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# Appearance Based Recognition

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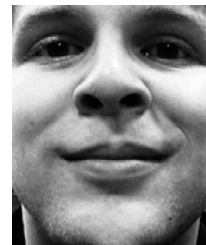
# Recognition (Section 10.4)

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- Given an image  $I$ , containing a single object and a database of images find the image in the database that is most similar to image  $I$
- One possible way to recognize objects
  - Database has views of same object under different conditions
  - Input image is “close” to one of these database views
- Commonly used in face recognition systems
  - Database has number of faces (standard position)
  - Input image is a single face (standard position)



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# Assumptions in appearance recognition

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1. Each image contains only a single object.
2. The objects are imaged by a fixed camera under weak perspective.
3. The images are normalized in size: that is the image frame is the minimum rectangle enclosing the largest appearance of this object.
4. The energy of the pixel values is normalized to one: 
$$\sum_{i=1}^N \sum_{j=1}^N I(i, j)^2 = 1$$
5. The object is completely visible and unconcluded in all images.

# Comparing Images

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- First transform 2D image into a 1D vector
  - $N \times N$  image  $X$ , becomes an  $N^2$  dimensional vector
  - $x = [X_{11}, X_{12}, \dots, X_{1N}, X_{21}, \dots, X_{NN}]^T$
- Now given two images  $X_1$  and  $X_2$ , and the two vectors  $x_1$  and  $x_2$  how do we compare them?
- One way, is to find distance between them according to some norm (usually L2)
  - $\text{Dist}(x_1, x_2) = \|x_1 - x_2\|$  (just sum of squares of differences)
- If  $\text{Dist}(x_1, x_2) = 0$  then  $x_1$  and  $x_2$  are identical
- In image processing language
  - $\text{Dist}(x_1, x_2)$  is called Euclidian distance (L2 norm)

# Comparing Images - Euclidian Distance

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- Given a single image  $y$  and a database of  $m$  images labeled  $x_1, x_2, \dots, x_m$
- Want to find closest image in database to  $y$ ?
  - Compute Euclidian distance and find smallest result
- How long does this take?
  - Time is proportional to  $m * N^2$ , where  $N^2$  is number of pixels in the original image, and  $m$  number of images in database
  - Takes a long time since  $N^2$  is large and often so is  $m$

# Problems with this approach

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- May need a very large database
  - Require a different image for different lighting conditions
  - Not much can be done about this issue in a simple way
    - Just hope that enough memory is available
- Often will require a lot of time
  - As in the previous slide to find the best match we need to do convolution against every image in the database
- Can not do much about size of database
  - This problem is intrinsic to the basic approach
- But we can decrease the execution time
  - By using the eigenspace or Principal Components Method
  - Sometimes called the PCA approach

# Idea behind the PCA Approach

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- There is redundancy in these images
  - Parts of all the images are very similar
  - The faces are in a standard position and all faces are similar
  - We can exploit this redundancy with the PCA approach
- Normally to compare images we need to compare  $N^2$  numbers, but with the PCA approach this is not true
  - We can represent images by  $k$  numbers, where  $k \ll N^2$
  - Then to compare images we need only compare  $k$  numbers
  - How big is  $k$ ? It depends on the redundancy of the images
  - If the images are not similar then  $k$  is large (close to  $N^2$ )
  - The more similar the images the smaller is  $k$
  - For face comparison  $k$  is around 100, which is small!

# PCA Approach

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- To implement the PCA approach you need to
  - Apply the PCA algorithm to all the images in the database
  - Represent each image as a  $K$  element vector instead of an  $N^2$  element vector
  - The value of  $K$  depends on the redundancy of the images but usually  $k \ll N^2$
- To match a new image with the database
  - Convert the new image into this  $k$  element vector form
  - Compare the  $k$  element vector to each of the  $m$  vectors of  $k$  elements in the image database
  - Return the closest vector
- This is the image that is the best match in the sense of Euclidian distance