

1.

.data

A: .float 832040 1346269 2178309 3524578 5702887 9227465 14930352 24157817 39088169 63245986  
102334155 165580141 267914296 433494437 701408733 1134903170 1836311903 2971215073

i: .word 4 # start index in A

g: .word 20 # how many words to collect from A counting from i #then change g to 12

k: .word 18 # how many words total in A

msgoverflow: .ascii "overflow!"

.text

.globl main

main:

# load registers for array A

la \$s0, A # load address of A

lw \$s1, i # load word i into s1

lw \$s2, g # load word g into s2

lw \$s3, k # load word g into s3

# initialize address of A[i]

sll \$s6, \$s1, 2

add \$s6, \$s6, \$s0

#initialize a register where you will compute the sum of the elements

add \$s4, \$zero, \$zero

add \$s2, \$s2, \$s1

# in the loop iteratively grab successive elements of A and add to sum

Loop:

# loop through A, check index bounds

slt \$t0, \$s1, \$s3 # \$t0 <- 1 if (startA < sizeA), \$t0 <- 0 if (startA >= sizeA)

beq \$t0, \$zero, end

slt \$t0, \$s1, \$s2 # \$t0 <- 1 if (startA < startA+g), \$t0 <- 0 if (startA >= sizeA)

beq \$t0, \$zero, end

# load A[i]

lw \$a0, 0(\$s6)

addu \$a1, \$s4, \$zero

# now call the ifoverflow function with 2 arguments: the sum and the content of A[i]

## remember to move sum from its register to the first '\$a' register

# and to move the content of A[i] from the load register to the 2nd '\$a' register

# check the result register: if the result is 1 jump out

jal ifoverflow

bne \$v0, \$zero, end

# add the loaded word content to the sum (USE addu for addition)

addu \$s4, \$s4, \$a0

# update the index (you need it for the entrance checks)

addi \$s1, \$s1, 1

# update the address of A[i]

add \$s6, \$s6, 4

# loop again

j Loop

end:

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beq $v0, $zero, normend
la $a0, msgoverflow
ori $v0, $zero, 4
syscall

```

normend:

```

addu $a0, $s4, $zero
ori $v0, $zero, 1
syscall

```

#then exit

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ori $v0, $zero, 10    #exit
syscall

```

ifoverflow:

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addu    $t0, $a0, $a1    # $t0 <= sum of $a0 and $a1
nor     $t3, $a0, $zero   # $t3 = NOT $a0
sltu    $t3, $t3, $a1     # $t3 = 1 if $t3 < $a1
        # Overflow if $a0 + $a1 > (2^32 - 1) # $t3 = 1 overflow
bne     $t3, $zero, Overflow

```

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add     $v0, $zero, $zero
jr $ra

```

Overflow:

```

addi    $v0, $zero, 1
jr $ra

```

**2.**

.data

A: .float 832040.0 1346269.0 2178309.0 3524578.0 5702887.0 9227465.0 14930352.0 24157817.0  
39088169.0 63245986.0 102334155.0 165580141.0 267914296.0 433494437.0 701408733.0  
1134903170.0 1836311903.0

i: .word 0 # start index in A

g: .word 20 # how many words to collect from A counting from i (can be any integer number)

k: .word 17 # how many words total in A

zero: .float 0.0

.text

.globl main

main:

# load registers for array A

la \$s0, A # load address of A

lw \$s1, i # load word i into s1

lw \$s2, g # load word g into s2

lw \$s3, k # load word g into s3

# initialize address of A[i]

sll \$s6, \$s1, 2

add \$s6, \$s6, \$s0

add \$s2, \$s2, \$s1 #where is our final word index

# initialize a FP register where you will compute the sum of the elements

lwc1 \$f0, zero #you can use l.s as well

# in the loop iteratively grab successive elements of A and add to the sum

Loop:

# loop through A, check index bounds

slt \$t0, \$s1, \$s3 # \$t0 <- 1 if (startA < sizeA), \$t0 <- 0 if (startA >= sizeA)

beq \$t0, \$zero, end

slt \$t0, \$s1, \$s2 # \$t0 <- 1 if (startA < startA+g), \$t0 <- 0 if (startA >= sizeA)

beq \$t0, \$zero, end

# load A[i] (USE appropriate load instruction)

lwc1 \$f1, 0(\$s1)

# add the loaded word content to the sum (use appropriate instruction for addition)

add.s \$f0, \$f0, \$f1

addi \$s1, \$s1, 1

# update the address of A[i]

add \$s6, \$s6, 4

j Loop

#print result: move the sum register into an appropriate register for that

end:

mov.s \$f12, \$f0

ori \$v0, \$zero, 2

syscall

ori \$v0, \$zero, 10

syscall

3.

a)

1332979686

1332979686/2\*\*30 (tip: instead of dividing by 2 consecutively, you can guess a power of 2 that divides to the normalized form, and then adjust)

1. 24143407307565212249755859375

- Depending on whether you rounded **1.24143407307565212249755859375**
- as **1.24143407307** or **1.24143407308** you got an error of 102 or 26
- other rounding errors are also acceptable

Algorithm:

$0.24143407307565212249755859375 * 2 = 0.4828681461513042449951171875 \rightarrow 0$

$0.4828681461513042449951171875 * 2 = 0.965736292302608489990234375 \rightarrow 0$

$0.965736292302608489990234375 * 2 = 1.93147258460521697998046875 \rightarrow 1$

$0.93147258460521697998046875 * 2 = 1.8629451692104339599609375 \rightarrow 1$

$0.8629451692104339599609375 * 2 = 1.725890338420867919921875 \rightarrow 1$

$0.725890338420867919921875 * 2 = 1.45178067684173583984375 \rightarrow 1$

$0.45178067684173583984375 * 2 = 0.9035613536834716796875 \rightarrow 0$

$0.9035613536834716796875 * 2 = 1.807122707366943359375 \rightarrow 1$

$0.807122707366943359375 * 2 = 1.61424541473388671875 \rightarrow 1$

$0.61424541473388671875 * 2 = 1.2284908294677734375 \rightarrow 1$

$0.2284908294677734375 * 2 = 0.456981658935546875 \rightarrow 0$

$0.456981658935546875 * 2 = 0.91396331787109375 \rightarrow 0$

$0.91396331787109375 * 2 = 1.8279266357421875 \rightarrow 1$

$0.8279266357421875 * 2 = 1.655853271484375 \rightarrow 1$

$0.655853271484375 * 2 = 1.31170654296875 \rightarrow 1$

$0.31170654296875 * 2 = 0.6234130859375 \rightarrow 0$

$0.6234130859375 * 2 = 1.246826171875 \rightarrow 1$

$0.246826171875 * 2 = 0.49365234375$	-> 0
$0.49365234375 * 2 = 0.9873046875$	-> 0
$0.9873046875 * 2 = 1.974609375$	-> 1
$0.974609375 * 2 = 1.94921875$	-> 1
$0.94921875 * 2 = 1.8984375$	-> 1
$0.8984375 * 2 = 1.796875$	-> 1

Sign Exponent Significand

0 10011101 00111101110011101001111

$1.24143407307565212249755859375$  (sub 10) = 1.00111101110011101001111

Represented number:

$(1) * (1 + 0 * 2^{-1} + 0 * 2^{-2} + 2^{-3} + 2^{-4} + 2^{-5} + 2^{-6} + 2^{-8} + 2^{-9} + 2^{-10} + 2^{-13} + 2^{-14} + 2^{-15} + 2^{-17} + 2^{-20} + 2^{-21} + 2^{-22} + 2^{-23}) * 2^{30} = 1332979584$

Error:  $1332979686 - 1332979584 = 102$

b)

-0.8544921875

Multiply by 2, 1 time to get -1.708984375

realExp = -1

Bias = 127

Exp = -1 + 127 = 126 = 1111110

Algorithm:

$0.708984375 * 2 = 1.41796875$  -> 1

$0.41796875 * 2 = 0.8359375$  -> 0

$0.8359375 * 2 = 1.671875$  -> 1

$0.671875 * 2 = 1.34375$  -> 1

$$0.34375 * 2 = 0.6875 \quad \rightarrow 0$$

$$0.6875 * 2 = 1.375 \quad \rightarrow 1$$

$$0.375 * 2 = 0.75 \quad \rightarrow 0$$

$$0.75 * 2 = 1.5 \quad \rightarrow 1$$

$$0.5 * 2 = 1 \quad \rightarrow 1$$

Sign Exponent Significand

1 1111110 101101011000000000000000

-1.708984375 (sub 10) = 1.101101011000000000000000

Represented number:

$$(-1) * (1 + 1 * 2^{-1} + 1 * 2^{-2}) * 2^1 = -0.875$$

Error is zero.