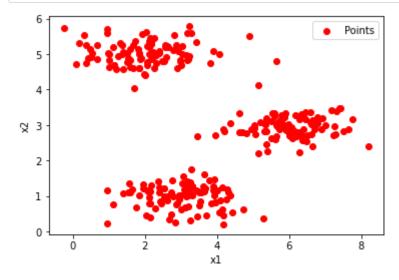
#### **LAB-10**

Kmeans\_data.csv file contains 300x2 data, to read the csv file pandas library is used. The dataframe created is then converted to numpy array X. To visualize the dataset, scatter plot is plotted. As shown in figure, we can see that the scatter plot has around 3 clusters. To find the optimal number of clusters, elbow method is used. Before that, algorithm was implemented from scratch for different values of k = [1,2,3,4].

```
In [ ]:
        #question 1
        import numpy as np
        import matplotlib.pyplot as plt
        import pandas as pd
        import scipy.linalg as la
        import math
        from scipy.fftpack import fft,fftfreq
        from scipy.linalg import toeplitz
        from matplotlib import animation
        import random
        df = pd.read_csv('kmeans_data.csv', header=None)
        X = df.iloc[:,:]
        X=np.array(X)
        plt.scatter(X[:,0],X[:,1],c='red',alpha=1,label='Points')
        plt.legend()
        plt.xlabel('x1')
        plt.ylabel('x2')
        plt.show()
```

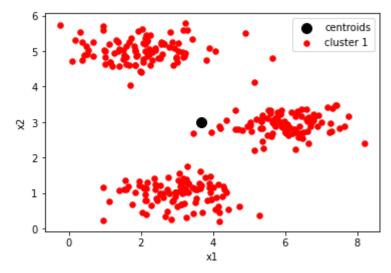


### Implemented for k=1

[[3.62202931 1.28643763]]

```
In []: def dist(X1, X2):
    return(sum((X1 - X2)**2)**0.5)
for j in range(1):
    cl=[]
    for i in range(k):
        cl.append([])
    for i in range(X.shape[0]):
        dis=[]
        for z in range(k):
            dis.append(dist(X[i],centroid[z]))
        ind=dis.index(min(dis))
        cl[ind].append(X[i])
    for i in range(k):
        centroid[i]=np.average(cl[i],axis=0)
    print(centroid)
```

[[3.68437558 2.9871008 ]]

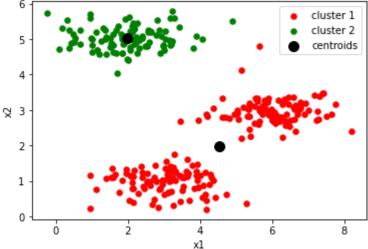


## Implemented for k=2

```
In [91]: k=2
    rnd=np.random.randint(300, size=(k))
    centroid=np.zeros((k,2))
    for i in range(0,k):
        centroid[i]=X[rnd[i]]
    print(centroid)
```

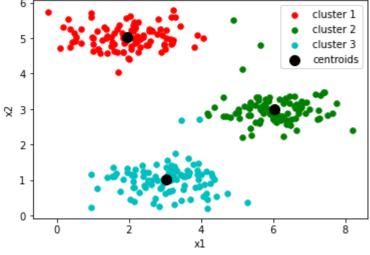
```
[[5.29239452 0.36873298]
[3.96162465 2.72025046]]
```

```
In [92]: def dist(X1, X2):
             return (sum ((X1 - X2) **2) **0.5)
         for j in range (100):
           cl=[]
           for i in range(k):
             cl.append([])
           for i in range(X.shape[0]):
             dis=[]
             for z in range(k):
                dis.append(dist(X[i],centroid[z]))
             ind=dis.index(min(dis))
             cl[ind].append((X[i]))
           for i in range(k):
             centroid[i]=np.average(cl[i],axis=0)
         print(centroid)
         [[4.52205549 1.9806849 ]
          [1.98363152 5.03043004]]
In [93]: colors =["r", "g", "c", "b", "k"]
         for i in range(k):
           color = colors[i]
           for j in range(len(cl[i])):
             if j==0:
               plt.scatter(cl[i][j][0], cl[i][j][1], color = color,s = 30,label='cluster
         '+str(i+1))
             else :
                 plt.scatter(cl[i][j][0], cl[i][j][1], color = color, s = 30)
         plt.scatter(centroid[:,0],centroid[:,1],s=100,c='k',alpha=1,label='centroids')
         plt.legend()
         plt.xlabel('x1')
         plt.ylabel('x2')
         plt.show()
```



### Implemented for k=3

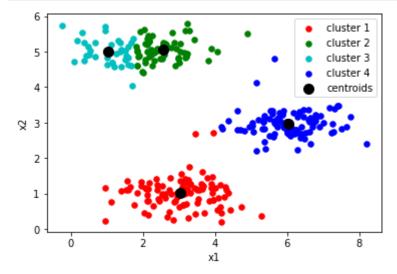
```
In [94]: k=3
         rnd=np.random.randint(300, size=(k))
         centroid=np.zeros((k,2))
         for i in range (0, k):
           centroid[i]=X[rnd[i]]
         print(centroid)
         [[2.20321658 4.94516379]
          [6.11768055 2.85475655]
          [5.36708111 3.19502552]]
In [95]: def dist(X1, X2):
             return (sum ((X1 - X2) **2) **0.5)
         for j in range (100):
           cl=[]
           for i in range(k):
             cl.append([])
           for i in range(X.shape[0]):
             dis=[]
             for z in range(k):
               dis.append(dist(X[i],centroid[z]))
             ind=dis.index(min(dis))
             cl[ind].append(X[i])
           for i in range(k):
             centroid[i]=np.average(cl[i],axis=0)
         print(centroid)
         [[1.95399466 5.02557006]
          [6.03366736 3.00052511]
          [3.04367119 1.01541041]]
In [96]: | colors =["r", "g", "c", "b", "k"]
         for i in range(k):
           color = colors[i]
           for j in range(len(cl[i])):
             if j==0:
               plt.scatter(cl[i][j][0], cl[i][j][1], color = color,s = 30,label='cluster
         '+str(i+1))
             else :
                 plt.scatter(cl[i][j][0], cl[i][j][1], color = color, s = 30)
         plt.scatter(centroid[:,0],centroid[:,1],s=100,c='k',alpha=1,label='centroids')
         plt.legend()
         plt.xlabel('x1')
         plt.ylabel('x2')
         plt.show()
                                                 cluster 1
                                                 cluster 2
```



### Implemented for k=4

[6.04523932 2.97521013]]

```
In [97]: k=4
         rnd=np.random.randint(300, size=(k))
         centroid=np.zeros((k,2))
         for i in range (0, k):
           centroid[i]=X[rnd[i]]
         print(centroid)
         [[1.57449255 1.34811126]
          [1.60493227 5.13663139]
          [1.20099981 4.57829763]
          [2.15520661 0.80696562]]
In [98]: def dist(X1, X2):
             return (sum ((X1 - X2) **2) **0.5)
         for j in range (100):
           cl=[]
           for i in range(k):
             cl.append([])
           for i in range(X.shape[0]):
             dis=[]
             for z in range(k):
               dis.append(dist(X[i],centroid[z]))
             ind=dis.index(min(dis))
             cl[ind].append(X[i])
           for i in range(k):
             centroid[i]=np.average(cl[i],axis=0)
         print(centroid)
         [[3.04367119 1.01541041]
          [2.57620478 5.04891014]
          [1.0323955 5.00076462]
```



# Elbow method for optimal value of K

As shown in figure elbow method is been used to find optimal value of k.As we can see after value of k=3, change in inertia becomes very less.So, k=3 can be considered as elbow.so,3 will be the optimal value.

