# Multi agent planning to detect obstacles and navigate in an unknown environment

### Group Names

Abstract—Rescue operations for individuals lost in a forest require drones to quickly scan a large unknown environment and quickly provide relief. We propose to work on this problem by breaking it into 2 stages. 1) multiple drones cooperatively scan the entire area with unknown obstacles communicating with each other to create a single map. 2) Once a person is found, another drone can be sent from the base to their location to provide relief by finding an optimal path.

#### I. INTRODUCTION

#### Objective:

- Multiple drones plan and scan the unknown environment. The unknown environment is broken down into multiple grids and the task of the drones is to visit each grid in a cooperative manner.
- 2) The drones detect obstacles around them which are then transformed to the initial frame and updated on a common map.
- 3) When a person is found, a different drone using the common map calculates the optimal path to reach their location and provide relief.

#### **Environment:**

- We will use PyBulletDrone environment for this project where cylinders are used to represent trees.
- 2) The environment spawns these trees at random locations throughout the map which is unknown to the planning algorithm. These obstacles are sensed by the robot as they come within the sensing range of onboard sensors.
- 3) A person is said to be detected when the drone is close enough to their location.

#### Procedure:

- 1) Our workspace is  $R^3$ . Configuration space of the quadcopter is  $R^3 \times SO(3)$ . We will plan in the workspace  $R^3$  itself. Should we search for the optimal path in the 3D World space or the 6D C-Space of the robot or 12D Position + Velocity space? We can use kinodynamics of the quadrotor to simplify the problem.
- 2) We use a high level planner that directs the drones to scan the environment in a Breadh first search manner. The robots communicate with a central node that directs the search such that 2 drones do not explore the same region.

- 3) The drone gets its next target location from the high level planner. We use the  $RRT^*$  algorithm on the common map to plan the path for the drone from its current location to the target location
- 4) We use the  $RRT^*$  algorithm over  $A^*$  because the entire map is not known. As  $RRT^*$  builds the tree incrementally, we can update the path with new information without recomputing the map entirely.
- 5) Then make the quadcopters follow this path using an off the shelf control algorithm.
- 6) The algorithm will be evaluated on the time taken to find the lost person and the the time taken to provide aid to the person once found.

#### II. ROBOT MODEL

We have decided to use Quadrotor as our robot.

#### A. Working of Quadrotors

The quadrotor is a highly non-linear, six degree-of-freedom and under-actuated system. A quadrotor has two sets of counter-rotating propellers, therefore neutralizing the effective aerodynamic drag. It has four principal modes of operation: Vertical movement is controlled by simultaneously increasing or decreasing the thrust of all rotors. Yaw moment is created by proportionally varying the speeds of counter-rotating parts to have movement with respect to quadrotor's z-axis. Roll can be controlled by applying differential thrust forces on opposite rotors of the quadrotor to have movement with respect to quadrotor's x-axis. Pitch can be controlled by applying differential thrust forces on opposite rotors of the quadrotor to have movement with respect to quadrotor to have movement with respect to quadrotor's y-axis.

## B. Quadrotor Model

1) Model of a rotor: Each rotor rotates with angular velocity  $\omega$  and generates a lift force F and moment M. Moment is acting opposite to the directing of rotation.

The lift Force F and moment M of ith rotor can be calculated by:

$$F_i = k_f * \omega_i^2,$$
  $k_f = k_T * \rho * D^4$   
 $M_i = k_m * \omega_i^2,$   $k_m = k_Q * \rho * D^5$ 

 $k_T$  is thrust coefficient

 $k_Q$  is torque

rho is fluid density

D is diameter of propeller

2) Equations of Motion: Total thrust and moment is the sum of individual ones in each of the 4 rotors.

Thrust: 
$$F = \sum F_i$$
 - mga<sub>3</sub>

Here,  $F_x$  are individual lift forces by the propellers and m\*g is the one by gravity.

Moment: 
$$M = \sum r_i * F_i + \sum M_i$$

Here,  $r_i * F_i$  are the moments created by forces in quadrotor's centre of gravity and  $M_x$  are the individual moments created by the propellers.

3) Newton-Euler Equations for Quadrotor: Linear Dynamics Applying Newton's Second Law for system of particles, we get (in inertial frame);

$$F = mass * acceleration$$

$$acceleration(\ddot{r}) = d\dot{r}/dt$$
, where  $\dot{r} = [u, v, w]^T$  (3.3)

Since, w is the yaw-axis in which we calculate thrust, we get;

$$mass * \ddot{r} = \begin{bmatrix} 0 \\ 0 \\ -m * g \end{bmatrix} + R_{\psi} \phi \theta \begin{bmatrix} 0 \\ 0 \\ \sum F_i \end{bmatrix}$$

**Rotational Dynamics** Applying Euler's rotation equations, we get (in body frame);

$$M_c = {}^A dH_c^B/dt = {}^B dH_c^B/dt + {}^A \omega^B \times H_c^B$$

where,  $H_c$  is the angular momentum and  ${}^A\omega^B$  is angular velocity of body B in frame A which is given by  $p.b_1 + q.b_2 + r.b_3$ 

General vector form of Euler's equation is;  $M_c = I\dot{\omega} + \omega \times (I\omega)$ 

For Quadrotor, after rearranging the general vector form:

$$I\begin{bmatrix} \dot{p} \\ \dot{q} \\ \dot{r} \end{bmatrix} = \begin{bmatrix} L(F_2 - F_4) \\ L(F_3 - F_1) \\ M_1 - M_2 + M_3 - M_4 \end{bmatrix} - \begin{bmatrix} p \\ q \\ r \end{bmatrix} \times I\begin{bmatrix} p \\ q \\ r \end{bmatrix}$$

Let 
$$\gamma = k_M/k_F$$
,  $M_i = \gamma F_i$ , we get;

$$I\begin{bmatrix}\dot{p}\\\dot{q}\\\dot{r}\end{bmatrix} = \begin{bmatrix}0 & L & 0 & -L\\-L & 0 & L & 0\\\gamma & -\gamma & \gamma & -\gamma\end{bmatrix}\begin{bmatrix}F_1\\F_2\\F_3\\F_4\end{bmatrix} - \begin{bmatrix}p\\q\\r\end{bmatrix} \times I\begin{bmatrix}p\\q\\r\end{bmatrix}$$

Final equations using Linear and Rotational dynamics equations, we get;

$$\begin{bmatrix} T \\ \tau_1 \\ \tau_2 \\ \tau_3 \end{bmatrix} = \begin{bmatrix} k_F & k_F & k_F & k_F \\ 0 & Lk_F & 0 & -Lk_F \\ -Lk_F & 0 & Lk_F & 0 \\ k_M & -k_M & k_M & -k_M \end{bmatrix} \begin{bmatrix} \omega_1^2 \\ \omega_2^2 \\ \omega_3^2 \\ \omega_4^2 \end{bmatrix}$$

III. MOTION PLANNING

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# V. DISCUSSION

IV. RESULTS

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#### REFERENCES

[1] Example, Example bibliography, The bibliography: A great example, 1st ed. vol. 1, Delft, 2019, pp. 1-2