

Speech Processing (Part I)

CSCI-B 659 14328

THURSDAY, AUGUST 29, 2019

LECTURE #2

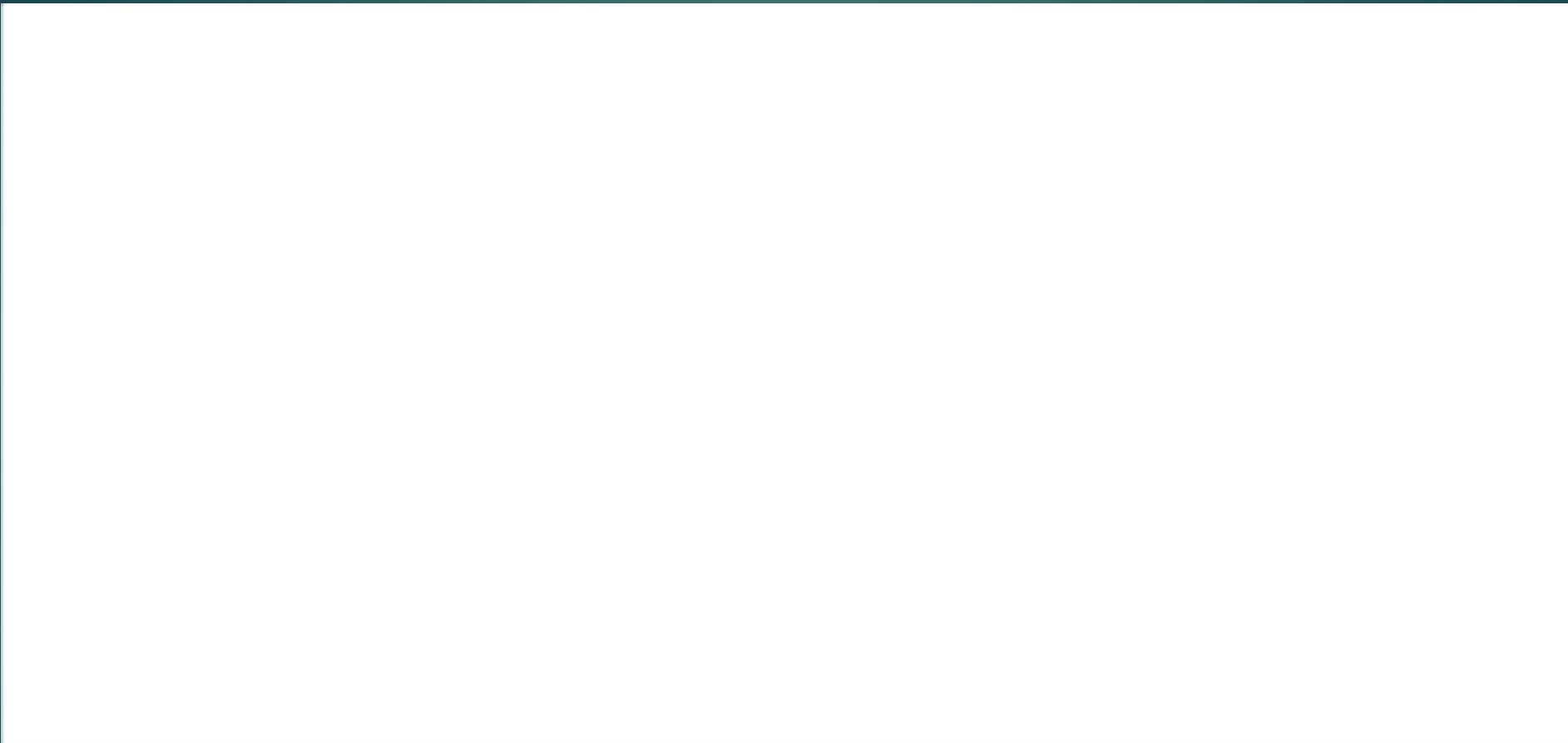
Learning Objectives

► **You the student will be able to:**

- Explain how sound is produced from air particles
- Understand how microphones generate electrical signals from sound particles
- Describe audio sampling
- Describe audio quantization

Video on Sound Production

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Capturing Sound: Microphones

“Transducer that converts air pressure variations into an electrical signal”

All microphones have diaphragms

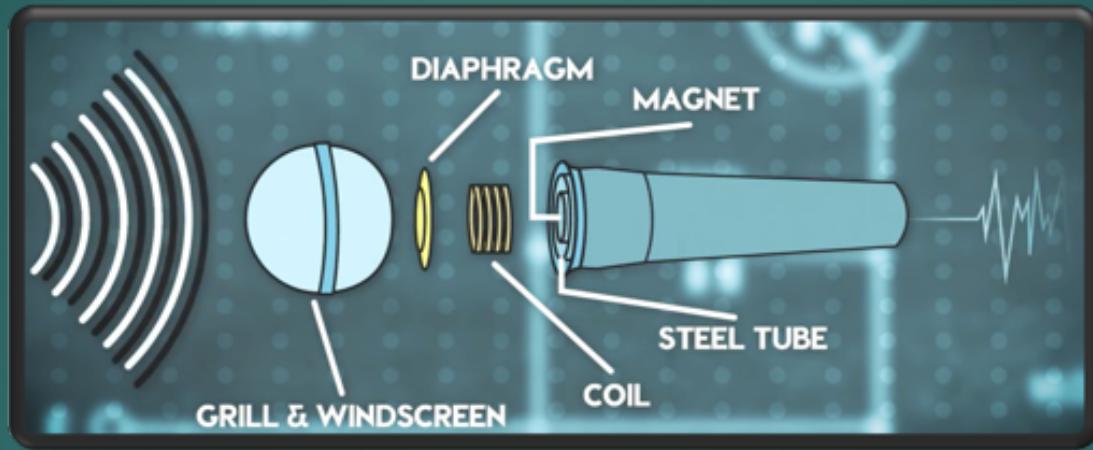


Image courtesy of
LinkedIn Learning
Solutions

- ▶ Two main types of microphones:

- ▶ **Dynamic**: Coil-based microphones

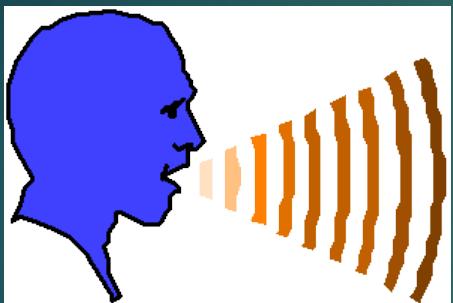
- ▶ All-purpose, often used during on-stage performances
 - ▶ Sturdy, less expensive, capture less detail (less sensitive)
 - ▶ Useful for recording instruments

- ▶ **Condenser**: Capacitor based

- ▶ Useful for vocal recording in recording studios
 - ▶ Superior sound quality, more sensitive, more expensive
 - ▶ Also used in cell phones and computers

Capturing Sound: Microphones

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Speaker

Why use an array
of microphones?

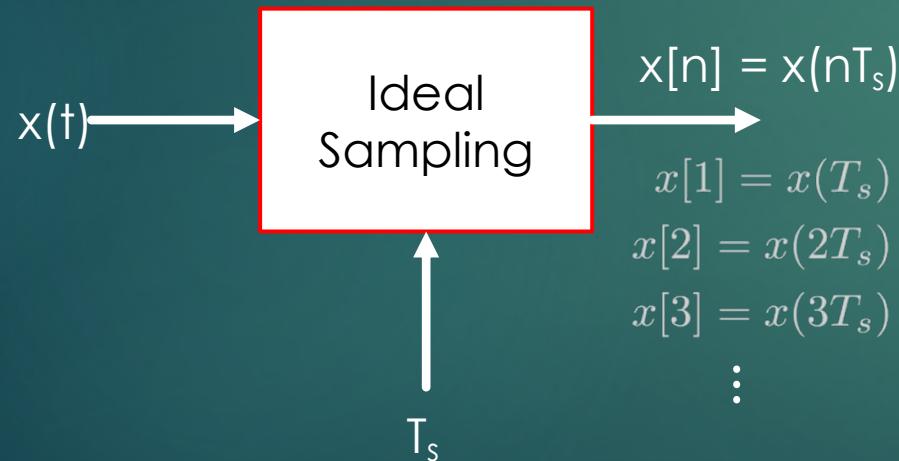


Microphone

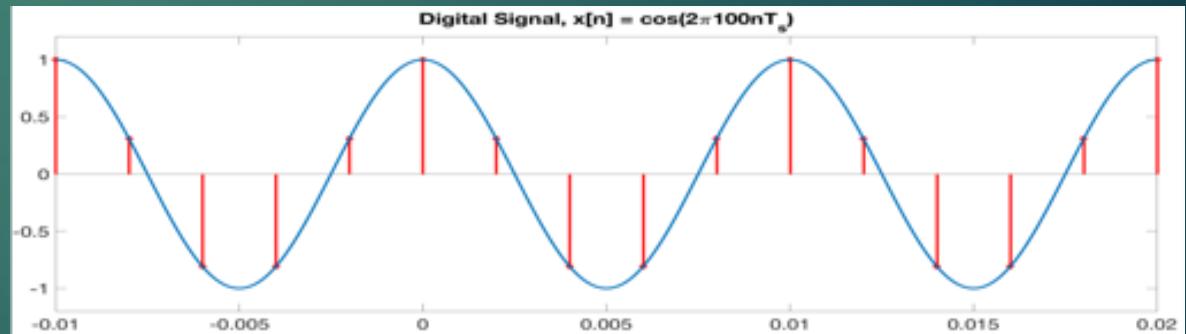
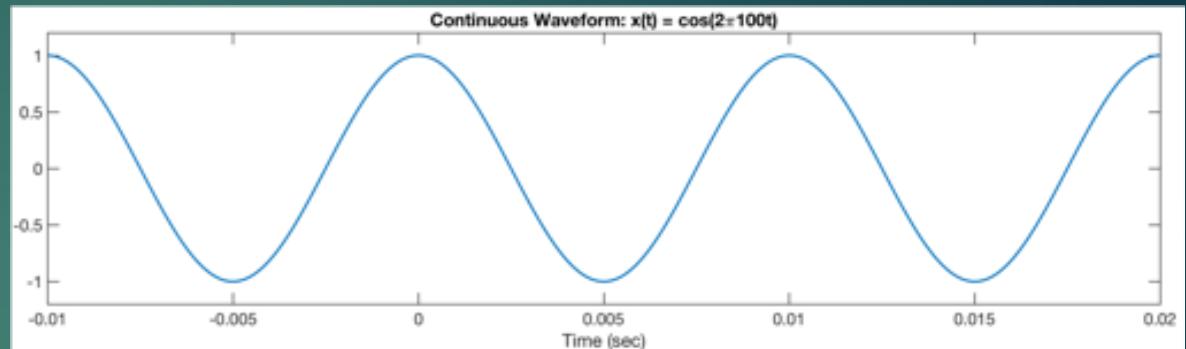
- ▶ Microphones output a electrical (analog) signal, $x(t)$
- ▶ $x(t)$ has values at all time t (i.e. at 2, 0.09, or 0.00003 seconds)
- ▶ Computers and most devices require digital signals
- ▶ We have to **sample** sound before it can be used by computers.

Audio Sampling

- ▶ Sampling converts an analog sound wave into a sequence of discrete sample values
 - ▶ $x(t)$ – analog signal
 - ▶ $x[n]$ – discrete signal



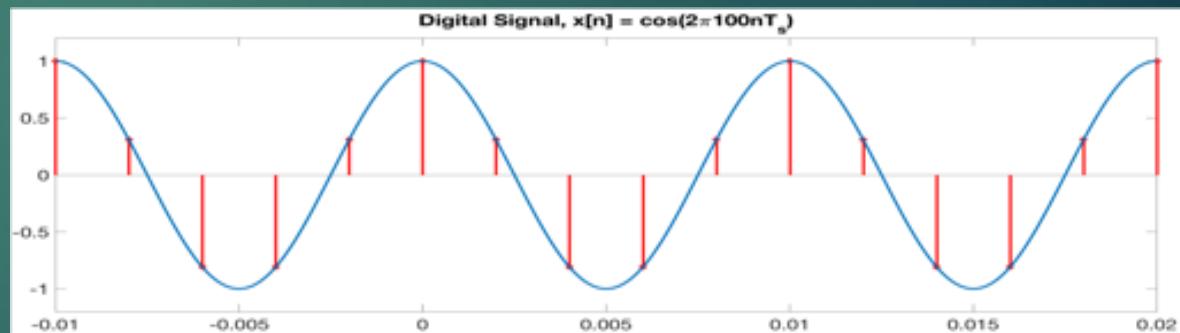
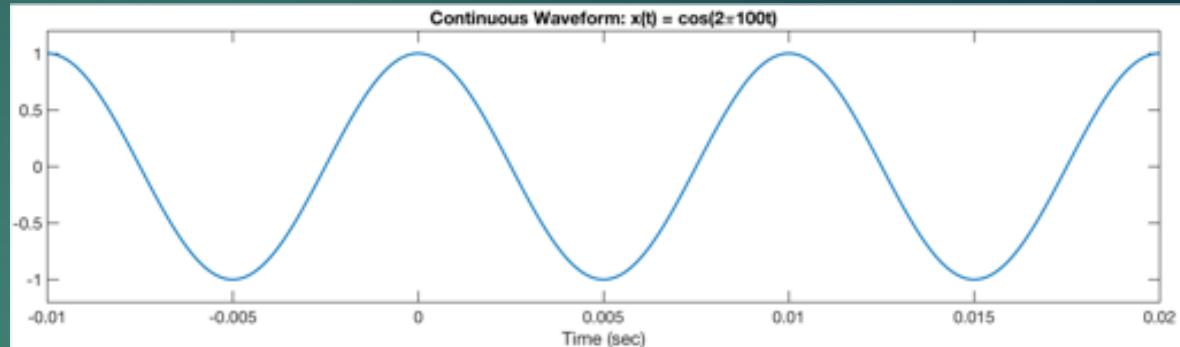
T_s : sampling period (seconds)



Think of this as a switch that turns on every T_s seconds

Audio Sampling (cont.)

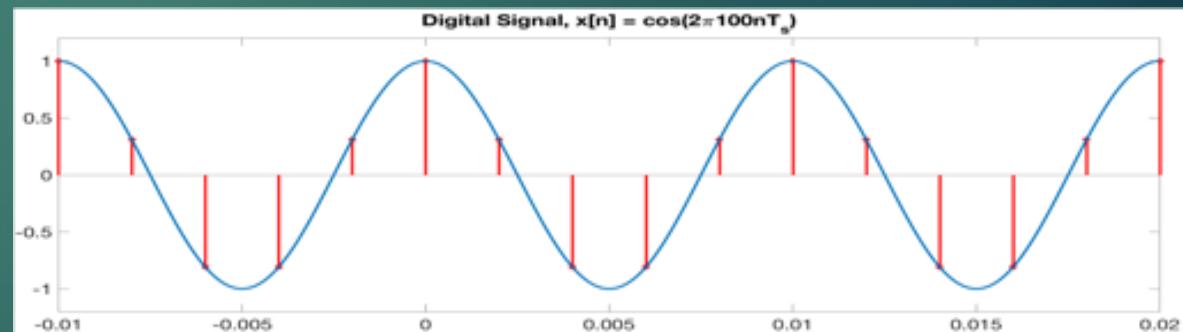
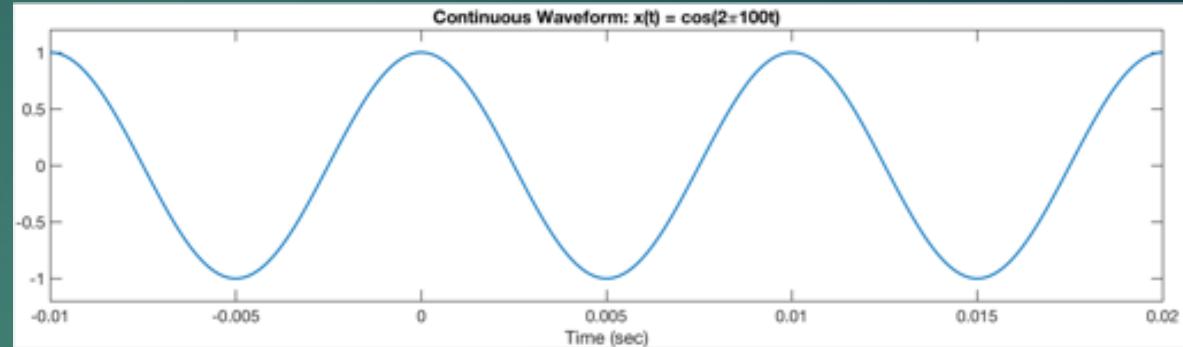
- ▶ T_s : sampling period (seconds)
- ▶ Sampling frequency (or rate)
 - ▶ $F_s = 1/T_s$
 - ▶ Unit is Hertz (Hz): samples per second
- ▶ If my sampling period is .01 seconds, how many discrete samples are there in a 3.5 second signal?
 - ▶ What is it for a .5 second sampling period?



Audio Sampling (cont.)

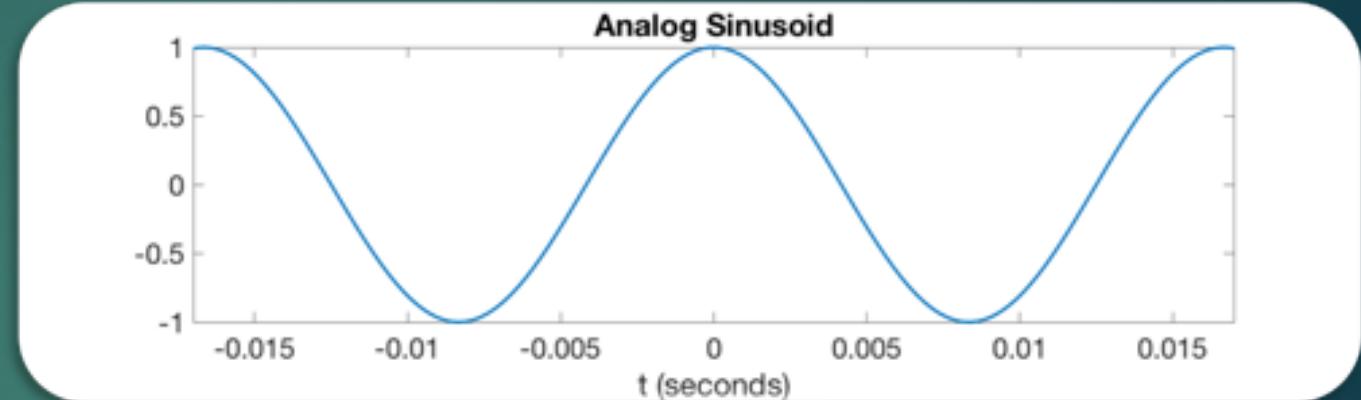
- ▶ Goal:
 - ▶ Sample the audio signal at an appropriate sampling rate
 - ▶ This produces a “good” representation of the continuous signal

- ▶ Unfortunately, if we sample too slow (e.g. T_s is too large or F_s is too small) this does not happen!
 - ▶ This is called aliasing.

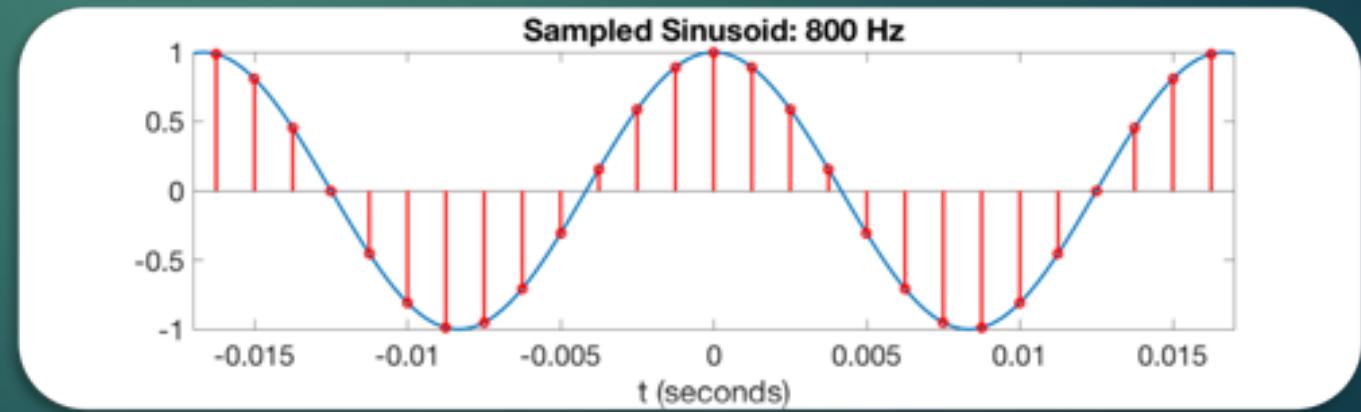


Example: Effects of Aliasing

- ▶ Analog Sinusoid
 - ▶ $x(t) = \cos(2\pi f^* t)$
 - ▶ $f = 60$ Hz



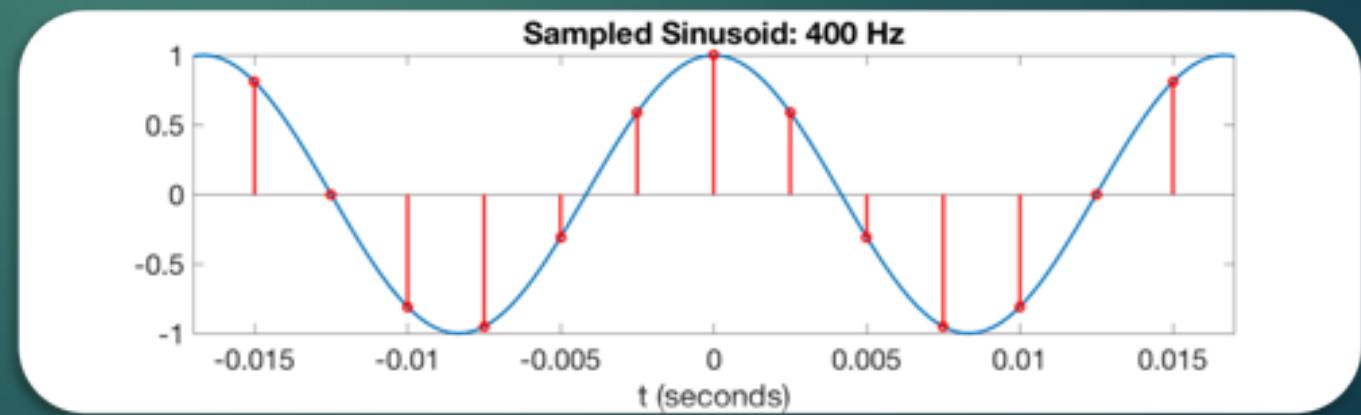
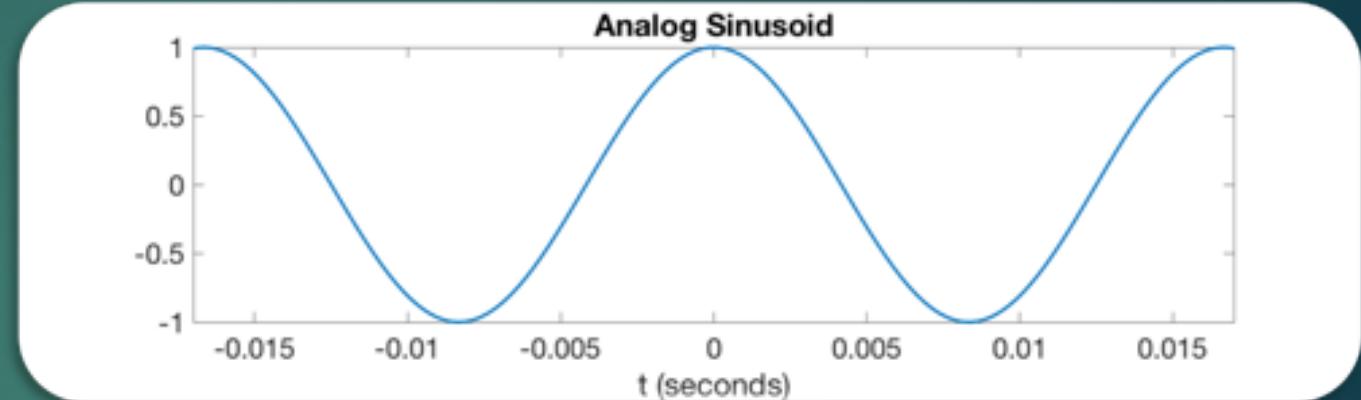
- ▶ Let's sample the sinusoid
 - ▶ $F_s = 800$ Hz ($T_s = 0.0013$ s)



The outline of the sampled signal matches the analog signal

Example: Effects of Aliasing

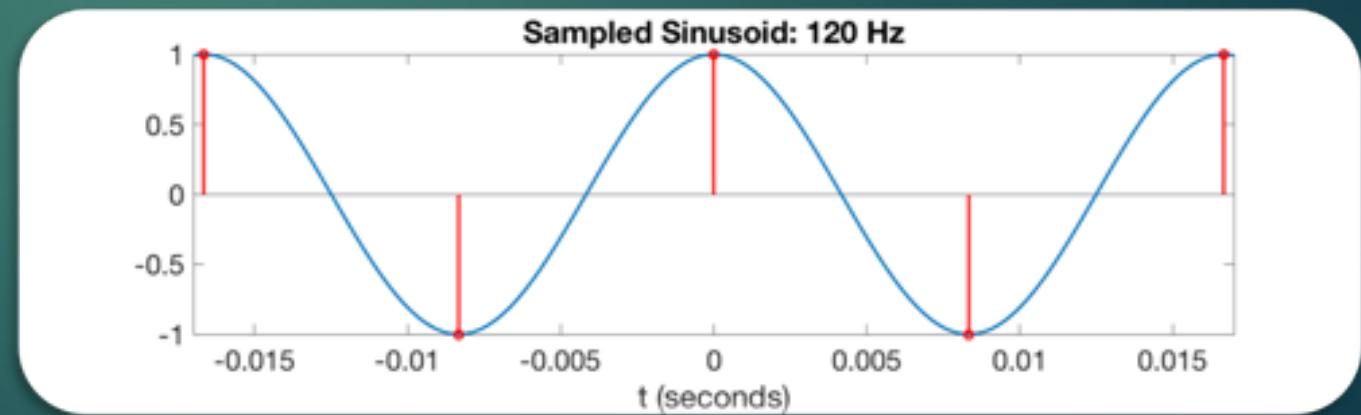
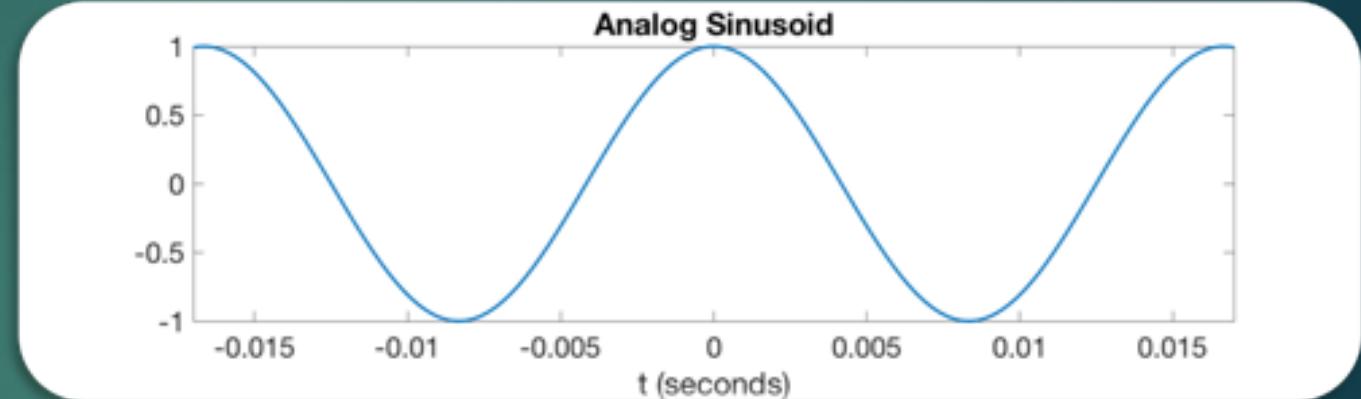
- ▶ Analog Sinusoid
 - ▶ $x(t) = \cos(2\pi f^* t)$
 - ▶ $f = 60$ Hz
- ▶ Let's sample the sinusoid
 - ▶ $F_s = 400$ Hz ($T_s = 0.0025$ s)



The outline of the sampled signal still matches the analog one

Example: Effects of Aliasing

- ▶ Analog Sinusoid
 - ▶ $x(t) = \cos(2\pi f^* t)$
 - ▶ $f = 60$ Hz
- ▶ Let's sample the sinusoid
 - ▶ $F_s = 120$ Hz ($T_s = 0.0083$ s)

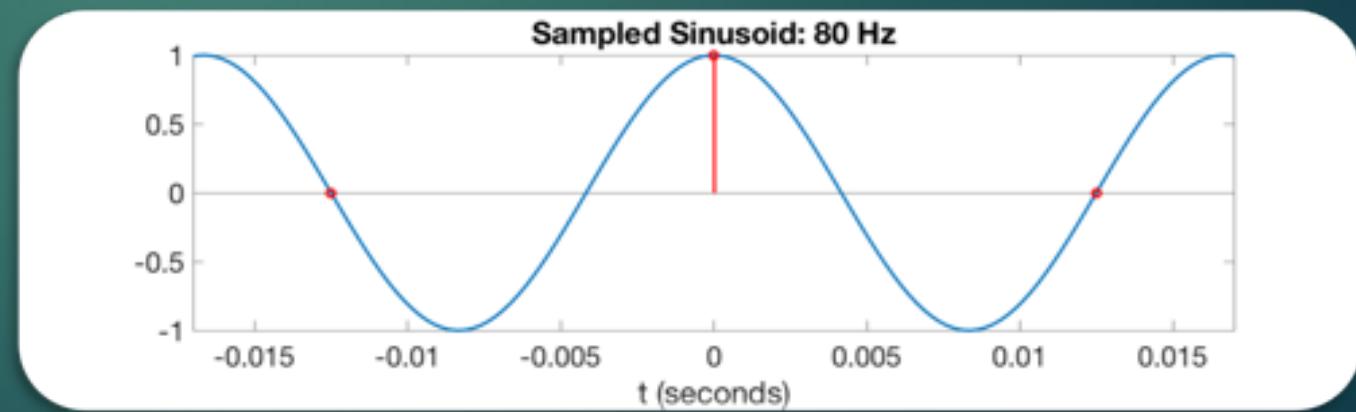
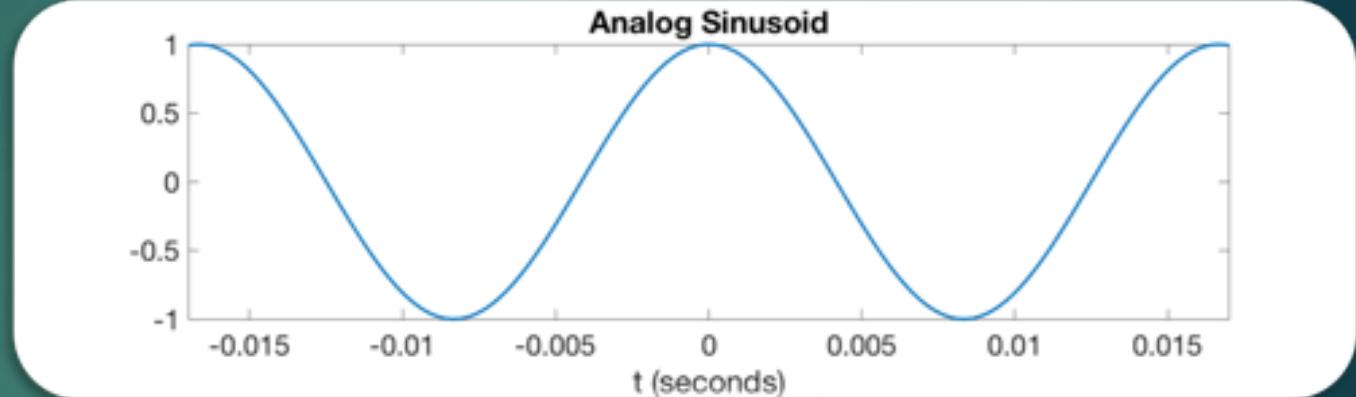


The sampled signal does not reasonable match the analog one

Example: Effects of Aliasing

- ▶ Analog Sinusoid
 - ▶ $x(t) = \cos(2\pi f^* t)$
 - ▶ $f = 60$ Hz

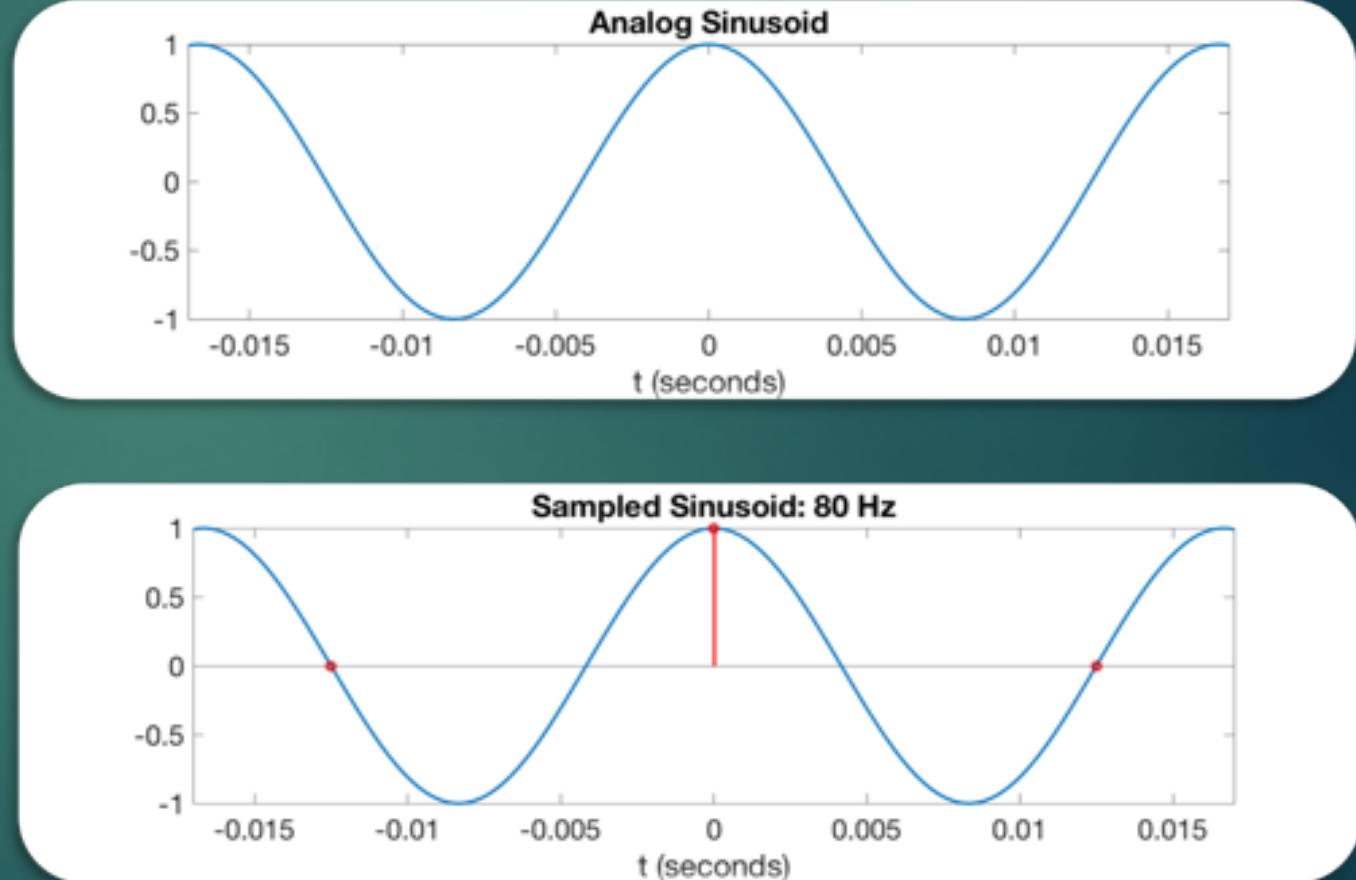
- ▶ Let's sample the sinusoid
 - ▶ $F_s = 80$ Hz ($T_s = 0.0125$)



The sampled signal does not match the analog one!

Example: Effects of Aliasing

- ▶ Aliasing makes the frequency of the signal appear to be different
- ▶ Aliasing is a **lossy** process, meaning samples cannot be recovered once its done.

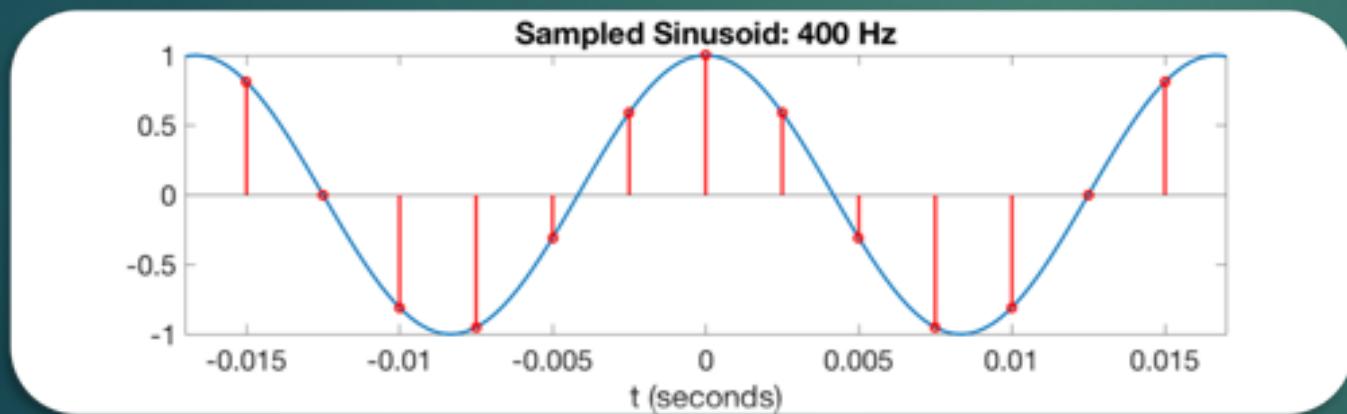


The sampled signal does not match the analog one!

Avoid Aliasing: The Nyquist Criterion

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- ▶ To fully represent a signal with a maximum frequency of f , use a sampling rate (or frequency) $> 2f$. This is known as the **Nyquist Criterion (or Rate)**.



- ▶ This signal (blue) is a 60 Hz sine wave, so any sampling rate above 120 Hz is fine.

Learning Objectives

► You the student will be able to:

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- Describe audio quantization

Audio Quantization

- ▶ Computers operate on fixed-sized numbers (e.g. 8 – 64 bit)
- ▶ Hence, we must quantize the amplitude to a discrete set of values

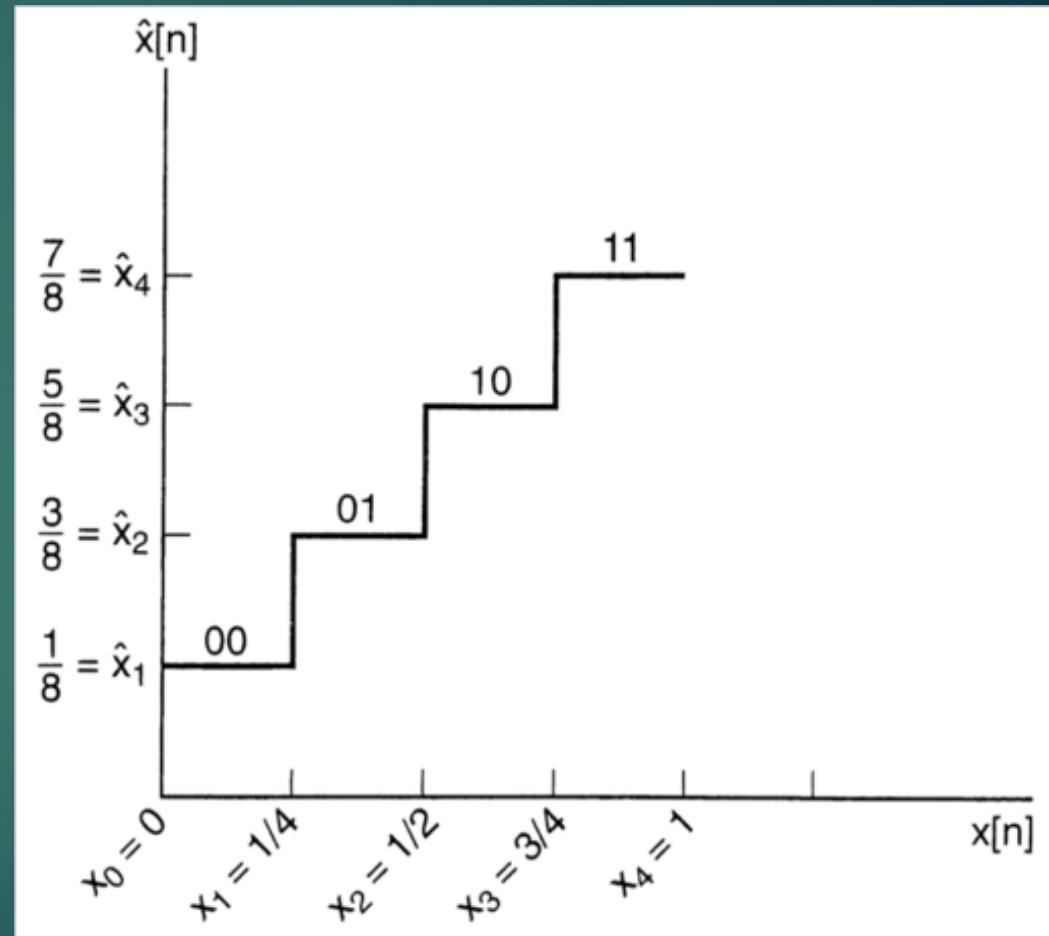


- ▶ Let, $\hat{x}[n]$ denote the quantized and discrete (e.g. digital) value
 - ▶ If q_i , represents the i^{th} quantization level ($1 \leq i \leq M$)
 - ▶ M is the number of quantization levels: (e.g. $M + 1$ decision levels)

$$\hat{x}[n] = q_i, \text{ if } d_{i-1} < x[n] \leq d_i$$

Audio Quantization: Example

- ▶ Suppose $M = 4$
 - ▶ $x[n]$ ranges from $[0, 1]$
 - ▶ Assume decision and quantization levels are **uniform** (e.g. equally spaced)
- ▶ Then,
 - ▶ Decision levels are $[0, \frac{1}{4}, \frac{1}{2}, \frac{3}{4}, 1]$
 - ▶ Quantization levels **can be** $[\frac{1}{8}, \frac{3}{8}, \frac{5}{8}, \frac{7}{8}]$
- ▶ An $M=4$ quantizer can be represented with 2-bit codewords
 - ▶ Generally, a B -bit binary codebook can represent 2^B quantization levels

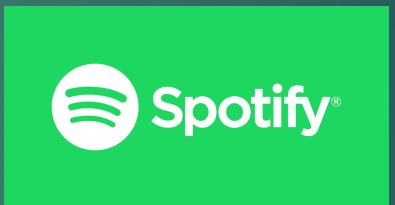


Audio Digitalization Specs

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- ▶ Sampling rate: 44.1 kHz
- ▶ Quantization: 16 bits per sample
- ▶ Bit rate: 1.411 Mbps (stereo)
 - ▶ Bit rate = # bits per sample * F_s



- ▶ Sampling rate: 48 kHz (DVD), 96+ kHz (Blu-Ray)
- ▶ Quantization: 24 bits per sample
- ▶ Bit rate: ?



- ▶ Sampling rate: 44.1+ kHz
- ▶ Quantization: 16 or 23 bits per sample
- ▶ Sampling rate: 44.1+ kHz
- ▶ Bit rate: 24 – 320 kbps

- ▶ Sampling rate: 44.1+ kHz
- ▶ Bit rate: 64*- 256 kbps

- ▶ Sampling rate: 44.1+ kHz
- ▶ Bit rate: 64- 192 kbps

Summary

- ▶ Sound (and speech) is generated by the displacement (not transition) of air particles
- ▶ Sound waves can be captured by microphones, which use diaphragms to capture the amount of particle displacement and convert to an electrical signal
- ▶ Computers require that electrical signals are digitized (sampled and quantized)
 - ▶ The Nyquist Criterion must be satisfied
 - ▶ The number of bits is a system/user preference

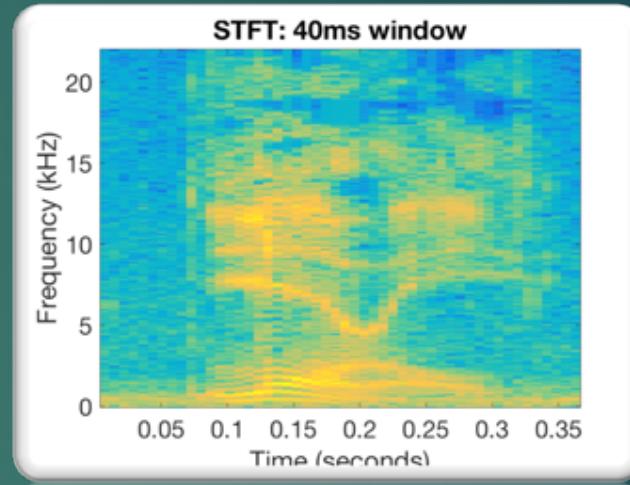
In-class assignment

- ▶ See handout

Next Class: Speech Processing (Part II)

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- ▶ Check syllabus on Canvas for pre-class reading assignments
- ▶ Topics
 - ▶ Time and frequency domain
 - ▶ Short-time Fourier Transform
 - ▶ Sound level and signal characteristics



$$X[p, k] = \sum_{m=-\infty}^{\infty} x[m]w[pL - m]e^{\frac{-j2\pi km}{N}}$$