

## Group A

Program 1 - Implement depth first search algorithm and Breadth first search algorithm, use a undirected graph & develop a recursive algorithm for searching all the vertices of a graph or tree data structure

1. A - Program on uniformed search methods (BFS).

Theory - Graph Transversals:

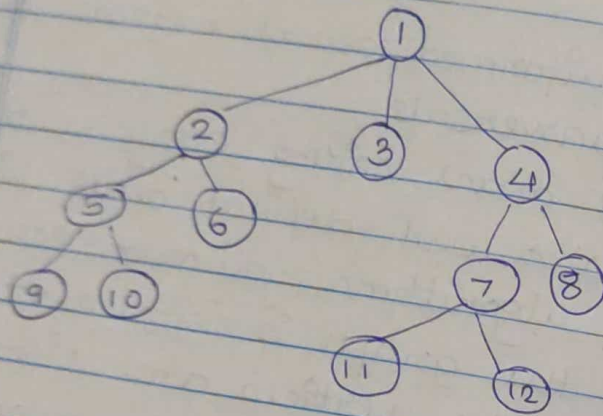
- Graph transversal means visiting every vertex & edge exactly once in a well-defined order. While using certain graph algorithms, you must ensure that each vertex of the graph is visited exactly once. The order in which the vertices are visited are important & may depend upon the algorithm or question that you are solving.
- During a transversal, it is important that you track which vertices have been visited. The most common way of tracking vertices is to mark them.

→ Breadth first Search (BFS):-

- There are many ways to transverse graphs. BFS is the most commonly used approach. BFS is transversing algorithm where you should start transversing from a selected node (source or starting) & transverse the graph layer wise thus exploring the neighbour nodes (nodes which are directly connected to source node). You must then move towards the next level neighbour nod.



- As the name BFS suggests, you are required to transverse the graph breadthwise as follows:
  - 1) First move horizontally & visit all the nodes of the current layer.
  - 2) Move to the next layer, in layer 2. Therefore, in BFS, you must transverse all nodes in layer 1, before you move the next layer 2.



- Transversing child nodes:-
  - A graph might include cycles, which can lead you back to the same node when transverse it. We use a boolean array to indicate the node after it has been treated to prevent processing it again.
  - In the above diagram, start transversing from 1. Store them in the order in which they are visited. This will allow you to visit the child nodes of 2 first (i.e. 5, 6) then of 4 (i.e. 7, 8) etc.
  - To make this process easy, use a queue to store the node & make it as 'visited' until all its neighbours are marked. The queue follows the FIFO queue method, & therefore, the neighbours of the



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node will be used visited in the order in which they were inserted in the node. i.e. the node that was inserted first will be visited first & so on on.

Algorithm:-

Step 1 - SET STATUS = 1 (ready state) for each in tree

Step 2 - Enqueue the starting node A & set its status = 2 (waiting state).

Step 3 - Repeat steps 4 & 5 until queue is Empty

Step 4 - Dequeue a node N. Process it & set its STATUS = 3 (Process state).

Step 5 - Enqueue all the neighbour of N that are in the ready state (whose STATUS = 1) & set there STATUS = 2 (waiting state) [END of loop]

Step 6: EXIT.

Sample Program -

```
Import Java.util. HashMap
Import Java.util. LinkedList;
```

```
Public class main {
```

```
  public static void main (String[] args)
```

```
  { Graph g = new graph (8);
```

```
    g.AddEdge (1,2);
```

```
    g.AddEdge (4,5);
```

```
    g.AddEdge (1,5);
```

```
    g.AddEdge (4,6);
```

```
    g.AddEdge (2,3);
```

```
    g.AddEdge (5,4);
```

```
    g.AddEdge (2,5);
```

```
    g.BFS (1);
```

```
    g.AddEdge (3,4);
```

```
}
```



class Graph {  
 Private: int Node Number;  
 Private LinkedList<Integer> Adjacent Node[]  
 Graph(int v)

{ Adjacent Nodes = new LinkedList<Integer>[v];  
 For (int i=0; i<AdjacentNodes.length; i++)  
 { AdjacentNode[i] = new LinkedList<Integer>();  
 NodeNumber = v;  
 }

Public void AddEdge (int v, int w)  
 { Adjacent Nodes[v].add(w);  
 }

Public void BFS (int s)  
 { boolean Visited[] = new boolean[NodeNumber];  
 For (int i=0; i<NodeNumber; i++)  
 { Visited[i] = false;  
 }

LinkedList<Integer> queue = new LinkedList<Integer>();  
 Visited[s] = true;  
 queue.add(s);

while (queue.size() != 0)  
 { s = queue.poll();  
 System.out.println("visiting" + s + " ");  
 while (s.hasNext())

{  
 int n = s.next();  
 if (!visited[n])

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```
visited[n] = true;
queue.add(n);
}
}
}
}
}
```

Output -

Following is Breadth First Traversal

visiting 1

visiting 2

visiting 3

visiting 4

visiting 5

visiting 6.

Conclusion -

Thus we have successfully implemented BFS with example



## 1.B - Program on Uniformed Search methods (DFS):-

Aim:- To implement uniformed search strategy DFS.

Theory:- DFS is an algorithm for transversing or searching tree or graph data structure. The algorithm starts at the root node & explores as far as possible along each branch before backtracking.

- Depth - First Search (DFS) it is a method for exploring a tree or graph. In a DFS, you go as deep as possible down one path before backing up & trying different one.
- DFS is like walking through a corn maze. You explore one path, hit a dead end & go back & try a diff. one.

Depth First Search:-

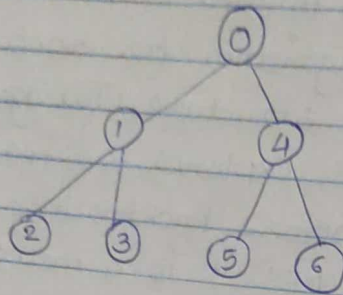
- It is implemented in recursion with LIFO stack data structure. It creates the same set of nodes as the Breadth - First method, only in a different order.
- As the nodes on the single path are stored in each iteration from root to leaf node, the space requirement to store nodes is linear. With branching factor and depth as  $m$ , the storage space is  $bm$ .

Disadvantage:-

- This algorithm may not terminate & go on infinitely on one path. The solution of this issue is to choose a cut-off depth. If the ideal cut-off is  $d$  & if chosen cut-off is lesser than  $d$ , then this algorithm may fail. If the chosen cut-off is more than  $d$ , then execution time increases.



- Its complexity depend on the number of path it check duplicate nodes.



Algorithm:-

Steps

- 1) SET STATUS = 1 (ready state) for each node.
- 2) push the starting node A on the stack & set its STATUS = 2 (waiting state).
- 3) Repeat Steps 4 + 5 until STACK is empty.
- 4) POP the top node N process it & set its STATUS = 3 (Processed state).
- 5) Push on the stack all the neighbours of N that are in the ready state (whose STATUS = 1) & set their STATUS = 2 (waiting state).
- 6) Exit [End of loop]

Sample Program:-

```

import java.util.Iterator;
import java.util.LinkedList;
import java.util.List;
public class Main
{

```

```

    public static void main (String[] args)
    {

```



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```
{ Graph g = new Graph (8);
```

```
g.AddEdge (1,2);
```

```
g.AddEdge (1,5);
```

```
g.AddEdge (2,3);
```

```
g.AddEdge (2,5);
```

```
g.AddEdge (3,4);
```

```
g.AddEdge (4,5);
```

```
g.AddEdge (4,6);
```

```
g.AddEdge (5,6);
```

```
g.DFB();
```

```
}
```

```
}
```

```
Class Graph {
```

```
private int NodeNumber;
```

```
private LinkedList<Integer> AdjacentNodes[];
```

```
Graph (int v) {
```

```
    AdjacentNodes = new LinkedList[V];
```

```
    for (int i=0; i<AdjacentNodes.length; i++)
```

```
    { AdjacentNodes[i] = new LinkedList();
```

```
    }
```

```
    NodeNumber = v;
```

```
}
```

```
void DFUtil (int n, boolean visited[])
```

```
{ int n = 1; next();
```

```
    if (!visited[n])
```

```
    {
```

```
        DFUtil (n, visited);
```

```
    }
```

```
}
```

```
}
```



Output :-

visiting 0

visiting 1

visiting 2

visiting 3

visiting 4

visiting 5

visiting 6

visiting 7

Conclusion - Thus we have successfully implemented DFS  
example