

# Lec14-astropy1-RyanSponzilli

October 10, 2024

## 1 ASTR 310 Lecture 14 - astropy1

### 1.0.1 Exercise 0: version check

Ideally you will have astropy 5.3 or higher. Astropy 5.1.0 does not play nicely with matplotlib 5.7.

If you don't have astropy at all, see [www.astropy.org](http://www.astropy.org).

```
[1]: import astropy
      print('astropy', astropy.__version__)

      import matplotlib
      print('matplotlib', matplotlib.__version__)
```

```
astropy 6.1.0
matplotlib 3.8.4
```

### 1.0.2 Exercise 1: units and constants

Using Astropy, compute the following quantities. Hints on how to get started are in the reading for today!

1. The escape velocity (in km/s) of a  $2.3M_{\odot}$  giant star with a radius of  $150R_{\odot}$ . [2 pts]

$$v_{esc} = \sqrt{\frac{2GM}{R}}$$

```
[20]: from astropy import units as u
      from astropy import constants as const
```

```
[21]: v_esc = ((2*const.G*(2.3*u.solMass)/(150*u.solRad))**0.5).to(u.km / u.s)
      print(v_esc)
```

```
76.48532239709607 km / s
```

2. The wavelength (in angstroms) of the peak of the spectrum of a 11,350 K blackbody. [2 pts]

$$\lambda_{peak} = \frac{0.29 \text{ cm K}}{T}$$

```
[33]: lambda_peak = (0.29 * u.cm * u.K / (11350 * u.K)).to(u.Angstrom)
print(lambda_peak)
```

2555.0660792951535 Angstrom

3. The orbital period (in minutes) of a  $1M_{\odot}$  white dwarf orbiting a  $0.6M_{\odot}$  white dwarf at a separation of  $10^5$  km. [2 pts]

$$P = 2\pi \sqrt{\frac{a^3}{G(M_1 + M_2)}}$$

```
[32]: period = (2*pi*((1e5 * u.km)**3 / (const.G * (1*u.solMass + 0.6*u.solMass))))**0.
↪5).to(u.minute)
print(period)
```

7.186423546252425 min

4. The Compton wavelength (in fm) of a nickel-56 nucleus, given its rest mass of  $52.110 \text{ GeV } c^{-2}$ . [2 pts]

$$\lambda = \frac{h}{mc}$$

```
[42]: lambda_compton = (const.h / ((52.110 * u.GeV / const.c**2) * const.c)).to(u.fm)
print(lambda_compton)
```

0.02379278419366729 fm

5. The distance (in Mpc) to a radio galaxy with a flux density of 8400 Janskys (Jy) and a spectral luminosity of  $6 \times 10^{35} \text{ erg } s^{-1} \text{ Hz}^{-1}$ . What is a Jansky?  $1 \text{ Jy} = 10^{-26} \text{ W } m^{-2} \text{ Hz}^{-1}$ . [2 pts]

$$F_{\nu} = \frac{L_{\nu}}{4\pi d^2}$$

```
[47]: d = (((6e35 * u.erg / u.second / u.Hz) / (4*pi*8400*u.Jy))**0.5).to(u.Mpc)
print(d)
```

244.33208718480088 Mpc

### 1.0.3 Exercise 2: sky coordinate conversions and angles

Using SkyCoord, EarthLocation, and Time objects, perform the following calculations:

1. Find the angular distance between the Galactic center ( $l = 0^\circ$ ,  $b = 0^\circ$  in galactic coordinates) and the globular cluster M13. [3 pts]

```
[54]: from astropy.coordinates import SkyCoord, EarthLocation
center = SkyCoord(0*u.degree,0*u.degree,frame="galactic")
cluster = SkyCoord.from_name("M13")
```

```
print(center.separation(cluster))
```

67d06m01.5648835s

2. Find the angular distance between Venus and the Sun on February 29, 2024 at 23:00 UTC (i.e. “2024-02-29T23:00:00”). Use the `astropy.coordinates.get_body()` method to get sky coordinates for Solar System bodies at a given time. [3 pts]

```
[58]: import astropy.coordinates

venus = astropy.coordinates.get_body("Venus", astropy.time.Time("2024-02-29T23:
↪00:00"))
sun = astropy.coordinates.get_body("Sun", astropy.time.Time("2024-02-29T23:00:
↪00"))

print(venus.separation(sun))
```

24d24m56.515288s

3. Create an altitude-azimuth coordinate frame object (`AltAz`) corresponding to the location of the ALMA Observatory at the same time as above. Create a `SkyCoord` object corresponding to the sky position of the Large Magellanic Cloud (RA 05h23m34.5s, Dec  $-69^{\circ}45'22''$  in the `icrs` frame). Finally, using the `SkyCoord` object’s `transform_to` method, find its representation in the alt-az frame you created. This will give the altitude and azimuth of the LMC at ALMA this evening at 8 pm local time. [4 pts]

```
[78]: from astropy.time import Time
from astropy.coordinates import AltAz

target = SkyCoord.from_name("LMC")
loc = EarthLocation(lat=-23.0235*u.degree, lon=-67.7539*u.degree,height=0*u.m)
time = Time("2024-02-29T23:00:00")

# Transform from Ra/Dec to Alt/Az
print(target.transform_to(AltAz(location=loc, obstime=time)))
```

```
<SkyCoord (AltAz: obstime=2024-02-29T23:00:00.000, location=(2223467.87192447,
-5435935.18940991, -2479114.72438978) m, pressure=0.0 hPa, temperature=0.0
deg_C, relative_humidity=0.0, obswl=1.0 micron): (az, alt) in deg
(177.93289071, 43.21314132)>
```