

# Computing Lab Assignments

## Lab 2

ISI, Kolkata

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# Outline

- 1 Run-Length Encoding and Decoding
- 2 Letter Frequency Counter
- 3 String Reverse
- 4 Multi-variate Polynomial Product

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Run-length encoding (RLE) is a form of lossless data compression in which runs of data (consecutive occurrences of the same data value) are stored as a single occurrence of that data value and a count of its consecutive occurrences, rather than as the original run.

**Example:** Run-Length Encoded form of *aaabccd* is *a3bc2d*.

## Tasks:

- Write a program to convert a given string  $s$  to  $s'$ , its **run-length encoded** form. This means that  $s$  will contain the same sequence of distinct characters as  $s$ , but any  $m > 1$  consecutive occurrences of a character will be replaced by a single occurrence of the character immediately followed by the integer  $m$  (in base 10).  
The string  $s$  should be read from the terminal. It may contain letters, digits, blanks and tabs (`\t`), but no newline. The length of the string  $s$  will not be known to you in advance.

## Tasks:

- Add code to your program so that it prints the character that occurs consecutively the maximum number of times. For the example above, your program should print *a*. If the maximum number of consecutive occurrences is the same for two or more characters, you may print any one.
- Modify your program so that it decodes a given run-length encoded string *s* to its original form *s*. For example, given *a3bc2d*, your program should print *aaabccd*. Note that, given *abcd*, your program should print *abcd* itself. The input format will be the same as that for encoding.

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# Letter Frequency Counter

**Goal:** Read input from the terminal and count the number of occurrences of each letter a-z.

## Example 1:

- Input: C                      Programming                      is                      FUN!!
- Output:

Letter	Count	Letter	Count	Letter	Count
a	1	i	2	r	2
c	1	m	2	s	1
f	1	n	2	u	1
g	2	o	1	p	1

# Letter Frequency Counter

## Constraints:

- Input may span **multiple lines**.
- Input may contain **digits, punctuation, spaces, tabs**, and other **non-letter** characters. **Ignore these characters!!**
- Do **not distinguish** between uppercase and lowercase letters.

## Task: Write a C program that:

- Reads characters from standard input,
- Counts how many times each letter a-z appears, with above constraints,
- Prints the frequency of each letter (in alphabetical order).



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# String Reversal

**Goal:** Take a word with no spaces as input and print it in reverse.

Input	Output
computer	retupmoc
OpenAI	IAnepO
Beamer	remaeB

Table: Examples

## Constraints:

- Input has **no whitespace** (blanks / tabs)
- At most **80 characters**
- Input has no **newlines**

**Task:** Write a C program that:

- Reads a string as input
- Reverses the string
- Prints the reversed string to standard output.

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# Multivariate Polynomial Representation

A multivariate polynomial can be represented as a sum of non-zero terms.  
We store:

- The number of terms
- A list of non-zero terms, each with:
  - A coefficient
  - Exponents for each variable

**Example:** 4-variable polynomial with variables  $a, b, c, d$

$$5a^2bd^3 - 2d^5 + abcd + 31$$

**Explanation:**

- This polynomial has 4 non-zero terms.
- Each term stores: coefficient + exponents for  $a, b, c, d$

# Multivariate Polynomial Representation

## Example Polynomial:

$$5a^2bd^3 - 2d^5 + abcd + 31$$

## Term Representation:

Number of terms = 4

Term	Coeff	a	b	c	d
Term 0	5	2	1	0	3
Term 1	-2	0	0	0	5
Term 2	1	1	1	1	1
Term 3	31	0	0	0	0

## Storage Structure:

```
1 #define NVAR 5
2 #define MAX_TERM 1000
3
4 typedef struct {
5     int nterm;
6     int term[MAX_TERM][1 + NVAR]
7 } mvpoly;
```

# Multivariate Polynomial Representation

## Print Function:

```
1 void polyprint (mvpoly f) {  
2     int i, k;  
3     for (i = 0; i < f.nterm; ++i) {  
4         if ((i > 0) && (f.term[i][0] >= 0))  
5             printf("+");  
6         if (f.term[i][0] != 1)  
7             printf("%d", f.term[i][0]);  
8         for (k = 1; k <= NVAR; ++k) {  
9             if (f.term[i][k])  
10                printf("%c", 'a' + (char)(k - 1));  
11             if (f.term[i][k] > 1)  
12                printf("^%d", f.term[i][k]);  
13         }  
14     }  
15 }
```

# Multivariate Polynomial Product

**Task 1:** Write a function to compute the product of two multivariate polynomials.

**Function prototype:**

```
mvpoly polyprod(mvpoly f, mvpoly g);
```

**Important note:** When multiplying two multivariate polynomials, the same product monomial may appear multiple times during the monomial-by-monomial multiplication. To correctly represent the polynomial, *like terms must be combined* (collected) in the output.

**Example:**  $(a + b) \times (a + 2b)$

Correct output:  $a^2 + 3ab + 2b^2$

Incorrect output:  $a^2 + 2ab + ab + 2b^2$

# Multivariate Polynomial Product

## Task 2: The `main()` function

Use  $n = 5$  variables  $a, b, c, d, e$ . Compute and print the polynomials  $(a + b + c + d + e)^i$  for  $i = 1, 2, 3, 4, 5$ .

**Sample output for  $n = 3$ :**

$$(a + b + c)^1 = a + b + c$$

$$(a + b + c)^2 = a^2 + 2ab + 2ac + b^2 + 2bc + c^2$$

$$(a + b + c)^3 = a^3 + 3a^2b + 3a^2c + 3ab^2 + 6abc + 3ac^2 + b^3 + 3b^2c + 3bc^2 + c^3$$