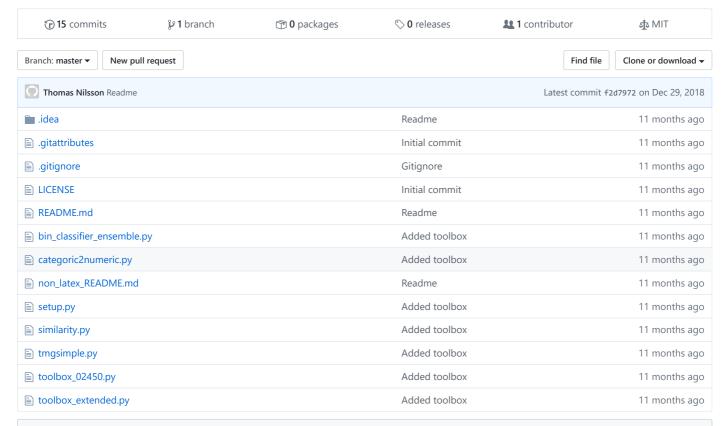
Lack thomasnilsson / ml02450

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A series of functions that will speed up a lot of exercises found in exam sets, that normally are calculated by hand



#### III README.md

# ml02450

This is a library which extends the toolbox provided in the 02450-course at The Technical University of Denmark and contains a series of functions that will speed up a lot of exercises found in exam sets, that normally are calculated by hand.

Tip: The functions can also be used as a result-checking mechanism if you still prefer to do the questions by hand.

#### Install

Install this package with pip:

!pip install --ignore-installed ml02450

Disclaimer: The author of most of this package is Tue Herlau

### Usage

Import library in python with:

Dismiss

```
import toolbox_extended as te
import toolbox_02450 as tb
import numpy as np
```

Most library functions require numpy vectors as inputs, so numpy needs to be imported as well.

## Usage of the main toolbox

Whenever you would normally use toolbox functions such as

```
density, log_density = gausKernelDensity(X,w)
```

Instead, simply use the tb. as the module prefix:

```
density, log_density = tb.gausKernelDensity(X,w)
```

This accomplishes two things:

- No namespace pollution
- The toolbox being much easier to use in Jupyter Notebooks

### Usage of the extended toolbox

#### AdaBoost

Given a classification problem with 25 observations in total, with 5 of them being misclassified in round 1, the weights can be calculated as:

```
miss = np.zeros(25)
miss[:5] = 1
te.adaboost(miss, rounds=1)
```

The weights are as follows:

```
w[0]: 0.100000
w[1]: 0.100000
w[2]: 0.100000
w[3]: 0.100000
w[4]: 0.100000
w[5]: 0.025000
w[6]: 0.025000
w[7]: 0.025000
w[8]: 0.025000
w[9]: 0.025000
w[10]: 0.025000
w[11]: 0.025000
w[12]: 0.025000
w[13]: 0.025000
w[14]: 0.025000
w[15]: 0.025000
w[16]: 0.025000
w[17]: 0.025000
w[18]: 0.025000
w[19]: 0.025000
w[20]: 0.025000
w[21]: 0.025000
w[22]: 0.025000
w[23]: 0.025000
w[24]: 0.025000
```

### **Naive Bayes**

Example from exam, fall 2018.

Given the following transaction matrix, where the rows correspond to a feature  $f_i$ , and the classes being given by the vector Y, what is  $P(y=1 \mid f_1=1, f_2=1.f_6=0)$ ?

```
X = np.array([
    [1,1,0,0,0,1,0,0,0,1],
    [1,0,0,0,0,0,0,0,0,0],
    [1,1,0,0,0,1,0,0,0,1],
    [0,1,1,1,0,0,0,1,1,0],
    [1,1,0,0,0,1,0,0,0,1],
    [0,1,1,1,0,0,1,1,1,0],
    [1,1,1,0,0,1,1,1,1,0],
    [0,1,1,1,0,1,1,0,0,1],
    [0,0,0,0,1,1,1,0,1,1],
    [1,0,0,0,0,1,1,1,1,0],
])
labels = ['f%i' %i for i in range(1,11)]
f1, f2, f3, f4, f5, f6, f7, f8, f9, f10 = X.T
y = [1,1,1,2,2,2,2,2,3,3]
x = [1,1,0]
te.naive_bayes(y, x, f1, f2, f6)
```

The probabilities  $P(y=c \mid f_1 = 1, f_2 = 1.f_6 = 0)$  for c=1,2,3 is given by the following vector:

```
array([0.45454545, 0.54545455, 0. ])
```

The answer is therefore y=0.45.

#### Support

Given the transaction matrix, the support of the item-set  $\{f_1, f_3, f_8, f_9, f_2, f_6, f_7\}$  can be calculated using the supp(I) function:

```
te.supp([f1,f3,f8,f9,f2,f6,f7])
```

Output:

```
0.1
```

#### Confidence

Given the transaction matrix, what is the confidence of the rule  $\{f_1,f_3,f_8,f_9\} \to \{f_2,f_6,f_7\}$ 

```
a = [f1,f3,f8,f9]
b = [f2,f6,f7]
te.conf(a,b)
```

Output:

```
1.0
```

#### **Confusion Matrix**

Given a 2x2 confusion matrix with:

- TP: 18
- FN: 12
- TN: 15
- FP: 9

Calculating the accuracy, error rate, recall, and much more, is done as follows:

```
M = [[18,12],[9,15]]
te.confusion_matrix(M)
```

Alternatively, by providing the attributes directly:

```
te.confusion_matrix(tp=18, fn=12, tn=15, fp=9)
```

Output:

#### ARD

Using K=2 nearest neighbours given the following distances, the avergae relative density becomes:

```
o1 = np.array([68.1, 165.4])

o3 = np.array([68.1, 111.1])

o4 = np.array([44.74, 32.5])

te.density(o1) / np.mean([te.density(o3), te.density(o4)])
```

Output:

```
0.46231460448232553
```