

$P_1$  size = 20B, each B here can be considered as an different entity that can be addressed.

Page size = main memory space size = 4B

So,  $2^m = \text{number of entities/Bytes of a process} = 20B$

$$m = 5$$

logical address of 5 bits:  $\underbrace{\quad\quad\quad}_n$  offset.

\* offset value/bits number depends on the number of individual entities that we can identify in a page. So,  $\boxed{\begin{matrix} a \\ b \\ c \\ d \end{matrix}}_{4B}$  / 4B, each byte is individual/individual entity,  $2^n = 4$   $n = 2$

0	a
1	b
2	c
3	d

Page table of the process

PT1	0	9
	1	12
	2	14
	3	0

(2)

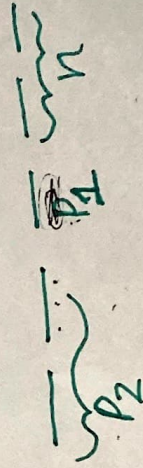
PT1

0	5	3	0
1	5	3	1
2	4	3	2
3	1	3	3
4	2	3	3
5	0	3	3
6	0	3	3
7	0	3	3

(1) page table of the process

PT2 is also called outer page table.

1 out of the 5 bits we had 3 bits left, now 2 of them goes for the page table of the page table.





frame no.

0	0	I
4	1	I
8	3008 bits	
12		
16		
20		
24	3008 bits	
28		
32		
36		
40	0	5
	1	6
44		
48	0	4
	1	1
52		
56	0	2
60	1	I

0 \* we use the offset/n bits to identify each item of the frames that contains the info of the process itself.

4 Now, what if the page table (initial one) is too big to fit inside one frame.

7 \* we had to see the size of the page table. let's say each entry of the page table takes 2B space.

8 → there are 8 entries in our page table thus, the total size of the page table =  $8 \times 2 = 16B$ .

12 the size of page table.

13 we can not fit this into one frame.

14 \* we need to page the page table / divide the page table into pages.

number of pages the page table can be divided into =  $\frac{16B}{4B} = 4$  pages.

=  $2^2 \rightarrow 2$  bits to represent 4 pages of page table.

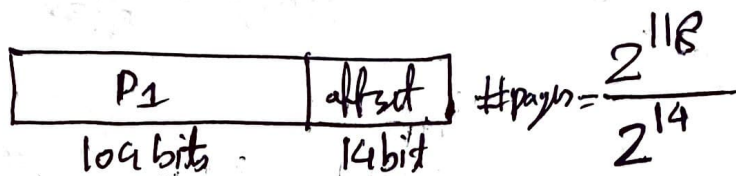


Q #4 total number of addresses =  $2^{118}$ , the page size.

the = 16KB =  $2^4$ KB =  $2^4 \times 2^{10}$  =  $2^{14}$ B

$$2^n = 2^{14}$$

$$n = 14$$



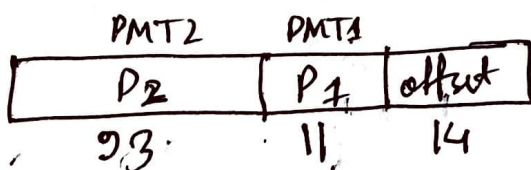
# number of entries in PMT =  $\rightarrow = 2^{104}$

each entry size = 8B =  $2^3$ B. So total page<sup>table</sup> size =  $2^{104} \times 2^3$   
 $= 2^{107}$ .

So,  $2^{107}$ B  $<$   $2^{14}$ B? no, then page the page table,

# number of pages in page table 2 =  $\frac{2^{107}}{2^{14}}$   
 $= 2^{93}$

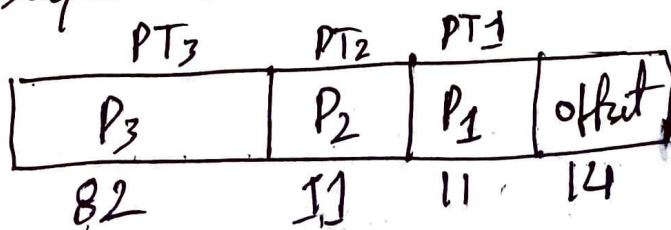
outer page table requires 93 bits.



# PMT<sub>2</sub> size =  $2^{93} \times 2^3 = 2^{96} < 2^{14}$ ? no,

# number of pages in page table 3 =  $\frac{2^{96}}{2^{14}} = 2^{82}$

PT<sub>3</sub> requires 82 bits.



# 6

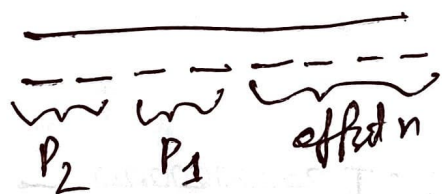


$$\left. \begin{array}{l} 2^n = 16 \\ 2^n = 2^4 \end{array} \right\} n=4$$

#page table entry =  $2^4$  size =  $2^4 \times 2^2 = 2^6 \leq 2^4$ ? no.

So, pay the page table, # of pages in the PMT2 =  $\frac{2^6}{2^4} = \boxed{2^2}$  bit for PMT2

size of DMT2 =  $2^2 \times 2^2 = 2^4 \leq 2^4$ ? Yes.



179 in 8 bits = 10110011  
                             2  3  3  
                             ↙  ↓  
                             11  14

$14 \times 16 + 3 = 227$