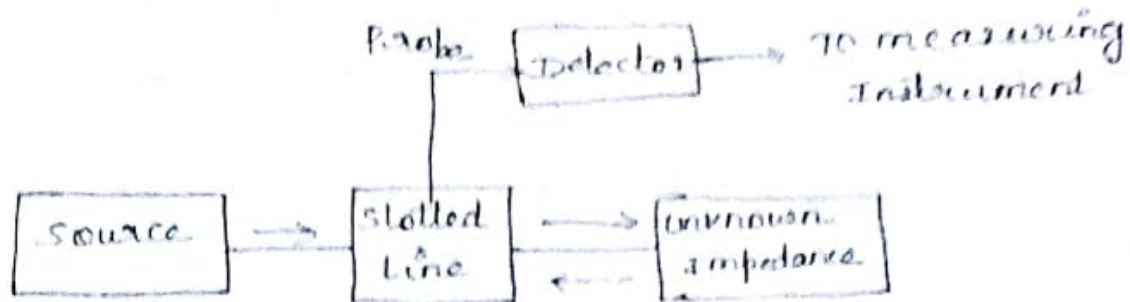


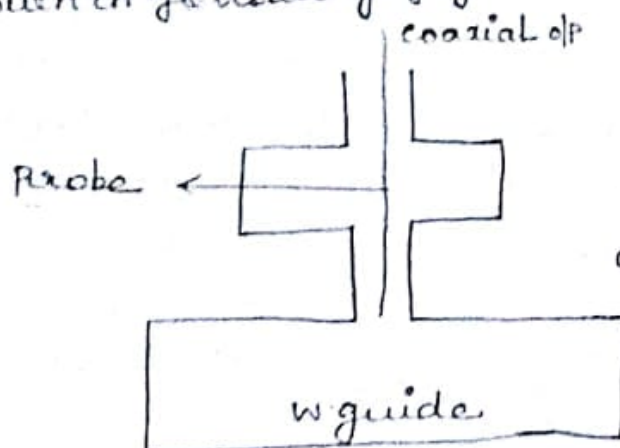
## MICROWAVE MEASUREMENTS

Slotted Line

Also  
 prog  
 SWR  
 VSWR  
 Impedance



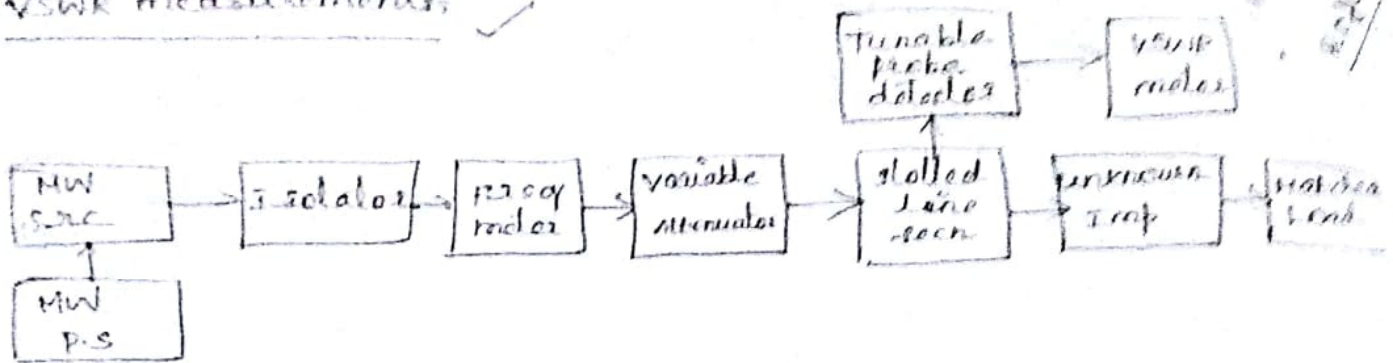
- slotted line - consists of longitudinal slot.
- The slot is 1mm wide and allows an electric field probe to enter the w guide for measurement of relative magnitude of field at the location of probe.
- slot - located suitable in the wall of w guide such that the disturbance of wall current is max. For rec w guide this loc is in middle of broad wall as shown in following fig



- slotted section is normally mounted in a carriage that supports probe moving inside the slot.

- probe - Thin conducting wire - couples fields in w guide.
- slotted line measures S waves. also measure VSWR, SW pattern, wavelength, Impedance, Refln co-eff and return loss measurement by minima shift method

## VSWR measurements:



- VSWR - measured by detecting  $V_{max}$  &  $V_{min}$

$$SWR(S) = \frac{V_{max}}{V_{min}} = \frac{1 + \Gamma}{1 - \Gamma}$$

$$\Gamma - \text{reflection coeff} = \frac{P_{refl}}{P_{incident}}$$

\* SWR is a measure of mismatch b/w load & line  
\* superposition of Incident & reflected wave gives rise to standing waves

S varies from 1 to  $\infty$

$\Gamma$  varies from 0 to  $\infty$ .

### Low VSWR ( $S < 20$ ):

- value of VSWR  $< 20$ .
- direct measurement.
- variable attenuator set to 10 dB.
- 1 kHz mode
- probe in slotted section to max. (corresponding to  $V_{max}$ ).
- The attenuation is now adjusted to full scale reading - this full scale reading is noted.
- probe in slotted section to min ( $V_{min}$ ).
- $VSWR = V_{max}/V_{min}$
- Repeat for various freq.

### High VSWR ( $S > 20$ ):

- For high power, double min method is used.
- The superposition of 2 travelling waves (Incident & reflected) gives rise to standing wave along with the line
- Find max field strength when 2 waves are IN PHASE.
- Find min " " " " " " " " OUT OF PHASE.

the dist b/w 2 successive max or min is half the guide wavelength.

Reflection Coeff ✓

Ratio of elec field strength of reflected and incident wave is called reflection coeff.

$$\text{Reflection coeff } \Gamma = \frac{E_r}{E_i} = \frac{Z - Z_0}{Z + Z_0}$$

$Z$  - Impedance at a pt

$Z_0$  - char. Imp.

$$|\Gamma| = \frac{S-1}{S+1}$$

VSWR ✓

$$S = \frac{E_{\max}}{E_{\min}} = \frac{|E_i| + |E_r|}{|E_i| - |E_r|}$$

→ Incident VL

- In this method, the probe is inserted to a depth where the min can be read without difficulty.
- The probe is then moved to a pt where the power is twice the minimum. Let this posn be denoted by  $x_1$ .
- The probe is then moved to twice the power pt on other side of min (say  $x_2$ )

$$P_{\min} \propto V_{\min}^2 \rightarrow (1)$$

$$2 P_{\min} \propto V_x^2 \rightarrow (2)$$

$$\text{From (1) \& (2), } \frac{1}{2} = \frac{V_{\min}^2}{V_x^2} \Rightarrow V_x^2 = 2(V_{\min})^2$$

$$\boxed{V_x = \sqrt{2} V_{\min}}$$

Guide wavelength

- By moving the probe b/w 2 successive maxima a distance equal to  $\lambda_g/2$  is found to get  $\lambda_g$  (i.e.)



$$\lambda_g = \frac{\lambda_0}{\sqrt{1 - \left(\frac{\lambda_0}{\lambda_c}\right)^2}}$$

$\lambda_g$  for  $TE_{10}$  mode,  $\lambda_c = 2a$ ,  $\lambda_0 = \frac{c}{f}$ .

$$S = \frac{\lambda_g}{\pi (x_1 - x_2)} \quad \checkmark$$

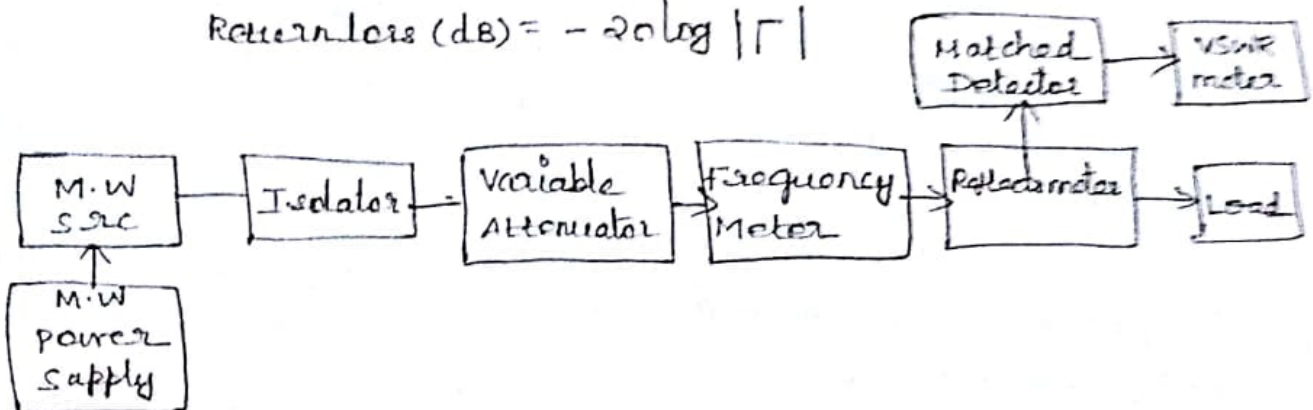
### VSWR THROUGH RETURN LOSS MEASUREMENT

#### Return Loss:

Return Loss is measure of power reflected by a line or a/w or device.

$$\text{Return Loss (dB)} = 10 \log \frac{\text{I/P energy to the device}}{\text{Reflected energy at the I/P of the device}}$$

$$\text{Return Loss (dB)} = -20 \log |\Gamma|$$



- The return loss and VSWR of a load can be determined by measuring the magnitude of the reflection co-efficient with a reflectometer.

reflectometer consists of 2 identical directional couplers are connected opposite to each other.

- one coupler couples to the fwd wave and other to the reverse wave
- let us assume that the Directional couplers have infinite directivity, a voltage coupling coefficient  $C$ .
- when a unit [1] amp is fed to port 1 voltages at ports 4 & 2 are

$$b_4 = C \rightarrow (1)$$

$$b_2 = (1 - C^2)^{1/2} \rightarrow (2)$$

- Incident voltage at port 2 is reflected by the load. If  $\Gamma_L$  is the retn co-eff, the reflected wave amplitude at port 2 is

$$a_2 = (1 - C^2)^{1/2} (\Gamma_L) \rightarrow (3)$$

This will be coupled to port 3 to produce a voltage of

$$b_3 = (1 - C^2)^{1/2} C (\Gamma_L) \rightarrow (4)$$

using (1) & (4), find  $b_3 / b_4$

$$\frac{b_3}{b_4} = (1 - C^2)^{1/2} |\Gamma_L|$$

$$= K |\Gamma_L| \rightarrow (5)$$

where  $K = (1 - C^2)^{1/2}$ .

If coupling is extremely small ( $\epsilon$ )  $C \ll 1$ ,  $K \approx 1$ .  $\therefore$

$$\boxed{\left| \frac{b_3}{b_4} \right| = |\Gamma_L|} \rightarrow (6)$$

$$VSWR = \frac{1 + |\Gamma_L|}{1 - |\Gamma_L|} \rightarrow (7)$$

$$\text{Return Loss} = -20 \log |\Gamma_L| \rightarrow (8)$$

- Repeat expt by terminating port 2 & adjust o/p of DC 1 at port 4 to unity

## POWER MEASUREMENTS:

### Power

Power is defined as the quantity of energy dissipated or stored per unit time.

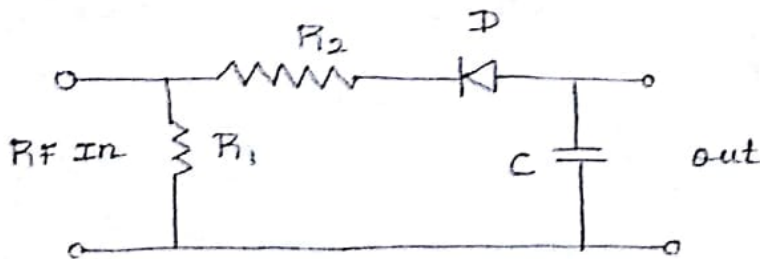
### Power sensor

The Microwave power consists of a power sensor, which converts the  $\mu$ -wave power into heat energy. The corresponding temperature rise provides a change in the electrical parameter resulting in an o/p current in the low-freq circuitry and indicates the power.

Sensors used for power measurements are

- Schottky Barrier Diode
- Bolometer
- Thermocouple.

### Schottky Barrier Diode sensor (SBD) :-



— can measure low power upto 70 dBm.

### Bolometer sensor:

A Bolometer is a power sensor whose resistance changes with temperature as it absorbs  $\mu$ -wave power.

2 most common types of bolometer are .

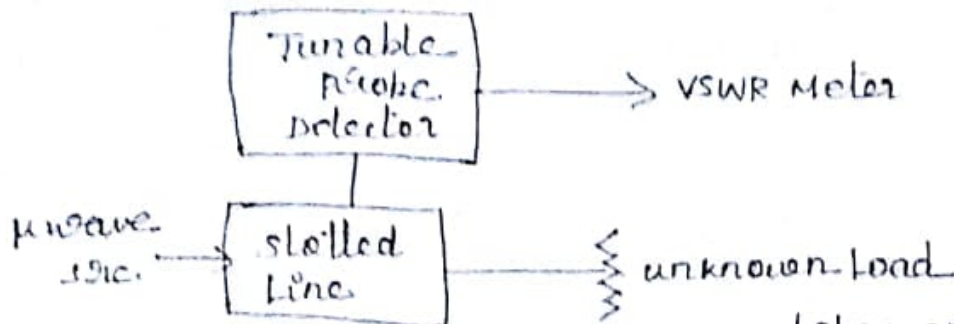
#### (i) Baraellen:-

- It is a thin short thin metallic wire sensor which has a +ve temp co-eff of resistance.
- Low power measurement



# Impedance Measurement ✓

## Slotted Line method:



$$Z_L = Z_0 \frac{1 + \Gamma_L}{1 - \Gamma_L} \rightarrow (1)$$

$$\Gamma_L = \rho_L e^{j\phi_L} \rightarrow (2)$$

$$S = \frac{(1 + \rho_L)}{(1 - \rho_L)} \rightarrow (3)$$

$$\phi_L = 2\beta d_{min} - \pi \rightarrow (4)$$

$$\beta = \frac{2\pi}{\lambda_g} \rightarrow (5)$$

$\lambda_g = 2 \times \text{dis b/w 2 successive minima}$

## Steps

1. Measure load VSWR to find  $\rho_L$
2. Measure  $d$
3. Measure  $d_{min}$
4. Calc.  $\Gamma_L = \rho_L e^{j\phi_L}$
5.  $Z_L$  - calcn.

## 2. Reactive Discontinuity

$$Z_L = \frac{R_0 \cdot jX}{R_0 + jX} \rightarrow (1)$$

$$\frac{Z_L}{R_0} = \frac{jX}{R_0 + jX} = \frac{X^2}{R_0^2 + X^2} + j \frac{X R_0}{R_0^2 + X^2}$$

$$= 2 + j4 \rightarrow (2)$$

$$S = \frac{1 + |\Gamma|}{1 - |\Gamma|}$$

$$\Gamma = \frac{Z - Z_0}{Z + Z_0}$$

- \* The unknown device is connected to the slotted line and the SWR- $S_0$  and the position of minima is determined.
- \* The unknown device is replaced by movable short to the slotted line.
- \* Two successive minima positions are noted.
- \* Twice of the difference between minima position will be  $\lambda_g$ .
- \* One of the minima is used as reference for Imp measurement.

- \* Find the difference of reference minima and minimum position obtained from (1) unknown load. let it be  $d$ .
- \* Take a Smith chart with 1 as center, draw a circle of radius equal to  $S_0$ .
- \* Mark a point on circumference of chart towards load side at a distance equal to  $d/\lambda_g$ .
- \* Join the center with this pt. Find the pt where it cut the drawn circle. The co-ord of this pt will show the normalized Imp of load.

where

$$x = \frac{x^2}{R_0^2 + x^2}, y = j \frac{x R_0}{R_0^2 + x^2}$$

$$d_{\min} = (x_1 \vee x_2)$$

$$\frac{Z_L}{R_0} = x + jy = y/x$$

### 3. Reflectometer

$P_3$  &  $P_4$  cons

$$\frac{b_3}{b_4} = \frac{A \Gamma_L + B}{C \Gamma_L + D} \rightarrow \textcircled{1}$$

$$\left| \frac{b_3}{b_4} \right| = \left| \frac{A}{D} \right| |\Gamma_L| = K |\Gamma_L|$$

$$|\Gamma_L| = \frac{1}{K} \left| \frac{b_3}{b_4} \right|$$

$$\phi_L = \frac{2\pi \Delta x}{\lambda_g}$$

steps as mentioned

$$\Gamma_L = K \left| \frac{b_3}{b_4} \right| e^{j\phi_L}$$

$$Z_L = Z_0 \frac{1 - \Gamma_L}{1 + \Gamma_L}$$

Measurement of S Parameters of a network:

— unit (1)



### Thermistor

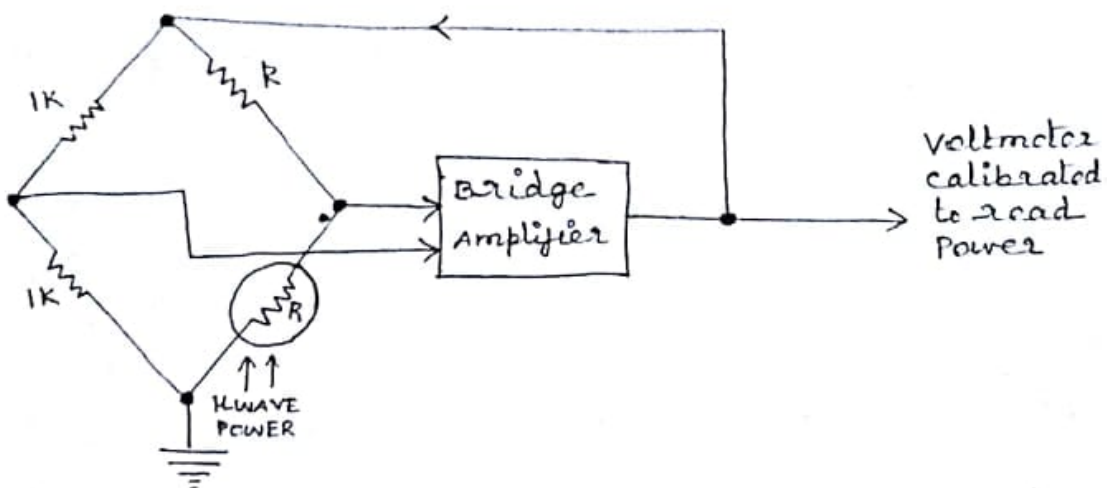
- It is a semiconductor sensor which has a -ve temp co-eff of resistance and can be easily mounted in  $\mu$  wave lines due to its smaller and more compact size.
- Medium and High power measurement.

### Power meter

- These instruments are designed to process the output of bolometer and to represent the power level on a calibrated scale.
- The power meter is basically constructed from a balanced bridge ckt in which one of the arms is the bolometer.

### Single Bridge power meter

#### Power Meter using Single Bridge



- $\mu$  wave power applied to the arm will change the bolometer's resistance causing an unbalance in the bridge from its initial balance condition under zero incident power.
- Heating effect causes the bolometer's resistance to decrease and unbalances the bridge in proportion to the power applied.
- The non zero o/p is recorded on a voltmeter which is calibrated to read the level of  $\mu$  wave power.

Double Bridge power Meter: ( 2 bridges diagram )

- The upper bridge ckt measures the  $\mu$  wave power, and the lower bridge ckt compensates the effect of ambient temperature variation ( $V_1 = V_2$ ).
- The initial zero setting

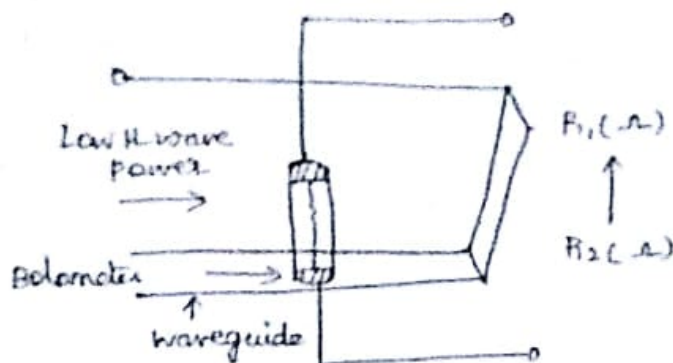
## Power measurement

(0.01 mW - 10 mW) - Bolometer technique

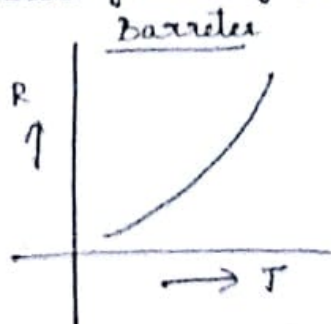
(10 mW - 1 W) - calorimetric technique

(> 10 W) - calorimetric wattmeter

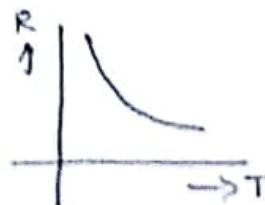
### (i) Bolometer



- \* Bolometer - Temperature sensitive device
- \* Resistance changes w.r to applied power
- \* 2 types - Barretters & Thermistors.
- \* Barretter - has +ve temp co-eff & its  $R$  increases with temperature as shown in following fig



Thermistor - has -ve temp co-eff & its  $R$  decreases with temp



- \* Bolometer - sq-law device - produces a current as applied power (ie) square of the applied voltage.
- \* Here Bolometer is mounted inside a waveguide, where bolometer itself is used as a load with operation resistance  $R_1 (\Omega)$ .
- \* Now low  $\mu$  wave power which is to be measured is applied.
- \* Some power is absorbed in the bolometer load and dissipated as heat and the resistance changes to  $R_2$ . This change in resistance ( $R_1 - R_2$ ) is proportional to the  $\mu$  wave power which can be measured using a bridge.



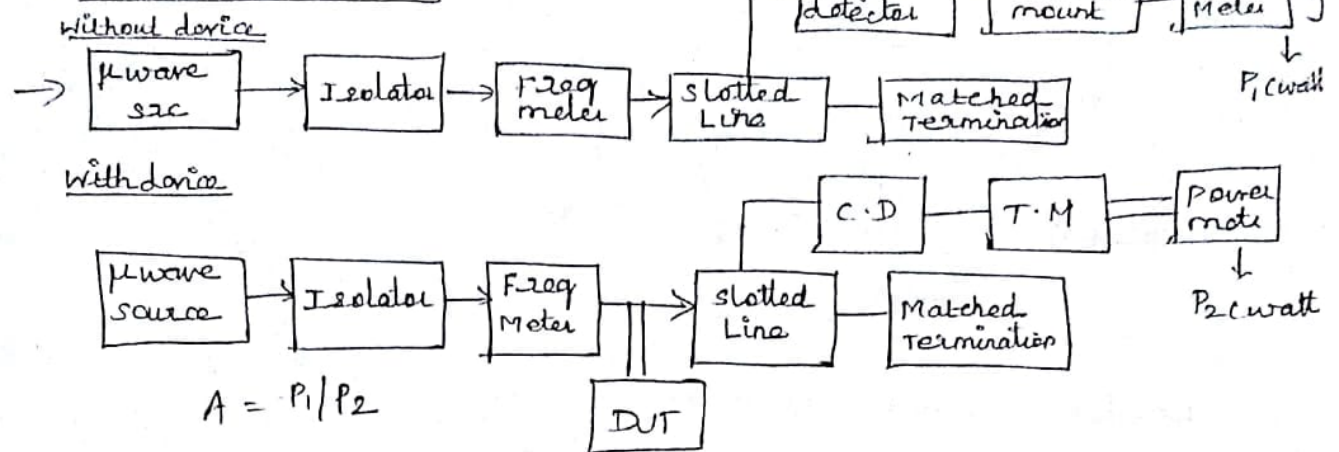
## Attenuation measurement:

$$A(\text{dB}) = \frac{P_{\text{in}}}{P_{\text{out}}}$$

2 methods

- (i) power ratio method
- (ii) RF substitution method

### (i) Power Ratio Method:



### (ii) RF substitution method:

