Problem Set 4

- 1. According to the help page for the function <code>scan()</code>, "a field is always delimited by an end-of-line marker unless it is quoted." Graphically, lines 1 and 2 end with the user-specified delimiter, but R reads ,\n. Thus it determines that there is an empty string between these two delimiters. Additionally, the order in which the empty strings appear in the resulting vector hints at the explanation above. The last wonder pet on line 1 is Tuck and the first wonder pet on line 2 is Ming-Ming; in the resulting vector, these strings are separated by an empty string. Similarly for Ollie and The Visitor.
- 2. When header = TRUE, R expects the first line to contain the names of the variables that are associated with each column of data. The read.table() argument check.names = TRUE by default. When set to TRUE, this tells R to check the names of the variables in the data to ensure that they are syntactically valid variable names, i.e, name consists of letters, numbers and the dot or underline characters and starts with a letter or the dot not followed by a number [See ?read.table]. If the names are not syntactically valid, the make.names function is called, which will prepend the character "X" if necessary [See ?make.names]. This functionality can be overwritten by setting check.names = FALSE; however, the user must now be careful to user backticks when selecting individual variables by name using the \$ operator.

```
caffeine.bad <- read.table("caffeine.txt", header = TRUE, check.names = FALSE)</pre>
head(caffeine.bad, n = 2)
##
       0 100 200
## 1 242 248 246
## 2 245 246 248
caffeine.bad$100
## Error: <text>:1:14: unexpected numeric constant
## 1: caffeine.bad$100
##
caffeine.bad$ 100
## [1] 248 246
  3.
  c) The time that it took to compute \hat{\beta}:
##
      user
             system elapsed
##
     2.095
              0.027
                       2.137
  d) The time that it took to compute \hat{\beta}:
```

```
## user system elapsed
## 1.542 0.015 1.568
```

e) The formula for $\hat{\beta}$ can be rearranged in the following way,

$$\hat{\beta} = (X^T X)^{-1} X^T y$$

$$(X^T X) \hat{\beta} = (X^T X) (X^T X)^{-1} X^T y$$

$$(X^T X) \hat{\beta} = I X^T y$$

$$(X^T X) \hat{\beta} = X^T y$$

The time that it took to compute $\hat{\beta}$:

user system elapsed ## 0.802 0.006 0.812

- g)
- h)