EXAMPLE: BAYESIAN STATISTICS

12

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- $\gamma(x)$ is the un-normalised posterior density

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- Normalising constant is the model evidence

$$Z = p(y) = \int_{\mathbb{X}} L(y \mid x) p(x) \mathrm{d}x$$

- Given a prior $p(x)$ and likelihood $L(y \mid x)$

- For us, the data is an abstraction

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EXAMPLE: MOLECULAR DYNAMICS