

# The Effects of News Shocks and Supply-Side Beliefs

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# Motivation

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*“We are all Keynesians now.”*

—Milton Friedman

- Dominant paradigm in macro policymaking: business cycle driven in part by “Keynesian” demand factors
- Unlike policymakers, households seem to overweight supply-side narratives
- Understanding the drivers of these beliefs is important
  - Not only for understanding deviations from FIRE
  - But also the aggregate consequences of such beliefs

This paper investigates the causes and consequences of supply-side reasoning

## Households use supply-side narratives in explaining the macroeconomy

- Households often report “greed” and “big business and corporate profits” as drivers of inflation [Shiller (1997)]
- Relative to experts, households consistently use supply-side reasoning more and demand-side reasoning less [Andre et al (2022a), Andre et al (2022b), ...]
  - Example: households are more likely to think in terms of a “cost channel” for monetary policy transmission
- The correlation between households’ expected inflation and expected unemployment is positive [Kamdar (2019), Kamdar & Ray (2024), Binetti et al (2024), ...]

# Preview: Model

## Develop a NK model featuring agents that receive news about future structural shocks:

- Agents overweight the likelihood that news is informative about supply shocks
- Follows from a wide range of bounded rationality assumptions
  - Rational inattention, robustness, behavioral, ...
- Intuition: supply shocks are particularly damaging to utility

## Implications (unconditional):

- Negative correlation of output and inflation forecasts
- Simple FIRE-based estimations of the Phillips curve are biased; however, estimations with survey-based expectations are unbiased

## Implications (conditional):

- News shocks (which  $\uparrow$  inflation expectations)
  - $\downarrow$  expected output gap
  - $\uparrow$  realized inflation
  - $\downarrow$  realized output gap

### Identify news shocks to inflation expectations

- Utilizing the daily interview date in the Michigan Survey of Consumers, we compute the change in inflation expectations in small windows around CPI releases

### News shocks to inflation expectations have sizable macroeconomic effects

- We find that following 1pp shock to inflation expectations:
  - Realized inflation increases (peak response of 0.1pp)
  - Realized unemployment increases (peak response of 0.2pp)

- Empirical deviations from FIRE:  
Carroll (2003), Mankiw et al (2003), Coibion and Gorodnichenko (2015), Bordalo et al (2020)
- General equilibrium models with deviations from FIRE:  
Mankiw and Reis (2007), Woodford (2013), Maćkowiak and Wiederholt (2015), Carroll et al (2020), Bhandari et al (2023)
- News and noise shocks:  
Beaudry and Portier (2014), Barsky and Sims (2011), and Chahrour and Jurado (2018)
- High-frequency analyses of expectations to announcements:  
Rast (2021), Binder et. al. (2022), Lamla and Vinogradov (2019), DeFiore et. al. (2022)

# Model

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# Model Overview

- We develop a “news shock” NK model where agents learn about future structural shocks
- Key departure from FIRE:
  - News is not separately informative about aggregate demand vs. supply shocks
  - Agents overweight the likelihood that news is informative about supply relative to demand shocks
  - Microfoundation: rational inattention, robustness, or purely behavioral

## Setup: Standard RANK Setting

- Standard NK model: representative household, firms facing Calvo frictions (probability  $\theta$ )
- HHs maximize (subject to aggregate discount factor shocks  $\Psi_t$ ):

$$\tilde{E}_0 \sum_{t=0}^{\infty} \beta^t \Psi_{t-1} \left[ \frac{C_t^{1-\varsigma} - 1}{1-\varsigma} - \frac{N_t^{1+\varphi}}{1+\varphi} \right] \quad \text{s.t.} \quad C_t + Q_t B_t = B_{t-1} + W_t N_t + T_t$$

- Firm  $i$  produces using labor  $Y_t(i) = N_t(i)$  and faces demand  $Y_t(i) = \left( \frac{P_t(i)}{P_t} \right)^{-\epsilon_t} Y_t$  (time-varying desired markups due to  $\epsilon_t$ )
- Chooses price  $P_0^*(i)$  to maximize (when updating):

$$\tilde{E}_0 \sum_{t=0}^{\infty} \theta^t Q_{0,t} \left[ \left( \frac{P_0^*(i)}{P_t} \right) Y_t(i) - W_t N_t(i) \right]$$

- Subjective expectations  $\tilde{E}_t \neq \mathbb{E}_t$  (FIRE)

# Equilibrium Dynamics

- Equilibrium dynamics:

$$\pi_t = \beta \tilde{E}_t \pi_{t+1} + \kappa x_t + u_t$$

$$x_t = -\varsigma^{-1} \left( i_t - \tilde{E}_t \pi_{t+1} - v_t \right) + \tilde{E}_t x_{t+1}$$

- Close the model with a simple Taylor rule ( $i_t = \phi_\pi \pi_t$ )
- Assume simple **iid dynamics** of structural shocks (cost-push  $u_t$  and discount rate  $v_t$ )
- For now assume that  $\tilde{E}_t h_{t+1} = 0 \forall h_t$ , that is no “news” about the future
- Usual equilibrium (defining  $\chi \equiv \frac{1}{1 + \kappa \varsigma^{-1} \phi_\pi} > 0$ ):

$$\frac{\partial x_t}{\partial u_t} = -\chi \phi_\pi \varsigma^{-1} < 0,$$

$$\frac{\partial \pi_t}{\partial u_t} = \chi > 0,$$

$$\frac{\partial x_t}{\partial v_t} = \chi \varsigma^{-1} > 0$$

$$\frac{\partial \pi_t}{\partial v_t} = \chi \kappa \varsigma^{-1} > 0$$

- Hence  $\uparrow u_t \implies$  **supply-driven** recession,  $\uparrow v_t \implies$  **demand-driven** expansion

# Expectation Formation

- Agents observe all period  $t$  variables perfectly (as well as history)
- Departure from FIRE due to **news shocks** regarding future innovations  $u_{t+1}, v_{t+1}$
- Under a wide array of bounded rationality assumptions:

## 1. Signal structure:

$$z_t = \alpha_u u_{t+1} + \alpha_v v_{t+1} + \eta_t, \quad \eta_t \sim N(0, \sigma_\eta^2)$$

## 2. Beliefs are formed via Bayesian updating:

$$\tilde{E}_t[u_{t+1}|z_t] = \tilde{K}_u z_t \equiv \frac{\alpha_u \sigma_u^2}{\alpha_u^2 \sigma_u^2 + \alpha_v^2 \sigma_v^2 + \sigma_\eta^2} z_t$$

$$\tilde{E}_t[v_{t+1}|z_t] = \tilde{K}_v z_t \equiv \frac{\alpha_v \sigma_v^2}{\alpha_u^2 \sigma_u^2 + \alpha_v^2 \sigma_v^2 + \sigma_\eta^2} z_t$$

## 3. Over-weight supply shocks relative to demand:

$$|\tilde{K}_u| > |\tilde{K}_v| \geq 0$$

## Intuition: FIRE Baseline

- Why would an agent over-weight supply shocks?
- Helpful to think about how current inflation and output reacts to supply and demand shocks next period under FIRE
- In our setting, this means agents know  $u_t, u_{t+1}, v_t, v_{t+1}$

$$\begin{aligned}\frac{\partial x_t^*}{\partial v_{t+1}} &= \chi^2 \varsigma^{-1} [1 + \kappa \varsigma^{-1} (1 - \beta \phi_\pi)], & \frac{\partial \pi_t^*}{\partial v_{t+1}} &= \chi^2 \kappa \varsigma^{-1} (1 + \beta + \kappa \varsigma^{-1}) \\ \frac{\partial x_t^*}{\partial u_{t+1}} &= \chi^2 \varsigma^{-1} [1 - \phi_\pi (1 + \beta)], & \frac{\partial \pi_t^*}{\partial u_{t+1}} &= \chi^2 [\beta - \kappa \varsigma^{-1} (\phi_\pi - 1)]\end{aligned}$$

- As long as the Phillips curve is not too steep ( $\kappa$  small), the reaction of  $x^*$  and  $\pi^*$  to unit shocks are larger in magnitude for supply relative to demand
- Intertemporal decisions (consumption and pricing) are proportional to  $x^*$  and  $\pi^*$

## Intuition Continued

- **Firms:** optimal pricing is affected directly by cost-push shocks but only indirectly by demand shocks through marginal costs and passthrough is small when  $\kappa$  small
- **Households:** optimal consumption is a function of the gap between borrowing and natural rates. This gap reacts directly to demand shocks but also indirectly to supply shocks; however, this indirect effect is large because the Fed responds more than one for one with inflation, optimal consumption responds strongly to supply shocks.
- **Thus, in a boundedly rational setting, *all else equal* agents pay more attention to (or worry more about) supply shocks**
  - Note: intuition based on “unit” shocks, but may not be comparable in terms of likelihood
  - If demand shocks are significantly more volatile than supply shocks, it may be the case that agents end up paying more attention to demand shocks
  - Yet, the intuition above still causes agents to tilt their beliefs partly to supply shocks

# Bounded Rationality Departures from FIRE

- Formalizing: rational inattention, robustness (or purely behavioral)
- **Rational inattention**: agent's optimally choose to over-weight supply relative to demand when learning about future shocks
  - In general, expressions for  $\tilde{K}_u, \tilde{K}_v$  are complicated
  - Note: if supply shock volatility is sufficiently low, we may not have  $\tilde{K}_u > \tilde{K}_v$
- **Robustness**: concerns regarding model mis-specification: uncertainty regarding the distribution of shocks

$$u_t \sim N(0, \tilde{\sigma}_u^2), \quad v_t \sim N(0, \tilde{\sigma}_v^2)$$

- Mis-specification constraint: agents know  $\tilde{\sigma}_u^2 + \tilde{\sigma}_v^2$  but act as if  $\tilde{\sigma}_u^2, \tilde{\sigma}_v^2$  chosen to minimize utility
- This implies a corner solution:  $\tilde{K}_v = 0$

# Equilibrium Dynamics and News Shocks

- In equilibrium

$$\tilde{E}_t x_{t+1} = -\varsigma^{-1} \phi_\pi \chi \tilde{K}_u z_t \quad \text{and} \quad \tilde{E}_t \pi_{t+1} = \chi \tilde{K}_u z_t$$

$$\pi_t = \chi \left[ \kappa \varsigma^{-1} v_t + u_t + (\beta - \kappa \varsigma^{-1} (\phi_\pi - 1)) \chi \tilde{K}_u z_t \right]$$

$$x_t = \chi \varsigma^{-1} \left[ v_t - \phi_\pi u_t + (1 - \phi_\pi (1 + \beta)) \chi \tilde{K}_u z_t \right]$$

- Composite parameter  $\chi \equiv \frac{1}{1 + \kappa \varsigma^{-1} \phi_\pi} > 0$
- Equilibrium reactions:

$$\frac{\partial \tilde{E}_t \pi_{t+1}}{\partial z_t} > 0, \frac{\partial \pi_t}{\partial v_t} > 0, \frac{\partial \pi_t}{\partial u_t} > 0, \frac{\partial \pi_t}{\partial z_t} > 0$$

$$\frac{\partial \tilde{E}_t x_{t+1}}{\partial z_t} < 0, \frac{\partial x_t}{\partial v_t} > 0, \frac{\partial x_t}{\partial u_t} < 0, \frac{\partial x_t}{\partial z_t} < 0$$

- $\frac{\partial \pi_t}{\partial z_t} > 0$  unless  $\kappa \varsigma^{-1} \gg 0$  (assumes PC is relatively flat and/or HHs are risk-averse)



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# Macroeconomic Effects of News Shocks: Intuition

- Suppose agents receive a **positive signal**  $z_t > 0$
- Interpret this signal as next period there will be a **supply-driven recession**
- Anticipating consumption will be low next period, households smooth consumption by saving more today (output falls today)
- Firms pricing has two effects:
  - **Lower consumption today** puts downward pressure on prices today
  - **Optimal price tomorrow will be higher**, putting upward pressure on prices today
  - Most reasonable parameterizations imply the second effect dominates

# Equilibrium Correlations

- Implication: correlation structure of actual data differs from beliefs
- Inflation and output gap beliefs are **negatively correlated**

$$\text{Cov} \left( \tilde{E}_t \pi_{t+1}, \tilde{E}_t x_{t+1} \right) = - \left( \tilde{K}_u \chi \right)^2 \phi_{\pi} \varsigma^{-1} \left( \sigma_u^2 + \sigma_v^2 + \sigma_{\eta}^2 \right) < 0$$

- Holds even when in the data  $\text{Cov}(\pi_t, x_t) > 0$ 
  - Without iid dynamics, expressions are more complicated
  - Sign is ambiguous but beliefs are still negatively correlated for wide range of parameterizations

# Equilibrium Phillips Curve(s)

- Cost-push shocks  $u_t$  create well-known identification issues when estimating  $\hat{\kappa}$
- However, the model shows that even without supply shocks, **expectation errors pollute estimates of  $\hat{\kappa}$**
- Example: iid shocks and  $\sigma_u^2 \approx 0$ , standard FIRE NK model implies that a simple bivariate regression recovers  $\kappa$ :

$$\pi_t = \hat{\kappa}^{FIRE} x_t + \varepsilon_{t+1}^{FIRE}$$

- In our model,  $\hat{\kappa}^{FIRE} \not\rightarrow \kappa$ . Adding  $\pi_{t+1}$ ?

$$\pi_t = \hat{\beta}^{FIRE} \pi_{t+1} + \hat{\kappa}^{FIRE} x_t + \varepsilon_{t+1}^{FIRE}$$

- Still fails:  $\varepsilon_{t+1}^{FIRE} = \beta(\tilde{E}_t \pi_{t+1} - \pi_{t+1})$  which depends on realizations of  $z_t$
- Intuition: even with no dynamics,  $\tilde{E}_t \pi_{t+1}$  is an omitted variable

# Survey-Augmented Phillips Curve

- Hence, augmenting estimation with measures of expectations can estimate  $\kappa$

$$\pi_t = \hat{\beta}^{AUG} \tilde{E}_t \pi_{t+1} + \hat{\kappa}^{AUG} x_t + \varepsilon_{t+1}^{AUG}$$

- When  $\sigma_u^2 \approx 0$  (and iid shocks):

$$\begin{bmatrix} \hat{\beta}^{AUG} \\ \hat{\kappa}^{AUG} \end{bmatrix} = \begin{bmatrix} \text{Var}(\tilde{E}_t \pi_{t+1}) & \text{Cov}(\tilde{E}_t \pi_{t+1}, x_t) \\ \text{Cov}(\tilde{E}_t \pi_{t+1}, x_t) & \text{Var}(x_t) \end{bmatrix}^{-1} \begin{bmatrix} \text{Cov}(\tilde{E}_t \pi_{t+1}, \pi_t) \\ \text{Cov}(x_t, \pi_t) \end{bmatrix} \rightarrow \begin{bmatrix} \beta \\ \kappa \end{bmatrix}$$

- Consistent with empirical findings: Coibion, Gorodnichenko, Kamdar (2018) find survey-augmented NKPC estimates are stable
  - More generally: with the iid assumption and  $\sigma_u^2 \neq 0$ , still need valid IVs for  $u_t$
  - However, IVs may still be correlated with expectation errors
  - Augmenting the IV regression by including subjective measures of  $\tilde{E}_t \pi_{t+1}$  as a dependent variable allows for consistent estimation of  $\kappa$

# Fully Subjective Phillips Curve

- Consider an alternative estimate of the NKPC based entirely on subjective beliefs
- Shift the standard NKPC forward a period, and apply subjective expectations:

$$\tilde{E}_t \pi_{t+1} = \hat{\beta}^{SUBJ} \tilde{E}_t \pi_{t+2} + \hat{\kappa}^{SUBJ} \tilde{E}_t x_{t+1} + \varepsilon_{t+1}^{SUBJ}$$

- Does not recover  $\kappa$ !
- Intuition: regression specification suffers from omitted variable bias due to  $\tilde{E}_t u_{t+1}$
- In fact with iid shocks, we have

$$\hat{\kappa}^{SUBJ} \rightarrow -\frac{1}{\phi_{\pi} \varsigma^{-1}} < 0$$



# Fully Subjective Phillips Specification

- Simple estimation specification using the Michigan Survey of Consumers
- Since early 90s, MSC asks respondents for 1-year and 5-year inflation expectations
- MSC also asks for 1-year unemployment rate expectations (categorical: will go up, stay the same, will go down)
- Panel regression specification:

$$\tilde{E}_{i,t}\pi_{t+1} = \hat{\alpha}^{SUBJ} + \hat{\beta}^{SUBJ}\tilde{E}_{i,t}\pi_{t+5} + \hat{\kappa}^{SUBJ+}\tilde{E}_{i,t}U_{t+1}^+ + \hat{\kappa}^{SUBJ-}\tilde{E}_{i,t}U_{t+1}^- + \varepsilon_{i,t+1}^{SUBJ}$$

- Model prediction:

$$\hat{\kappa}^{SUBJ+} > 0, \hat{\kappa}^{SUBJ-} < 0$$

# Fully Subjective Phillips Curve Estimated



Notes: estimates of  $\tilde{E}_{i,t}\pi_{t+1} = \hat{\alpha} + \hat{\beta}^{SUBJ}\tilde{E}_{i,t}\pi_{t+5} + \hat{\kappa}^{SUBJ+}\tilde{E}_{i,t}U_{t+1}^+ + \hat{\kappa}^{SUBJ-}\tilde{E}_{i,t}U_{t+1}^- + e_{i,t+1}^{SUBJ}$ ; subjective one-year ahead inflation expectations on subjective five-year ahead inflation expectations and dummy variables for one-year ahead inflation increasing or decreasing. Data are from the Michigan Survey of Consumers. Four year rolling window regression coefficients, pooled across households. 90% confidence intervals included.

## Identifying Inflation News Shocks

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# Summary of Theoretical Predictions and Preview of Empirics

**Model Predictions:** given a news shock which  $\uparrow$  inflation expectations:

- $\implies \downarrow$  output gap **expectations**
- $\implies \uparrow$  inflation and  $\downarrow$  output gap **realizations**

**News Shock Identification:**

- Utilize daily inflation expectation data around CPI releases

**Empirical Results:** in response to a news shock which  $\uparrow$  inflation expectations:

- We find  $\uparrow$  in expected unemployment in surveys
- We find  $\uparrow$  inflation and  $\uparrow$  unemployment over the next 1-2 years

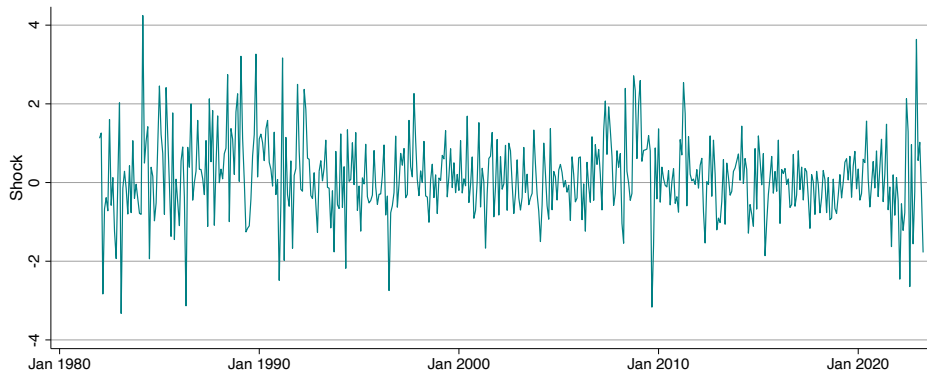
# Identifying Inflation Expectation Shocks

- Using the MSC, we construct a news shock series by calculating the difference in average expected inflation in small windows before and after CPI releases
  - Baseline: 5 days before and after
  - Robust to other choices
- Identification assumption: only reaction to information revealed at the CPI release
- Also see: York (2023) and Binder, Campbell, and Ryngeart (2022) for daily-frequency survey-based responses to a variety of announcements

# News Shock: Endogeneity Concerns

- Compared to “narrow” event studies, we need to be more concerned with endogeneity
- We find news shocks are unpredictable:
  - Shocks are not predictable by contemporaneous or lagged macro data
  - Uncorrelated with high-frequency changes in financial variables (yields, oil prices)
- Also conduct a battery of placebo tests

# News Shock Time Series



Notes: News shock time series calculated by taking the difference in average expected inflation in the 5 days before and after CPI releases.

- The mean and median are  $\approx 0$  and the standard deviation is  $\approx 1$
- Standard deviation varies across the sample

# News Shock: Unpredictability

The estimated news shock is uncorrelated with high-frequency changes in yields and oil prices, and not predicted by current or past unemployment and inflation

	(1)	(2)	(3)	(4)	(5)	(6)
$\Delta y_t^{(10)}$	0.343 (0.577)		0.162 (0.565)			0.230 (0.547)
$\Delta p_t^{(OIL)}$		0.006 (0.020)	0.004 (0.020)			0.007 (0.020)
$U_t$				0.042 (0.044)	0.042 (0.044)	0.053 (0.044)
$\pi_t$				-0.094 (0.132)	-0.094 (0.132)	-0.096 (0.137)
$U_{t-1}$				-0.015 (0.044)	-0.015 (0.044)	-0.019 (0.046)
$\pi_{t-1}$				0.112 (0.138)	0.112 (0.138)	0.118 (0.144)
Obs.	472	437	431	479	479	431
$R^2$	0.001	0.000	0.001	0.004	0.004	0.006
P-val	0.553	0.777	0.940	0.632	0.632	0.630



# News Shock: Correlations with Other Expectations

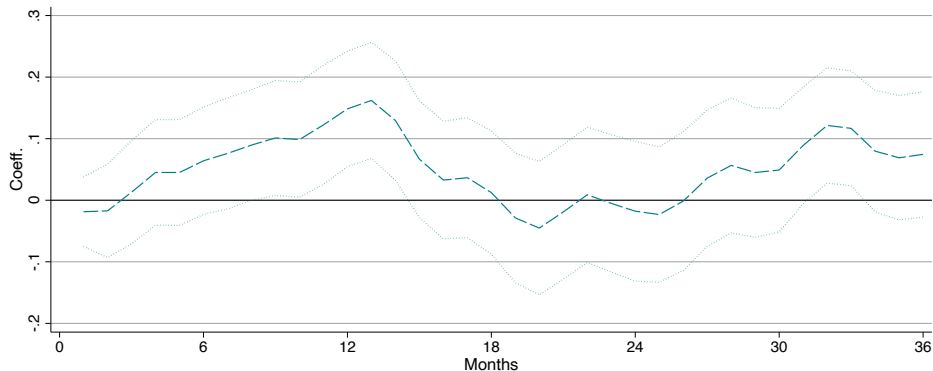
A positive shock to inflation expectations is associated with:

- An increase in households expecting unemployment to rise ( $\Delta\tilde{E}_t U_{t+1}^+$ )
- A decrease in households expecting unemployment to fall ( $\Delta\tilde{E}_t U_{t+1}^-$ )
- A decrease in households sentiment ( $\Delta\tilde{E}_t s_{t+1}$ , Kamdar & Ray 2024)

	$\Delta\tilde{E}_t U_{t+1}^+$	$\Delta\tilde{E}_t U_{t+1}^-$	$\Delta\tilde{E}_t s_{t+1}$
$\Delta\tilde{E}_t \pi_{t+1}$	1.623*** (0.378)	-0.802** (0.364)	-0.041*** (0.008)
Obs.	490	490	490
$R^2$	0.039	0.013	0.062

Notes: Using 5-day windows around CPI releases. The change in percent of households expecting unemployment to rise ( $\Delta\tilde{E}_t U_{t+1}^+$ ) and fall ( $\Delta\tilde{E}_t U_{t+1}^-$ ) are regressed on the estimated news shock ( $\Delta\tilde{E}_t \pi_{t+1}$ ) in columns (1) and (2). In column (3) the change in average sentiment ( $\Delta\tilde{E}_t s_{t+1}$ ) is regressed on the estimated news shock ( $\Delta\tilde{E}_t \pi_{t+1}$ ). Sentiment is calculated as the fitted first component of all forward looking variables excluding inflation.

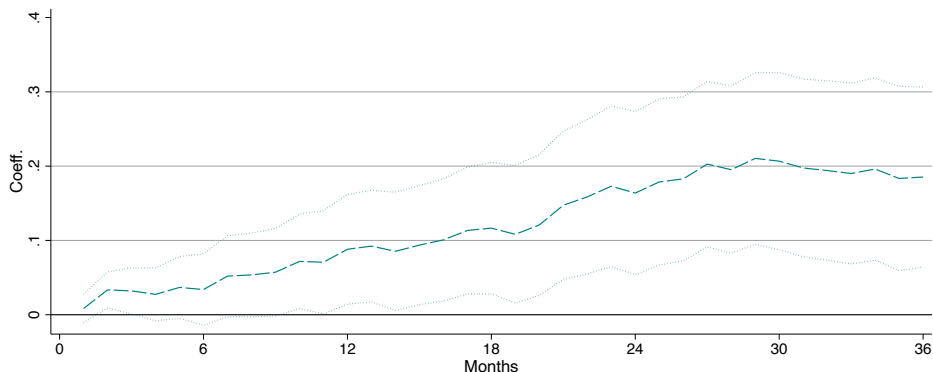
# Local Projection: Inflation Response to a News Shock



Notes: Local projection of inflation on the estimated news shock. Four lags of inflation, unemployment, fed funds rate, oil price inflation, and the news shock are included as controls. 90% confidence intervals included. no controls

- A 1pp shock to inflation expectations results in over 0.1pp increase in inflation after one year, before declining to zero

# Local Projection: Unemployment Response to a News Shock



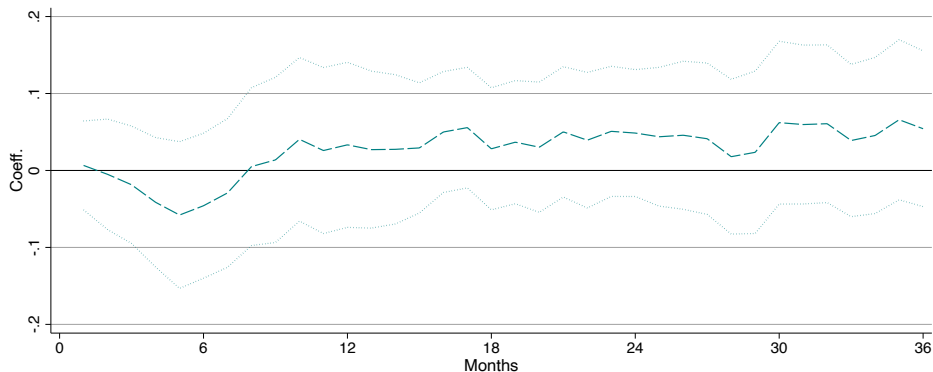
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no controls

- A 1pp shock to inflation expectations results in a 0.1pp increase in unemployment after one year and 0.2pp increase in unemployment after two years

- The response to a news shock is robust to:
  - Sample (baseline: 1982-2020)
  - Window size used in new shock constructions (baseline: 5 days before and after)
  - Including no controls or more controls (baseline: controlling for four lags of inflation, unemployment, fed funds rate, oil price inflation, and the news shock are included as controls)
- Macroeconomic reactions are specific to CPI releases (placebos follow)

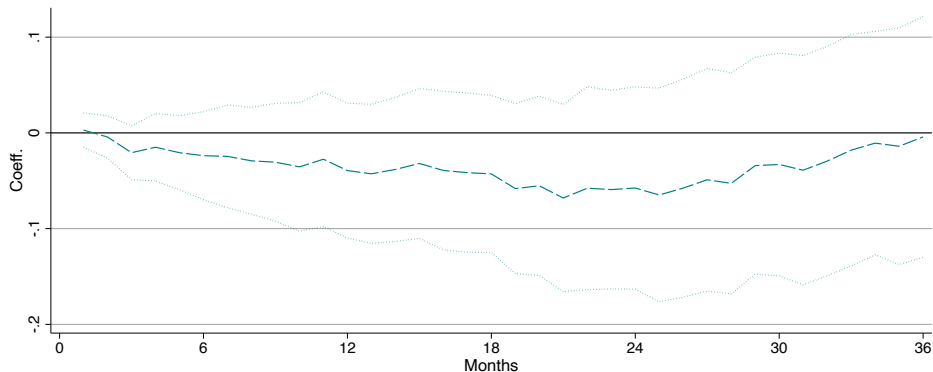
# Local Projection: Inflation Response to a Placebo Shock



Notes: Local projection of inflation on a placebo news shock estimated around 15 days after the CPI release. Four lags of inflation, unemployment, fed funds rate, oil price inflation, and the news shock are included as controls. 90% confidence intervals included. no controls

- In response to a placebo shock to inflation expectations (calculated 15 days after the CPI release), inflation is unaffected

# Local Projection: Unemployment Response to a Placebo Shock



Notes: Local projection of inflation on a placebo news shock estimated around 15 days after the CPI release. Four lags of inflation, unemployment, fed funds rate, oil price inflation, and the news shock are included as controls. 90% confidence intervals included. no controls

- In response to a placebo shock to inflation expectations (calculated 15 days after the CPI release), unemployment is unaffected

# Conclusion

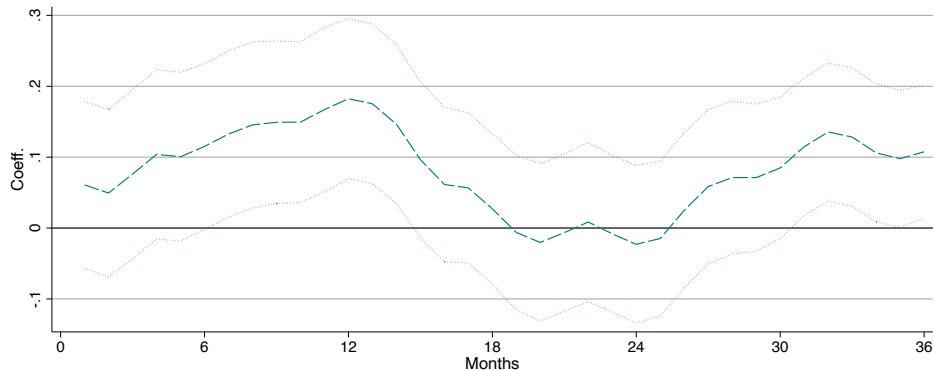
- We develop a NK model featuring consumers whose interpretation of news overweights supply-side factors
- Helps rationalize a number of Phillips curve and survey-based empirical puzzles
- **Key prediction:** news shocks move *realized* inflation and the output gap in opposite directions
- **Empirical test:** identify news-driven inflation expectation shocks using high-frequency survey data around CPI releases
- **Robust result:** a 1pp shock to our inflation expectation measure boosts inflation by roughly 0.1pp and unemployment by 0.2pp over the next 2 years

Thank You!

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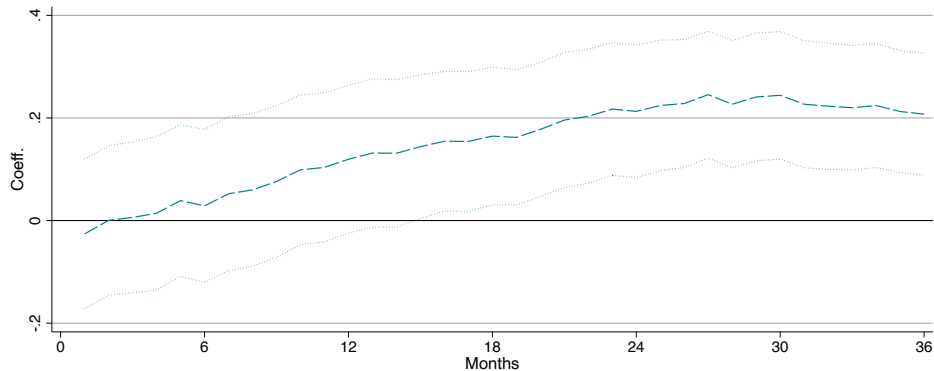
# Inflation Response to a News Shock, No Controls



Notes: Local projection of inflation on the estimated news shock. 90% confidence intervals included.

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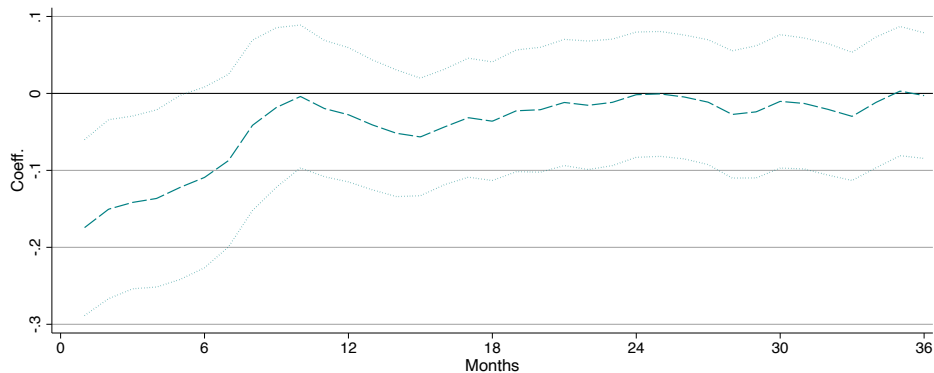
# Unemployment Response to a News Shock, No Controls



Notes: Local projection of unemployment on the estimated news shock. 90% confidence intervals included.

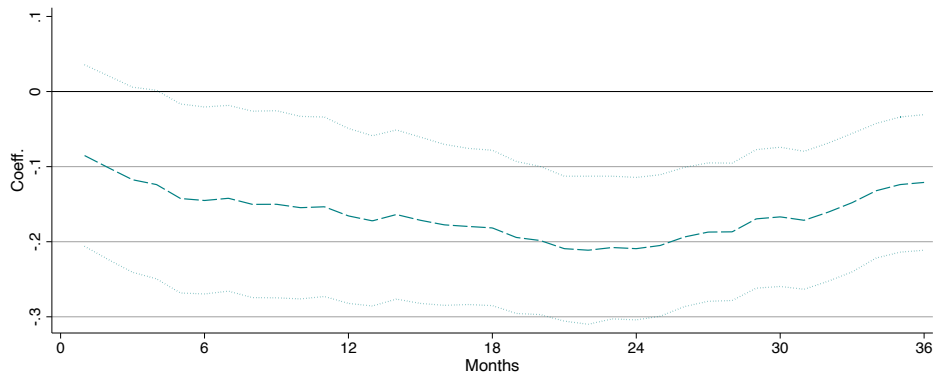
[back](#)

# Inflation Response to a Placebo Shock, No Controls



Notes: Local projection of inflation on a placebo news shock estimated around 15 days after the CPI release. 90% confidence intervals included. [back](#)

# Unemployment Response to a Placebo Shock, No Controls



Notes: Local projection of inflation on a placebo news shock estimated around 15 days after the CPI release. 90% confidence intervals included. [back](#)