

CEE432/CEE532

Developing Software for Engineering Applications

Lecture 17: Computer Program for Space Truss Analysis

Specifications

- No size limitation (except OS-related)
- Consistent units
- One global X-Y-Z coordinate system
- Nodes
 - ID is an integer starting at 1
 - Can be placed anywhere in the XYZ system
 - Nodal forces are in the XYZ directions
 - Fixity conditions are FREE or SPECIFIED

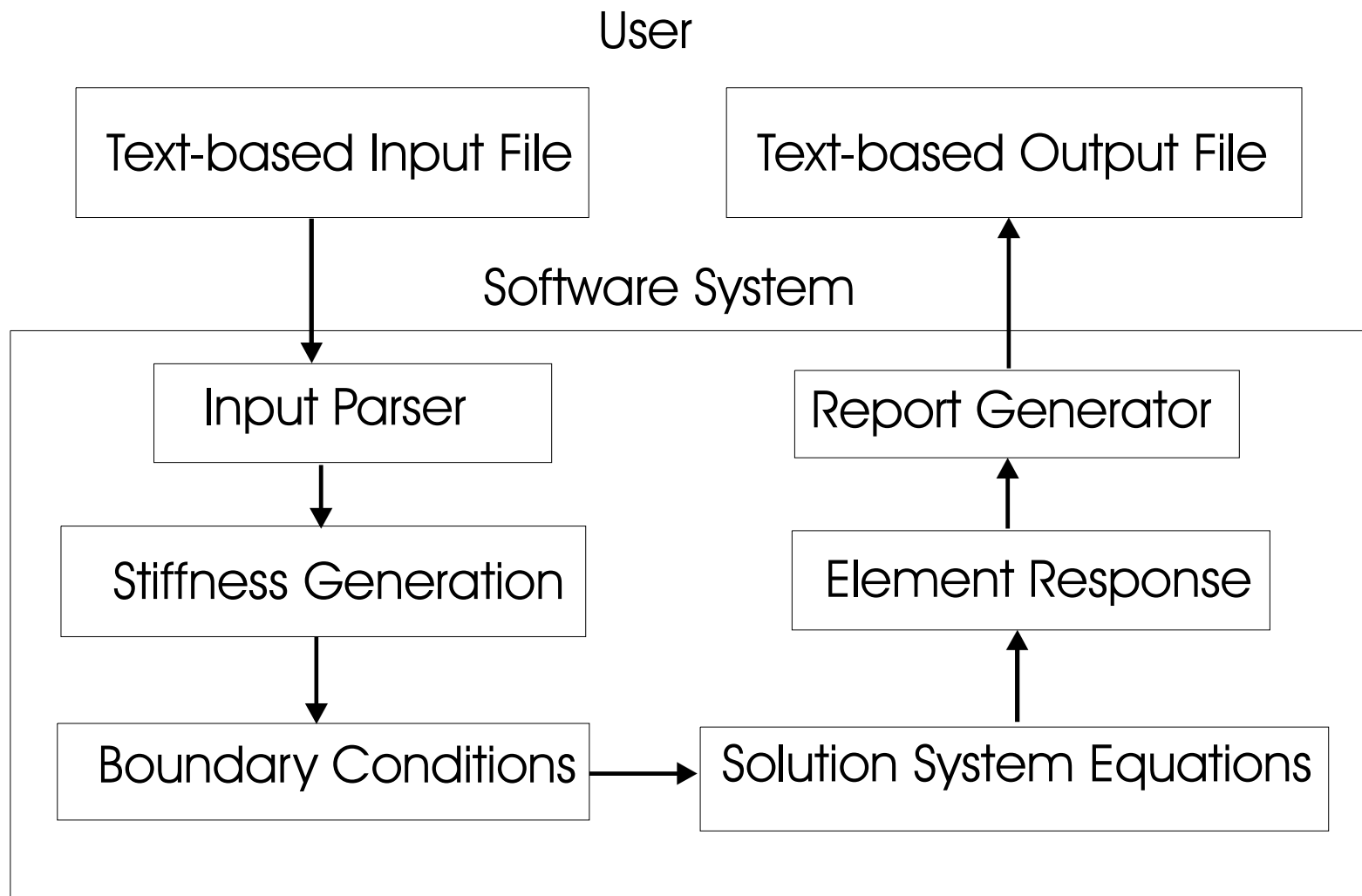
Specifications

- Elements
 - ID is an integer starting at 1
 - Defined in terms start and end node
 - Young's modulus, coef. of thermal expansion
 - Cross-sectional area
- Materially linear, small displacement, small strain analysis

Specifications

- Input
 - Text file with a specified format
 - Ask user for input file name
- Output
 - Text file with specified format
 - Ask use for output file name

Program Flow



OO Modeling (Planar Truss)

- Noun and noun clauses

Node	Element	Units	Area
Young's Modulus	Nodal Loads	Nodal Fixity Conditions	Nodal Displacements
Start Node	End Node	Element strain	Element stress
Support Reaction			

OO Modeling

- Aggregation leads to identification of entities
- We can start developing CRH (Component-responsibility-Helper) Cards

OO Modeling

Class: CNode

Responsibilities:

- know coordinates
- know fixity conditions
- know loads
- allow access to the above

Helpers:

OO Modeling

Class: CElement

Responsibilities:

know the 2 nodes

know A and E

allow access to the above

Helpers:

OO Modeling

Class: CNodalResponse

Responsibilities:

know x-displacement
know y-displacement
allow access to the above

Helpers:

OO Modeling

Class: CElementResponse

Responsibilities:

know strain
know stress
know force
allow access to the above

Helpers:

OO Modeling (Composition)

Class: CTruss

Responsibilities:

- know nodal data
- know nodal response data
- know element data
- know element response data
- allow access to the above

Helpers:

- CNode
- CNodalResponse
- CElement
- CElementResponse
- CVector
- CMatrix

OO Modeling

Class	Definition
CTruss	The one and only object that contains the truss data and behavior.
CNode	Node-related class.
CElement	Element-related class.
CNodalResponse	Structural response that is node-related.
CElementResponse	Structural response that is element-related.
CVector	Vector class used as a container.
CMatrix	Matrix class used as a container

Algorithm

Step 1: Read and check the input data.

Step 2: Initialize all objects in the program.

Step 3: Construct the element stiffness matrix and load vector. Assemble into the system equations.

Step 4: Impose the boundary conditions.

Step 5: Solve for the nodal displacements.

Step 6: Compute the strains, stress and force in each member.

Step 7: Print the results.

Algorithm (Step 3)

Substep 1: Loop through all elements, i .

Substep 2: Compute L , l and m . Construct the element stiffness matrix $\mathbf{k}_{4 \times 4}$.

Substep 3: Form the element nodal degrees-of-freedom vector, $\mathbf{e}_{4 \times 1}$.

Substep 4: Loop through j . Set $r = e_j$.

Substep 5: Loop through k . Set $c = e_k$.

Substep 6: Update \mathbf{K} .

Substep 7: End loop, k .

Substep 8: End loop, j .

Substep 9: End loop, i .

Algorithm (Step 4)

Substep 1: Loop through all nodes, i .

Substep 2: Check if the x-displacement and/or the y-displacement is fixed (or suppressed).

Substep 3: If not, skip these steps. If yes, do the following. Identify the degree-of-freedom, n , associated with the suppressed displacement.

Substep 4: Loop through all degrees-of-freedom, j .

Substep 5: Set $K_{j,n}=K_{n,j}=0$.

Substep 6: End loop j .

Substep 7: Set $K_{n,n}=0$ and $F_n=0$.

Substep 8: End loop i .

Algorithm (Step 6)

Substep 1: Loop through all elements, i .

Substep 2: Compute L , l and m . Form the global-to-local transformation matrix, \mathbf{T} .

Substep 3: Form the element nodal degrees-of-freedom vector, $\mathbf{e}_{4 \times 1}$. From the system nodal displacements vector \mathbf{D} obtain the element nodal displacements, \mathbf{d} .

Substep 4: Compute the element nodal displacements, $\mathbf{d}' = \mathbf{T}\mathbf{d}$. Then $\mathbf{f}' = \mathbf{k}'\mathbf{d}'$.

Substep 5: End loop, i .