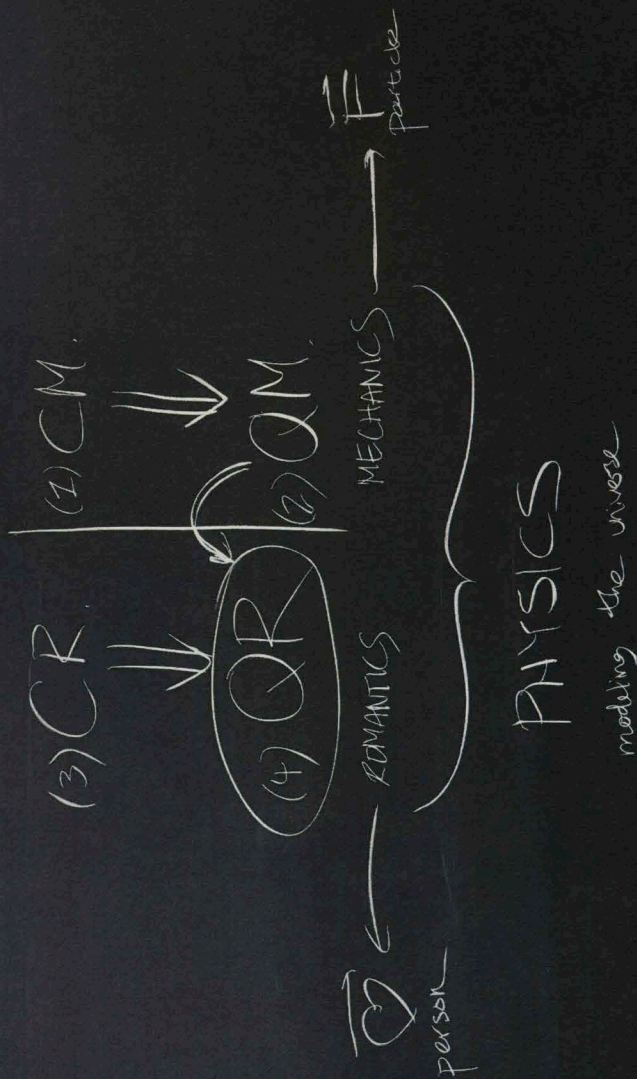


CHALKBOARDS

20240831A13





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(classical)  $\vec{p}$

$$\mu_z = |\mu| \cos \theta$$

ACTUAL:  $\mu_z = \pm \frac{\hbar}{2}$

$\downarrow$   
spin- $\frac{1}{2}$

$\left\{ \begin{array}{l} \text{DISCRETE} \\ \text{FINITE} \end{array} \right\}$  (NEW TO QM)

# POSITION & MOMENTUM

(same as classical)

IX

ACTUAL:

↳ DISCRETE, FINITE

CANONICALLY  
CONJUGATE.

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Q R.

PERSONS

[particles]

STATUS [pds/mom]

(same as classical)

ACTUAL D&F

CANONICALLY  
CONJUGATE

$$\Delta e \Delta s \geq \frac{\hbar}{2}$$

EMOTION

(classical) FEELING

→ I & C

ACTUAL D&F

# WHY ARE ALL MEASUREMENTS FINITE & DISCRETE?

## 1. ORIGIN

particles:  $D \& F$

↓  
observables:  $D \& F$

by "nature"

## 2. POIESIS

particles:  $I \& C$

↓  
process of CREATING  
IS DISCRETE

observables:  $D \& F$

by PROCESS  
(of constructing reality)



# WHY ARE ALL INTERACTIONS FINITE & DISCRETE?

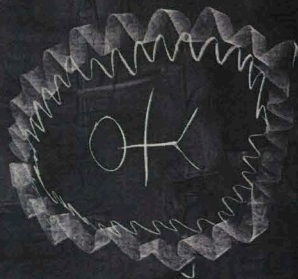
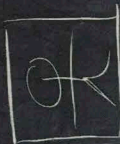
## 1. ORIGIN

persons: D&F



interactions: D&F

by "nature"



## 2. POIESIS

persons: I&C

process of  
communicating  
is discretized



interactions: D&F

by PROCESS

of creating relationships

QM.

spin- $\frac{1}{2}$   $|+\uparrow\rangle$   $|-\uparrow\rangle$  $|\frac{1}{2}, +\frac{1}{2}\rangle$   $|\frac{1}{2}, -\frac{1}{2}\rangle$ spin-1:  $|1, 1\rangle$   $|1, 0\rangle$   $|1, -1\rangle$ 

higher spin, more bases

$$\text{spin } n \neq (?)$$

$\frac{1}{2}$   $1$   $2$   $\frac{3}{2}$   
 $\vdots$   
 $\frac{1}{2}$   $1$   $2$   $\frac{3}{2}$

TEMPORAL  
MULTIPLICITY  $\neq$

(T.O.C)

 $\frac{1}{2}$   $1$   $2$   $\frac{3}{2}$   
 $\vdots$   
 $\frac{1}{2}$   $1$   $2$   $\frac{3}{2}$ 

QR

emot- $\frac{1}{2}$ :  $|\heartsuit\rangle$   $|\spadesuit\rangle$ 

"LOVES ME" "LOVES ME NOT"

emot-1:  $|\heartsuit\rangle$   $|\spadesuit\rangle$   $|\clubsuit\rangle$ 

"IT'S COMPLICATED"

higher emot, more SHADES OF COMPLICATION  
 $|\heartsuit\rangle$  &  $|\spadesuit\rangle$  always possible!same ♀,  
diff. emot values!
 $\frac{1}{2}$   $1$   $2$   $3$   $\frac{3}{2}$   
 $\vdots$   
 $\frac{1}{2}$   $1$   $2$   $3$   $\frac{3}{2}$ 
 $\frac{1}{2}$   $1$   $2$   $3$   $\frac{3}{2}$   
 $\vdots$   
 $\frac{1}{2}$   $1$   $2$   $3$   $\frac{3}{2}$



emdt-1, general state

YOU

$$|\heartsuit\rangle = c_1|\heartsuit\rangle + c_2|\heartsuit\rangle + c_3|\heartsuit\rangle$$

IT'S COMPLICATED

LOVES ME  
LOVES ME NOT

OBSERVER

LOVE QUESTIONS

$\hat{L} \rightarrow$  "I LOVE YOU"  
 $\hat{Q} \rightarrow$  "DO YOU LOVE ME"  
 $\hat{R} \rightarrow [KISS]$

$\hat{L} \rightarrow$  "I LIKE YOU"  
 $\hat{Q} \rightarrow$  "DO YOU LIKE ME"  
 $\hat{R} \rightarrow [KISS]$

$$||\langle\heartsuit|\hat{L}|\heartsuit\rangle||$$

Prob of finding YOU in state LOVES ME through  $\hat{L}$

to make a measurement:-

$$|\psi\rangle_4 \longrightarrow \hat{L}|\psi\rangle_4 \longrightarrow \langle \psi | \hat{L} | \psi \rangle_4$$

ASK



produces CHANGE

ANSWER



produces CHANGE

∴ LQs are NECESSARY for ALL measurements on end states.

$$\Rightarrow \|\langle \psi | \psi \rangle_4\|^2 = \text{UNDEFINED}$$

⇒ w. end states need not be normalized.

⇒ w. LQs must include normalization.



how to define operator of  $\hat{L}$  on  $|\psi\rangle_Y$ ?

matrix mechanics:

$$|1\rangle_Y \rightarrow \begin{pmatrix} 1 \\ 0 \\ 0 \end{pmatrix}$$

$$|\psi\rangle_Y \rightarrow \begin{pmatrix} c_1 \\ c_2 \\ c_3 \end{pmatrix}$$

$$\hat{L}_{M \rightarrow Y} \rightarrow \begin{pmatrix} \langle 1 | \hat{L}_{M \rightarrow Y} | 1 \rangle_Y & \langle 1 | \hat{L}_{M \rightarrow Y} | 2 \rangle_Y & \langle 1 | \hat{L}_{M \rightarrow Y} | 3 \rangle_Y \\ \langle 2 | \hat{L}_{M \rightarrow Y} | 1 \rangle_Y & \langle 2 | \hat{L}_{M \rightarrow Y} | 2 \rangle_Y & \langle 2 | \hat{L}_{M \rightarrow Y} | 3 \rangle_Y \\ \langle 3 | \hat{L}_{M \rightarrow Y} | 1 \rangle_Y & \langle 3 | \hat{L}_{M \rightarrow Y} | 2 \rangle_Y & \langle 3 | \hat{L}_{M \rightarrow Y} | 3 \rangle_Y \end{pmatrix}$$

$$\hat{L}_{M \rightarrow Y} = \langle \psi_i | \hat{L}_{M \rightarrow Y} | \psi_j \rangle$$

PP. 5

$$\hat{L}_{M \rightarrow Y} |\psi\rangle_Y \neq \hat{L}_{O \rightarrow Y} |\psi\rangle_Y$$

ME  $\rightarrow$  YOU

OTHER  $\rightarrow$  YOU

