

In Lemma 1.1 (line 1):

- Line 5: l_j must exist in $\{\bar{l}_i\}$
- Must account for the case when t is typed by rule T-Sub
- Must handle application ($t_1 t_2 : T$)

In Lemma 1.3 (line 25):

- Evaluation is not deterministic given the rules E-Raise and E-RaiseRaise. Consider the following example:
 - o Let $t \rightarrow t'$
 - o $\text{raise}[T](\text{raise}[T] t) \mid \mu \rightarrow \text{raise}[T] t \mid \mu$ by E-RaiseRaise
 - o $\text{raise}[T] t \mid \mu \rightarrow \text{raise}[T] t' \mid \mu'$ by E-Raise
 - o $\text{raise}[T](\text{raise}[T] t) \mid \mu \rightarrow \text{raise}[T](\text{raise}[T] t') \mid \mu'$ by E-Raise
- This can be fixed by requiring t in E-RaiseRaise to be a value. The proof cannot be fixed without changing the definition
- Similarly, E-AppAbs is problematic. To prove the lemma, the definition must be changed to restrict t_2 to a value.

In Lemma 1.5 (line 41):

- The lemma can be strengthened by including the case that $v : \text{Unit}$. A type rule for unit must then be supplied, and the proof of soundness modified to account for the new rule.

In Lemma 1.7 (line 71):

- Line 87: Must use weakening to derive $\Gamma, y : U \mid \Sigma \vdash s : S$, and use that as the input for induction
- Line 107: Similarly, must use weakening.

In Lemma 1.9 (line 113):

- The lemma is too strong; the lemma should work on terms in the empty context. Otherwise, the case T-Var can occur.
- Line 128: We cannot get $S_1 = T_2$ from Lemma 1.1. We can instead strengthen the canonical forms lemma to tell us that $T_2 \leq S_1$ (the necessary information is already available in both cases of the lemma). Lemma 1.1 can tell us that $\Gamma \mid \Sigma \vdash \text{fun } x : S_1. t_{12} : S_1 \rightarrow T$ and $\Gamma, x : S_1 \mid \Sigma \vdash t_{12} : T$. We can then use T-Sub to get $\Gamma \mid \Sigma \vdash t_2 : S_1$, which is passed on to Lemma 1.7 for QED.
- Line 144: The term $\text{raise}[T]v$ cannot be a member of a record of type T . By T-Raise, $\text{raise}[T]v$ is of type T . That means that the definition of T is recursive, yet we do not have recursive types in our definition. Therefore, the definition is flawed. The proof itself can be made to work by showing that such a term could not possibly be well typed, therefore proving the case by contradiction. The same applies to the T-Proj case below.
- Line 171: Must show that the new μ is well-typed using Lemma 1.8.
- Line 183: Lemma 1.1 does not show that $\Sigma(p) = T$, but that there is some R such that $\Sigma(p) = R$ and $R \leq T$. And can then be shown that $\mu(p) : R$, and by T-Sub $\mu(p) : T$. A similar case occurs on lines 201-202.

- Line 205: As mentioned above (under Lemma 1.5) there is no type rule for unit. Without being able to type unit, the lemma is unprovable.
- Line 229: In order to use E-HandleRaise, x must be of type T . Unfortunately, with the current definition of T-Try there's no reason it has to be. This case can not be proven without changing the definition of T-Try to use " $x:T$ " instead of " $x:T_1$ ". Also, to prove type preservation, t_2 must have type T (given $x:T$). To prove this also requires modification of the typing rule.