Lexical Analysis Programming Languages

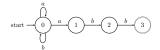
Sujit Kumar Chakrabarti

IIITB

Finite State Automata (FSA)

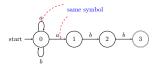
- 1 Non-deterministic FSA
- 2 Deterministic FSA

Example 1

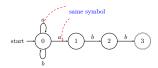


Language: $(a|b) \star abb$

Example 1

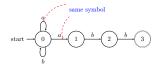


Example 1



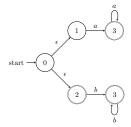
Language:

Example 1



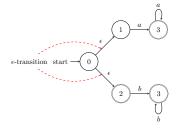
Language: $(a|b) \star abb$

Example 2



Language: $aa \star |bb\star|$

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- \blacksquare Finite set of states -(S)
- \blacksquare Alphabet (\sum)
- Transition function $(T: S \times \sum \rightarrow 2^S)$
- Initial state (S_0)
- Final/accepting states $(F \subseteq S)$

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Specific Properties

- The same state can transition to more than one states on the same symbol
- ϵ -transitions

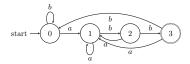
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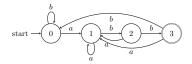
Specific Properties

- Only one next-state on the same symbol
- No ϵ -transitions

Example 1

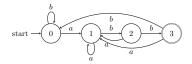


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NFA and DFA

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- DFAs: Faster to simulate

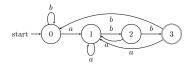
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- DFAs: Less readable
- DFAs: Larger number of states
- DFAs: Faster to simulate
- Equally expressive ≡ Regular expressions (Regular languages)

Lexical Analysis Process

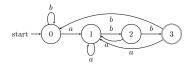


Representating transition function using transition tables



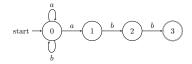
State	a	b
0		
1		
2		
3		

Representating transition function using transition tables



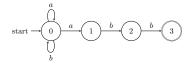
State	a	b
0	1	0
1	1	2
2	1	3
3	1	0

Representating transition function using transition tables



State	a	b
0		
1		
2		
3		

Representating transition function using transition tables



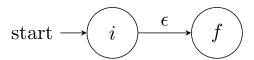
State	a	b
0	$\{0, 1\}$	{0}
1	{}	{2}
2	{}	{3}
3	{}	{}

NFA from Regular Expressions

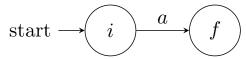
McNaughton-Yamada-Thompson Algorithm

Basis

 ϵ



$$a \in \sum$$



Simulation of DFA

 $\mathbf{procedure}\ \mathtt{SIMDFA}(D,\ inp)$

Simulation of DFA

```
procedure SIMDFA(D, inp)
   s \leftarrow D.s_0
   while there is input left do
       c \leftarrow \text{NEXTCHAR}
       s \leftarrow D.\text{MOVE}(s, c)
       if s = \text{nil then}
           break
       end if
   end while
   if s \in D.F then
       return true
   else
       return false
   end if
end procedure
```

Simulation of NFA

 $\mathbf{procedure}\ \mathtt{SIMNFA}(N,\,inp)$

Simulation of NFA

```
procedure SIMNFA(N, inp)
    S \leftarrow \epsilon-CLOSURE(N.s_0)
    c \leftarrow \text{NEXTCHAR}
    while there is input left do
        T' \leftarrow \text{MOVE}(S, c)
        S \leftarrow \epsilon-CLOSURE(T')
        c \leftarrow \text{NEXTCHAR}
    end while
    if S \cap N.F \neq \{\} then
        return true
    else
        return false
    end if
end procedure
```

Computing ϵ -closure

 $\mathbf{procedure}\ \epsilon\text{-CLOSURE}(s)$

Computing ϵ -closure

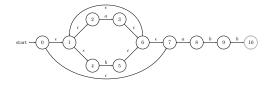
```
procedure \epsilon-CLOSURE(s)
    stack \leftarrow COPY(s)
    ep \leftarrow \text{COPY}(s)
    while stack is not empty do
        t \leftarrow stack.POP
        U \leftarrow \{u : u \in M.Trans[t, \epsilon]\}
        for u \in U do
            if u \notin ep then
                ep.ADD(u)
                stack.PUSH(u)
            end if
        end for
    end while
    return ep
end procedure
```

 ${\bf procedure}\ {\rm NFA2DFA}(N)$

```
procedure NFA2DFA(N)
    s_0' \leftarrow \epsilon-CLOSURE(N.s_0)
    add s'_0 to D.states
    UNMARK(s'_0)
    while there is unmarked state T in D. states do
        MARK(T)
        for all a \in \sum do
            T' \leftarrow \text{MOVE}(T, a)
            \mathcal{U} \leftarrow \epsilon-CLOSURE(T')
            if \mathcal{U} \notin D.states then
                 add \mathcal{U} to D.states
                 UNMARK(\mathcal{U})
            end if
        end for
    end while
    return D
end procedure
```

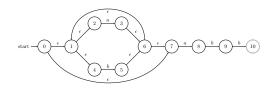
Example

NFA:

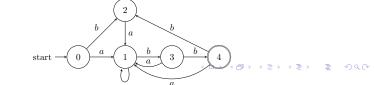


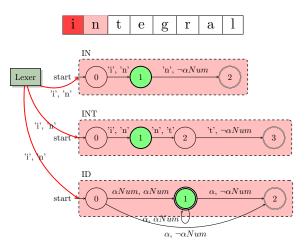
Example

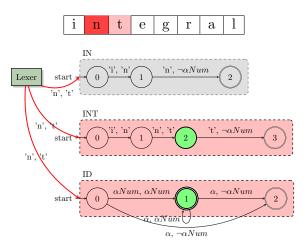
NFA:

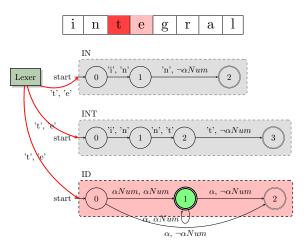


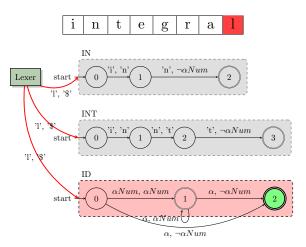
DFA:









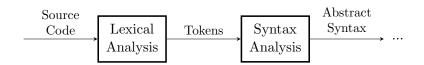


Manual Implementation of Lexical Analysers

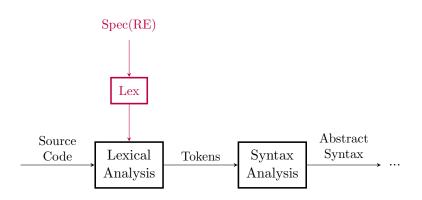
Important Points

- 1 The scanners must be ordered carefully.
- 2 Alternative design.
 - No separate scanner for keywords
 - Maintain a table of keywords
 - On detecting an identifier, check if it's a keyword. If yes, return suitable token. Otherwise, return identifier.

Automatic Generation of Lexical Analysers



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