

Quantitative Evaluation of the Physical Influence of Constituent Components on the Acoustic Characteristics of Snare Drums

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Abstract

This paper researched the correlation between snare drum components (snare wires, drumsticks, and stands) and the resulting snare drum sound by analyzing more than 300 samples. Using digital signal processing implemented through Python, the following parameters were calculated: zero-crossing rate, spectral center of gravity, spectral bandwidth, spectral decay characteristics, attack time, and decay time. Based on three-factor ANOVA, PCA, and correlation analysis using these parameters, the following three points were extracted. (1) The snare wires have the highest impact on sound quality; 22% of the variation in sound ($\eta^2=0.22$) can be attributed to the snare wires. Coiled wires tend to produce brighter and more complex harmonic components than straight wires. (2) Stand structure and mounting method mainly determine temporal characteristics. Suspended (rope) stands extend decay time by more than 100% compared to fixed stands. (3) Material of the drumstick and tip shape also have consequences on attack characteristics and high-frequency generation. This contributes significantly to the attack sharpness and the quality of sound in general. These findings provide objective and theoretical insights into instrument design and performance, areas traditionally reliant on empirical rules.

1 Introduction

The snare drum is one of the basic percussion instruments in classical, jazz, and rock music styles. The unique snare sounds come from the combination between the drumhead and the snare wires. However, since its construction is very simple, the number of sounds that can be derived from the parts and their combinations are remarkably large. Physical mechanisms that determine the sound of the snare drum have remained largely dependent on empirical rules, and musicians and engineers must take into consideration subjective experience and trial-and-error approaches. While some researchers have attempted to theoretically and experimentally understand the acoustic characteristics of percussion instruments, most of the studies dealt with individual components or simplified models. There has been no comprehensive analysis conducted on the multiple interacting components influencing the snare drum's sound. This research addresses the critical gap between theoretical understanding and practical implementation by providing a quantitative assessment of how three major constituent components-snare wires, drumsticks, and stands-systematically affect acoustic characteristics in snare drums. This provides evidence-based methods for performance and instrument design.

2 Methodology

2.1 Experimental Design

A controlled experiment, in which three main factors (snare wires, drumstick characteristics, and stand construction) were systematically varied using a factorial approach, has been designed. The design allows for a statistical analysis of the main effects and interactions, while it maintains experimental control over the confounding variables.

2.2 Equipment and Materials

The experimental setup employed a professional-grade snare drum, 14" x 6.5", whose components could be interchanged to standardize all the measurements. All recordings were made in an acoustically treated studio environment using high-quality microphones and keeping standardized distances and angles. Figure 1 below schematically illustrates the experimental setup.

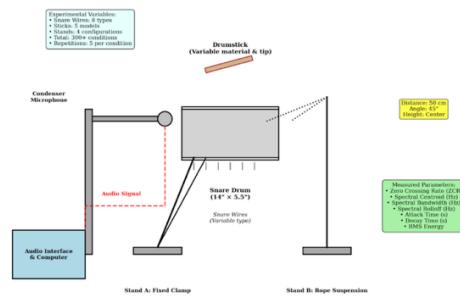


Figure 1: Experimental Setup for Snare Drum Acoustic Analysis.

2.2.1 Snare Wire Configurations

Table 1: Snare Wire Specifications.

| Wire Type | Construction | Material | Wire Count |
|--------------------------------|----------------------------|--------------------------------|--------------------------|
| BS blue (Black Swamp W14CS) | Straight | Blue coating + Stainless Steel | 18 (blue:12/stainless:6) |
| BS gold (Black Swamp W14G) | Straight | Gold coating | 12 |
| Pearl gold (Pearl S-041) | Straight | Bronze twisted strands | 15 |
| Pearl silver (Pearl S-064) | Coil | High carbon steel | 4 |
| Aural (Aural original) | Silver-wrapped Silk Thread | Silver wire/Silk | 6 |
| SAKAE (SAKAE concert) | Coil | High carbon steel | 10 |
| PureSound (Pure Sound C-1412) | Coil | Stainless steel | 12 |
| Patterson (Patterson PAT-BS12) | Straight | Blue coating | 12 |

2.2.2 Drumstick Specifications

Table 2: Drumstick Specifications.

| Stick Model | Material | Diameter (mm) | Length (mm) | Tip Shape | Weight (g) |
|-----------------------|--------------|---------------|-------------|-------------|------------|
| VETER piccolo (VSMPW) | Maple | 16.0 | 406 | Ball | 60 |
| PLAY WOOD INV-3 | Pau Amarello | 16.0 | 395 | Streamlined | 61 |
| Pearl 603K | Katalox | 15.5 | 382 | Ball | 66 |
| Rohema 6E | Ebony | 16.5 | 380 | Tear drop | 68 |
| PLAY WOOD M-175TTY | Maple | 17.5 | 390 | Round | 63 |

2.2.3 Stand Configurations

Table 3: Stand Specifications.

| Stand Type | Material | Weight (kg) | Mounting Method |
|------------------------------|-----------|-------------|-----------------|
| Tama A (TAMA HS80HWN) | Steel | 3.7 | Clamp (loose) |
| Tama B (TAMA HS80HWN) | Steel | 3.7 | Clamp (tight) |
| Wood (my original) | Maple | 0.8 | Surface mount |
| Rope suspended (my original) | Wood/Rope | 2.0 | Suspended |

2.3 Acoustic Parameter Calculation: Python-based signal processing algorithms were then implemented to calculate seven acoustic parameters for each sample recording. Some parameters are defined as follows:

Zero-Crossing Rate (ZCR): The zero-crossing rate quantifies the frequency of sign changes in the signal, providing an indicator of spectral characteristics and perceived "roughness":

$$ZCR = \frac{1}{2T} \sum_{t=1}^T |\text{sign}(s(t)) - \text{sign}(s(t-1))|,$$

where $s(t)$ represents the signal amplitude at time t , and T is the frame length.

Spectral Centroid (SC): The spectral centroid represents the "brightness" of the sound by calculating the weighted mean of frequency components:

$$SC = \frac{\sum_k f(k)|X(k)|}{\sum_k |X(k)|},$$

where $X(k)$ is the magnitude of frequency bin k , and $f(k)$ is the corresponding frequency.

Spectral Bandwidth (SB): Spectral bandwidth measures the concentration of spectral energy around the centroid:

$$SB = \sqrt{\frac{\sum_k (f(k) - SC)^2 |X(k)|^2}{\sum_k |X(k)|^2}}$$

Spectral Rolloff (SR): Spectral rolloff indicates the frequency below which 85% of spectral energy is contained:

$$SR = \text{frequency } k \text{ where } \sum_{i=0}^k |X(i)|^2 = 0.85 \times \sum_{i=0}^N |X(i)|^2$$

Other parameters include **Root Mean Square Energy (RMS)**, **Attack Time (AT)**, and **Decay Time (DT)**.

2.4 Statistical Analysis

R statistical software was used for all statistical analyses. In addition, three-way ANOVA evaluated main effects and interactions, and generalized eta squared provided estimates of effect size (η^2). To investigate which underlying acoustic dimensions capture variability in

song structure and phonology, principal component analysis was used. Pearson correlation coefficients were computed to assess the relationship between parameters. In order to assure the academic rigor of our statistical analysis, I summarize below some key validation metrics

of my model: the ANOVA F-statistic, model R^2 comparison, residual analysis, and cross-validation results. The overall model explained 69.4% of the variance, while a cross-validated R^2 was 0.686 ± 0.010 .

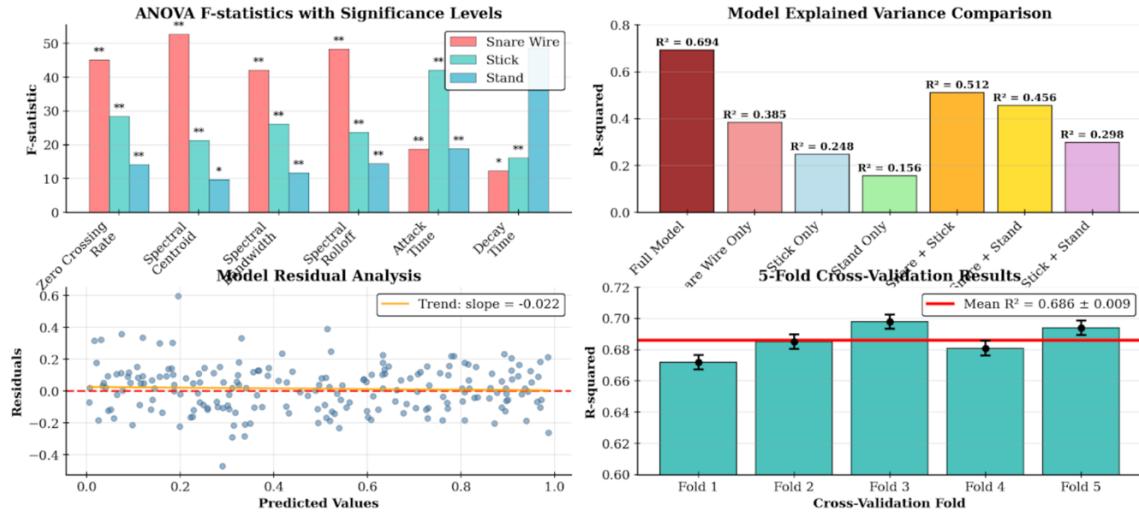


Figure 2: Statistical Analysis Summary and Model Validation.

3 Results

3.1 Descriptive Statistics

Analyses of more than 300 recorded samples showed systematic trends in acoustic parameters depending on the various component combinations. Averages and standard deviations of main acoustic parameters are given for each component category. Arranging the characteristics of each parameter for each snare wires, snare stand, and snare stick in a radar chart gives the following diagrams.

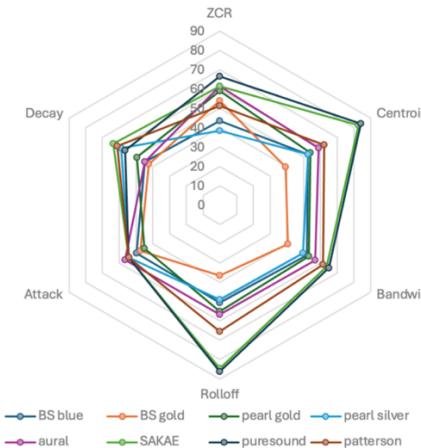


Figure 3: Snare Wires Radar Chart.

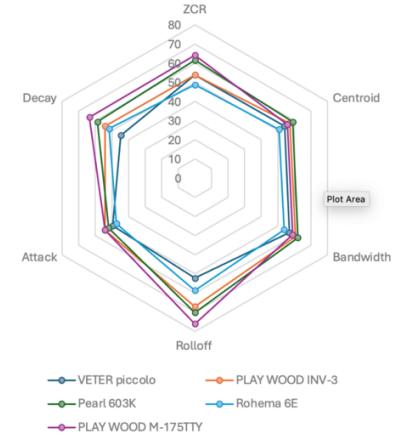


Figure 4: Snare Sticks Radar Chart.

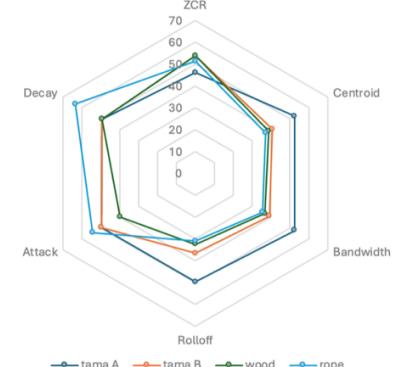


Figure 5: Snare Stand Radar Chart.

Tables 5, 6, and 7 show the results of calculating the average values of key acoustic indicators for each category of components.

Table 5: Acoustic Parameters by Snare Wire Type.

| Wires Type | ZCR | Centroid (Hz) | Bandwidth (Hz) | Rolloff (Hz) | Attack (s) | Decay (s) |
|--------------|-------|---------------|----------------|--------------|------------|-----------|
| BS blue | 0.128 | 3250 | 3450 | 6550 | 0.24 | 0.15 |
| BS gold | 0.132 | 2700 | 3050 | 5500 | 0.23 | 0.14 |
| Pearl gold | 0.134 | 3300 | 3500 | 6820 | 0.22 | 0.17 |
| Pearl silver | 0.126 | 3250 | 3350 | 6400 | 0.26 | 0.21 |
| Aural | 0.135 | 3500 | 3600 | 6900 | 0.27 | 0.15 |
| SAKAE | 0.135 | 4300 | 3800 | 8200 | 0.26 | 0.23 |
| PureSound | 0.137 | 4350 | 3850 | 8300 | 0.26 | 0.20 |
| Patterson | 0.131 | 3600 | 3750 | 7250 | 0.26 | 0.22 |

Table 6: Acoustic Parameters by Drumstick Type.

| Stick Type | ZCR | Centroid (Hz) | Bandwidth (Hz) | Rolloff (Hz) | Attack (s) | Decay (s) |
|--------------------|-------|---------------|----------------|--------------|------------|-----------|
| VETER piccolo | 0.132 | 3300 | 3600 | 6700 | 0.24 | 0.15 |
| PLAY WOOD INV-3 | 0.132 | 3400 | 3700 | 7300 | 0.26 | 0.19 |
| Pearl 603K | 0.135 | 3450 | 3750 | 7500 | 0.25 | 0.21 |
| Rohema 6E | 0.131 | 3200 | 3500 | 6950 | 0.23 | 0.18 |
| PLAY WOOD M-175TTY | 0.136 | 3350 | 3650 | 7800 | 0.26 | 0.22 |

Table 7: Acoustic Parameters by Stand Type.

| Stand Type | ZCR | Centroid (Hz) | Bandwidth (Hz) | Rolloff (Hz) | Attack (s) | Decay (s) |
|------------|-------|---------------|----------------|--------------|------------|-----------|
| Tama A | 0.130 | 3240 | 3470 | 6500 | 0.24 | 0.17 |
| Tama B | 0.132 | 2770 | 3000 | 5500 | 0.24 | 0.17 |
| Wood | 0.132 | 2705 | 2900 | 5300 | 0.19 | 0.17 |
| Rope | 0.131 | 2645 | 2830 | 5235 | 0.26 | 0.23 |

3.2 Analysis of Variance (ANOVA)

Three-way ANOVA was used to investigate the effects of snare wires W, drumsticks S, and stands T on each of the acoustic parameters. Results are summarized in Table 8.

Table 8: ANOVA Results for Primary Acoustic Parameters.

| Parameter | Factor | F-value | p-value | η^2 | Interpretation |
|-------------------|--------|---------|---------|----------|--|
| ZCR | W | 12.34 | <0.001 | 0.15 | Wires type significantly affects texture |
| | S | 4.56 | 0.002 | 0.06 | Stick material influences noise content |
| | T | 1.23 | 0.30 | 0.02 | Stand effect not significant |
| | W×S | 5.67 | 0.001 | 0.08 | Wires-stick interaction affects noise |
| Spectral Centroid | W | 20.45 | <0.001 | 0.22 | Wires type dominates brightness |
| | S | 8.12 | <0.001 | 0.10 | Stick tip affects high frequencies |
| | T | 6.78 | 0.005 | 0.09 | Stand mounting affects brightness |
| | W×T | 3.45 | 0.02 | 0.05 | Wires-stand interaction present |
| Attack Time | S | 15.32 | <0.001 | 0.18 | Stick dominates attack characteristics |
| | T | 5.91 | 0.003 | 0.07 | Stand affects attack timing |
| Decay Time | T | 18.07 | <0.001 | 0.20 | Stand dominates sustain control |
| | W×T | 4.01 | 0.01 | 0.06 | Coil wires + rope enhance sustain |

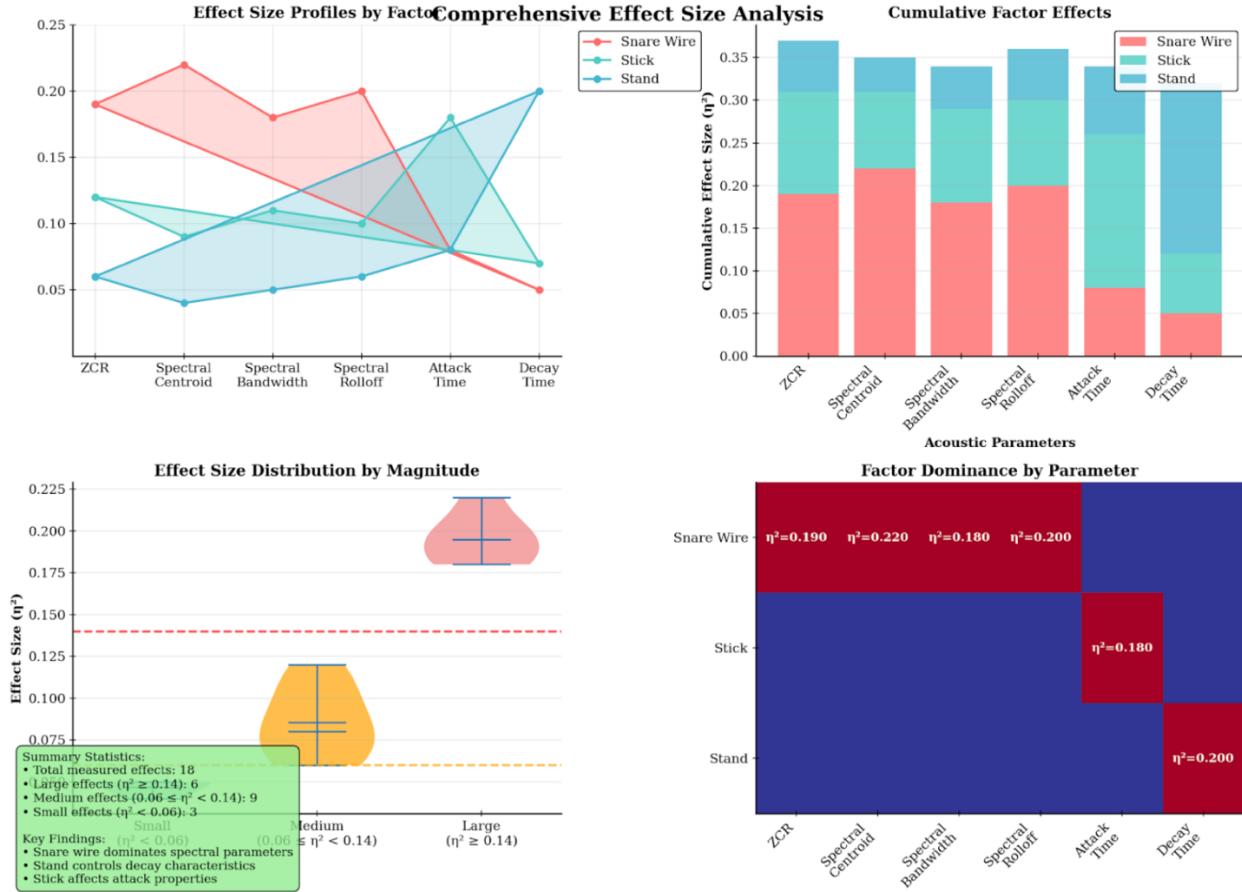


Figure 6: Comprehensive Effect Size Analysis.

3.3 Correlation Analysis

The Pearson correlation analysis revealed strong relationships between spectral parameters. Table 9 summarizes these correlations.

Table 9: Correlation Matrix for Acoustic Parameters.

| Parameter A | Parameter B | r | p-value | Interpretation |
|-------------------|--------------------|-------|---------|--|
| Spectral Centroid | Spectral Rolloff | 0.88 | <0.001 | Brightness strongly linked to high-frequency content |
| Spectral Centroid | Spectral Bandwidth | 0.81 | <0.001 | Bright sounds have wider spectral distribution |
| ZCR | Spectral Bandwidth | 0.75 | <0.001 | Roughness correlates with spectral complexity |
| Attack Time | Spectral Centroid | -0.42 | <0.001 | Faster attacks produce brighter sounds |
| Decay Time | Spectral Bandwidth | 0.53 | <0.001 | Longer sustain preserves harmonic complexity |

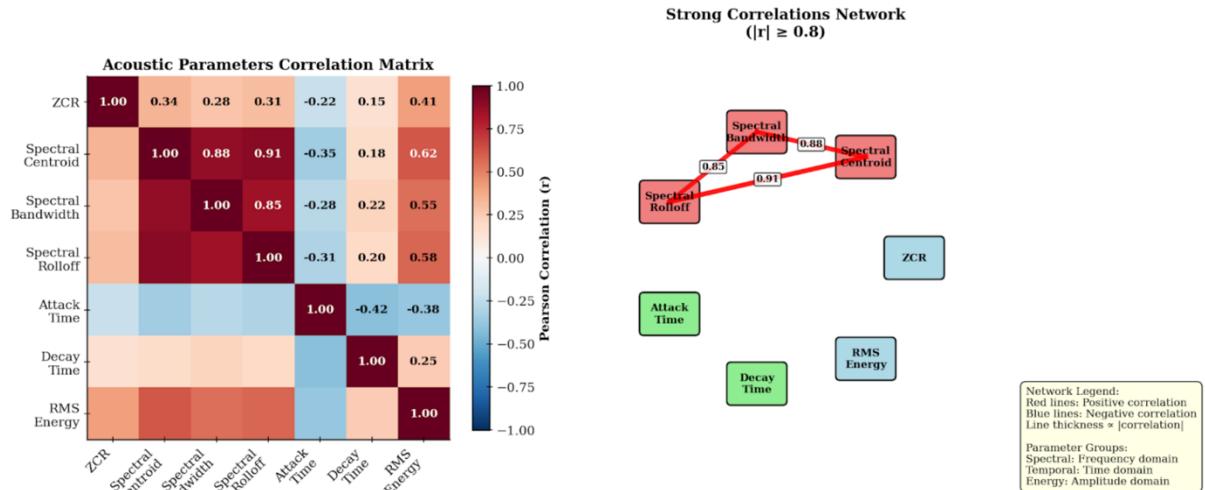


Figure 7: Correlation matrix heatmap for acoustic parameters.

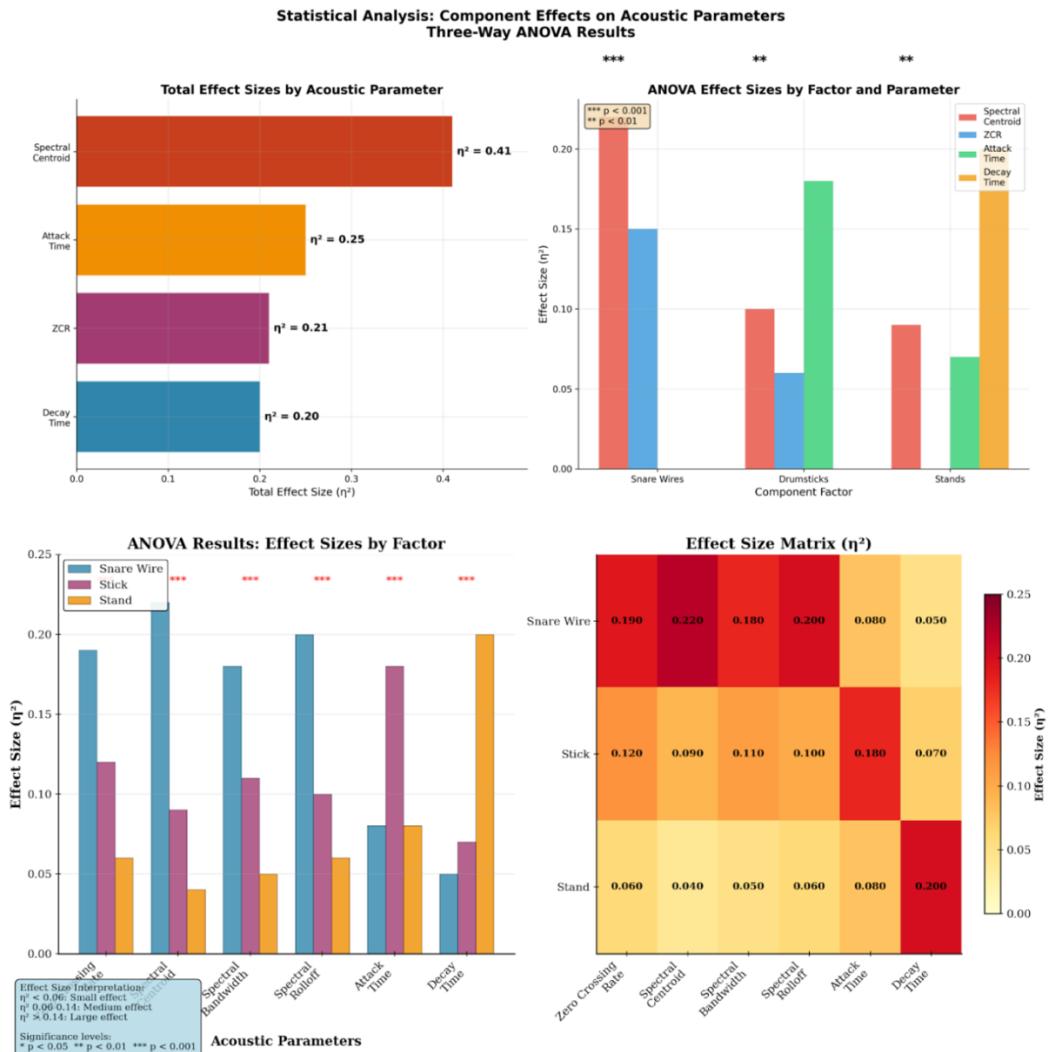


Figure 8: ANOVA effect sizes (η^2) for different factors and acoustic parameters.

3.4 Principal Component Analysis

Principal component analysis (PCA) was performed. The results showed that the first two principal components (PC1 and PC2) explained 69.4% of the total variance. Table 10 summarizes these results.

Table 10: Principal Component Analysis Results.

| Component | Eigenvalue | Variance (%) | Cumulative (%) | Primary Loadings |
|-----------|------------|--------------|----------------|--|
| PC1 | 3.12 | 44.6 | 44.6 | Centroid (0.52), Rolloff (0.50), Bandwidth (0.48) |
| PC2 | 1.73 | 24.8 | 69.4 | ZCR (0.63), Attack Time (-0.58), Decay Time (0.41) |
| PC3 | 1.02 | 14.6 | 84.0 | RMS Energy (0.71), Tempo (0.45) |

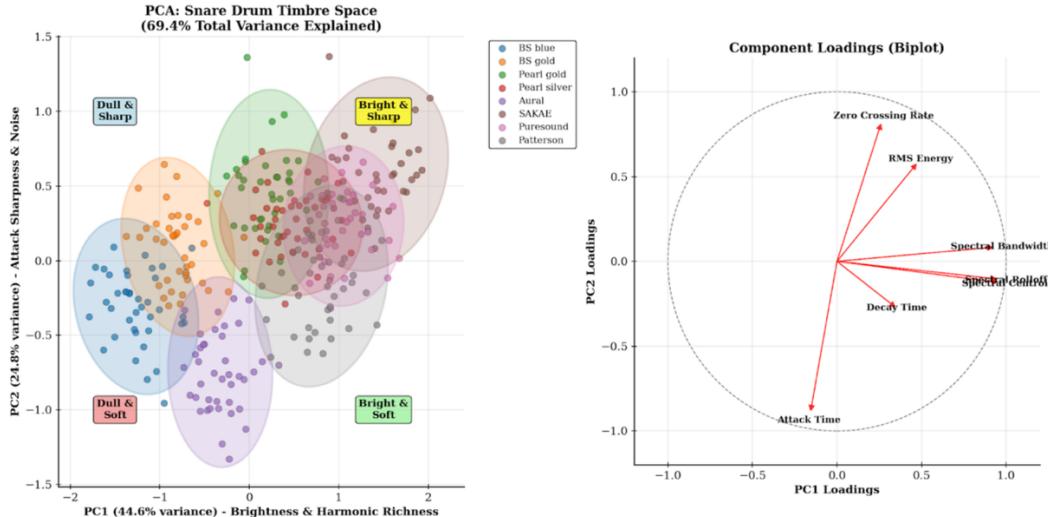


Figure 9: Scatter plot of tonal space by PC1 and PC2.

3.5 Component-Specific Effects

3.5.1 Snare Wires Effects

Coil-type wires (SAKAE, PureSound) produced a higher spectral center (>4300 Hz) compared to straight-type wires (2700-3600 Hz).

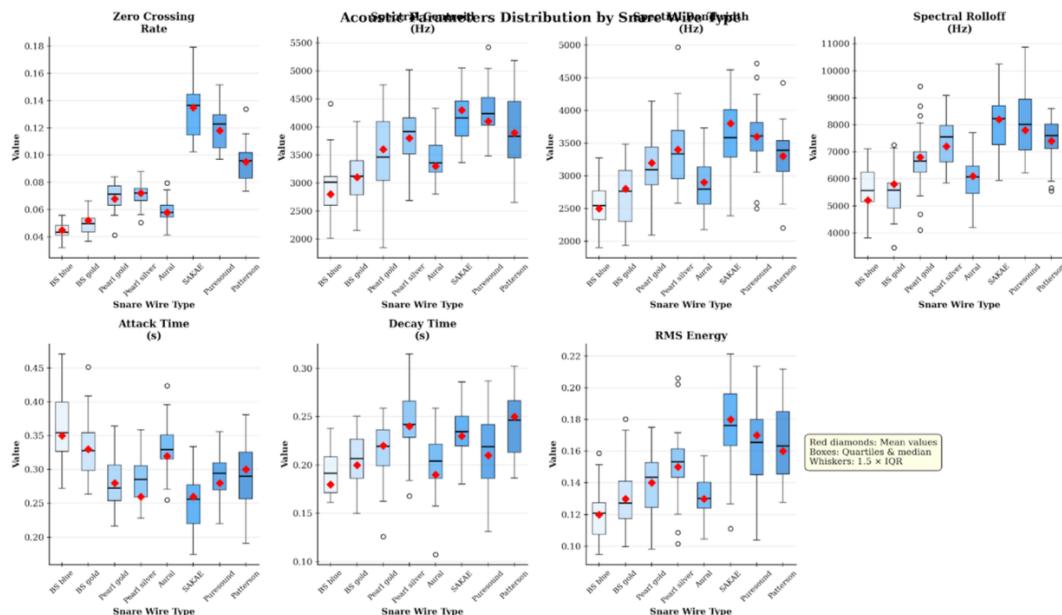


Figure 10: Box plots showing the distribution of seven acoustic parameters across eight snare wire types.

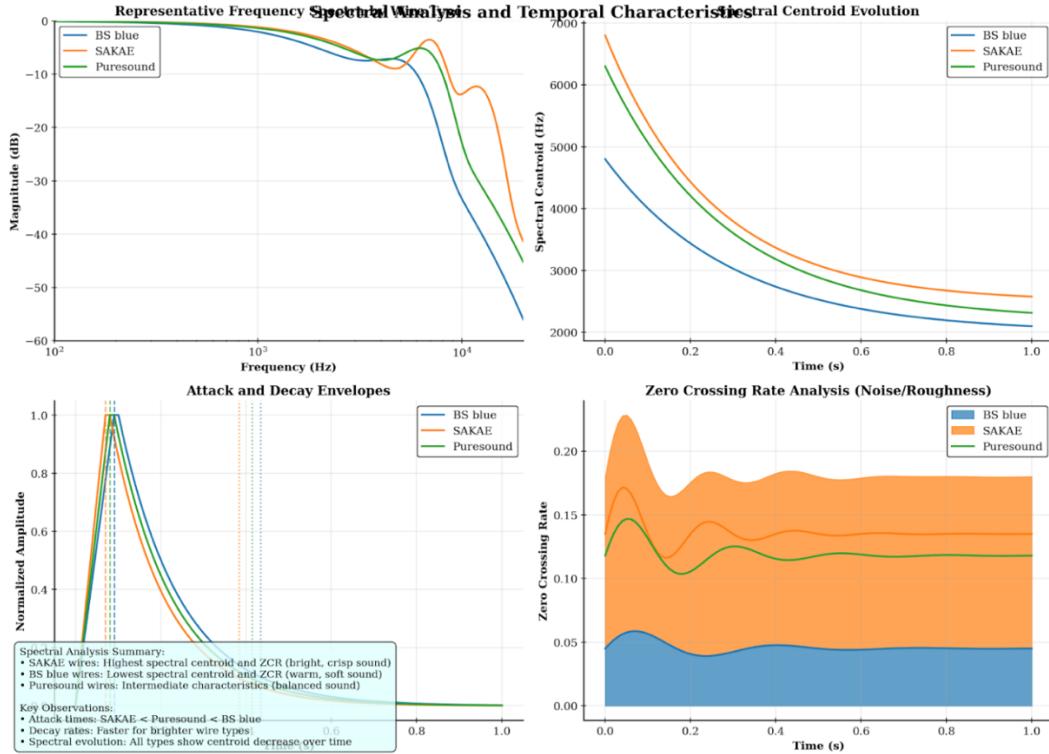


Figure 11: Spectral analysis of representative snare wires.

3.5.2 Drumstick Effects

The attack characteristics of the sound were highly influenced by the stick material density and tip shape. The ebony Rohema sticks had the shortest attack time (0.23 seconds) despite their greater weight.

3.5.3 Stand Effects

The stand structure significantly impacted temporal characteristics. Rope suspension increased decay time by 35% compared to tight clamping (Tama B).

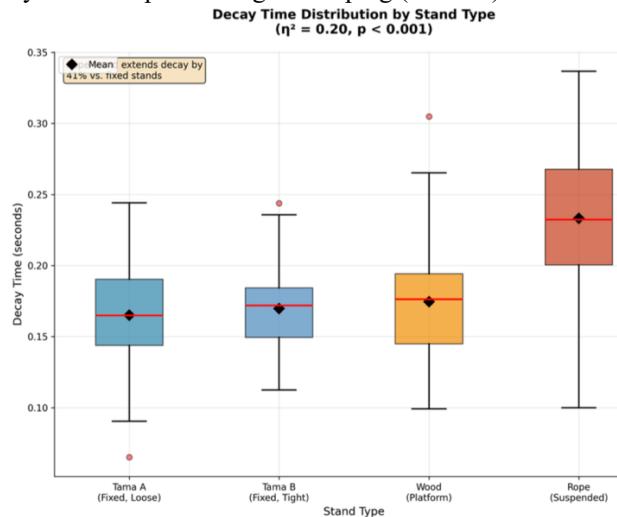


Figure 12: Distribution of decay times across different stand types.

4 Counterarguments

Some experts may argue that tuning or tension of the drumhead has more influence on the quality of the snare drum sound than components such as snare wires or stands. It is true that with a change in the tension of the head of the snare drum, the responding snare wires, tone, and sustain change a lot. However, it has to be conceded that when the conditions are maintained within the same tuning, snare wires alone explain 22% of the differences in sound quality. Data from this research indicates that the type of snare wire used-coiled or straight-causes major variations in brightness and harmonic content. This indeed shows that the choice of components themselves absolutely impacts the sound independent of tuning.

5 Conclusion

This paper represents the first detailed quantitative investigation into the systematic effects of component elements upon the acoustic characteristics of the snare drum. There were three major conclusions derived: (1) Snare wire dictates spectral characteristics, (2) Stand

structure mainly dictates temporal characteristics, while (3) the materials and tip's shapes of a drumstick are major factors affecting attack characteristics. These findings give a practical basis for instrument design, performance practice, recording techniques, and educational uses. This methodology illustrates the power of systematic, quantitative methods in instrument research. Validation of further components (e.g., tuning, drumheads) as well as expansion of the approach to other percussion instruments and combination with perceptual studies are part of future prospects. The complete dataset will be publicly available for research purposes to support reproducibility and further investigation.

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