				<	\le	$\in$	\in	
$\frac{a}{b}$	\frac {a}{b}	$\hat{X}$	\hat {x}	\leq \leq \leq \leq \leq \leq \leq \leq	\leq	$\ni$	\ni	
$\begin{vmatrix} b \\ x \end{vmatrix}$	x	ž	\check {x}	<u> </u>	\ge	#	\notin	
x	x	<i>X</i>	\breve {x}	>	\geq	<u>~</u>	\cap	
a	\left   a \right	χ́	\acute {x}	<u>~</u> «	\11	U	\cup	
[2.5]	\lceil 2.5 \rceil	x	\grave {x}	»	\gg	П	\sqcap	
2.5	\lfloor 2.5 \rfloor	$\tilde{x}$	\tilde {x}	$\stackrel{\sim}{\prec}$	\prec	⊔	\sqcup	
$\langle a \rangle$	\langle a \rangle	$\bar{x}$	\bar {x}	>	\succ	$\bigcap_{i}$	\bigcap _{i}	
±	/pm	$\dot{\mathcal{X}}$	\dot {x}	, <b>≾</b>	\preceq	$\bigcup_{i}^{n}$	\bigcup _{i}	
Ŧ	\mp	$\ddot{\mathcal{X}}$	\ddot {x}	<u></u>	\succeq	$\subset$	\subset	
×	\times	$\overline{x+y}$	\overline {x+y}	~	\propto	$\supset$	\supset	
*	\ast	x + y	\underline {x+y}	=	\equiv	$\subseteq$	\subseteq	
$\exp(x)$	\exp (x)	$\frac{\overline{xyz}}{\widehat{xyz}}$	\widehat {xyz}	_ ≠	\neq	$\stackrel{=}{\supseteq}$	\supseteq	
$\sqrt{\frac{1}{x}}$	\sqrt {x}	$\widetilde{xyz}$	\widetilde {xyz}	~	\sim	=	\sqsubset	
$\sqrt[n]{x}$	\sqrt [n]{x}	$\overbrace{x+y}^{x}$	·	$\simeq$	\simeq		\sqsupset	
$\log 2x$	\log {2} x		\overbrace {x+y}	$\cong$	\cong		\sqsubseteq	
$\log x$	\log x	$\underbrace{x+y}$	\underbrace {x+y}	≐	\doteq	$\equiv$	\sqsupseteq	
$\ln x$	\ln x	$\vec{a}$	\vec {a}	$\approx$	\approx	_	\land	
$\lg x$	\lg x	$\overrightarrow{AB}$	\overrightarrow {AB}	$\simeq$	\asymp	V	\lor	
lim	\lim	a	\bm {a}	<u> </u>	\vdash	·	\vee	
$\lim_{x\to\infty}$	\lim _{x \to \infty	}	\bm {A}^\top	-	\dashv	^	\wedge	
lim inf	\liminf	A	\cdot	<u> </u>	\models	$\bigvee_{i}$	\bigvee _i	
lim sup	\limsup	×	\times		\ldots	$\bigwedge_{i}^{i}$	\bigwedge _i	
lim	\varliminf	$\stackrel{\wedge}{\operatorname{det}}A$	\mathrm {det} A		\cdots	$\neg$	\neg	
<del>===</del> lim	\varlimsup	trA	\mathrm {tr} A			_	\lnot	
sup	\sup	<u>u</u>	\angle	:	\vdots	$\forall$	\forall	
inf	\inf	∠ 60°	60^\circ	•	\cdot	3	\exists	
$\frac{dy}{dx}$	\frac {dy}{dx}	$\frac{60}{AB}$	\overline {AB}	·	\ddots	Т	\top	
$\frac{dx}{\partial x}$	\partial x	$A \perp B$	A \perp B	•	(ddoob	$\perp$	\bot	
$\Delta$	\Partial x \Delta	$A \perp B$ $A \parallel B$	A \parallel B			$\rightarrow$	\to	
$\nabla$	\nabla	$A \parallel D$	A (pararrer b			$\leftarrow$	\gets	
ŗ	\int					$\Rightarrow$	\Rightarrow	
J T	\iint _D					<b>↑</b>	\uparrow	
$\int \int_D$	\oint					Į.	\downarrow	
y max	\max					$\overset{,}{\leftrightarrow}$	\leftrightarrow	
min	\min					$\Leftrightarrow$	\Leftrightarrow	
arg min	\arg \min					<del>=</del>	\rightleftharpoons	
arg max	\arg \max					$\mapsto$	\mapsto	
inf	\inf					$\hookrightarrow$	\hookrightarrow	
	{}_n \mathrm {C}_k						\rightharpoonup	
${}_{n}C_{k} \choose {k \choose k} \mathcal{F} \sum_{i} \prod_{i}$	\binom {n}{k}					$\overline{}$	\rightharpoondown	
$\mathcal{F}^{k'}$	\mathcal {F}						2	
$\sum_{i}$	\sum _i							
$\frac{L_{i}}{\prod_{i}}$	\prod _i							
1 11	/P104 _1							

\hbar  $\infty$  $\infty$  $\Re$ \Re  $\Im$ \Im \emptyset \dag \ddag \S \epsilon \varepsilon \phi \Phi \varphi \Box \Diamond  $\triangle$  \triangle