# PSC7475: Introduction to Causality Lecture 1

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### Factual vs. Counterfactual

• Does the minimum wage increase the unemployment rate?

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  - Can never observe counterfactuals, must be inferred.



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 Did the first applicant not callback the applicant because they had a criminal record?

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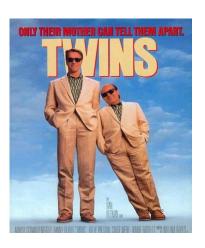


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- NJ increased the minimum wage. Causal effect on unemployment?
  - $\rightsquigarrow$  find a state similar to NJ that didn't increase minimum wage.





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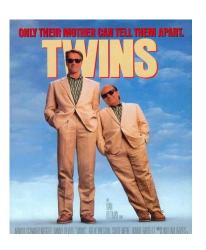


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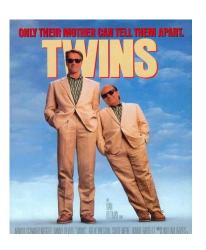


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## Break time

• Space here for a break in the action

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  - $Y_i$  = support for gay marriage (1) or not (0)
  - $T_i = \text{contact with member of the LGBT community (1) or not (0)}$

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- Causal effect for citizen i:  $Y_i(1) Y_i(0)$
- Fundamental problem of causal inference: only one of the two potential outcomes is observable.

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$$\bar{Y} = \frac{1}{6}(1+1+1+0+0+0) = 0.5$$

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  - $\bar{Y}_{control} \approx \frac{1}{\underline{n}} \sum_{i=1}^{n} Y_i(0)$
  - $\bar{Y}_{treated} \bar{Y}_{control} \approx \mathsf{SATE}$

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#### • Hawthorne effects:

Respondents act differently just knowing that they are under study.

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  - $\bar{X}_{treated}$ : average value of variable for treated group

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- If treatment arms are randomly assigned, these differences will be good estimators for each causal contrast.