

# **R Fundamentals**

Practical Machine Learning (with R)

UC Berkeley Fall 2016

# Agenda

- Administrativa
  - Role Call
    - Missing Coordinates
  - November 23, 2016?
  - Class Google Group

- Review
- New Topics

# Assignment - Due 10/11 11:59 PM

- \*\*MLR\*\* Chapter 3, Chapter 6 pp.171-200
- Introduction to dplyr .. https://cran.rproject.org/web/packages/dplyr/vignettes/introduction.html
- Introduction to data.table .. https://cran.rproject.org/web/packages/data.table/vignette s/datatable-intro.pdf
- Introducting Magrittr .. https://cran.rproject.org/web/packages/magrittr/vignettes/ magrittr.html

# **REVIEW AND EXPECTATIONS**

### **EXPECTATIONS: R**

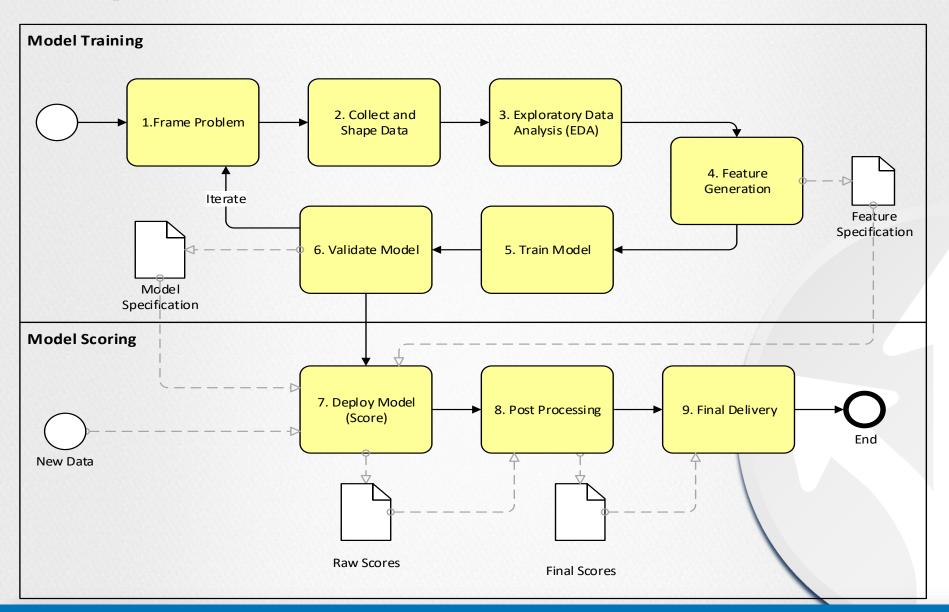
You have installed R and Rstudio

olf you are new to **R**, you will have checked out one of the resources and have started becoming familiar with syntax and functions.

# **EXPECTATIONS: GIT**

- You understand:
  - installed git and created a github account
  - fork the class repo(sitory)
  - clone a local copy of the repo
  - pull new changes
  - edit existing files
  - add and commit changes
  - push the assignment back to your repo
- Now: **pull** upstream changes csx460/csx460.git

# **Expectations: Process**



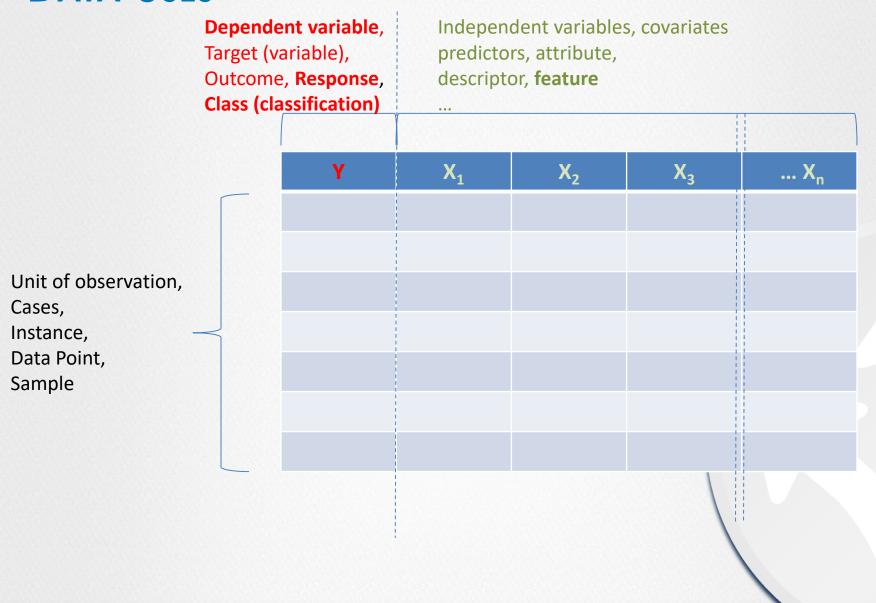
### MLWR CHAPTER 1

- Four Parts to "Learning" Process
- Five Steps for Modeling
- Types of Data
- Types of Machine Learning Algorithms

# MLWR CHAPTER 2

- Data structures
- Saving/Loading Data With R
- Exploring the structure of the Data
  - Numeric variables
  - Categorical variables
  - Relationship Between Variables

### **DATA USES**



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Prediction Forecast Estimate

. . .

# GETTING HELP IN PRIMER

Help in R

?,help,??,apropos

Operators

?Arithmetic

Control Flow

?Control

Rstudio Cheatsheets ... Google

### MAGRITTR: PIPE OPERATOR

```
install.package('magrittr')
1:10 %>% mean
1:10 %>% add(2) %>% mean

x <- 1:10
x %<>% add(2) %>% mean
```

#### Notes:

\* Use backpipe package for %<%

### MAGRITTR: PIPE OPERATOR

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## DATA. TABLE: FAST DATA FRMES

```
install.package('data.table')
data(iris)
setDT(iris)

iris[ i, j, by= , ... ]
```

#### Note:

• see ?data.table

## DATA. TABLE: FAST DATA FRMES

```
library ('data.table')
data(iris)
setDT (iris)
iris
  by=Species,
  Species != 'setosa',
  . ( sw=mean (Sepal.Width),
      sl=mean (Sepal.Length)
```

### DPLYR: DATA PIPELINES

```
install.package('dplyr')
data (iris)
iris %>%
  filter (Species != "setosa") %>%
  group by (Species) %>%
  summarize (
    mean (Sepal. Width),
    mean (Sepal.Length)
```

#### Note:

Uses magrittr

### DPLYR: DATA PIPELINES

```
library('dplyr')
data(iris)
iris %>%
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```

# **BACK TO MACHINE LEARNING**

#### MACHINE LEARNING TYPES

# Type of Response:

- Continuous → REGRESSION
- Categorical\*
   → CLASSIFICATION
   \*Binary is a special case

# Availability of "labelled" Responses

- Available → SUPERVISED
- Unavailable → UNSUPERVISED
- Sometimes available/inferable → SEMI-SUPERVISED
- Avail. as training progresses
   →ADAPTIVE/REINFORCEMENT

# GOAL FIND A FUNCTION, f

- easy to evaluate
- Takes a one or more values of inputs
- yields a single output value for each input (row)

Output,  $\hat{y}$ , should be "close to" observed values, y:

$$\widehat{\mathbf{y}} \sim \mathbf{y}$$

# QUESTIONS:

> What do we mean by "close"?

• What functions are available to be used?



How do we find one? The best one?

# 3 REQUIREMENT FOR ALGORITHM

- A method for evaluating how well the algorithm performs (ERRORS)
- → A restricted class of function (MODEL)
- A process for proceeding through the restricted class of functions to identify the functions (SEARCH/OPTIMIZATION)

# **OUR MODEL**

Naïve Model

$$\hat{y} = mean(y)$$

Our Model, a linear model:

$$\hat{y} = \beta_0 + \beta_1 x_1$$

# SEARCH / OPTIMIZATION

Find the parameters minimize that minimize the loss function ...

SOLVE:

 $argmin_{\beta} L(\mathbf{y}, \widehat{\mathbf{y}})$ 

 $argmin_{\beta} \sum (y - \hat{y})^2$  (SSE)

- Direct Solution (special case)
- Recursive Goal Seeking