

LAPORAN HASIL ENKRIPSI & DEKRIPSI

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Kelas: Informatika E

PROSES ENKRIPSI EL GAMAL:

Blok 1 - ASCII: 82 ($k = 27$)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

$$2^{16} \bmod 2579 = [2^8 \bmod 2579] \times [2^8 \bmod 2579] \bmod 2579$$

$$= (256 \times 256) \bmod 2579$$

$$= 1061$$

Menghitung hasil akhir $2^{27} \bmod 2579$:

$$2^{27} \bmod 2579 = [2^{16} \bmod 2579] \times [2^8 \bmod 2579] \times [2^2 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (1061 \times 256 \times 4 \times 2) \bmod 2579$$

$$= 2172928 \bmod 2579$$

$$= 1410$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

$$949^{16} \bmod 2579 = [949^8 \bmod 2579] \times [949^8 \bmod 2579] \bmod 2579$$

$$= (678 \times 678) \bmod 2579$$

$$= 622$$

Menghitung hasil akhir $949^{27} \bmod 2579$:

$$949^{27} \bmod 2579 = [949^{16} \bmod 2579] \times [949^8 \bmod 2579] \times [949^2 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (622 \times 678 \times 530 \times 949) \bmod 2579$$

$$= 212110496520 \bmod 2579$$

$$= 1928$$

$$949^{27} \bmod 2579 = 1928$$

$$949^{27} \times 82 \bmod 2579$$

$$= 158096 \bmod 2579$$

$$= 777$$

Hasil Enkripsi Blok 1: ASCII (M) = 82, = 1410, = 777

Blok 2 - ASCII: 89 (k = 50)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

$$2^{16} \bmod 2579 = [2^8 \bmod 2579] \times [2^8 \bmod 2579] \bmod 2579$$

$$= (256 \times 256) \bmod 2579$$

$$= 1061$$

$$2^{32} \bmod 2579 = [2^{16} \bmod 2579] \times [2^{16} \bmod 2579] \bmod 2579$$

$$= (1061 \times 1061) \bmod 2579$$

$$= 1277$$

Menghitung hasil akhir $2^{50} \bmod 2579$:

$$2^{50} \bmod 2579 = [2^{32} \bmod 2579] \times [2^{16} \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (1277 \times 1061 \times 4) \bmod 2579$$

$$= 5419588 \bmod 2579$$

$$= 1109$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

$$949^{16} \bmod 2579 = [949^8 \bmod 2579] \times [949^8 \bmod 2579] \bmod 2579$$

$$= (678 \times 678) \bmod 2579$$

$$= 622$$

$$\begin{aligned}
949^{32} \bmod 2579 &= [949^{16} \bmod 2579] \times [949^{16} \bmod 2579] \bmod 2579 \\
&= (622 \times 622) \bmod 2579 \\
&= 34
\end{aligned}$$

Menghitung hasil akhir $949^{50} \bmod 2579$:

$$\begin{aligned}
949^{50} \bmod 2579 &= [949^{32} \bmod 2579] \times [949^{16} \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579 \\
&= (34 \times 622 \times 530) \bmod 2579 \\
&= 11208440 \bmod 2579 \\
&= 106
\end{aligned}$$

$$949^{50} \bmod 2579 = 106$$

$$949^{50} \times 89 \bmod 2579$$

$$= 9434 \bmod 2579$$

$$= 1697$$

Hasil Enkripsi Blok 2: ASCII (M) = 89, = 1109, = 1697

Blok 3 - ASCII: 70 (k = 39)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

$$2^{16} \bmod 2579 = [2^8 \bmod 2579] \times [2^8 \bmod 2579] \bmod 2579$$

$$= (256 \times 256) \bmod 2579$$

$$= 1061$$

$$2^{32} \bmod 2579 = [2^{16} \bmod 2579] \times [2^{16} \bmod 2579] \bmod 2579$$

$$= (1061 \times 1061) \bmod 2579$$

$$= 1277$$

Menghitung hasil akhir $2^{39} \bmod 2579$:

$$2^{39} \bmod 2579 = [2^{32} \bmod 2579] \times [2^4 \bmod 2579] \times [2^2 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (1277 \times 16 \times 4 \times 2) \bmod 2579$$

$$= 163456 \bmod 2579$$

$$= 979$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

$$949^{16} \bmod 2579 = [949^8 \bmod 2579] \times [949^8 \bmod 2579] \bmod 2579$$

$$= (678 \times 678) \bmod 2579$$

$$= 622$$

$$949^{32} \bmod 2579 = [949^{16} \bmod 2579] \times [949^{16} \bmod 2579] \bmod 2579$$

$$= (622 \times 622) \bmod 2579$$

$$= 34$$

Menghitung hasil akhir $949^{39} \bmod 2579$:

$$949^{39} \bmod 2579 = [949^{32} \bmod 2579] \times [949^4 \bmod 2579] \times [949^2 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (34 \times 2368 \times 530 \times 949) \bmod 2579$$

$$= 40495120640 \bmod 2579$$

$$= 489$$

$$949^{39} \bmod 2579 = 489$$

$$949^{39} \times 70 \bmod 2579$$

$$= 34230 \bmod 2579$$

$$= 703$$

Hasil Enkripsi Blok 3: ASCII (M) = 70, = 979, = 703

Blok 4 - ASCII: 65 (k = 23)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

$$2^{16} \bmod 2579 = [2^8 \bmod 2579] \times [2^8 \bmod 2579] \bmod 2579$$

$$= (256 \times 256) \bmod 2579$$

$$= 1061$$

Menghitung hasil akhir $2^{23} \bmod 2579$:

$$2^{23} \bmod 2579 = [2^{16} \bmod 2579] \times [2^4 \bmod 2579] \times [2^2 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (1061 \times 16 \times 4 \times 2) \bmod 2579$$

$$= 135808 \bmod 2579$$

$$= 1700$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

$$949^{16} \bmod 2579 = [949^8 \bmod 2579] \times [949^8 \bmod 2579] \bmod 2579$$

$$= (678 \times 678) \bmod 2579$$

$$= 622$$

Menghitung hasil akhir $949^{23} \bmod 2579$:

$$949^{23} \bmod 2579 = [949^{16} \bmod 2579] \times [949^4 \bmod 2579] \times [949^2 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (622 \times 2368 \times 530 \times 949) \bmod 2579$$

$$= 740822501120 \bmod 2579$$

$$= 602$$

$$949^{23} \bmod 2579 = 602$$

$$949^{23} \times 65 \bmod 2579$$

$$= 39130 \bmod 2579$$

$$= 445$$

Hasil Enkripsi Blok 4: ASCII (M) = 65, = 1700, = 445

Blok 5 - ASCII: 65 (k = 9)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

Menghitung hasil akhir $2^9 \bmod 2579$:

$$2^9 \bmod 2579 = [2^8 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (256 \times 2) \bmod 2579$$

$$= 512 \bmod 2579$$

$$= 512$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

Menghitung hasil akhir $949^9 \bmod 2579$:

$$949^9 \bmod 2579 = [949^8 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (678 \times 949) \bmod 2579$$

$$= 643422 \bmod 2579$$

$$= 1251$$

$$949^9 \bmod 2579 = 1251$$

$$949^9 \times 65 \bmod 2579$$

$$= 81315 \bmod 2579$$

$$= 1366$$

Hasil Enkripsi Blok 5: ASCII (M) = 65, = 512, = 1366

Blok 6 - ASCII: 84 (k = 23)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

$$2^{16} \bmod 2579 = [2^8 \bmod 2579] \times [2^8 \bmod 2579] \bmod 2579$$

$$= (256 \times 256) \bmod 2579$$

$$= 1061$$

Menghitung hasil akhir $2^{23} \bmod 2579$:

$$2^{23} \bmod 2579 = [2^{16} \bmod 2579] \times [2^4 \bmod 2579] \times [2^2 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (1061 \times 16 \times 4 \times 2) \bmod 2579$$

$$= 135808 \bmod 2579$$

$$= 1700$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

$$949^{16} \bmod 2579 = [949^8 \bmod 2579] \times [949^8 \bmod 2579] \bmod 2579$$

$$= (678 \times 678) \bmod 2579$$

$$= 622$$

Menghitung hasil akhir $949^{23} \bmod 2579$:

$$949^{23} \bmod 2579 = [949^{16} \bmod 2579] \times [949^4 \bmod 2579] \times [949^2 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (622 \times 2368 \times 530 \times 949) \bmod 2579$$

$$= 740822501120 \bmod 2579$$

$$= 602$$

$$949^{23} \bmod 2579 = 602$$

$$949^{23} \times 84 \bmod 2579$$

$$= 50568 \bmod 2579$$

$$= 1567$$

Hasil Enkripsi Blok 6: ASCII (M) = 84, = 1700, = 1567

Blok 7 - ASCII: 72 (k = 10)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

Menghitung hasil akhir $2^{10} \bmod 2579$:

$$2^{10} \bmod 2579 = [2^8 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (256 \times 4) \bmod 2579$$

$$= 1024 \bmod 2579$$

$$= 1024$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

Menghitung hasil akhir $949^{10} \bmod 2579$:

$$949^{10} \bmod 2579 = [949^8 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (678 \times 530) \bmod 2579$$

$$= 359340 \bmod 2579$$

$$= 859$$

$$949^{10} \bmod 2579 = 859$$

$$949^{10} \times 72 \bmod 2579$$

$$= 61848 \bmod 2579$$

$$= 2531$$

Hasil Enkripsi Blok 7: ASCII (M) = 72, = 1024, = 2531

Blok 8 - ASCII: 73 (k = 37)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

$$2^{16} \bmod 2579 = [2^8 \bmod 2579] \times [2^8 \bmod 2579] \bmod 2579$$

$$= (256 \times 256) \bmod 2579$$

$$= 1061$$

$$2^{32} \bmod 2579 = [2^{16} \bmod 2579] \times [2^{16} \bmod 2579] \bmod 2579$$

$$= (1061 \times 1061) \bmod 2579$$

$$= 1277$$

Menghitung hasil akhir $2^{37} \bmod 2579$:

$$2^{37} \bmod 2579 = [2^{32} \bmod 2579] \times [2^4 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (1277 \times 16 \times 2) \bmod 2579$$

$$= 40864 \bmod 2579$$

$$= 2179$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

$$949^{16} \bmod 2579 = [949^8 \bmod 2579] \times [949^8 \bmod 2579] \bmod 2579$$

$$= (678 \times 678) \bmod 2579$$

$$= 622$$

$$949^{32} \bmod 2579 = [949^{16} \bmod 2579] \times [949^{16} \bmod 2579] \bmod 2579$$

$$= (622 \times 622) \bmod 2579$$

$$= 34$$

Menghitung hasil akhir $949^{37} \bmod 2579$:

$$949^{37} \bmod 2579 = [949^{32} \bmod 2579] \times [949^4 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (34 \times 2368 \times 949) \bmod 2579$$

$$= 76405888 \bmod 2579$$

$$= 434$$

$$949^{37} \bmod 2579 = 434$$

$$949^{37} \times 73 \bmod 2579$$

$$= 31682 \bmod 2579$$

$$= 734$$

Hasil Enkripsi Blok 8: ASCII (M) = 73, = 2179, = 734

Blok 9 - ASCII: 82 (k = 23)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

$$2^{16} \bmod 2579 = [2^8 \bmod 2579] \times [2^8 \bmod 2579] \bmod 2579$$

$$= (256 \times 256) \bmod 2579$$

$$= 1061$$

Menghitung hasil akhir $2^{23} \bmod 2579$:

$$2^{23} \bmod 2579 = [2^{16} \bmod 2579] \times [2^4 \bmod 2579] \times [2^2 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (1061 \times 16 \times 4 \times 2) \bmod 2579$$

$$= 135808 \bmod 2579$$

$$= 1700$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

$$949^{16} \bmod 2579 = [949^8 \bmod 2579] \times [949^8 \bmod 2579] \bmod 2579$$

$$= (678 \times 678) \bmod 2579$$

$$= 622$$

Menghitung hasil akhir $949^{23} \bmod 2579$:

$$949^{23} \bmod 2579 = [949^{16} \bmod 2579] \times [949^4 \bmod 2579] \times [949^2 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (622 \times 2368 \times 530 \times 949) \bmod 2579$$

$$= 740822501120 \bmod 2579$$

$$= 602$$

$$949^{23} \bmod 2579 = 602$$

$$949^{23} \times 82 \bmod 2579$$

$$= 49364 \bmod 2579$$

$$= 363$$

Hasil Enkripsi Blok 9: ASCII (M) = 82, = 1700, = 363

Blok 10 - ASCII: 32 (k = 33)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

$$2^{16} \bmod 2579 = [2^8 \bmod 2579] \times [2^8 \bmod 2579] \bmod 2579$$

$$= (256 \times 256) \bmod 2579$$

$$= 1061$$

$$2^{32} \bmod 2579 = [2^{16} \bmod 2579] \times [2^{16} \bmod 2579] \bmod 2579$$

$$= (1061 \times 1061) \bmod 2579$$

$$= 1277$$

Menghitung hasil akhir $2^{33} \bmod 2579$:

$$2^{33} \bmod 2579 = [2^{32} \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (1277 \times 2) \bmod 2579$$

$$= 2554 \bmod 2579$$

$$= 2554$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

$$949^{16} \bmod 2579 = [949^8 \bmod 2579] \times [949^8 \bmod 2579] \bmod 2579$$

$$= (678 \times 678) \bmod 2579$$

$$= 622$$

$$\begin{aligned}
949^{32} \bmod 2579 &= [949^{16} \bmod 2579] \times [949^{16} \bmod 2579] \bmod 2579 \\
&= (622 \times 622) \bmod 2579 \\
&= 34
\end{aligned}$$

Menghitung hasil akhir $949^{33} \bmod 2579$:

$$\begin{aligned}
949^{33} \bmod 2579 &= [949^{32} \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579 \\
&= (34 \times 949) \bmod 2579 \\
&= 32266 \bmod 2579 \\
&= 1318
\end{aligned}$$

$$949^{33} \bmod 2579 = 1318$$

$$949^{33} \times 32 \bmod 2579$$

$$= 42176 \bmod 2579$$

$$= 912$$

Hasil Enkripsi Blok 10: ASCII (M) = 32, = 2554, = 912

Blok 11 - ASCII: 82 (k = 3)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

Menghitung hasil akhir $2^3 \bmod 2579$:

$$2^3 \bmod 2579 = [2^2 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (4 \times 2) \bmod 2579$$

$$= 8 \bmod 2579$$

$$= 8$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

Menghitung hasil akhir $949^3 \bmod 2579$:

$$949^3 \bmod 2579 = [949^2 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (530 \times 949) \bmod 2579$$

$$= 502970 \bmod 2579$$

$$= 65$$

$$949^3 \bmod 2579 = 65$$

$$949^3 \times 82 \bmod 2579$$

$$= 5330 \bmod 2579$$

$$= 172$$

Hasil Enkripsi Blok 11: ASCII (M) = 82, = 8, = 172

Blok 12 - ASCII: 65 (k = 15)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

Menghitung hasil akhir $2^{15} \bmod 2579$:

$$2^{15} \bmod 2579 = [2^8 \bmod 2579] \times [2^4 \bmod 2579] \times [2^2 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (256 \times 16 \times 4 \times 2) \bmod 2579$$

$$= 32768 \bmod 2579$$

$$= 1820$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

Menghitung hasil akhir $949^{15} \bmod 2579$:

$$949^{15} \bmod 2579 = [949^8 \bmod 2579] \times [949^4 \bmod 2579] \times [949^2 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (678 \times 2368 \times 530 \times 949) \bmod 2579$$

$$= 807520346880 \bmod 2579$$

$$= 1104$$

$$949^{15} \bmod 2579 = 1104$$

$$949^{15} \times 65 \bmod 2579$$

$$= 71760 \bmod 2579$$

$$= 2127$$

Hasil Enkripsi Blok 12: ASCII (M) = 65, = 1820, = 2127

Blok 13 - ASCII: 72 (k = 1)

$$2^1 \bmod 2579 = 2$$

$$949^1 \bmod 2579 = 949$$

$$949^1 \bmod 2579 = 949$$

$$949^1 \times 72 \bmod 2579$$

$$= 68328 \bmod 2579$$

$$= 1274$$

Hasil Enkripsi Blok 13: ASCII (M) = 72, = 2, = 1274

Blok 14 - ASCII: 77 (k = 43)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

$$2^{16} \bmod 2579 = [2^8 \bmod 2579] \times [2^8 \bmod 2579] \bmod 2579$$

$$= (256 \times 256) \bmod 2579$$

$$= 1061$$

$$2^{32} \bmod 2579 = [2^{16} \bmod 2579] \times [2^{16} \bmod 2579] \bmod 2579$$

$$= (1061 \times 1061) \bmod 2579$$

$$= 1277$$

Menghitung hasil akhir $2^{43} \bmod 2579$:

$$2^{43} \bmod 2579 = [2^{32} \bmod 2579] \times [2^8 \bmod 2579] \times [2^2 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (1277 \times 256 \times 4 \times 2) \bmod 2579$$

$$= 2615296 \bmod 2579$$

$$= 190$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

$$949^{16} \bmod 2579 = [949^8 \bmod 2579] \times [949^8 \bmod 2579] \bmod 2579$$

$$= (678 \times 678) \bmod 2579$$

$$= 622$$

$$949^{32} \bmod 2579 = [949^{16} \bmod 2579] \times [949^{16} \bmod 2579] \bmod 2579$$

$$= (622 \times 622) \bmod 2579$$

$$= 34$$

Menghitung hasil akhir $949^{43} \bmod 2579$:

$$949^{43} \bmod 2579 = [949^{32} \bmod 2579] \times [949^8 \bmod 2579] \times [949^2 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (34 \times 678 \times 530 \times 949) \bmod 2579$$

$$= 11594464440 \bmod 2579$$

$$= 2560$$

$$949^{43} \bmod 2579 = 2560$$

$$949^{43} \times 77 \bmod 2579$$

$$= 197120 \bmod 2579$$

$$= 1116$$

Hasil Enkripsi Blok 14: ASCII (M) = 77, = 190, = 1116

Blok 15 - ASCII: 65 (k = 44)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

$$2^{16} \bmod 2579 = [2^8 \bmod 2579] \times [2^8 \bmod 2579] \bmod 2579$$

$$= (256 \times 256) \bmod 2579$$

$$= 1061$$

$$2^{32} \bmod 2579 = [2^{16} \bmod 2579] \times [2^{16} \bmod 2579] \bmod 2579$$

$$= (1061 \times 1061) \bmod 2579$$

$$= 1277$$

Menghitung hasil akhir $2^{44} \bmod 2579$:

$$2^{44} \bmod 2579 = [2^{32} \bmod 2579] \times [2^8 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (1277 \times 256 \times 16) \bmod 2579$$

$$= 5230592 \bmod 2579$$

$$= 380$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

$$949^{16} \bmod 2579 = [949^8 \bmod 2579] \times [949^8 \bmod 2579] \bmod 2579$$

$$= (678 \times 678) \bmod 2579$$

$$= 622$$

$$949^{32} \bmod 2579 = [949^{16} \bmod 2579] \times [949^{16} \bmod 2579] \bmod 2579$$

$$= (622 \times 622) \bmod 2579$$

$$= 34$$

Menghitung hasil akhir $949^{44} \bmod 2579$:

$$949^{44} \bmod 2579 = [949^{32} \bmod 2579] \times [949^8 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (34 \times 678 \times 2368) \bmod 2579$$

$$= 54587136 \bmod 2579$$

$$= 22$$

$$949^{44} \bmod 2579 = 22$$

$$949^{44} \times 65 \bmod 2579$$

$$= 1430 \bmod 2579$$

$$= 1430$$

Hasil Enkripsi Blok 15: ASCII (M) = 65, = 380, = 1430

Blok 16 - ASCII: 78 (k = 50)

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256$$

$$2^{16} \bmod 2579 = [2^8 \bmod 2579] \times [2^8 \bmod 2579] \bmod 2579$$

$$= (256 \times 256) \bmod 2579$$

$$= 1061$$

$$2^{32} \bmod 2579 = [2^{16} \bmod 2579] \times [2^{16} \bmod 2579] \bmod 2579$$

$$= (1061 \times 1061) \bmod 2579$$

$$= 1277$$

Menghitung hasil akhir $2^{50} \bmod 2579$:

$$2^{50} \bmod 2579 = [2^{32} \bmod 2579] \times [2^{16} \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (1277 \times 1061 \times 4) \bmod 2579$$

$$= 5419588 \bmod 2579$$

$$= 1109$$

$$949^1 \bmod 2579 = 949$$

$$949^2 \bmod 2579 = [949^1 \bmod 2579] \times [949^1 \bmod 2579] \bmod 2579$$

$$= (949 \times 949) \bmod 2579$$

$$= 530$$

$$949^4 \bmod 2579 = [949^2 \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (530 \times 530) \bmod 2579$$

$$= 2368$$

$$949^8 \bmod 2579 = [949^4 \bmod 2579] \times [949^4 \bmod 2579] \bmod 2579$$

$$= (2368 \times 2368) \bmod 2579$$

$$= 678$$

$$949^{16} \bmod 2579 = [949^8 \bmod 2579] \times [949^8 \bmod 2579] \bmod 2579$$

$$= (678 \times 678) \bmod 2579$$

$$= 622$$

$$949^{32} \bmod 2579 = [949^{16} \bmod 2579] \times [949^{16} \bmod 2579] \bmod 2579$$

$$= (622 \times 622) \bmod 2579$$

$$= 34$$

Menghitung hasil akhir $949^{50} \bmod 2579$:

$$949^{50} \bmod 2579 = [949^{32} \bmod 2579] \times [949^{16} \bmod 2579] \times [949^2 \bmod 2579] \bmod 2579$$

$$= (34 \times 622 \times 530) \bmod 2579$$

$$= 11208440 \bmod 2579$$

$$= 106$$

$$949^{50} \bmod 2579 = 106$$

$$949^{50} \times 78 \bmod 2579$$

$$= 8268 \bmod 2579$$

$$= 531$$

Hasil Enkripsi Blok 16: ASCII (M) = 78, = 1109, = 531

ChipherText:

(1410, 777) (1109, 1697) (979, 703) (1700, 445) (512, 1366) (1700, 1567) (1024, 2531) (2179, 734)

(1700, 363) (2554, 912) (8, 172) (1820, 2127) (2, 1274) (190, 1116) (380, 1430) (1109, 531)

PROSES DEKRIPSI EL GAMAL

Blok 1 - Dekripsi dengan $a = 1410$, $b = 777$

$$1410^1 \bmod 2579 = 1410$$

$$1410^2 \bmod 2579 = [1410^1 \bmod 2579] \times [1410^1 \bmod 2579] \bmod 2579$$

$$= (1410 \times 1410) \bmod 2579$$

$$= 1988100 \bmod 2579$$

$$= 2270$$

$$1410^4 \bmod 2579 = [1410^2 \bmod 2579] \times [1410^2 \bmod 2579] \bmod 2579$$

$$= (2270 \times 2270) \bmod 2579$$

$$= 5152900 \bmod 2579$$

$$= 58$$

$$1410^8 \bmod 2579 = [1410^4 \bmod 2579] \times [1410^4 \bmod 2579] \bmod 2579$$

$$= (58 \times 58) \bmod 2579$$

$$= 3364 \bmod 2579$$

$$= 785$$

$$1410^{16} \bmod 2579 = [1410^8 \bmod 2579] \times [1410^8 \bmod 2579] \bmod 2579$$

$$= (785 \times 785) \bmod 2579$$

$$= 616225 \bmod 2579$$

$$= 2423$$

$$1410^{32} \bmod 2579 = [1410^{16} \bmod 2579] \times [1410^{16} \bmod 2579] \bmod 2579$$

$$= (2423 \times 2423) \bmod 2579$$

$$= 5870929 \bmod 2579$$

$$= 1125$$

$$1410^{64} \bmod 2579 = [1410^{32} \bmod 2579] \times [1410^{32} \bmod 2579] \bmod 2579$$

$$= (1125 \times 1125) \bmod 2579$$

$$= 1265625 \bmod 2579$$

$$= 1915$$

$$1410^{128} \bmod 2579 = [1410^{64} \bmod 2579] \times [1410^{64} \bmod 2579] \bmod 2579$$

$$= (1915 \times 1915) \bmod 2579$$

$$= 3667225 \bmod 2579$$

$$= 2466$$

$$1410^{256} \bmod 2579 = [1410^{128} \bmod 2579] \times [1410^{128} \bmod 2579] \bmod 2579$$

$$= (2466 \times 2466) \bmod 2579$$

$$= 6081156 \bmod 2579$$

$$= 2453$$

$$1410^{512} \bmod 2579 = [1410^{256} \bmod 2579] \times [1410^{256} \bmod 2579] \bmod 2579$$

$$= (2453 \times 2453) \bmod 2579$$

$$= 6017209 \bmod 2579$$

$$= 402$$

$$1410^{1024} \bmod 2579 = [1410^{512} \bmod 2579] \times [1410^{512} \bmod 2579] \bmod 2579$$

$$= (402 \times 402) \bmod 2579$$

$$= 161604 \bmod 2579$$

$$= 1706$$

Menghitung hasil akhir $1410^{1813} \bmod 2579$:

$$1410^{1813} \bmod 2579 = [1410^{1024} \bmod 2579] \times [1410^{512} \bmod 2579] \times [1410^{256} \bmod 2579] \times [1410^{16} \bmod 2579] \times [1410^4 \bmod 2579] \times [1410^1 \bmod 2579] \bmod 2579$$

$$= (1706 \times 402 \times 2453 \times 2423 \times 58 \times 1410) \bmod 2579$$

$$= 333352064006097840 \bmod 2579$$

$$= 103$$

$$\text{Perhitungan: } M = (103 \times 777) \bmod 2579$$

$$= 80031 \bmod 2579$$

$$= 82$$

Hasil Dekripsi Blok 1: $y = 103$, $M = 82$

Blok 2 - Dekripsi dengan $= 1109$, $= 1697$

$$1109^1 \bmod 2579 = 1109$$

$$\begin{aligned} 1109^2 \bmod 2579 &= [1109^1 \bmod 2579] \times [1109^1 \bmod 2579] \bmod 2579 \\ &= (1109 \times 1109) \bmod 2579 \\ &= 1229881 \bmod 2579 \\ &= 2277 \end{aligned}$$

$$\begin{aligned} 1109^4 \bmod 2579 &= [1109^2 \bmod 2579] \times [1109^2 \bmod 2579] \bmod 2579 \\ &= (2277 \times 2277) \bmod 2579 \\ &= 5184729 \bmod 2579 \\ &= 939 \end{aligned}$$

$$\begin{aligned} 1109^8 \bmod 2579 &= [1109^4 \bmod 2579] \times [1109^4 \bmod 2579] \bmod 2579 \\ &= (939 \times 939) \bmod 2579 \\ &= 881721 \bmod 2579 \\ &= 2282 \end{aligned}$$

$$\begin{aligned} 1109^{16} \bmod 2579 &= [1109^8 \bmod 2579] \times [1109^8 \bmod 2579] \bmod 2579 \\ &= (2282 \times 2282) \bmod 2579 \\ &= 5207524 \bmod 2579 \\ &= 523 \end{aligned}$$

$$\begin{aligned} 1109^{32} \bmod 2579 &= [1109^{16} \bmod 2579] \times [1109^{16} \bmod 2579] \bmod 2579 \\ &= (523 \times 523) \bmod 2579 \\ &= 273529 \bmod 2579 \\ &= 155 \end{aligned}$$

$$\begin{aligned} 1109^{64} \bmod 2579 &= [1109^{32} \bmod 2579] \times [1109^{32} \bmod 2579] \bmod 2579 \\ &= (155 \times 155) \bmod 2579 \\ &= 24025 \bmod 2579 \\ &= 814 \end{aligned}$$

$$\begin{aligned} 1109^{128} \bmod 2579 &= [1109^{64} \bmod 2579] \times [1109^{64} \bmod 2579] \bmod 2579 \\ &= (814 \times 814) \bmod 2579 \\ &= 662596 \bmod 2579 \\ &= 2372 \end{aligned}$$

$$\begin{aligned}
1109^{256} \bmod 2579 &= [1109^{128} \bmod 2579] \times [1109^{128} \bmod 2579] \bmod 2579 \\
&= (2372 \times 2372) \bmod 2579 \\
&= 5626384 \bmod 2579 \\
&= 1585
\end{aligned}$$

$$\begin{aligned}
1109^{512} \bmod 2579 &= [1109^{256} \bmod 2579] \times [1109^{256} \bmod 2579] \bmod 2579 \\
&= (1585 \times 1585) \bmod 2579 \\
&= 2512225 \bmod 2579 \\
&= 279
\end{aligned}$$

$$\begin{aligned}
1109^{1024} \bmod 2579 &= [1109^{512} \bmod 2579] \times [1109^{512} \bmod 2579] \bmod 2579 \\
&= (279 \times 279) \bmod 2579 \\
&= 77841 \bmod 2579 \\
&= 471
\end{aligned}$$

Menghitung hasil akhir $1109^{1813} \bmod 2579$:

$$\begin{aligned}
1109^{1813} \bmod 2579 &= [1109^{1024} \bmod 2579] \times [1109^{512} \bmod 2579] \times [1109^{256} \bmod 2579] \times \\
&\quad [1109^{16} \bmod 2579] \times [1109^4 \bmod 2579] \times [1109^1 \bmod 2579] \bmod 2579 \\
&= (471 \times 279 \times 1585 \times 523 \times 939 \times 1109) \bmod 2579 \\
&= 113436600830200845 \bmod 2579 \\
&= 73
\end{aligned}$$

$$\begin{aligned}
\text{Perhitungan: } M &= (73 \times 1697) \bmod 2579 \\
&= 123881 \bmod 2579 \\
&= 89
\end{aligned}$$

Hasil Dekripsi Blok 2: $y = 73$, $M = 89$

Blok 3 - Dekripsi dengan $= 979$, $= 703$

$$\begin{aligned}
979^1 \bmod 2579 &= 979 \\
979^2 \bmod 2579 &= [979^1 \bmod 2579] \times [979^1 \bmod 2579] \bmod 2579 \\
&= (979 \times 979) \bmod 2579 \\
&= 958441 \bmod 2579 \\
&= 1632
\end{aligned}$$

$$979^4 \bmod 2579 = [979^2 \bmod 2579] \times [979^2 \bmod 2579] \bmod 2579$$

$$= (1632 \times 1632) \bmod 2579$$

$$= 2663424 \bmod 2579$$

$$= 1896$$

$$979^8 \bmod 2579 = [979^4 \bmod 2579] \times [979^4 \bmod 2579] \bmod 2579$$

$$= (1896 \times 1896) \bmod 2579$$

$$= 3594816 \bmod 2579$$

$$= 2269$$

$$979^{16} \bmod 2579 = [979^8 \bmod 2579] \times [979^8 \bmod 2579] \bmod 2579$$

$$= (2269 \times 2269) \bmod 2579$$

$$= 5148361 \bmod 2579$$

$$= 677$$

$$979^{32} \bmod 2579 = [979^{16} \bmod 2579] \times [979^{16} \bmod 2579] \bmod 2579$$

$$= (677 \times 677) \bmod 2579$$

$$= 458329 \bmod 2579$$

$$= 1846$$

$$979^{64} \bmod 2579 = [979^{32} \bmod 2579] \times [979^{32} \bmod 2579] \bmod 2579$$

$$= (1846 \times 1846) \bmod 2579$$

$$= 3407716 \bmod 2579$$

$$= 857$$

$$979^{128} \bmod 2579 = [979^{64} \bmod 2579] \times [979^{64} \bmod 2579] \bmod 2579$$

$$= (857 \times 857) \bmod 2579$$

$$= 734449 \bmod 2579$$

$$= 2013$$

$$979^{256} \bmod 2579 = [979^{128} \bmod 2579] \times [979^{128} \bmod 2579] \bmod 2579$$

$$= (2013 \times 2013) \bmod 2579$$

$$= 4052169 \bmod 2579$$

$$= 560$$

$$979^{512} \bmod 2579 = [979^{256} \bmod 2579] \times [979^{256} \bmod 2579] \bmod 2579$$

$$= (560 \times 560) \bmod 2579$$

$$= 313600 \bmod 2579$$

$$= 1541$$

$$979^{1024} \bmod 2579 = [979^{512} \bmod 2579] \times [979^{512} \bmod 2579] \bmod 2579$$

$$= (1541 \times 1541) \bmod 2579$$

$$= 2374681 \bmod 2579$$

$$= 2001$$

Menghitung hasil akhir $979^{1813} \bmod 2579$:

$$979^{1813} \bmod 2579 = [979^{1024} \bmod 2579] \times [979^{512} \bmod 2579] \times [979^{256} \bmod 2579] \times [979^{16} \bmod 2579] \times [979^4 \bmod 2579] \times [979^1 \bmod 2579] \bmod 2579$$

$$= (2001 \times 1541 \times 560 \times 677 \times 1896 \times 979) \bmod 2579$$

$$= 2169938612535281280 \bmod 2579$$

$$= 1097$$

$$\text{Perhitungan: } M = (1097 \times 703) \bmod 2579$$

$$= 771191 \bmod 2579$$

$$= 70$$

Hasil Dekripsi Blok 3: $y = 1097$, $M = 70$

Blok 4 - Dekripsi dengan $x = 1700$, $y = 445$

$$1700^1 \bmod 2579 = 1700$$

$$1700^2 \bmod 2579 = [1700^1 \bmod 2579] \times [1700^1 \bmod 2579] \bmod 2579$$

$$= (1700 \times 1700) \bmod 2579$$

$$= 2890000 \bmod 2579$$

$$= 1520$$

$$1700^4 \bmod 2579 = [1700^2 \bmod 2579] \times [1700^2 \bmod 2579] \bmod 2579$$

$$= (1520 \times 1520) \bmod 2579$$

$$= 2310400 \bmod 2579$$

$$= 2195$$

$$1700^8 \bmod 2579 = [1700^4 \bmod 2579] \times [1700^4 \bmod 2579] \bmod 2579$$

$$= (2195 \times 2195) \bmod 2579$$

$$= 4818025 \bmod 2579$$

$$= 453$$

$$1700^{16} \bmod 2579 = [1700^8 \bmod 2579] \times [1700^8 \bmod 2579] \bmod 2579$$

$$= (453 \times 453) \bmod 2579$$

$$= 205209 \bmod 2579$$

$$= 1468$$

$$1700^{32} \bmod 2579 = [1700^{16} \bmod 2579] \times [1700^{16} \bmod 2579] \bmod 2579$$

$$= (1468 \times 1468) \bmod 2579$$

$$= 2155024 \bmod 2579$$

$$= 1559$$

$$1700^{64} \bmod 2579 = [1700^{32} \bmod 2579] \times [1700^{32} \bmod 2579] \bmod 2579$$

$$= (1559 \times 1559) \bmod 2579$$

$$= 2430481 \bmod 2579$$

$$= 1063$$

$$1700^{128} \bmod 2579 = [1700^{64} \bmod 2579] \times [1700^{64} \bmod 2579] \bmod 2579$$

$$= (1063 \times 1063) \bmod 2579$$

$$= 1129969 \bmod 2579$$

$$= 367$$

$$1700^{256} \bmod 2579 = [1700^{128} \bmod 2579] \times [1700^{128} \bmod 2579] \bmod 2579$$

$$= (367 \times 367) \bmod 2579$$

$$= 134689 \bmod 2579$$

$$= 581$$

$$1700^{512} \bmod 2579 = [1700^{256} \bmod 2579] \times [1700^{256} \bmod 2579] \bmod 2579$$

$$= (581 \times 581) \bmod 2579$$

$$= 337561 \bmod 2579$$

$$= 2291$$

$$1700^{1024} \bmod 2579 = [1700^{512} \bmod 2579] \times [1700^{512} \bmod 2579] \bmod 2579$$

$$= (2291 \times 2291) \bmod 2579$$

$$= 5248681 \bmod 2579$$

$$= 416$$

Menghitung hasil akhir $1700^{1813} \bmod 2579$:

$$1700^{1813} \bmod 2579 = [1700^{1024} \bmod 2579] \times [1700^{512} \bmod 2579] \times [1700^{256} \bmod 2579] \times [1700^{16} \bmod 2579] \times [1700^4 \bmod 2579] \times [1700^1 \bmod 2579] \bmod 2579$$

$$= (416 \times 2291 \times 581 \times 1468 \times 2195 \times 1700) \bmod 2579$$

$$= 3033220997573312000 \bmod 2579$$

$$= 1478$$

$$\text{Perhitungan: } M = (1478 \times 445) \bmod 2579$$

$$= 657710 \bmod 2579$$

$$= 65$$

Hasil Dekripsi Blok 4: $y = 1478$, $M = 65$

Blok 5 - Dekripsi dengan $a = 512$, $b = 1366$

$$512^1 \bmod 2579 = 512$$

$$512^2 \bmod 2579 = [512^1 \bmod 2579] \times [512^1 \bmod 2579] \bmod 2579$$

$$= (512 \times 512) \bmod 2579$$

$$= 262144 \bmod 2579$$

$$= 1665$$

$$512^4 \bmod 2579 = [512^2 \bmod 2579] \times [512^2 \bmod 2579] \bmod 2579$$

$$= (1665 \times 1665) \bmod 2579$$

$$= 2772225 \bmod 2579$$

$$= 2379$$

$$512^8 \bmod 2579 = [512^4 \bmod 2579] \times [512^4 \bmod 2579] \bmod 2579$$

$$= (2379 \times 2379) \bmod 2579$$

$$= 5659641 \bmod 2579$$

$$= 1315$$

$$512^{16} \bmod 2579 = [512^8 \bmod 2579] \times [512^8 \bmod 2579] \bmod 2579$$

$$= (1315 \times 1315) \bmod 2579$$

$$= 1729225 \bmod 2579$$

$$= 1295$$

$$512^{32} \bmod 2579 = [512^{16} \bmod 2579] \times [512^{16} \bmod 2579] \bmod 2579$$

$$= (1295 \times 1295) \bmod 2579$$

$$= 1677025 \bmod 2579$$

$$= 675$$

$$512^{64} \bmod 2579 = [512^{32} \bmod 2579] \times [512^{32} \bmod 2579] \bmod 2579$$

$$= (675 \times 675) \bmod 2579$$

$$= 455625 \bmod 2579$$

$$= 1721$$

$$512^{128} \bmod 2579 = [512^{64} \bmod 2579] \times [512^{64} \bmod 2579] \bmod 2579$$

$$= (1721 \times 1721) \bmod 2579$$

$$= 2961841 \bmod 2579$$

$$= 1149$$

$$512^{256} \bmod 2579 = [512^{128} \bmod 2579] \times [512^{128} \bmod 2579] \bmod 2579$$

$$= (1149 \times 1149) \bmod 2579$$

$$= 1320201 \bmod 2579$$

$$= 2332$$

$$512^{512} \bmod 2579 = [512^{256} \bmod 2579] \times [512^{256} \bmod 2579] \bmod 2579$$

$$= (2332 \times 2332) \bmod 2579$$

$$= 5438224 \bmod 2579$$

$$= 1692$$

$$512^{1024} \bmod 2579 = [512^{512} \bmod 2579] \times [512^{512} \bmod 2579] \bmod 2579$$

$$= (1692 \times 1692) \bmod 2579$$

$$= 2862864 \bmod 2579$$

$$= 174$$

Menghitung hasil akhir $512^{1813} \bmod 2579$:

$$512^{1813} \bmod 2579 = [512^{1024} \bmod 2579] \times [512^{512} \bmod 2579] \times [512^{256} \bmod 2579] \times [512^{16} \bmod 2579] \times [512^4 \bmod 2579] \times [512^1 \bmod 2579] \bmod 2579$$

$$= (174 \times 1692 \times 2332 \times 1295 \times 2379 \times 512) \bmod 2579$$

$$= 1082959772079144960 \bmod 2579$$

$$= 2445$$

$$\text{Perhitungan: } M = (2445 \times 1366) \bmod 2579$$

$$= 3339870 \bmod 2579$$

$$= 65$$

Hasil Dekripsi Blok 5: $y = 2445$, $M = 65$

Blok 6 - Dekripsi dengan $a = 1700$, $b = 1567$

$$1700^1 \bmod 2579 = 1700$$

$$1700^2 \bmod 2579 = [1700^1 \bmod 2579] \times [1700^1 \bmod 2579] \bmod 2579$$

$$= (1700 \times 1700) \bmod 2579$$

$$= 2890000 \bmod 2579$$

$$= 1520$$

$$1700^4 \bmod 2579 = [1700^2 \bmod 2579] \times [1700^2 \bmod 2579] \bmod 2579$$

$$= (1520 \times 1520) \bmod 2579$$

$$= 2310400 \bmod 2579$$

$$= 2195$$

$$1700^8 \bmod 2579 = [1700^4 \bmod 2579] \times [1700^4 \bmod 2579] \bmod 2579$$

$$= (2195 \times 2195) \bmod 2579$$

$$= 4818025 \bmod 2579$$

$$= 453$$

$$1700^{16} \bmod 2579 = [1700^8 \bmod 2579] \times [1700^8 \bmod 2579] \bmod 2579$$

$$= (453 \times 453) \bmod 2579$$

$$= 205209 \bmod 2579$$

$$= 1468$$

$$1700^{32} \bmod 2579 = [1700^{16} \bmod 2579] \times [1700^{16} \bmod 2579] \bmod 2579$$

$$= (1468 \times 1468) \bmod 2579$$

$$= 2155024 \bmod 2579$$

$$= 1559$$

$$1700^{64} \bmod 2579 = [1700^{32} \bmod 2579] \times [1700^{32} \bmod 2579] \bmod 2579$$

$$= (1559 \times 1559) \bmod 2579$$

$$= 2430481 \bmod 2579$$

$$= 1063$$

$$1700^{128} \bmod 2579 = [1700^{64} \bmod 2579] \times [1700^{64} \bmod 2579] \bmod 2579$$

$$= (1063 \times 1063) \bmod 2579$$

$$= 1129969 \bmod 2579$$

$$= 367$$

$$1700^{256} \bmod 2579 = [1700^{128} \bmod 2579] \times [1700^{128} \bmod 2579] \bmod 2579$$

$$= (367 \times 367) \bmod 2579$$

$$= 134689 \bmod 2579$$

$$= 581$$

$$1700^{512} \bmod 2579 = [1700^{256} \bmod 2579] \times [1700^{256} \bmod 2579] \bmod 2579$$

$$= (581 \times 581) \bmod 2579$$

$$= 337561 \bmod 2579$$

$$= 2291$$

$$1700^{1024} \bmod 2579 = [1700^{512} \bmod 2579] \times [1700^{512} \bmod 2579] \bmod 2579$$

$$= (2291 \times 2291) \bmod 2579$$

$$= 5248681 \bmod 2579$$

$$= 416$$

Menghitung hasil akhir $1700^{1813} \bmod 2579$:

$$1700^{1813} \bmod 2579 = [1700^{1024} \bmod 2579] \times [1700^{512} \bmod 2579] \times [1700^{256} \bmod 2579] \times [1700^{16} \bmod 2579] \times [1700^4 \bmod 2579] \times [1700^1 \bmod 2579] \bmod 2579$$

$$= (416 \times 2291 \times 581 \times 1468 \times 2195 \times 1700) \bmod 2579$$

$$= 3033220997573312000 \bmod 2579$$

$$= 1478$$

$$\text{Perhitungan: } M = (1478 \times 1567) \bmod 2579$$

$$= 2316026 \bmod 2579$$

$$= 84$$

Hasil Dekripsi Blok 6: $y = 1478$, $M = 84$

Blok 7 - Dekripsi dengan $= 1024$, $= 2531$

$$1024^1 \bmod 2579 = 1024$$

$$1024^2 \bmod 2579 = [1024^1 \bmod 2579] \times [1024^1 \bmod 2579] \bmod 2579$$

$$= (1024 \times 1024) \bmod 2579$$

$$= 1048576 \bmod 2579$$

$$= 1502$$

$$1024^4 \bmod 2579 = [1024^2 \bmod 2579] \times [1024^2 \bmod 2579] \bmod 2579$$

$$= (1502 \times 1502) \bmod 2579$$

$$= 2256004 \bmod 2579$$

$$= 1958$$

$$1024^8 \bmod 2579 = [1024^4 \bmod 2579] \times [1024^4 \bmod 2579] \bmod 2579$$

$$= (1958 \times 1958) \bmod 2579$$

$$= 3833764 \bmod 2579$$

$$= 1370$$

$$1024^{16} \bmod 2579 = [1024^8 \bmod 2579] \times [1024^8 \bmod 2579] \bmod 2579$$

$$= (1370 \times 1370) \bmod 2579$$

$$= 1876900 \bmod 2579$$

$$= 1967$$

$$1024^{32} \bmod 2579 = [1024^{16} \bmod 2579] \times [1024^{16} \bmod 2579] \bmod 2579$$

$$= (1967 \times 1967) \bmod 2579$$

$$= 3869089 \bmod 2579$$

$$= 589$$

$$1024^{64} \bmod 2579 = [1024^{32} \bmod 2579] \times [1024^{32} \bmod 2579] \bmod 2579$$

$$= (589 \times 589) \bmod 2579$$

$$= 346921 \bmod 2579$$

$$= 1335$$

$$1024^{128} \bmod 2579 = [1024^{64} \bmod 2579] \times [1024^{64} \bmod 2579] \bmod 2579$$

$$= (1335 \times 1335) \bmod 2579$$

$$= 1782225 \bmod 2579$$

$$= 136$$

$$1024^{256} \bmod 2579 = [1024^{128} \bmod 2579] \times [1024^{128} \bmod 2579] \bmod 2579$$

$$= (136 \times 136) \bmod 2579$$

$$= 18496 \bmod 2579$$

$$= 443$$

$$1024^{512} \bmod 2579 = [1024^{256} \bmod 2579] \times [1024^{256} \bmod 2579] \bmod 2579$$

$$= (443 \times 443) \bmod 2579$$

$$= 196249 \bmod 2579$$

$$= 245$$

$$1024^{1024} \bmod 2579 = [1024^{512} \bmod 2579] \times [1024^{512} \bmod 2579] \bmod 2579$$

$$= (245 \times 245) \bmod 2579$$

$$= 60025 \bmod 2579$$

$$= 708$$

Menghitung hasil akhir $1024^{1813} \bmod 2579$:

$$1024^{1813} \bmod 2579 = [1024^{1024} \bmod 2579] \times [1024^{512} \bmod 2579] \times [1024^{256} \bmod 2579] \times [1024^{16} \bmod 2579] \times [1024^4 \bmod 2579] \times [1024^1 \bmod 2579] \bmod 2579$$

$$= (708 \times 245 \times 443 \times 1967 \times 1958 \times 1024) \bmod 2579$$

$$= 303054036063313920 \bmod 2579$$

$$= 1288$$

$$\text{Perhitungan: } M = (1288 \times 2531) \bmod 2579$$

$$= 3259928 \bmod 2579$$

$$= 72$$

Hasil Dekripsi Blok 7: $y = 1288$, $M = 72$

Blok 8 - Dekripsi dengan $= 2179$, $= 734$

$$2179^1 \bmod 2579 = 2179$$

$$2179^2 \bmod 2579 = [2179^1 \bmod 2579] \times [2179^1 \bmod 2579] \bmod 2579$$

$$= (2179 \times 2179) \bmod 2579$$

$$= 4748041 \bmod 2579$$

$$= 102$$

$$2179^4 \bmod 2579 = [2179^2 \bmod 2579] \times [2179^2 \bmod 2579] \bmod 2579$$

$$= (102 \times 102) \bmod 2579$$

$$= 10404 \bmod 2579$$

$$= 88$$

$$2179^8 \bmod 2579 = [2179^4 \bmod 2579] \times [2179^4 \bmod 2579] \bmod 2579$$

$$= (88 \times 88) \bmod 2579$$

$$= 7744 \bmod 2579$$

$$= 7$$

$$2179^{16} \bmod 2579 = [2179^8 \bmod 2579] \times [2179^8 \bmod 2579] \bmod 2579$$

$$= (7 \times 7) \bmod 2579$$

$$= 49 \bmod 2579$$

$$= 49$$

$$2179^{32} \bmod 2579 = [2179^{16} \bmod 2579] \times [2179^{16} \bmod 2579] \bmod 2579$$

$$= (49 \times 49) \bmod 2579$$

$$= 2401 \bmod 2579$$

$$= 2401$$

$$2179^{64} \bmod 2579 = [2179^{32} \bmod 2579] \times [2179^{32} \bmod 2579] \bmod 2579$$

$$= (2401 \times 2401) \bmod 2579$$

$$= 5764801 \bmod 2579$$

$$= 736$$

$$2179^{128} \bmod 2579 = [2179^{64} \bmod 2579] \times [2179^{64} \bmod 2579] \bmod 2579$$

$$= (736 \times 736) \bmod 2579$$

$$= 541696 \bmod 2579$$

$$= 106$$

$$2179^{256} \bmod 2579 = [2179^{128} \bmod 2579] \times [2179^{128} \bmod 2579] \bmod 2579$$

$$= (106 \times 106) \bmod 2579$$

$$= 11236 \bmod 2579$$

$$= 920$$

$$2179^{512} \bmod 2579 = [2179^{256} \bmod 2579] \times [2179^{256} \bmod 2579] \bmod 2579$$

$$= (920 \times 920) \bmod 2579$$

$$= 846400 \bmod 2579$$

$$= 488$$

$$2179^{1024} \bmod 2579 = [2179^{512} \bmod 2579] \times [2179^{512} \bmod 2579] \bmod 2579$$

$$= (488 \times 488) \bmod 2579$$

$$= 238144 \bmod 2579$$

$$= 876$$

Menghitung hasil akhir $2179^{1813} \bmod 2579$:

$$2179^{1813} \bmod 2579 = [2179^{1024} \bmod 2579] \times [2179^{512} \bmod 2579] \times [2179^{256} \bmod 2579] \times [2179^{16} \bmod 2579] \times [2179^4 \bmod 2579] \times [2179^1 \bmod 2579] \bmod 2579$$

$$= (876 \times 488 \times 920 \times 49 \times 88 \times 2179) \bmod 2579$$

$$= 3695283288238080 \bmod 2579$$

$$= 1135$$

$$\text{Perhitungan: } M = (1135 \times 734) \bmod 2579$$

$$= 833090 \bmod 2579$$

$$= 73$$

Hasil Dekripsi Blok 8: $y = 1135$, $M = 73$

Blok 9 - Dekripsi dengan $= 1700$, $= 363$

$$1700^1 \bmod 2579 = 1700$$

$$1700^2 \bmod 2579 = [1700^1 \bmod 2579] \times [1700^1 \bmod 2579] \bmod 2579$$

$$= (1700 \times 1700) \bmod 2579$$

$$= 2890000 \bmod 2579$$

$$= 1520$$

$$1700^4 \bmod 2579 = [1700^2 \bmod 2579] \times [1700^2 \bmod 2579] \bmod 2579$$

$$= (1520 \times 1520) \bmod 2579$$

$$= 2310400 \bmod 2579$$

$$= 2195$$

$$1700^8 \bmod 2579 = [1700^4 \bmod 2579] \times [1700^4 \bmod 2579] \bmod 2579$$

$$= (2195 \times 2195) \bmod 2579$$

$$= 4818025 \bmod 2579$$

$$= 453$$

$$1700^{16} \bmod 2579 = [1700^8 \bmod 2579] \times [1700^8 \bmod 2579] \bmod 2579$$

$$= (453 \times 453) \bmod 2579$$

$$= 205209 \bmod 2579$$

$$= 1468$$

$$1700^{32} \bmod 2579 = [1700^{16} \bmod 2579] \times [1700^{16} \bmod 2579] \bmod 2579$$

$$= (1468 \times 1468) \bmod 2579$$

$$= 2155024 \bmod 2579$$

$$= 1559$$

$$1700^{64} \bmod 2579 = [1700^{32} \bmod 2579] \times [1700^{32} \bmod 2579] \bmod 2579$$

$$= (1559 \times 1559) \bmod 2579$$

$$= 2430481 \bmod 2579$$

$$= 1063$$

$$1700^{128} \bmod 2579 = [1700^{64} \bmod 2579] \times [1700^{64} \bmod 2579] \bmod 2579$$

$$= (1063 \times 1063) \bmod 2579$$

$$= 1129969 \bmod 2579$$

$$= 367$$

$$1700^{256} \bmod 2579 = [1700^{128} \bmod 2579] \times [1700^{128} \bmod 2579] \bmod 2579$$

$$= (367 \times 367) \bmod 2579$$

$$= 134689 \bmod 2579$$

$$= 581$$

$$1700^{512} \bmod 2579 = [1700^{256} \bmod 2579] \times [1700^{256} \bmod 2579] \bmod 2579$$

$$= (581 \times 581) \bmod 2579$$

$$= 337561 \bmod 2579$$

$$= 2291$$

$$1700^{1024} \bmod 2579 = [1700^{512} \bmod 2579] \times [1700^{512} \bmod 2579] \bmod 2579$$

$$= (2291 \times 2291) \bmod 2579$$

$$= 5248681 \bmod 2579$$

$$= 416$$

Menghitung hasil akhir $1700^{1813} \bmod 2579$:

$$1700^{1813} \bmod 2579 = [1700^{1024} \bmod 2579] \times [1700^{512} \bmod 2579] \times [1700^{256} \bmod 2579] \times [1700^{16} \bmod 2579] \times [1700^4 \bmod 2579] \times [1700^1 \bmod 2579] \bmod 2579$$

$$= (416 \times 2291 \times 581 \times 1468 \times 2195 \times 1700) \bmod 2579$$

$$= 3033220997573312000 \bmod 2579$$

$$= 1478$$

$$\text{Perhitungan: } M = (1478 \times 363) \bmod 2579$$

$$= 536514 \bmod 2579$$

$$= 82$$

Hasil Dekripsi Blok 9: $y = 1478$, $M = 82$

Blok 10 - Dekripsi dengan $= 2554$, $= 912$

$$2554^1 \bmod 2579 = 2554$$

$$2554^2 \bmod 2579 = [2554^1 \bmod 2579] \times [2554^1 \bmod 2579] \bmod 2579$$

$$= (2554 \times 2554) \bmod 2579$$

$$= 6522916 \bmod 2579$$

$$= 625$$

$$2554^4 \bmod 2579 = [2554^2 \bmod 2579] \times [2554^2 \bmod 2579] \bmod 2579$$

$$= (625 \times 625) \bmod 2579$$

$$= 390625 \bmod 2579$$

$$= 1196$$

$$2554^8 \bmod 2579 = [2554^4 \bmod 2579] \times [2554^4 \bmod 2579] \bmod 2579$$

$$= (1196 \times 1196) \bmod 2579$$

$$= 1430416 \bmod 2579$$

$$= 1650$$

$$2554^{16} \bmod 2579 = [2554^8 \bmod 2579] \times [2554^8 \bmod 2579] \bmod 2579$$

$$= (1650 \times 1650) \bmod 2579$$

$$= 2722500 \bmod 2579$$

$$= 1655$$

$$2554^{32} \bmod 2579 = [2554^{16} \bmod 2579] \times [2554^{16} \bmod 2579] \bmod 2579$$

$$= (1655 \times 1655) \bmod 2579$$

$$= 2739025 \bmod 2579$$

$$= 127$$

$$2554^{64} \bmod 2579 = [2554^{32} \bmod 2579] \times [2554^{32} \bmod 2579] \bmod 2579$$

$$= (127 \times 127) \bmod 2579$$

$$= 16129 \bmod 2579$$

$$= 655$$

$$2554^{128} \bmod 2579 = [2554^{64} \bmod 2579] \times [2554^{64} \bmod 2579] \bmod 2579$$

$$= (655 \times 655) \bmod 2579$$

$$= 429025 \bmod 2579$$

$$= 911$$

$$2554^{256} \bmod 2579 = [2554^{128} \bmod 2579] \times [2554^{128} \bmod 2579] \bmod 2579$$

$$= (911 \times 911) \bmod 2579$$

$$= 829921 \bmod 2579$$

$$= 2062$$

$$2554^{512} \bmod 2579 = [2554^{256} \bmod 2579] \times [2554^{256} \bmod 2579] \bmod 2579$$

$$= (2062 \times 2062) \bmod 2579$$

$$= 4251844 \bmod 2579$$

$$= 1652$$

$$2554^{1024} \bmod 2579 = [2554^{512} \bmod 2579] \times [2554^{512} \bmod 2579] \bmod 2579$$

$$= (1652 \times 1652) \bmod 2579$$

$$= 2729104 \bmod 2579$$

$$= 522$$

Menghitung hasil akhir $2554^{1813} \bmod 2579$:

$$2554^{1813} \bmod 2579 = [2554^{1024} \bmod 2579] \times [2554^{512} \bmod 2579] \times [2554^{256} \bmod 2579] \times [2554^{16} \bmod 2579] \times [2554^4 \bmod 2579] \times [2554^1 \bmod 2579] \bmod 2579$$

$$= (522 \times 1652 \times 2062 \times 1655 \times 1196 \times 2554) \bmod 2579$$

$$= 8989163457197938560 \bmod 2579$$

$$= 362$$

$$\text{Perhitungan: } M = (362 \times 912) \bmod 2579$$

$$= 330144 \bmod 2579$$

$$= 32$$

Hasil Dekripsi Blok 10: $y = 362$, $M = 32$

Blok 11 - Dekripsi dengan $a = 8$, $b = 172$

$$8^1 \bmod 2579 = 8$$

$$8^2 \bmod 2579 = [8^1 \bmod 2579] \times [8^1 \bmod 2579] \bmod 2579$$

$$= (8 \times 8) \bmod 2579$$

$$= 64 \bmod 2579$$

$$= 64$$

$$8^4 \bmod 2579 = [8^2 \bmod 2579] \times [8^2 \bmod 2579] \bmod 2579$$

$$= (64 \times 64) \bmod 2579$$

$$= 4096 \bmod 2579$$

$$= 1517$$

$$8^8 \bmod 2579 = [8^4 \bmod 2579] \times [8^4 \bmod 2579] \bmod 2579$$

$$= (1517 \times 1517) \bmod 2579$$

$$= 2301289 \bmod 2579$$

$$= 821$$

$$8^{16} \bmod 2579 = [8^8 \bmod 2579] \times [8^8 \bmod 2579] \bmod 2579$$

$$= (821 \times 821) \bmod 2579$$

$$= 674041 \bmod 2579$$

$$= 922$$

$$8^{32} \bmod 2579 = [8^{16} \bmod 2579] \times [8^{16} \bmod 2579] \bmod 2579$$

$$= (922 \times 922) \bmod 2579$$

$$= 850084 \bmod 2579$$

$$= 1593$$

$$8^{64} \bmod 2579 = [8^{32} \bmod 2579] \times [8^{32} \bmod 2579] \bmod 2579$$

$$= (1593 \times 1593) \bmod 2579$$

$$= 2537649 \bmod 2579$$

$$= 2492$$

$$8^{128} \bmod 2579 = [8^{64} \bmod 2579] \times [8^{64} \bmod 2579] \bmod 2579$$

$$= (2492 \times 2492) \bmod 2579$$

$$= 6210064 \bmod 2579$$

$$= 2411$$

$$8^{256} \bmod 2579 = [8^{128} \bmod 2579] \times [8^{128} \bmod 2579] \bmod 2579$$

$$= (2411 \times 2411) \bmod 2579$$

$$= 5812921 \bmod 2579$$

$$= 2434$$

$$8^{512} \bmod 2579 = [8^{256} \bmod 2579] \times [8^{256} \bmod 2579] \bmod 2579$$

$$= (2434 \times 2434) \bmod 2579$$

$$= 5924356 \bmod 2579$$

$$= 393$$

$$8^{1024} \bmod 2579 = [8^{512} \bmod 2579] \times [8^{512} \bmod 2579] \bmod 2579$$

$$= (393 \times 393) \bmod 2579$$

$$= 154449 \bmod 2579$$

$$= 2288$$

Menghitung hasil akhir $8^{1813} \bmod 2579$:

$$8^{1813} \bmod 2579 = [8^{1024} \bmod 2579] \times [8^{512} \bmod 2579] \times [8^{256} \bmod 2579] \times [8^{16} \bmod 2579] \times [8^4 \bmod 2579] \times [8^1 \bmod 2579] \bmod 2579$$

$$= (2288 \times 393 \times 2434 \times 922 \times 1517 \times 8) \bmod 2579$$

$$= 24489258371415552 \bmod 2579$$

$$= 1230$$

Perhitungan: $M = (1230 \times 172) \bmod 2579$

$= 211560 \bmod 2579$

$= 82$

Hasil Dekripsi Blok 11: $y = 1230$, $M = 82$

Blok 12 - Dekripsi dengan $= 1820$, $= 2127$

$1820^1 \bmod 2579 = 1820$

$1820^2 \bmod 2579 = [1820^1 \bmod 2579] \times [1820^1 \bmod 2579] \bmod 2579$

$= (1820 \times 1820) \bmod 2579$

$= 3312400 \bmod 2579$

$= 964$

$1820^4 \bmod 2579 = [1820^2 \bmod 2579] \times [1820^2 \bmod 2579] \bmod 2579$

$= (964 \times 964) \bmod 2579$

$= 929296 \bmod 2579$

$= 856$

$1820^8 \bmod 2579 = [1820^4 \bmod 2579] \times [1820^4 \bmod 2579] \bmod 2579$

$= (856 \times 856) \bmod 2579$

$= 732736 \bmod 2579$

$= 300$

$1820^{16} \bmod 2579 = [1820^8 \bmod 2579] \times [1820^8 \bmod 2579] \bmod 2579$

$= (300 \times 300) \bmod 2579$

$= 90000 \bmod 2579$

$= 2314$

$1820^{32} \bmod 2579 = [1820^{16} \bmod 2579] \times [1820^{16} \bmod 2579] \bmod 2579$

$= (2314 \times 2314) \bmod 2579$

$= 5354596 \bmod 2579$

$= 592$

$1820^{64} \bmod 2579 = [1820^{32} \bmod 2579] \times [1820^{32} \bmod 2579] \bmod 2579$

$= (592 \times 592) \bmod 2579$

$= 350464 \bmod 2579$

$$= 2299$$

$$1820^{128} \bmod 2579 = [1820^{64} \bmod 2579] \times [1820^{64} \bmod 2579] \bmod 2579$$

$$= (2299 \times 2299) \bmod 2579$$

$$= 5285401 \bmod 2579$$

$$= 1030$$

$$1820^{256} \bmod 2579 = [1820^{128} \bmod 2579] \times [1820^{128} \bmod 2579] \bmod 2579$$

$$= (1030 \times 1030) \bmod 2579$$

$$= 1060900 \bmod 2579$$

$$= 931$$

$$1820^{512} \bmod 2579 = [1820^{256} \bmod 2579] \times [1820^{256} \bmod 2579] \bmod 2579$$

$$= (931 \times 931) \bmod 2579$$

$$= 866761 \bmod 2579$$

$$= 217$$

$$1820^{1024} \bmod 2579 = [1820^{512} \bmod 2579] \times [1820^{512} \bmod 2579] \bmod 2579$$

$$= (217 \times 217) \bmod 2579$$

$$= 47089 \bmod 2579$$

$$= 667$$

Menghitung hasil akhir $1820^{1813} \bmod 2579$:

$$1820^{1813} \bmod 2579 = [1820^{1024} \bmod 2579] \times [1820^{512} \bmod 2579] \times [1820^{256} \bmod 2579] \times [1820^{16} \bmod 2579] \times [1820^4 \bmod 2579] \times [1820^1 \bmod 2579] \bmod 2579$$

$$= (667 \times 217 \times 931 \times 2314 \times 856 \times 1820) \bmod 2579$$

$$= 485784614579001920 \bmod 2579$$

$$= 1432$$

$$\text{Perhitungan: } M = (1432 \times 2127) \bmod 2579$$

$$= 3045864 \bmod 2579$$

$$= 65$$

Hasil Dekripsi Blok 12: $y = 1432$, $M = 65$

Blok 13 - Dekripsi dengan $= 2$, $= 1274$

$$2^1 \bmod 2579 = 2$$

$$2^2 \bmod 2579 = [2^1 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579$$

$$= (2 \times 2) \bmod 2579$$

$$= 4 \bmod 2579$$

$$= 4$$

$$2^4 \bmod 2579 = [2^2 \bmod 2579] \times [2^2 \bmod 2579] \bmod 2579$$

$$= (4 \times 4) \bmod 2579$$

$$= 16 \bmod 2579$$

$$= 16$$

$$2^8 \bmod 2579 = [2^4 \bmod 2579] \times [2^4 \bmod 2579] \bmod 2579$$

$$= (16 \times 16) \bmod 2579$$

$$= 256 \bmod 2579$$

$$= 256$$

$$2^{16} \bmod 2579 = [2^8 \bmod 2579] \times [2^8 \bmod 2579] \bmod 2579$$

$$= (256 \times 256) \bmod 2579$$

$$= 65536 \bmod 2579$$

$$= 1061$$

$$2^{32} \bmod 2579 = [2^{16} \bmod 2579] \times [2^{16} \bmod 2579] \bmod 2579$$

$$= (1061 \times 1061) \bmod 2579$$

$$= 1125721 \bmod 2579$$

$$= 1277$$

$$2^{64} \bmod 2579 = [2^{32} \bmod 2579] \times [2^{32} \bmod 2579] \bmod 2579$$

$$= (1277 \times 1277) \bmod 2579$$

$$= 1630729 \bmod 2579$$

$$= 801$$

$$2^{128} \bmod 2579 = [2^{64} \bmod 2579] \times [2^{64} \bmod 2579] \bmod 2579$$

$$= (801 \times 801) \bmod 2579$$

$$= 641601 \bmod 2579$$

$$= 2009$$

$$\begin{aligned}
2^{256} \bmod 2579 &= [2^{128} \bmod 2579] \times [2^{128} \bmod 2579] \bmod 2579 \\
&= (2009 \times 2009) \bmod 2579 \\
&= 4036081 \bmod 2579 \\
&= 2525
\end{aligned}$$

$$\begin{aligned}
2^{512} \bmod 2579 &= [2^{256} \bmod 2579] \times [2^{256} \bmod 2579] \bmod 2579 \\
&= (2525 \times 2525) \bmod 2579 \\
&= 6375625 \bmod 2579 \\
&= 337
\end{aligned}$$

$$\begin{aligned}
2^{1024} \bmod 2579 &= [2^{512} \bmod 2579] \times [2^{512} \bmod 2579] \bmod 2579 \\
&= (337 \times 337) \bmod 2579 \\
&= 113569 \bmod 2579 \\
&= 93
\end{aligned}$$

Menghitung hasil akhir $2^{1813} \bmod 2579$:

$$\begin{aligned}
2^{1813} \bmod 2579 &= [2^{1024} \bmod 2579] \times [2^{512} \bmod 2579] \times [2^{256} \bmod 2579] \times [2^{16} \bmod 2579] \times [2^4 \bmod 2579] \times [2^1 \bmod 2579] \bmod 2579 \\
&= (93 \times 337 \times 2525 \times 1061 \times 16 \times 2) \bmod 2579 \\
&= 2686826320800 \bmod 2579 \\
&= 1992
\end{aligned}$$

$$\begin{aligned}
\text{Perhitungan: } M &= (1992 \times 1274) \bmod 2579 \\
&= 2537808 \bmod 2579 \\
&= 72
\end{aligned}$$

Hasil Dekripsi Blok 13: $y = 1992$, $M = 72$

Blok 14 - Dekripsi dengan $= 190$, $= 1116$

$$\begin{aligned}
190^1 \bmod 2579 &= 190 \\
190^2 \bmod 2579 &= [190^1 \bmod 2579] \times [190^1 \bmod 2579] \bmod 2579 \\
&= (190 \times 190) \bmod 2579 \\
&= 36100 \bmod 2579 \\
&= 2573
\end{aligned}$$

$$190^4 \bmod 2579 = [190^2 \bmod 2579] \times [190^2 \bmod 2579] \bmod 2579$$

$$= (2573 \times 2573) \bmod 2579$$

$$= 6620329 \bmod 2579$$

$$= 36$$

$$190^8 \bmod 2579 = [190^4 \bmod 2579] \times [190^4 \bmod 2579] \bmod 2579$$

$$= (36 \times 36) \bmod 2579$$

$$= 1296 \bmod 2579$$

$$= 1296$$

$$190^{16} \bmod 2579 = [190^8 \bmod 2579] \times [190^8 \bmod 2579] \bmod 2579$$

$$= (1296 \times 1296) \bmod 2579$$

$$= 1679616 \bmod 2579$$

$$= 687$$

$$190^{32} \bmod 2579 = [190^{16} \bmod 2579] \times [190^{16} \bmod 2579] \bmod 2579$$

$$= (687 \times 687) \bmod 2579$$

$$= 471969 \bmod 2579$$

$$= 12$$

$$190^{64} \bmod 2579 = [190^{32} \bmod 2579] \times [190^{32} \bmod 2579] \bmod 2579$$

$$= (12 \times 12) \bmod 2579$$

$$= 144 \bmod 2579$$

$$= 144$$

$$190^{128} \bmod 2579 = [190^{64} \bmod 2579] \times [190^{64} \bmod 2579] \bmod 2579$$

$$= (144 \times 144) \bmod 2579$$

$$= 20736 \bmod 2579$$

$$= 104$$

$$190^{256} \bmod 2579 = [190^{128} \bmod 2579] \times [190^{128} \bmod 2579] \bmod 2579$$

$$= (104 \times 104) \bmod 2579$$

$$= 10816 \bmod 2579$$

$$= 500$$

$$190^{512} \bmod 2579 = [190^{256} \bmod 2579] \times [190^{256} \bmod 2579] \bmod 2579$$

$$= (500 \times 500) \bmod 2579$$

$$= 250000 \bmod 2579$$

$$= 2416$$

$$190^{1024} \bmod 2579 = [190^{512} \bmod 2579] \times [190^{512} \bmod 2579] \bmod 2579$$

$$= (2416 \times 2416) \bmod 2579$$

$$= 5837056 \bmod 2579$$

$$= 779$$

Menghitung hasil akhir $190^{1813} \bmod 2579$:

$$190^{1813} \bmod 2579 = [190^{1024} \bmod 2579] \times [190^{512} \bmod 2579] \times [190^{256} \bmod 2579] \times [190^{16} \bmod 2579] \times [190^4 \bmod 2579] \times [190^1 \bmod 2579] \bmod 2579$$

$$= (779 \times 2416 \times 500 \times 687 \times 36 \times 190) \bmod 2579$$

$$= 4421984650560000 \bmod 2579$$

$$= 2036$$

$$\text{Perhitungan: } M = (2036 \times 1116) \bmod 2579$$

$$= 2272176 \bmod 2579$$

$$= 77$$

Hasil Dekripsi Blok 14: $y = 2036$, $M = 77$

Blok 15 - Dekripsi dengan $a = 380$, $b = 1430$

$$380^1 \bmod 2579 = 380$$

$$380^2 \bmod 2579 = [380^1 \bmod 2579] \times [380^1 \bmod 2579] \bmod 2579$$

$$= (380 \times 380) \bmod 2579$$

$$= 144400 \bmod 2579$$

$$= 2555$$

$$380^4 \bmod 2579 = [380^2 \bmod 2579] \times [380^2 \bmod 2579] \bmod 2579$$

$$= (2555 \times 2555) \bmod 2579$$

$$= 6528025 \bmod 2579$$

$$= 576$$

$$380^8 \bmod 2579 = [380^4 \bmod 2579] \times [380^4 \bmod 2579] \bmod 2579$$

$$= (576 \times 576) \bmod 2579$$

$$= 331776 \bmod 2579$$

$$= 1664$$

$$380^{16} \bmod 2579 = [380^8 \bmod 2579] \times [380^8 \bmod 2579] \bmod 2579$$

$$= (1664 \times 1664) \bmod 2579$$

$$= 2768896 \bmod 2579$$

$$= 1629$$

$$380^{32} \bmod 2579 = [380^{16} \bmod 2579] \times [380^{16} \bmod 2579] \bmod 2579$$

$$= (1629 \times 1629) \bmod 2579$$

$$= 2653641 \bmod 2579$$

$$= 2429$$

$$380^{64} \bmod 2579 = [380^{32} \bmod 2579] \times [380^{32} \bmod 2579] \bmod 2579$$

$$= (2429 \times 2429) \bmod 2579$$

$$= 5900041 \bmod 2579$$

$$= 1868$$

$$380^{128} \bmod 2579 = [380^{64} \bmod 2579] \times [380^{64} \bmod 2579] \bmod 2579$$

$$= (1868 \times 1868) \bmod 2579$$

$$= 3489424 \bmod 2579$$

$$= 37$$

$$380^{256} \bmod 2579 = [380^{128} \bmod 2579] \times [380^{128} \bmod 2579] \bmod 2579$$

$$= (37 \times 37) \bmod 2579$$

$$= 1369 \bmod 2579$$

$$= 1369$$

$$380^{512} \bmod 2579 = [380^{256} \bmod 2579] \times [380^{256} \bmod 2579] \bmod 2579$$

$$= (1369 \times 1369) \bmod 2579$$

$$= 1874161 \bmod 2579$$

$$= 1807$$

$$380^{1024} \bmod 2579 = [380^{512} \bmod 2579] \times [380^{512} \bmod 2579] \bmod 2579$$

$$= (1807 \times 1807) \bmod 2579$$

$$= 3265249 \bmod 2579$$

$$= 235$$

Menghitung hasil akhir $380^{1813} \bmod 2579$:

$$380^{1813} \bmod 2579 = [380^{1024} \bmod 2579] \times [380^{512} \bmod 2579] \times [380^{256} \bmod 2579] \times [380^{16} \bmod 2579] \times [380^4 \bmod 2579] \times [380^1 \bmod 2579] \bmod 2579$$

$$= (235 \times 1807 \times 1369 \times 1629 \times 576 \times 380) \bmod 2579$$

$$= 207279631224057600 \bmod 2579$$

$$= 1524$$

$$\text{Perhitungan: } M = (1524 \times 1430) \bmod 2579$$

$$= 2179320 \bmod 2579$$

$$= 65$$

Hasil Dekripsi Blok 15: $y = 1524$, $M = 65$

Blok 16 - Dekripsi dengan $= 1109$, $= 531$

$$1109^1 \bmod 2579 = 1109$$

$$1109^2 \bmod 2579 = [1109^1 \bmod 2579] \times [1109^1 \bmod 2579] \bmod 2579$$

$$= (1109 \times 1109) \bmod 2579$$

$$= 1229881 \bmod 2579$$

$$= 2277$$

$$1109^4 \bmod 2579 = [1109^2 \bmod 2579] \times [1109^2 \bmod 2579] \bmod 2579$$

$$= (2277 \times 2277) \bmod 2579$$

$$= 5184729 \bmod 2579$$

$$= 939$$

$$1109^8 \bmod 2579 = [1109^4 \bmod 2579] \times [1109^4 \bmod 2579] \bmod 2579$$

$$= (939 \times 939) \bmod 2579$$

$$= 881721 \bmod 2579$$

$$= 2282$$

$$1109^{16} \bmod 2579 = [1109^8 \bmod 2579] \times [1109^8 \bmod 2579] \bmod 2579$$

$$= (2282 \times 2282) \bmod 2579$$

$$= 5207524 \bmod 2579$$

$$= 523$$

$$1109^{32} \bmod 2579 = [1109^{16} \bmod 2579] \times [1109^{16} \bmod 2579] \bmod 2579$$

$$= (523 \times 523) \bmod 2579$$

$$= 273529 \bmod 2579$$

$$= 155$$

$$1109^{64} \bmod 2579 = [1109^{32} \bmod 2579] \times [1109^{32} \bmod 2579] \bmod 2579$$

$$= (155 \times 155) \bmod 2579$$

$$= 24025 \bmod 2579$$

$$= 814$$

$$1109^{128} \bmod 2579 = [1109^{64} \bmod 2579] \times [1109^{64} \bmod 2579] \bmod 2579$$

$$= (814 \times 814) \bmod 2579$$

$$= 662596 \bmod 2579$$

$$= 2372$$

$$1109^{256} \bmod 2579 = [1109^{128} \bmod 2579] \times [1109^{128} \bmod 2579] \bmod 2579$$

$$= (2372 \times 2372) \bmod 2579$$

$$= 5626384 \bmod 2579$$

$$= 1585$$

$$1109^{512} \bmod 2579 = [1109^{256} \bmod 2579] \times [1109^{256} \bmod 2579] \bmod 2579$$

$$= (1585 \times 1585) \bmod 2579$$

$$= 2512225 \bmod 2579$$

$$= 279$$

$$1109^{1024} \bmod 2579 = [1109^{512} \bmod 2579] \times [1109^{512} \bmod 2579] \bmod 2579$$

$$= (279 \times 279) \bmod 2579$$

$$= 77841 \bmod 2579$$

$$= 471$$

Menghitung hasil akhir $1109^{1813} \bmod 2579$:

$$1109^{1813} \bmod 2579 = [1109^{1024} \bmod 2579] \times [1109^{512} \bmod 2579] \times [1109^{256} \bmod 2579] \times [1109^{16} \bmod 2579] \times [1109^4 \bmod 2579] \times [1109^1 \bmod 2579] \bmod 2579$$

$$= (471 \times 279 \times 1585 \times 523 \times 939 \times 1109) \bmod 2579$$

$$= 113436600830200845 \bmod 2579$$

$$= 73$$

$$\text{Perhitungan: } M = (73 \times 531) \bmod 2579$$

$$= 38763 \bmod 2579$$

$$= 78$$

Hasil Dekripsi Blok 16: $y = 73$, $M = 78$