

Yelp Recommendation System



Jason Ting, Swaroop Indra Ramaswamy

Background and Motivation

The Problem

Yelp is a web/mobile application that publishes crowd-sourced reviews about local businesses and restaurants. The rise of Yelp's popularity created an influx of data on people's personal preferences as modern customers to the businesses that they go to. Through this project we utilized Yelp's data to make personalized business recommendations for Yelp users by making a model to predict the number of review stars that a user would assign to a business.

Data

The dataset comes from the Yelp recommendation Kaggle competition. This information contains actual business, user, and users' review data from the greater Phoenix, AZ metropolitan area. By using and combining various data fields, we can aggregate similar users to create models to predict how users will rate businesses they have not been to.

Evaluation Metric

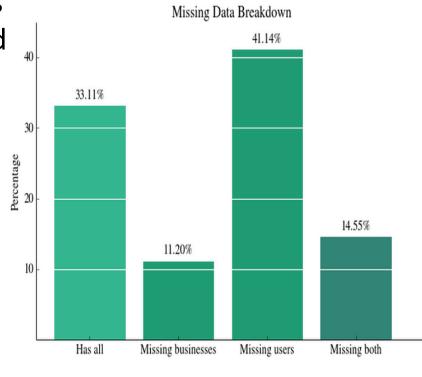
We chose to evaluate our model through the root mean squared error (RMSE) to measure the accuracy, where n is the total number of reviews to predict, p is the predicted rating, and a is the actual rating.

$$RMSE = \sqrt{\frac{\sum_{i=1}^{n}(p_i - a_i)^2}{n}}$$

Missing Data

A significant portion of the data is missing in the test set, so we used simple imputation and replaced the missing data with the following:

- The mean of the training set.
- A random sample from the training set.
- Predicted regression values from using the other features.



Machine Learning

Features

Gender, business open, business stars, business review count, user review count, user average, number of cool votes, number of useful votes, number of funny votes, category average, name average, and interaction terms.

Regression Models

• Linear Regression- fits a linear model by solving the following optimization problem to find the estimated parameters.

$$\min_{\theta} ||X\theta - y||_2^2$$

 Ridge Regression- a linear model with regularization with the l2 norm and a tuning parameter that was chosen with leave one out cross validation which solves the following problem.

$$\min_{\theta} ||X\theta - y||_{2}^{2} + \lambda ||\theta||_{2}^{2}$$

The Lasso- a linear model with regularization with the l1 norm and a tuning parameter that was chosen with leave one out cross validation which solves the following problem.

$$\min_{\theta} ||X\theta - y||_2^2 + \lambda ||\theta||_1$$

• Elastic Net- regression model trained with L1 and L2 prior as regularizer, which minimizes the following problem.

$$\min_{\theta} \frac{1}{2n} ||X\theta - y||_{2}^{2} + \lambda p||\theta||_{1} + \frac{\lambda(1-p)}{2} ||\theta||_{2}^{2}$$

- Random Forest- ensemble learning method that is based from decision trees. Each tree in the ensemble is built from a bootstrap sample from the training set. The split that is picked is the best split among a random subset of features.
- Factorization Machine- generic approach that allows to mimic factorization models by feature engineering, which combine the generality of feature engineering with the superiority of factorization models in estimating interactions between categorical variables of large domain.
- Collaborative Filtering- Collaborative filtering is a technique that identifies patterns of user preferences towards certain items and makes recommendations. Collaborative filtering uses a sparse matrix holding the rating of users to businesses and calculates a similarity score.

Results

Performance

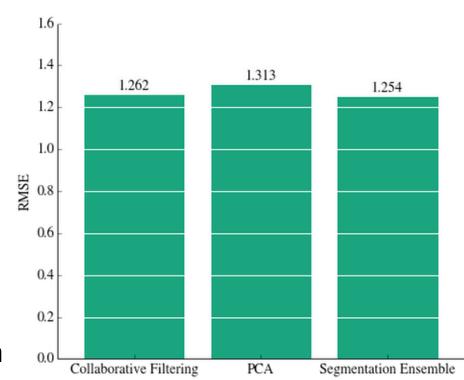
Using a training set of 229,907 and a test set size of 22,956, we get the following result for each approach on the missing data and each model.



Conclusion

The results show that elastic net using random values performed the best. The results suggests that out of the simple imputation method, random values performed the best in general. The models that performed the best are lasso and elastic net.

We used other techniques in addition to the model that performed the best. We used collaborative filtering on the data where nothing is missing, PCA for dimensionality reduction, and segmentation ensemble which fits the model to each part of the missing data



Jason Ting: jmting@stanford.edu
Swaroop Indra Ramaswamy: swaroopr@stanford.edu