

Software required: Matlab

Program :

```
clc;  
clear all;  
close all;  
num = input ('Enter numerator coefficients');  
den = input ('Enter denominator coefficients');  
w= 0: 0.01: 2*pi;  
h = freqz(num, den, w);  
subplot (2,1,1);  
plot (w/pi , abs(h));  
xlabel ('Frequency');  
ylabel ('Magnitude');  
title ('Magnitude response');  
subplot (2,1,2);  
plot(w/pi , angle(h));  
xlabel ('Frequency');  
ylabel ('Phase');  
title ('Phase response');
```

I/p : numerator coeff's = [1, -1]

Denominator coeff's = [1, 1/4]

14/12/12

EXPERIMENT - 2

IMPULSE RESPONSE OF FIRST AND SECOND ORDER SYSTEM

Aim: To simulate the impulse response of first and second order systems using matlab.

Software required: Matlab

Program:

```
clc;
clear all;
close all;
num = input ('Enter numerator coefficients');
den = input ('Enter denominator coefficients');
N = input ('Enter N value');
x = [zeros(1,N) 1 zeros(1,N)];
y = filter (num,den,x);
n = -N:1:N;
subplot (1,2,1); stem(n,x);
xlabel ('Time');
ylabel ('Amplitude');
title ('Input  $\rightarrow$  Impulse signal');
```

```
subplot (1, 2, 2);
stem (n, y);
xlabel ('Time');
ylabel ('Amplitude');
title ('Impulse response h(n)');
```

Result:

The impulse response of the first order and second order systems are verified.

14/12

14/12/13

EXPERIMENT - X2(b)

STEP RESPONSE OF FIRST AND SECOND ORDER SYSTEM

Aim: To simulate the step response of first and second order system using matlab.

Software required: Matlab

Program:

```
clear all;
```

```
close all;
```

```
clc;
```

```
num = input ('Enter numerator coeff');
```

```
den = input ('Enter denominator coeff');
```

```
N = input ('Enter N value');
```

```
x = [0:N] [1 ones(1,N)];
```

```
y = filter (num, den, x);
```

```
n = 0:1:N;
```

~~```
subplot (1, 2, 1);
```~~~~```
stem (n, x);
```~~~~```
xlabel ('Time');
```~~~~```
ylabel ('Amplitude');
```~~~~```
title ('Input \rightarrow Unit signal');
```~~

```
subplot(1, 2, 2);
stem(n, y);
xlabel('Time');
ylabel('Amplitude');
title('Step response');
```

Result:

The ~~step~~ step response of first order and second order systems are plotted.

2/14/12

## EXPERIMENT - 3

### DFT / IDFT OF DISCRETE TIME SIGNAL

Aim: To compute the  $N$ -point DFT / IDFT of the given discrete time signal.

Software required : Matlab.

Program:

```
clc;
```

```
clear all;
```

```
close all;
```

```
xn = input('Enter the input sequence');
```

```
N = input ('Enter the length of DTFT');
```

```
L = length(xn);
```

```
if (N < L)
```

```
 error('N must be ≥ 1 ');
```

```
end
```

```
x1 = [xn zeros(1, N-1)];
```

```
for k=0:1:N-1
```

```
 for n = 0:1:N-1
```

```
 P = exp(-i*2*pi*n*k/N);
```

~~```
x2(k+1,n+1) = P;
```~~

```
    end
```

```
end
```

```
xK = x1 * x2;
```

```

K = 0:1:N-1;
subplot(3,1,1);
stem(K, abs(xK));
xlabel('K');
ylabel('magnitude');

subplot(3,1,2);
stem(K, angle(xK));
xlabel('K');
ylabel('arg(xK)');

l = length(xK);

for K=0:1:N-1
    for n=0:1:N-1
        p = exp(i*2*pi*n*K/N);
        x2(K+1,n+1) = p;
    end
end
xN = (xK*x2)/N;
n = 0:1:N-1;
subplot(3,1,3);
stem(n, abs(xn));
xlabel('n');
ylabel('sequence');

```

Result:

The DFT/IDFT of a given sequence is calculated and observed.

Q3
2/11/2

28/12/12

EXPERIMENT-4

DETERMINATION OF POWER SPECTRUM OF A GIVEN SIGNAL (S)

Aim: To compute and plot the power spectrum of the given discrete signal.

Software required: Matlab

Program:

```
clc;  
clear all;  
close all;  
f1 = input ('Enter first frequency');  
f2 = input ('Enter second frequency');  
fs = 100;  
t = 0: 1/fs: 100;  
x = sin(2*pi*f1*t) + sin(2*pi*f2*t);  
N = input ('Enter length of DFT');  
X = fft(x, N);  
f = fs * (0:N-1)/N ;  
psd1 = (X.*conj(X))/N;  
subplot (2,1,1);  
plot (f, psd1);
```

```
xlabel('Frequency -t');
ylabel('Power');
title('PSD through FT');

rxx = xcorr(x,x);
psd2 = abs(fft(rxx,N));
subplot(2,1,2);
plot(t,psd2);
xlabel('Frequency f');
ylabel('Power');
title('PSD through auto-correlation');
```

Result:

The power spectral density of a given signal is verified.

W
9812

EXP-5:

FFT OF GIVEN SEQUENCE

Aim: To compute the fourier transform of given sequence using FFT algorithm.

Software: Matlab

Program:

```
clc;
clear all;
close all;
xn = input ('Enter the sequence');
N = input ('Enter no.of pts in DFT');
L = length (xn);
if (N < L)
    disp (' N must be greater than or equal to L')
end
xK = fft(xn,N);
K = 0:N-1;
subplot (2, 2, 1);
stem (K, abs(xK));
xlabel ('K');
ylabel ('dft coefficients');
xn = ifft(xK);
n = 0:N-1;
```

```
subplot (2,2,2);  
stem (n,abs(xn));  
xlabel ('n');  
ylabel ('sequence xt');
```

Result: The required FFT & IFFT of
given sequence are obtained.

Q. 118

EXPERIMENT - 6

IMPLEMENTATION OF LP IIR FILTER OF SEQUENCE

Aim: To implement LP IIR filter of given sequence

Software : Matlab

Program: →IIRBUTTER WORTH LPF

clc;

clear all;

close all;

fp = input ('Enter pass band freq');

fs = input ('Enter stop band freq');

ap = input ('Enter pass band attenuation');

as = input ('Enter stop band attenuation');

sf = input ('Enter sampling freq');

wp = $(2 \times fp) / sf$;

ws = $(2 \times fs) / sf$;

[N, wn] = buttord (wp, ws, ap, as);

[b, a] = butter (N, wn);

w = input ('Enter vector freq');

[H, W] = freqz (b, a, w);

subplot (3, 1, 1);

plot (w/(2*pi), 20*log10(abs(H)));

n = 0 : 1/sf : 1;

x = cos(2*pi*200*n) + cos(2*pi*700*n);

subplot (3, 1, 2);

~~plot (3, 1, 2);~~

plot (abs(fft(x)));

y = filter (b, a, x);

subplot (3, 1, 3);

plot (abs(fft(y)));

CHEBYSHEV TYPE-1 LPF

```
clc;
clear all;
close all;
fp = input ('Enter pass band freq.');
fs = input ('Enter stop band freq');
ap = input ('Enter pass band attenuation');
as = input ('Enter stop band attenuation');
sf = input ('Enter sampling frequency');
wp = (2*fp)/sf;
ws = (2*fs)/sf;
[N,wn] = cheb1ord (wp, ws, ap, as);
R = input ('Enter ripple value factor');
[b,a] = cheby1(N, R, wn);
w = input ('Enter vector frequency');
[H,W] = freqz(b,a,w);
subplot(3,1,1);
plot(w/(2*pi), 20*log10(abs(H)));
n=0: 1/sf : 1;
x = cos(2*pi*200*n)+cos(2*pi*400*n);
subplot(3,1,2);
plot(abs(fft(x)));
y = filter(b, a, x);
subplot(3,1,3);
plot(abs(fft(y)));
```

CHEBYSHEV TYPE-2 LPF

```
clc;
clear all;
close all;
fp = input ('Enter pass band freq');
fs = input ('Enter stop band freq');
ap = input ('Enter pass band attenuation');
as = input ('Enter stop band attenuation');
sf = input ('Enter sampling freq');
wp = (2*fp)/sf;
ws = (2*fs)/sf;
[N, wn] = cheb2ord (wp, ws, ap, as);
[b, a] = cheby2 (N, as, wn);
w = input ('Enter vector frequency');
[H, W] = freqz (b, a, w);
subplot (3, 1, 1);
plot (w/(2*pi), 20 * log10 (abs(H)));
n = 0: 1/sf : 1;
x = cos (2*pi*200*n) + cos (2*pi*400*n);
subplot (3, 1, 2);
plot (abs(fft(x)));
y = filter (b, a, x);
subplot (3, 1, 3);
plot (abs(fft(y)));
```

Result:

The LP IIR filter for a given sequence
is implemented & plotted.

18/1/18

EXPERIMENT-7

IMPLEMENTATION OF HP IIR FILTER OF SEQUENCE

Aim: To implement the HP IIR filter of given sequence.

Software required: Matlab

Program: IIR BUTTER WORTH HPF

```
clc;
```

```
clear all;
```

```
close all;
```

```
-fp = input('Enter pass band freq');
```

```
-fs = input('Enter stop band freq');
```

```
ap = input('Enter pass band attenuation');
```

```
as = input('Enter stop band attenuation');
```

```
sf = input('Enter sampling freq');
```

```
wp = (2 * fp) / sf;
```

```
ws = (2 * fs) / sf;
```

```
[N, wn] = buttord(wp, ws, ap, as);
```

```
[b, a] = butter(N, wn, 'high');
```

```
w = input('Enter value of vector freq');
```

```
[H, W] = freqz(b, a, w);
```

```
subplot(3, 1, 1);
```

```
plot(W/(2*pi), 20 * log10(abs(H)));
```

```
n = 0 : 1/sf : 1;
```

$\alpha = \cos(2\pi \cdot 200 \cdot n) + \cos(2\pi \cdot 700 \cdot n);$

```
subplot(3, 1, 2);
```

```
plot(abs(fft(alpha)));
```

```
y = filter(b, a, alpha);
```

```
subplot(3, 1, 3);
```

```
plot(abs(fft(y)));
```

CHEBYSHEV TYPE I FPF

```

clc;
clear all;
close all;
fp = input ('Enter pass band freq');
fs = input ('Enter stop band freq');
ap = input ('Enter pass band attenuation');
as = input ('Enter stop band attenuation');
sf = input ('Enter sampling freq');

wp = (2*pi*fp)/sf;
wos = (2*pi*fs)/sf;
[N,wn] = cheb1ord (wp,wos,ap,as);
R = input ('Enter ripple value');
[b,a] = cheby1(N,ap,wn,'high');
w = input ('Enter vector freq');
[ht,wf] = freqz(b,a,w);

subplot (3,1,1);
plot (w/(2*pi), 20*log10(abs(ht)));
n = 0 : 1/sf : 1
x = cos(2*pi*200*n) + cos(2*pi*400*n);
y = filter (b,a,x);
% subplot (3,1,2);
plot (abs(fft(x)));
plot (abs(fft(y)));

```

CHEBYSHEV TYPE-2 HPF

```

clc;
clear all;
close all;
fp = input ('Enter pass band freq');
fs = input ('Enter stop band freq');
ap = input ('Enter pass band freq');
as = input ('Enter stop band freq');
sf = input ('Enter sampling freq');
wp = (2 * fp) / sf;
ws = (2 * fs) / sf;
[n,wn] = cheb2ord (wp, ws, ap, as);
[b,a] = cheby2 (n, as, wn, 'high');
w= input ('Enter vector freq');
[ht,w] = freqz (b, a, w);
subplot (3, 1, 1);
plot (w/(2*pi), 20 * log10 (abs(ht)));
n = 0 : 1/sf : 1;
x = cos(2 * pi * 200 * n) + cos(2 * pi * 400 * n);
subplot (3, 1, 2);
plot (abs(ht));
y = filter (b, a, x);
subplot (3, 1, 3);
plot (abs(ht(y)));

```

Result: HPF is implemented using IIR

Design & implementation of Chebyshev Type-2 HPF

EXPERIMENT - 8

IMPLEMENTATION OF LP FIR FILTER OF SEQUENCE

-Aim: To implement LP FIR filter of given sequence.

Software: Matlab

Program:

```
clc;
clear all;
close all;
wc = 0.05 * pi;
N = 25;
alpha =  $\frac{N-1}{2}$ ;
eps = 0.001;
n = 0:1:N-1;
hd = sin(wc * (n-alpha+eps)) ./ (pi * (n-alpha+eps));
w0 = boxcar(N);
hn = hd .* w0';
w = 0:0.01:pi;
h = freqz(hn, 1, w);
plot(w/pi, abs(h), 'r');
hold on
wh = hamming(N);
w0 = black;
hn = hd .* wh';
w = 0:0.01:pi;
h = freqz(hn, 1, w);
plot(w/pi, abs(h), 'blue');
hold on
wbl = blackman(N);
hn = hd .* wbl';
w = 0:0.01:pi;
```

```

h = freqz (hn, 1, w);
plot (w/pi, abs(h), 'k');
hold on
wb2 = bartlett(N);
hn = hd.*wb2';
w=0:0.01:pi;
h = freqz (hn, 1, w);
plot (w/pi, abs(h), 'g+');
hold on
wh1 = hanning(N);
hn = hd.*wh1';
w=0:0.01:pi;
h = freqz (hn, 1, w);
plot (w/pi, abs(h), 'yellow *');
hold off
legend ('wx', 'wh', 'wb1', 'wb2', 'wh1');
 xlabel ('frequency');
 xlabel ('magnitude');
 title ('Implementation of LP FIR');
fc=2000;
n=0:1/fc:1;
x=cos(2*pi*200*n)+cos(2*pi*700*n);
figure;
subplot(2,1,1);
plot(abs(fft(x));
y=filter(h,n,x);
subplot(2,1,2);
plot(lab{fft(y)});
```

~~Ans~~

Result:
LP FIR filter is implemented & plotted.

08/02/18

EXPERIMENT - 9

IMPLEMENTATION OF HP FIR FILTER IN SEQUENCE.

Aim: To implement HP FIR filter of a given sequence,

Software: MATLAB

Program:

clc;

close all;

clear all;

wc = 0.05*pi;

N = 25;

alpha = (N-1)/2;

eps = 0.001;

n = 0:1:N-1;

$$hd = \left[\frac{\sin(\pi * (n - \alpha + \epsilon)) - \sin(wc * (n - \alpha + \epsilon))}{\pi * (n - \alpha + \epsilon)} \right]$$

wr = boxcar(N);

hn = hd.*wr';

w = 0:0.01:pi;

h = freqz(hn, 1, w);

plot(w/pi, abs(h), 'r');

hold on

wh = hamming(N);

hn = hd.*wh';

w = 0:0.01:pi;

h = freqz(hn, 1, w);

plot(w/pi, abs(h), 'blue');

hold on

```

wb1 = blackman(N);
hn = hd.*wb1';
w=0:0.01:pi;
h= freqz(hn,1,w);
plot(w/pi,abs(h),'k');
hold on
wb2 = bartlett(N);
hn = hd.*wb2';
w=0:0.01:pi;
h= freqz(hn,1,w);
plot(w/pi,abs(h),'g+');
hold on
wh1 = hanning(N);
hn = hd.*wh1';
w=0:0.01:pi;
h= freqz(hn,1,w);
plot(w/pi,abs(h),'yellow*');
hold off
legend('wr','wh','wb1','wb2',
       'wh1');
xlabel('frequency');
ylabel('magnitude');
title('Implementation of HP FIR');

```

```
fs = 2000;  
n = 0: 1/fs: 1;  
x = cos(2*pi*800*n) + cos(2*pi*900*n);  
  
figure;  
subplot (2, 1, 1);  
plot(abs(fft(x)));  
y = filter(hn, 1, x);  
subplot (2, 1, 2);  
plot(abs(fft(y)));
```

Result:

HIP FIR filter is implemented and plotted.



~~HN~~ 218

15/2/18

EXP - 10

IMPLEMENTATION OF DECIMATION PROCESS

Aim : To implement decimation process
on the given sequence by factor M

Software : Matlab

Program:

```
clc;
clear all;
close all;
N = input ('Enter length of sequence');
D = input ('Enter decimation factor');
f1 = input ('Enter 1st sinusoidal freq');
f2 = input ('Enter 2nd sinusoidal freq');
n = 0:1:N-1;
x = sin((2*pi*f1*n)/1000)+sin((2*pi*f2*n)/1000);
subplot(2,1,1);
stem(n,x);
title ('Input sequence');
n1 = 0: D: N-1;
x1 = sin((2*pi*f1*n1)/1000)+sin((2*pi*f2*n1)/1000);
subplot(2,1,2);
stem(n1,x1);
title ('Output sequence');
```

Result: The given sequence is
implemented using decimation process.

Exp - II

IMPLEMENTATION OF INTERPOLATION PROCESS

Aim: To implement interpolation process of given sequence by factor I.

Software: Matlab

Program:

```
clc;
clear all;
close all;
N = input ('Enter length of I/O signal');
I = input ('Enter interpolation factor');
f1 = input ('Enter 1st sinusoidal freq');
f2 = input ('Enter 2nd sinusoidal freq');
n = 0:N-1;
x = sin((2*pi*f1*n)/1000)+sin((2*pi*f2*n)/1000);
x1 = [zeros(1,I+N)];
j = 1:I+1;
x1(j) = x;
subplot (2,1,1);
stem (n,x);
title ('Input sequence');
m = 1:I+N;
subplot (2,1,2);
stem (m-1,x1);
title ('Output sequence');
```

Result:
The given sequence is implemented using interpolation process.

22/2/18

EXP-12

IMPLEMENTATION OF I/D SAMPLING RATE CONVERTER

Aim: To implement I/D sampling rate converter

Software: Matlab

Program:

clc;

close all;

clear all;

N = input ('Enter length of IIP signal');

I = input ('Enter interpolation factor');

f1 = input ('Enter 1st sine freq'); 100

f2 = input ('Enter 2nd sine freq'); 50

D = input ('Enter decimation factor');

n = 0:1:N-1;

x = sin((2*pi*f1*n)/1000) + sin((2*pi*f2*n)/1000);

x1 = [zeros(1, I*N)];

j = 1: I : I*N;

x1(j) = x;

subplot (3, 1, 1);

stem (n, x);

title ('Input sequence');

subplot (3, 1, 2);

n1 = 1:1:I*N;

stem (n1-1, x1);

title ('Interpolated signal');

```
x2=x1(1:D:N*I);  
n2=0:D:(N*I)-I;  
subplot(3,1,3);  
stem(n2,x2);  
title('Output signal');
```

Result :

The output of ±1D sampling
rate converter is verified.

EXP-13 (C&Studio)

LINEAR CONVOLUTION

Aim: To find linear convolution b/w the sequences.

Program:

```
#include <stdio.h>
int x[15], h[15], y[15];
main()
{
    int i, j, m, n;
    printf("\n Enter m value");
    scanf("%d", &m);
    printf("\n Enter n value");
    scanf("%d", &n);
    printf("\n Enter I/p x(n)");
    for (i=0; i<m; i++)
    {
        scanf("%d", &x[i]);
    }
    printf("\n Enter I/p h(n)");
    for (i=0; i<n; i++)
    {
        scanf("%d", &h[i]);
    }
    for (i=m; i<=m+n-1; i++)
    {
        x[i] = 0;
    }
    for (i=n; i<=m+n-1; i++)
    {
        h[i] = 0;
    }
```

```

for (i=0; i<m+n-1; i++)
{
    y[i] = 0;
    for (j=0; j<=i; j++)
    {
        y[i] = y[i] + (x[j] * h[i-j]);
    }
}

for (i=0; i<m+n-1; i++)
printf ("\n Value of o/p y[%d]=%.d",
       i, y[i]);
}

```

Output :

Enter m value = 4

Enter n value = 4

Enter I/P x(n) = 1 2 3 4

Enter I/P h(n) = 4 3 2 1

Value of o/p y[0] = 4

y[1] = 11

y[2] = 20

y[3] = 30

y[4] = 20

y[5] = 11

y[6] = 4

3/3/18

EXP - 14

CIRCULAR CONVOLUTION

Aim: To find circular convolution

of b/w the sequences

Program:

```
#include <stdio.h>
int m,n, x[30], y[30], i, j, h[30], k,
x2[30], a[30];
main()
{
    printf("In Enter length of x sequence");
    scanf("%d", &m);
    printf("In Enter length of h sequence");
    scanf("%d", &n);
    printf("In Enter x sequence : ");
    for (i=0; i<m; i++)
        scanf("%d", &x[i]);
    printf("In Enter h sequence");
    for (i=0; i<n; i++)
        scanf("%d", &h[i]);
    if (m-n!=0)
    {
        if(m>n)
        {
            for(i=n; i<m; i++)
                h[i]=0;
        }
        n=m;
    }
}
```

for ($i = m$; $i < n$; $i++$)

$\alpha[i] = 0;$

$m = n;$

{

$y[0] = 0;$

$a[0] = h[0];$

for ($j = 1$; $j < n$; $j++$)

$a[j] = h[n-j];$

for ($i = 0$; $i < n$; $i++$)

$y[0] = y[0] + \alpha[i] * a[i];$

for ($k = 1$; $k < n$; $k++$)

{

$y[k] = 0;$

for ($j = 1$; $j < n$; $j++$)

$\alpha_2[j] = \alpha[j-1];$

$\alpha_2[0] = \alpha[n-1];$

for ($i = 0$; $i < n$; $i++$)

{

$\alpha[i] = \alpha_2[i];$

$y[k] = y[k] + \alpha[i] * \alpha_2[i];$

}

{

```
printf("Circular convolution is \n");
for(i=0; i<n; i++)
{
    printf("%d\t", y[i]);
}
}
```

Output :

Enter length of a sequence = 4

Enter length of b sequence = 4

Enter a sequence = 1 2 3 4

Enter b sequence = 4 3 2 1

Circular convolution is :

24 22 24 30.

3/31/4

DISCRETE FOURIER TRANSFORM

Aim: To find DFT of the given sequence

Program:

```
# include < stdio.h >
```

```
# include < math.h >
```

```
float rw[15][15], iw[15][15], a[15],  
rx[15], ix[15]
```

```
main()
```

```
{
```

```
int l, k, m, N;
```

```
float p;
```

```
p = 3.14;
```

```
printf("In Enter length of signal");
```

```
scanf("%d", &m);
```

```
printf("In Enter sequence");
```

```
for(l=0; l<m; l++)
```

```
scanf("%f", &a[l]);
```

```
printf("In Enter length of dft signal");
```

```
scanf("%d", &N);
```

```
if(N < m)
```

```
{
```

```
printf("In Error");
```

```
}
```

```

else
{
    for (l=0; l<N; l++)
    {
        for (k=0; k<N; k++)
        {
            r_w[l][k] = cos(2 * pi * l * k / N);
            i_w[l][k] = (-1) * sin(2 * pi * l * k / N);
        }
    }

    for (l=0; l<N; l++)
    {
        r_x[l] = 0;
        i_x[l] = 0;
        for (k=0; k<N; k++)
        {
            r_x[l] = r_x[l] + a[k] * r_w[k][l];
            i_x[l] = i_x[l] + a[k] * i_w[k][l];
        }
    }

    printf("\n");
    for (l=0; l<N; l++)
    {
        printf("%f + %fi(%f)\t",
               r_x[l], i_x[l]);
    }
}

```

```
printf("\n");
```

```
}
```

Output:

Enter length of signal = 5

Enter sequence = 1 3 5 + 9

Enter length of dtt signal = 5

$25.00 + i(0.00)$ - $5.02 + i(6.84)$

$-5.01 + i(1.59)$ - $4.98 + i(-1.68)$

$-4.90 + i(-6.91)$.

3/3/18

INVERSE DISCRETE FOURIER TRANSFORM

Aim: To find the IDFT of the given sequence.

Program:

```
#include <stdio.h>
#include <math.h>
float rw[15][15], iw[15][15], x[15],
      rx[15], ix[15]

main()
{
    int l, k, m, N;
    float p;
    p = 3.14;
    printf("In Enter length of signal");
    scanf("%d", &m);
    printf("In Enter real sequence");
    for (l=0; l<m; l++)
        scanf("%f", &rx[l]);
    printf("In Enter imag sequence");
    for (l=0; l<m; l++)
        scanf("%f", &ix[l]);
```

```

printf ("\n Enter length of dft signal");
scanf ("%d", &N);
if (N<m)
{
    printf ("\n Error");
}
else
{
    for (l=0; l<N; l++)
    {
        for (K=0; K<N; K++)
        {
            w[l][K] = cos (2 * p * l * K / N);
            iW[l][K] = sin (2 * p * l * K / N);
        }
    }
    for (l=0; l<N; l++)
    {
        x[l] = 0;
        for (K=0; K<N; K++)
        {
            x[l] = x[l] + x[K] * w[K][l];
        }
    }
    for (l=0; l<N; l++)
    {
        for (K=0; K<N; K++)
    }
}

```

```

 $x[l] = x[l] - (ix[k] * iw[k][l]);$ 
}
 $x[l] = x[l]/N;$ 
}
printf("\n");
for (l=0; l<N; l++)
    printf("%f\t", x[l]);
}
}

```

Output:

Enter length of signal = 5

Enter real sequence = 1 3 5 7 9

Enter imag sequence = 2 4 6 8 10

Enter length of dft signal = 5

0.00 1.37 0.31 -0.33 -1.38.