesian Phillips curve, we can solve for output:

$$\hat{y}_{t} = \frac{\gamma(\hat{\rho}_{t}/2^{2\kappa_{\rho}} - (\sqrt{2^{2\kappa_{\rho}} - 1}/2^{2\kappa_{\rho}})\sigma_{\rho}u_{t})}{+\frac{1+\varphi}{1/\gamma+\varphi}((1-1/2^{2\kappa_{\theta}})\hat{a}_{t} + (\sqrt{2^{2\kappa_{\theta}} - 1}/2^{2\kappa_{\theta}})\sigma_{\theta}v_{t})}$$

- Compare to efficient output process:  $\hat{y}_t^* = rac{1+arphi}{1/\gamma+arphi}\hat{a}_t$
- Output responds less to supply shocks
  - $\bullet \ \ \mathsf{Muted} \ \mathsf{real} \ \mathsf{rate} \ \mathsf{response} \Rightarrow \mathsf{less} \ \mathsf{intertemporal} \ \mathsf{substitution} \\$
- Output responds more to demand shocks
  - Larger gap between real rate and discount rate ⇒ more intertemporal substitution
- Output has endogenous fluctuations driven by noisy expectations

## **Output Dynamics**

 Combining the nominal rate, Euler equation and New Keynesian Phillips curve, we can solve for output:

$$\begin{split} \hat{y}_t &= \gamma (\hat{\rho}_t/2^{2\kappa_{\rho}} - (\sqrt{2^{2\kappa_{\rho}} - 1}/2^{2\kappa_{\rho}})\sigma_{\rho}u_t) \\ &+ \frac{1+\varphi}{1/\gamma + \varphi} ((1 - 1/2^{2\kappa_{\theta}})\hat{a}_t + (\sqrt{2^{2\kappa_{\theta}} - 1}/2^{2\kappa_{\theta}})\sigma_{\theta}v_t) \end{split}$$

- Compare to efficient output process:  $\hat{y}_t^* = rac{1+arphi}{1/\gamma+arphi}\hat{a}_t$
- Output responds less to supply shocks
  - $\bullet \ \ \mathsf{Muted} \ \mathsf{real} \ \mathsf{rate} \ \mathsf{response} \Rightarrow \mathsf{less} \ \mathsf{intertemporal} \ \mathsf{substitution} \\$
- Output responds more to demand shocks
  - Larger gap between real rate and discount rate ⇒ more intertemporal substitution
- Output has endogenous fluctuations driven by noisy expectations

## **Inflation Dynamics**

Substituting the dynamics for output into the New Keynesian Phillips curve:

$$\pi_{t} = \varphi_{y} \gamma (\hat{\rho}_{t}/2^{2\kappa_{\rho}} - (\sqrt{2^{2\kappa_{\rho}} - 1}/2^{2\kappa_{\rho}})\sigma_{\rho}u_{t})$$
$$+ \varphi_{y} \frac{1+\varphi}{1/\gamma+\varphi} (-\hat{\mathbf{a}}_{t}/2^{2\kappa_{a}} + (\sqrt{2^{2\kappa_{a}} - 1}/2^{2\kappa_{a}})\sigma_{a}v_{t})$$

- Inflation responds to demand and supply shocks, in sharp contrast with its stability under the full information policy
- Inflation responds positively to demand shocks, but negatively to supply shocks
- The inflation response to each shock depends on the information allocation
  - More response to the shock that the policy maker devotes less attention

## **Inflation Dynamics**

• Substituting the dynamics for output into the New Keynesian Phillips curve:

$$\begin{split} \pi_t &= \varphi_y \gamma (\hat{\rho}_t / 2^{2\kappa_\rho} - (\sqrt{2^{2\kappa_\rho} - 1} / 2^{2\kappa_\rho}) \sigma_\rho u_t) \\ &+ \varphi_y \frac{1 + \varphi}{1 / \gamma + \varphi} (-\hat{a}_t / 2^{2\kappa_\partial} + (\sqrt{2^{2\kappa_\partial} - 1} / 2^{2\kappa_\partial}) \sigma_a v_t) \end{split}$$

- Inflation responds to demand and supply shocks, in sharp contrast with its stability under the full information policy
- Inflation responds positively to demand shocks, but negatively to supply shocks
- The inflation response to each shock depends on the information allocation
  - More response to the shock that the policy maker devotes less attention

# **Information Allocation (IID Assumption)**

- Having characterized the optimal monetary policy and equilibrium dynamics, we can solve for the optimal information allocation (the first subproblem)
- The policy maker minimizes ex-ante utility loss, subject to their information constraint:

$$\min_{\kappa_{\rho},\kappa_{a}} \frac{1}{2} \left( \frac{\sigma_{\rho}^{2}}{2^{2\kappa_{\rho}}} + \left( \frac{1+\varphi}{1+\gamma\varphi} \right)^{2} \frac{\sigma_{a}^{2}}{2^{2\kappa_{a}}} \right)$$

subject to:

$$\kappa_{\rho} + \kappa_{\mathsf{a}} \le \kappa_{\mathsf{M}}$$

# Information Allocation (IID Assumption)

Solution:

$$\kappa_{a} = \begin{cases} 0 & \text{if} & \log_{2}(\frac{1+\varphi}{1+\gamma\varphi}\sigma_{a}/\sigma_{\rho}) \leq -\kappa_{M}, \\ \frac{1}{2}\kappa_{M} + \frac{1}{2}\log_{2}(\frac{1+\varphi}{1+\gamma\varphi}\sigma_{a}/\sigma_{\rho}) & \text{if} & \log_{2}(\frac{1+\varphi}{1+\gamma\varphi}\sigma_{a}/\sigma_{\rho}) \in (-\kappa_{M}, \kappa_{M}), \\ \kappa_{M} & \text{if} & \log_{2}(\frac{1+\varphi}{1+\gamma\varphi}\sigma_{a}/\sigma_{\rho}) \geq \kappa_{M}, \end{cases}$$

and 
$$\kappa_{\rho} = \kappa_{M} - \kappa_{a}$$

- The policy maker chooses their information allocation based on the welfare gains from reducing demand shock variance vs. supply shock variance
- κ<sub>a</sub> is increasing in the relative gain from reducing the welfare impact of supply shocks

#### **Quantitative Exercise**

- Relax i.i.d. shocks assumption and solve model numerically
  - Set parameters governing preferences and technology consistent with literature
  - Calibrate parameters governing the exogenous shock processes and the information processing capacity
- Consider a range of values for  $\kappa_M$  and ask how an increase in  $\kappa_M$  affects macro dynamics?
- Should the policy maker pay more attention to demand or supply shocks?

#### **Calibration**

We calibrate the parameters governing the exogenous shock processes and the information processing capacity to target 5 summary statistics from our sample:

Parameter	Value	Target	Data	Model
$\delta_{a}$	0.951	$AC(\hat{y})$	0.871	0.812
$\sigma_{a}$	0.005	$SD(\hat{y})$	0.015	0.018
$\delta_{ ho}$	0.644	$AC(\pi)$	0.336	0.364
$\sigma_{ ho}$	0.006	$SD(\pi)$	0.015	0.011
$\kappa_{M}^{*}$	0.844	$Cov(\hat{y},\pi)/V(\hat{y})$	0.233	0.228

### **Optimal to Focus on Demand Shocks**

Optimal information allocation, expressed as percentages of  $\kappa_M$  ( $\kappa_M^*=0.84$ )

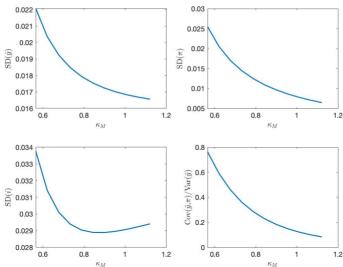
$\kappa_{N}$	0.57	0.62	0.68	0.73	0.79	0.84	0.9	0.95	1.01	1.07	1.12
$\kappa_{\it a}$	55	51	48	45	43	41	39	38	36	35	34
$\kappa_{ ho}$	45	49	52	55	57	59	61	62	64	65	66

#### Two effects:

- Supply shocks are more persistent in our calibration, so their variance is also larger 
   policy maker should pay relatively more attention to supply shocks
- Persistent supply shocks have a weak effect on the efficient real rate  $(r_t^* = \rho + \hat{\rho}_t \frac{1+\varphi}{1/\gamma + \varphi}(1-\delta_a)\hat{a}_t) \implies$  policy maker should pay relatively less attention to supply shocks

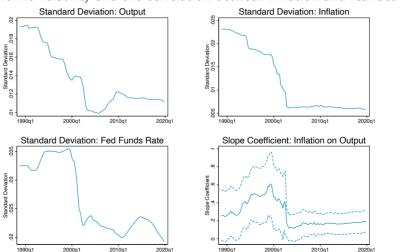
# Macro Volatility Declines in $\kappa_M$

As  $\kappa_{M}$  increases, outcomes approach their efficient counterparts



# **Empirical Decline in Macro Volatility and Phillips Curve**

Consistent with an increase in processing capacity, there has been a decline in macroeconomic volatility and the correlation between inflation and real activity



#### **Extensions**

- Linear marginal information cost
  - Results are robust and can be mapped from one approach to the other
- Random walk supply shocks
  - Assuming  $\delta_a = 1$ ,  $r_t^*$  does not depend on supply shocks at all and the policy maker pays attention only to demand shocks
- Mark up shocks
  - The policy maker still chooses an optimal information allocation to try and get as close to the efficient allocation as possible - key takeaways remain the same
- Alternative information cost
  - Results robust to using the neighborhood-based information cost function proposed by Hébert and Woodford (2020)

#### Conclusion

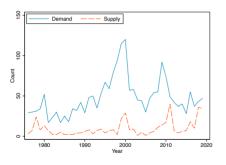
- We solve the rationally inattentive optimal monetary policy problem in a New Keynesian model
- Policy responds less to exogenous shocks, but is endogenously noisy
- Typically, policy makers should focus on understanding demand factors
- Improvements in information processing are consistent with the decline in macro volatility and the disappearing co-movement between output and inflation in the data

#### **FOMC Minutes: Text Analysis**

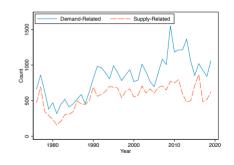
- Compile the text of the FOMC Minutes from 1976
- Remove 179 stop words such as 'and', 'the', and 'we'
- Create a list of the 1,000 most commonly used words and manually classify each word as being demand- or supply-related or neither
  - Example demand-related words: consumer, spending, sentiment
  - Example supply-related words: energy, industrial, shipments
- Given the subjective nature of this allocation, we include analyses not only
  on the identified demand-related and supply-related words, but also on the
  use of the exact words 'demand' and 'supply'

### **FOMC Minutes: Demand and Supply Counts**

'Demand and demand-related words are consistently used more than 'supply' and supply-related words. Consistent with our calibration where 59% of processing capacity is allocated to demand and 41% to supply factors



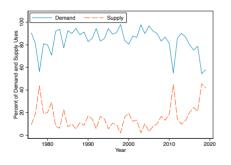
(a) 'Demand' or 'Supply' Word Count



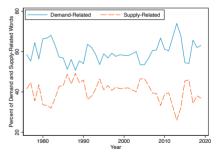
(b) Demand- or Supply-Related Word Count

# **FOMC Minutes: Demand and Supply Percents**

We find demand-related terminology has modestly increased relative to supply-related terminology over time - consistent with a small increase in information processing capacity



(a) 'Demand' or 'Supply', % of 'Demand' & 'Supply'



(b) Demand or Supply-Related Words,% of Demand & Supply-Related