

int a[5][3]

type(a) (in the context of array access) : int [5][3]

type(a[i]) : int [3] where i=0,1,2,3,4

type (a[i][j]): int where i=0,1,2,3,4 and j=0,1,2

a is array: therefore, [index] can be applied on it/.

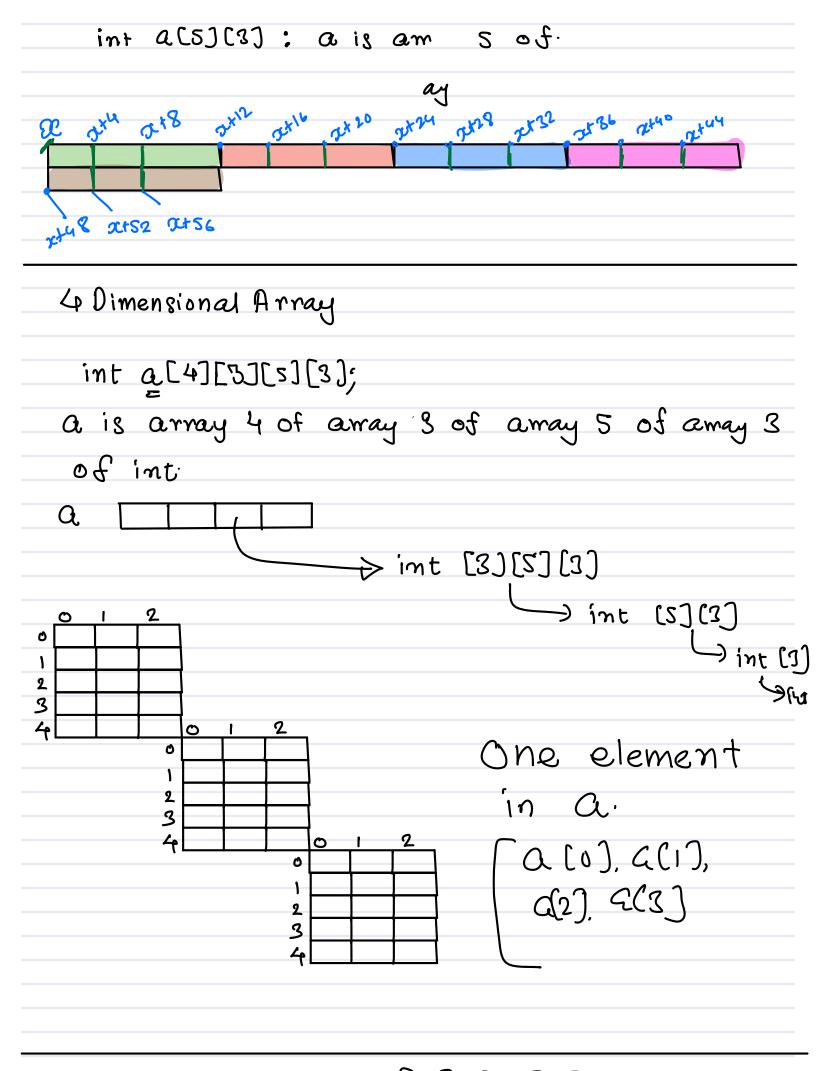
Important fact: as 'a' is array, the expression a[i] is also an array.

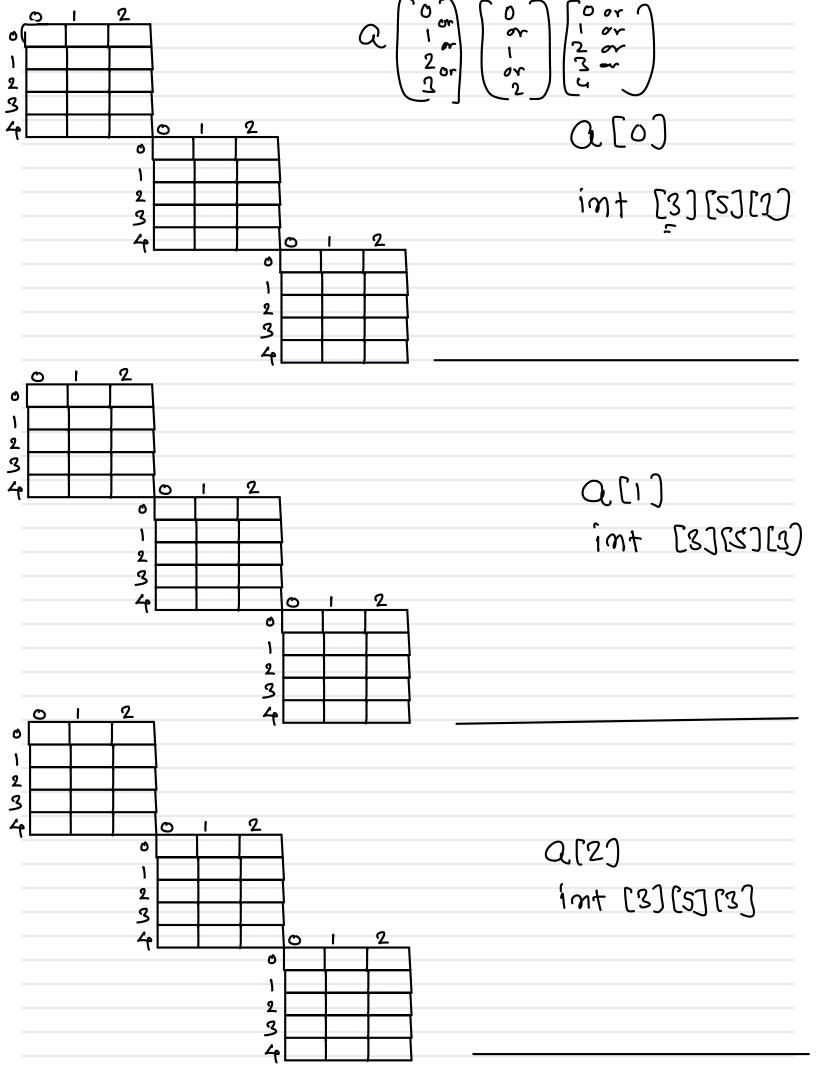
a[i][j][k]

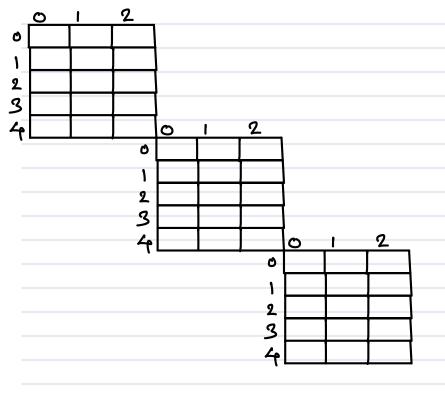
int a1[5]; : type(a1) : int [5]

type(a1[i]) : int where i=0,1,2,3,4

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a1[i][j]
type(a1[i]) == int, and int is not compatible with [index] operator,
a1[i][j] becomes invalid.
int a2[5][3];
type (a2[i][j]) == int where i=0,1,2,3,4 and j=0,1,2
a2[i][j][k]
type(a2[i][j]) == int and it is not compatible with [index]. therefore invalid
a2 is an array.
a2[index_1]
a2[index 1] is also an array as long as index 1=0,1,2,3,4
a2[index 1][index 2] as long as index 1=0,1,2,3,4 and index 2=0,1,2
int a[N];
           a[i]
int a[N1][N2]; a[i][j]
int acsjesj
                        a is amay 5 of.
 148 2ct52 7456
  Compiler: intacsocias;
       3×5×8izeof (int) = 3×5 × 4 = 15×4=60
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a[3] int [3][5][3]

int a[4][3][5][3]

base addr (ali,) = Base Addr (a) +
i,*8izeof(int) *3*5*3

Base addr (a[i,][i2]) =

Base addr (a) + i, * sizeof (int) * 3*5*3 +

i2 * 8izeof (int) * 5 * 3 +

Base addr (Q[i,)(i2)(i3)) =
Base Addr (a) + i, * Sizer (int) * 3*5*5+

i2 * Sizer (int) * 5*3 + is * Sizer (int) * 3

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Base addr (Q[i,)(iz)(iz)[iy)) =
                 Base Addr (a) + 1, * Sizer (int) * 3*5* 3+
                    12 * Sizeof(int) * 5*3+ 28 * Sizeq(int) * 3
                   + 14 & Sizen (int)
                Assume, a is k-dimensional array of int.
                   rth dimension is Nr where LErsk
         [10, N1, 20, N2, 30 N3, - k-0, Nx]
                  int a[N1][N2][N3] --- [NK];
                    let i,, i2, i3 -- , ix be k index variables.
                      0 \( \( \( \) \\ \), 0 \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \( \) \
              Base Addr (a[i,][i2][i3] -- [ik])
             = Base Addr (a) +
                                21 * S. * N2 * N3 * - - * NR +
                                  12米 Sint * N3 * N4米··· * NK十
                                   23 * Sint * N4 * N5 * - * NK +
                                      ik * Sint.
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