## Step-1

Let us consider the following Payoff matrix

$$A = \begin{bmatrix} 1 & 2 \\ 3 & 4 \end{bmatrix}$$

Now the strategy used by both the plays must be a *mixed strategy*, and the choice made by each player at every turn must be independent of the previous turn

## Step-2

Let us consider *X* as a row player and *Y* as a column player.

To find optimum strategy, X will go for the row, with the maximum value in that row and Y will go for the column, with the minimum value in that column.

And the common value satisfying the above situation is the saddle value, which gives the optimum solution.

## Step-3

Using this strategy, X will select row 2 and Y will select column 1.

And the optimum value is 3.

## Step-4

Thus, the optimum strategy for x is as follows:

$$x^{\bullet} = \begin{bmatrix} 0 & 1 \end{bmatrix}$$

Thus, the optimum strategy for y is as follows:

$$y^{\bullet} = \begin{bmatrix} 1 \\ 0 \end{bmatrix}$$