CS 234r Paper Presentation

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Presenting Ran I. Shorrer (2019) *Simultaneous Search: Beyond Independent Successes*, ACM EC19.

Roadmap

- Background on College Admissions¹
- Modeling the Admissions Process: Simultaneous Search
- Behaviors from Modeling Simultaneous Search

¹The paper uses college admissions process, but it can be generalized to high school admissions, etc.

College Admission Problem

- Something all of us gone through somewhat recently.
- ② Students apply to college I. For some set $A \subset I$, the colleges decide to admit the student. Then, they choose one school $a \in A$ to go to.
- Students (generally) know which schools they prefer, but are unsure how strong an applicant they are compared to the rest of the pool.

Harvard Admits Record Low 7.4% of Early Action Applicants to the Class of 2025



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- 4 However, applications take money and time.
- "Extended Essay: Who does Sally sell her seashells to?" UChicago

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- 2 "Reach", "match" and "safety" schools.
- Question: What causes this behavior?

Previous Work

- Chade and Smith[2] models colleges as making independent admissions decisions ("independent success").
- Concludes that students should not apply to safety schools and should expand their range of schools upwards.
- Question: Do you think the assumption of "independent success" is appropriate in this context?

Contributions

Present a reasonable model of school choice and shows how the model gives rise to the "safety school" behavior.

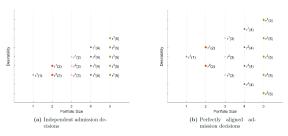


Figure 1: Optimal portfolios under independent and perfectly aligned admission decisions

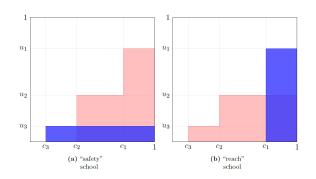
Model

- Each agent s is assigned an unknown score $X \sim Unif(0,1)$. Each college i has a publicly announced cutoff c_i , and the agent knows the utility she will derive from the school, u_i .
- Agent submits a list of schools r, and gets into the highest-ranked school i in r that accepts her. Her utility is $u_i C(|r|)$. $C(\cdot)$ describes cost of application. Maximize expected utility.
- Assume college has no quota constraint and sometimes that C is convex. (appropriate?)

Graphing Expected Utility

First, drop schools that are more selective but less desirable and order the list in decreasing desirability.

Expected utility becomes the area under the red curve:



Example cost functions

Suppose C(x) = 0 if $x \le k$ else ∞ , i.e. students need to find k rectangles whose union covers the largest area.

Solvable using DP: details are easy to fill in². Let n be the number of colleges, this runs in time $O(kn^2)$.

So, agents can find their optimal portfolio.

²let f(k,c) be the maximal area covered by a portfolio of size k, where the least selective school has cutoff c

Changing Beliefs

What happens when we change the student's beliefs about themselves? We model this by changing the distribution Unif(0,1) to some different f_s . A belief is more aggressive if it assigns higher weight to higher scores. A portfolio is more (weakly) aggressive than another if at every place it chooses school at least as aggressive as the other.

Further Results

- When students have more aggressive beliefs, they choose more aggressive portfolios.
- When students are less risk averse, they would choose more aggressive portfolios.
- When students value the outside option more (okay with not going to college), they would choose more aggressive portfolios.
- Agrees with intuition.

Summary

- Create model with "single cutoff".
- See how real-life behavior in college admissions arise.

References



Chade, Hector, and Lones Smith (2006) Simultaneous search, Econometrica.