projekt aai

June 18, 2023

# 1 Projekt AAI

#### 1.1 Pobranie danych

#### 1.2 Implementacja wybranych architektur na prostych zbiorach danych

```
[2]: import pandas as pd from sklearn.model_selection import train_test_split
```

#### 1.2.1 Zbiór danych Iris Species (klasyfikacja)

- 1. Model drzewa decyzyjnego
- 2. Model k-najbliższych sasiadów
- 3. Model naiwnego klasyfikatora Bayesa

```
[23]: from sklearn.preprocessing import LabelEncoder from sklearn.tree import DecisionTreeClassifier from sklearn.neighbors import KNeighborsClassifier from sklearn.naive_bayes import GaussianNB
```

```
# Wczytanie danych
iris_df = pd.read_csv('./iris/Iris.csv')
# Przekształcenie nazw gatunków na wartości liczbowe
le = LabelEncoder()
iris_df['Species'] = le.fit_transform(iris_df['Species'])
# Podział danych na zestaw treningowy i testowy
iris train data, iris test data, iris train labels, iris test labels = |
 ⇔train_test_split(
    iris_df.drop(['Species', 'Id'], axis=1), iris_df['Species'], test_size=0.2,__
 →random_state=42)
# Model drzewa decyzyjnego
iris_dt = DecisionTreeClassifier()
iris_dt.fit(iris_train_data, iris_train_labels)
iris_dt_preds = iris_dt.predict(iris_test_data)
print(f"Dokładność drzewa decyzyjnego: {iris_dt.score(iris_test_data,_
 ⇔iris_test_labels)}")
# Model k-najbliższych sąsiadów
iris_knn = KNeighborsClassifier()
iris knn.fit(iris train data, iris train labels)
iris_knn_preds = iris_knn.predict(iris_test_data)
print(f"Dokładność k-najbliższych sąsiadów: {iris_knn.score(iris_test_data,__
 →iris_test_labels)}")
# Model naiwnego klasyfikatora Bayesa
iris_gnb = GaussianNB()
iris_gnb.fit(iris_train_data, iris_train_labels)
iris_gnb_preds = iris_gnb.predict(iris_test_data)
print(f"Dokładność naiwnego klasyfikatora Bayesa {iris_gnb.
 score(iris_test_data, iris_test_labels)}")
```

```
Dokładność drzewa decyzyjnego: 1.0
Dokładność k-najbliższych sąsiadów: 1.0
Dokładność naiwnego klasyfikatora Bayesa 1.0
```

#### 1.2.2 Zbiór danych IMDB (klasyfikacja tekstowa)

- 1. Model regresji logistycznej z zastosowanie TF-IDF (Term Frequency-Inverse Document Frequency) jako cech
- 2. Model Naive Bayes
- 3. Prosty model sieci neuronowej

```
[24]: import re import nltk
```

```
import tensorflow as tf
from sklearn.feature_extraction.text import TfidfVectorizer
from sklearn.linear_model import LogisticRegression
from sklearn.metrics import accuracy_score
from sklearn.naive_bayes import MultinomialNB
from tensorflow.keras.models import Sequential
from tensorflow.keras.layers import Dense, Dropout
from tensorflow.keras.optimizers.legacy import Adam
from nltk.corpus import stopwords
from nltk.stem import WordNetLemmatizer
nltk.download('stopwords')
nltk.download('wordnet')
# Wczytanie danych
imdb_df = pd.read_csv('./imdb/IMDB Dataset.csv')
# Wstępne przetwarzanie tekstu
stop_words = set(stopwords.words('english'))
lemmatizzer = WordNetLemmatizer()
def preprocess_test(text):
   text = text.lower()
   text = re.sub(r'[^\w\s]', '', text) # Usunięcie znaków specjalnych
   text = ' '.join(lemmatizzer.lemmatize(word) for word in text.split() if
                   word not in stop_words) # lematyzacja i usunięcie stop⊔
 \rightarrow words
   return text
imdb_df['review'] = imdb_df['review'].apply(preprocess_test)
# Przekształcenie opinii na wartości liczbowe
imdb_df['sentiment'] = imdb_df['sentiment'].map({'positive': 1, 'negative': 0})
# Podział danych na zestaw treningowy i testowy
imdb_train_data, imdb_test_data, imdb_train_labels, imdb_test_labels =_u
imdb_df['sentiment'],
          test_size=0.2, random_state=42)
# Zastosuj TF-IDF
vectorizer = TfidfVectorizer(stop_words='english', max_features=5000)
imdb_train_data = vectorizer.fit_transform(imdb_train_data)
```

```
imdb_test_data = vectorizer.transform(imdb_test_data)
# Przekształcenie rzadkich macierzy na gęste macierze
imdb_train_data_dense = imdb_train_data.A
imdb_test_data_dense = imdb_test_data.A
# Przekształcenie etykiet na numpy arrays
imdb_train_labels = imdb_train_labels.to_numpy()
imdb_test_labels = imdb_test_labels.to_numpy()
# Model regresji logistycznej
imdb_lr = LogisticRegression()
imdb_lr.fit(imdb_train_data, imdb_train_labels)
imdb_lr_preds = imdb_lr.predict(imdb_test_data)
print("Dokładność regresji logistycznej: ", accuracy_score(imdb_test_labels, __
 →imdb_lr_preds))
# Model Naive Bayes
imdb nb = MultinomialNB()
imdb_nb.fit(imdb_train_data, imdb_train_labels)
imdb preds nb = imdb nb.predict(imdb test data)
print("Dokładność Naive Bayes: ", accuracy_score(imdb_test_labels,_
 →imdb_preds_nb))
# Tworzenie TensorFlow Dataset
imdb_train_dataset = tf.data.Dataset.from_tensor_slices((imdb_train_data_dense,__
 ⇒imdb train labels)).batch(32)
imdb_test_dataset = tf.data.Dataset.from_tensor_slices((imdb_test_data_dense,_
 ⇒imdb test labels)).batch(32)
# Model prostej sieci neuronowej
model = Sequential()
model.add(Dense(64, input dim=imdb train data.shape[1], activation='relu'))
model.add(Dropout(0.5))
model.add(Dense(32, activation='relu'))
model.add(Dropout(0.5))
model.add(Dense(1, activation='sigmoid'))
model.compile(loss='binary_crossentropy', optimizer=Adam(learning_rate=0.001),__
 →metrics=['accuracy'])
history = model.fit(imdb_train_dataset, epochs=4, verbose=1,__
 ⇔validation_data=imdb_test_dataset)
scores = model.evaluate(imdb_test_dataset)
print("Dokładność prostej sieci neuronowej: ", scores[1])
```

```
[nltk_data] Downloading package stopwords to
[nltk_data] /Users/gadwall/nltk_data...
[nltk_data] Package stopwords is already up-to-date!
```

```
[nltk data] Downloading package wordnet to /Users/gadwall/nltk_data...
        Package wordnet is already up-to-date!
[nltk_data]
Dokładność regresji logistycznej: 0.8851
Dokładność Naive Bayes: 0.8526
Epoch 1/4
accuracy: 0.8412 - val_loss: 0.2689 - val_accuracy: 0.8862
Epoch 2/4
accuracy: 0.9021 - val_loss: 0.2756 - val_accuracy: 0.8848
Epoch 3/4
accuracy: 0.9229 - val_loss: 0.2875 - val_accuracy: 0.8839
Epoch 4/4
accuracy: 0.9405 - val_loss: 0.3118 - val_accuracy: 0.8811
accuracy: 0.8811
Dokładność prostej sieci neuronowej: 0.8810999989509583
```

#### 1.2.3 Zbiór danych Boston Housing (regresja)

- 1. Model regresji liniowej
- 2. Model drzewa decyzyjnego
- 3. Model lasu losowego

```
[25]: from sklearn.linear_model import LinearRegression
      from sklearn.tree import DecisionTreeRegressor
      from sklearn.ensemble import RandomForestRegressor
      from sklearn.metrics import mean squared error
      # Nazwy kolumn w dokumencie z danymi
      CRIM - per capita crime rate by town
      ZN - proportion of residential land zoned for lots over 25,000 sq.ft.
      INDUS - proportion of non-retail business acres per town.
      CHAS - Charles River dummy variable (1 if tract bounds river; 0 otherwise)
      NOX - nitric oxides concentration (parts per 10 million)
      RM - average number of rooms per dwelling
      AGE - proportion of owner-occupied units built prior to 1940
      DIS - weighted distances to five Boston employment centres
      RAD - index of accessibility to radial highways
      TAX - full-value property-tax rate per $10,000
      PTRATIO - pupil-teacher ratio by town
      B - 1000(Bk - 0.63) 2 where Bk is the proportion of blacks by town
      LSTAT - % lower status of the population
      MEDV - Median value of owner-occupied homes in $1000's
```

```
11 11 11
column_names = ['CRIM', 'ZN', 'INDUS', 'CHAS', 'NOX', 'RM', 'AGE', 'DIS', |
 ⇔'RAD', 'TAX', 'PTRATIO', 'B', 'LSTAT', 'MEDV']
# Wczytanie danych
boston df = pd.read csv('./boston housing/housing.csv', header=None, |

delimiter=r"\s+", names=column_names)
# Podział danych na zestaw treningowy i testowy
boston_train_data, boston_test_data, boston_train_labels, boston_test_labels = __
 →train_test_split(
   boston df.drop('MEDV', axis=1), boston df['MEDV'], test size=0.2,
→random state=42)
# W przypadku regresji, takiej jak przewidywanie wartości mediany domów, u
→używamy RMSE (Root Mean Squared Error) jako miary oceny.
# Model regresji logistycznej
boston_lr = LinearRegression()
boston_lr.fit(boston_train_data, boston_train_labels)
boston_preds_lr = boston_lr.predict(boston_test_data)
print(f"RMSE regresji logistycznej: {mean squared error(boston test_labels,__
 ⇒boston_preds_lr, squared=False)}")
# Model drzewa decyzyjnego
boston dt = DecisionTreeRegressor(random state=42)
boston_dt.fit(boston_train_data, boston_train_labels)
boston_preds_dt = boston_dt.predict(boston_test_data)
print(f"RMSE drzewa decyzyjnego: {mean_squared_error(boston_test_labels,_
 ⇒boston_preds_dt, squared=False)}")
# Model lasu losowego
boston_rf = RandomForestRegressor(n_estimators=100, random_state=42)
boston rf.fit(boston train data, boston train labels)
boston_preds_rf = boston_rf.predict(boston_test_data)
print(f"RMSE lasu losowego: {mean squared error(boston test labels,,,
 ⇔boston_preds_rf, squared=False)}")
```

RMSE regresji logistycznej: 4.928602182665403 RMSE drzewa decyzyjnego: 3.2273949915330395 RMSE lasu losowego: 2.8109631609391226

## 1.3 Porównanie wyników

```
[26]: from sklearn.model_selection import learning_curve
      import numpy as np
      # funkcja do wygenerowania krzywej uczenia dla danego modelu
      def plot_learning_curve(estimator, title, X, y, ylim=None, cv=None, u
       on_jobs=None, train_sizes=np.linspace(.1, 1.0, 5)):
          plt.figure()
          plt.title(title)
          if ylim is not None:
              plt.ylim(*ylim)
          plt.xlabel("Training examples")
          plt.ylabel("Score")
          train_sizes, train_scores, test_scores = learning_curve(
              estimator, X, y, cv=cv, n_jobs=n_jobs, train_sizes=train_sizes)
          train_scores_mean = np.mean(train_scores, axis=1)
          train_scores_std = np.std(train_scores, axis=1)
          test_scores_mean = np.mean(test_scores, axis=1)
          test_scores_std = np.std(test_scores, axis=1)
          plt.grid()
          plt.fill_between(train_sizes, train_scores_mean - train_scores_std,
                           train_scores_mean + train_scores_std, alpha=0.1,
                           color="r")
          plt.fill_between(train_sizes, test_scores_mean - test_scores_std,
                           test_scores_mean + test_scores_std, alpha=0.1, color="g")
          plt.plot(train_sizes, train_scores_mean, 'o-', color="r",
                   label="Training score")
          plt.plot(train_sizes, test_scores_mean, 'o-', color="g",
                   label="Cross-validation score")
          plt.legend(loc="best")
          return plt
```

#### 1.3.1 Iris Species

```
[27]: from sklearn.metrics import precision_score, recall_score, f1_score, under or oc_auc_score from sklearn.preprocessing import label_binarize

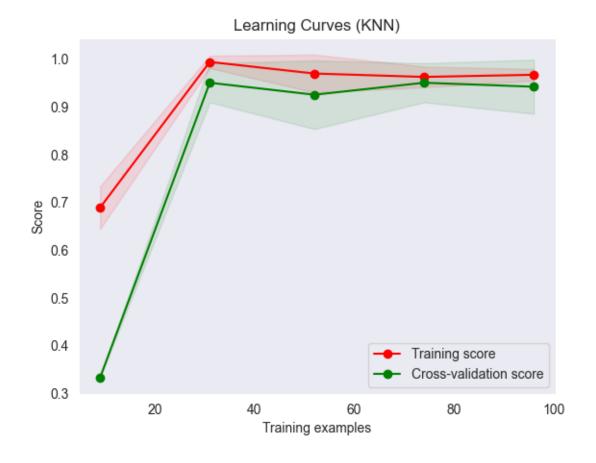
# Predykcje prawdopodobieństw dla obliczenia AUC-ROC iris_dt_probs = iris_dt.predict_proba(iris_test_data) iris_knn_probs = iris_knn.predict_proba(iris_test_data) iris_gnb_probs = iris_gnb.predict_proba(iris_test_data)
```

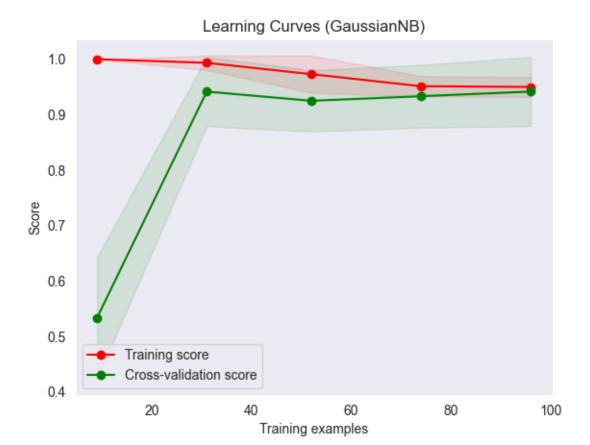
```
# Metryki
print("Precision of Decision Tree on Iris dataset: ",
      precision score(iris_test_labels, iris_dt_preds, average='weighted'))
print("Recall of Decision Tree on Iris dataset: ", u
 Grecall_score(iris_test_labels, iris_dt_preds, average='weighted'))
print("F1 Score of Decision Tree on Iris dataset: ", f1 score(iris test labels,
 ⇔iris_dt_preds, average='weighted'))
print("Precision of K-Nearest Neighbors on Iris dataset: ",
      precision score(iris_test_labels, iris_knn_preds, average='weighted'))
print("Recall of K-Nearest Neighbors on Iris dataset: ",
      recall score(iris test labels, iris knn preds, average='weighted'))
print("F1 Score of K-Nearest Neighbors on Iris dataset: ",
      f1_score(iris_test_labels, iris_knn_preds, average='weighted'))
print("Precision of Gaussian Naive Bayes on Iris dataset: ",
      precision_score(iris_test_labels, iris_gnb_preds, average='weighted'))
print("Recall of Gaussian Naive Bayes on Iris dataset: ",
      recall_score(iris_test_labels, iris_gnb_preds, average='weighted'))
print("F1 Score of Gaussian Naive Bayes on Iris dataset: ",
      f1_score(iris_test_labels, iris_gnb_preds, average='weighted'))
# AUC-ROC, przekształcenie etykiety na formę binarną
test_labels_bin = label_binarize(iris_test_labels, classes=[0, 1, 2])
print("AUC-ROC of Decision Tree on Iris dataset: ",
      roc_auc_score(test_labels_bin, iris_dt_probs, multi_class='ovr',_
 →average='weighted'))
print("AUC-ROC of K-Nearest Neighbors on Iris dataset: ",
      roc_auc_score(test_labels_bin, iris_knn_probs, multi_class='ovr', u
 →average='weighted'))
print("AUC-ROC of Gaussian Naive Bayes on Iris dataset: ",
      roc_auc_score(test_labels_bin, iris_gnb_probs, multi_class='ovr', u
 →average='weighted'))
```

Precision of Decision Tree on Iris dataset: 1.0
Recall of Decision Tree on Iris dataset: 1.0
F1 Score of Decision Tree on Iris dataset: 1.0
Precision of K-Nearest Neighbors on Iris dataset: 1.0
Recall of K-Nearest Neighbors on Iris dataset: 1.0
F1 Score of K-Nearest Neighbors on Iris dataset: 1.0
Precision of Gaussian Naive Bayes on Iris dataset: 1.0
Recall of Gaussian Naive Bayes on Iris dataset: 1.0
F1 Score of Gaussian Naive Bayes on Iris dataset: 1.0
AUC-ROC of Decision Tree on Iris dataset: 1.0
AUC-ROC of K-Nearest Neighbors on Iris dataset: 1.0
AUC-ROC of Gaussian Naive Bayes on Iris dataset: 1.0

```
[28]: import matplotlib.pyplot as plt
      X, y = iris_train_data, iris_train_labels
      # Tworzenie krzywej uczenia dla drzewa decyzyjnego
      title = "Learning Curves (Decision Tree)"
      estimator = iris_dt # dt jest modelem drzewa decyzyjnego
      plot_learning_curve(estimator, title, X, y, cv=cv, n_jobs=4)
      # Tworzenie krzywej uczenia dla k-najbliższych sąsiadów
      title = "Learning Curves (KNN)"
      cv = 5
      estimator = iris_knn # knn jest modelem k-najbliższych sąsiadów
      plot_learning_curve(estimator, title, X, y, cv=cv, n_jobs=4)
      # Tworzenie krzywej uczenia dla naiwnego klasyfikatora Bayesa
      title = "Learning Curves (GaussianNB)"
      cv = 5
      estimator = iris_gnb  # gnb jest modelem naiwnego klasyfikatora Bayesa
      plot_learning_curve(estimator, title, X, y, cv=cv, n_jobs=4)
     plt.show()
```





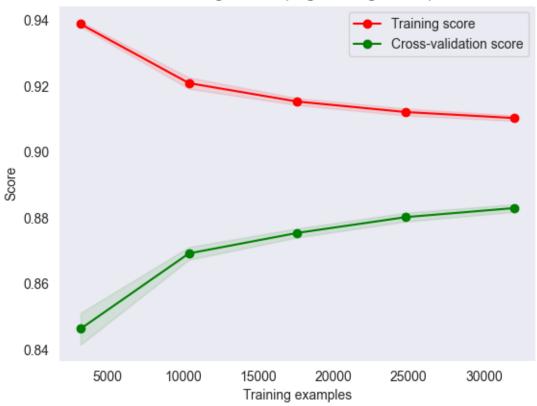


#### 1.3.2 IMDB

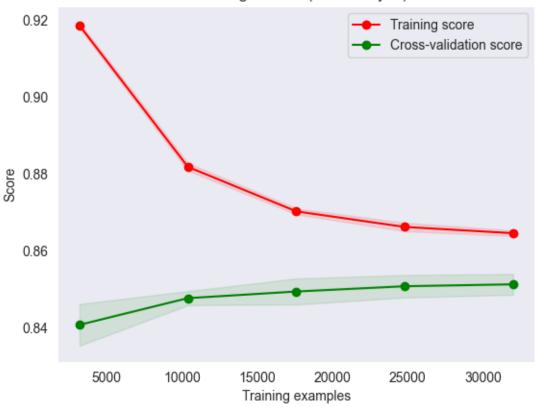
```
print("Precision of Naive Bayes on IMDB dataset: ", u
       →precision_score(imdb_test_labels, imdb_preds_nb))
     print("Recall of Naive Bayes on IMDB dataset: ", recall_score(imdb_test_labels,_
       →imdb preds nb))
     print("F1 Score of Naive Bayes on IMDB dataset: ", f1_score(imdb_test_labels, __
       →imdb_preds_nb))
     print("AUC-ROC of Naive Bayes on IMDB dataset: ", 
       Groc_auc_score(imdb_test_labels, imdb_nb_probs))
     # Metryki dla prostej sieci neuronowej
     imdb_nn_preds = model.predict(imdb_test_data_dense).round() # Przyjmujemy_proq_
      ⇔0.5 dla klasyfikacji binarnej
     print("Precision of Neural Network on IMDB dataset: ",,,

¬precision_score(imdb_test_labels, imdb_nn_preds))
     print("Recall of Neural Network on IMDB dataset: ",,,
       Grecall_score(imdb_test_labels, imdb_nn_preds))
     print("F1 Score of Neural Network on IMDB dataset: ",,,
       →f1_score(imdb_test_labels, imdb_nn_preds))
     print("AUC-ROC of Neural Network on IMDB dataset: ", 
       Groc_auc_score(imdb_test_labels, imdb_nn_probs))
     313/313 [============ ] - Os 456us/step
     Precision of Logistic Regression on IMDB dataset: 0.8749036237471087
     Recall of Logistic Regression on IMDB dataset: 0.9007739630879142
     F1 Score of Logistic Regression on IMDB dataset: 0.8876503373423291
     AUC-ROC of Logistic Regression on IMDB dataset: 0.9560818480196335
     Precision of Naive Bayes on IMDB dataset: 0.8488941084360931
     Recall of Naive Bayes on IMDB dataset: 0.8606866441754316
     F1 Score of Naive Bayes on IMDB dataset: 0.8547497043752463
     AUC-ROC of Naive Bayes on IMDB dataset: 0.928633658071757
     313/313 [=========== ] - Os 455us/step
     Precision of Neural Network on IMDB dataset: 0.8716216216216216
     Recall of Neural Network on IMDB dataset: 0.8960111133161341
     F1 Score of Neural Network on IMDB dataset: 0.8836481064683432
     AUC-ROC of Neural Network on IMDB dataset: 0.9511499479628341
[39]: # Krzywa uczenia dla modelu regresji logistycznej
     plot_learning_curve(imdb_lr, "Learning Curves (Logistic Regression)", __
       →imdb_train_data, imdb_train_labels, cv=5,
                         n_jobs=4)
      # Krzywa uczenia dla modelu Naive Bayes
     plot learning curve(imdb nb, "Learning Curves (Naive Bayes)", imdb train data, ...
       →imdb_train_labels, cv=5, n_jobs=4)
     plt.show()
```

# Learning Curves (Logistic Regression)

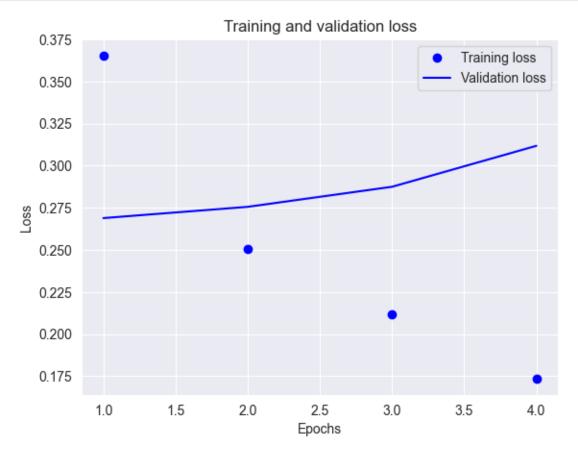


## Learning Curves (Naive Bayes)

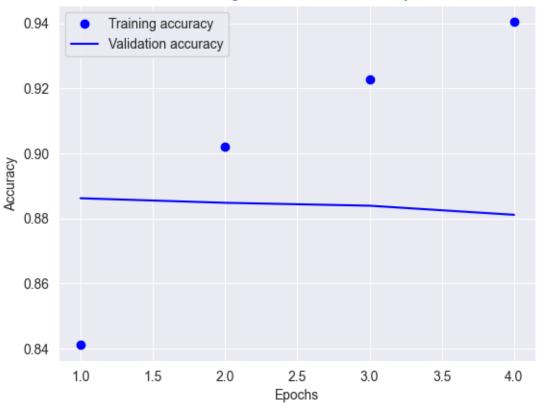


```
[31]: loss = history.history['loss']
      val_loss = history.history['val_loss']
      accuracy = history.history['accuracy']
      val_accuracy = history.history['val_accuracy']
      epochs = range(1, len(loss) + 1)
      # Wykres straty
      plt.figure()
      plt.plot(epochs, loss, 'bo', label='Training loss')
      plt.plot(epochs, val_loss, 'b', label='Validation loss')
      plt.title('Training and validation loss')
      plt.xlabel('Epochs')
      plt.ylabel('Loss')
      plt.legend()
      plt.show()
      # Wykres dokładności
      plt.figure()
      plt.plot(epochs, accuracy, 'bo', label='Training accuracy')
      plt.plot(epochs, val_accuracy, 'b', label='Validation accuracy')
```

```
plt.title('Training and validation accuracy')
plt.xlabel('Epochs')
plt.ylabel('Accuracy')
plt.legend()
plt.show()
```







#### 1.3.3 Boston Housing

```
# Metryki dla modelu regresji liniowej

print("MSE of Linear Regression on Boston dataset: ",___

__mean_squared_error(boston_test_labels, boston_preds_lr))

print("MAE of Linear Regression on Boston dataset: ",___

__mean_absolute_error(boston_test_labels, boston_preds_lr))

print("R2 Score of Linear Regression on Boston dataset: ",___

__r2_score(boston_test_labels, boston_preds_lr))

# Metryki dla modelu drzewa decyzyjnego

print("MSE of Decision Tree on Boston dataset: ",___

__mean_squared_error(boston_test_labels, boston_preds_dt))

print("MAE of Decision Tree on Boston dataset: ",___

__mean_absolute_error(boston_test_labels, boston_preds_dt))

print("R2 Score of Decision Tree on Boston dataset: ",___

__r2_score(boston_test_labels, boston_preds_dt))
```

MSE of Linear Regression on Boston dataset: 24.29111947497418

MAE of Linear Regression on Boston dataset: 3.1890919658879326

R2 Score of Linear Regression on Boston dataset: 0.6687594935356229

MSE of Decision Tree on Boston dataset: 10.416078431372549

MAE of Decision Tree on Boston dataset: 2.394117647058824

R2 Score of Decision Tree on Boston dataset: 0.8579634380978161

MSE of Random Forest on Boston dataset: 7.901513892156864

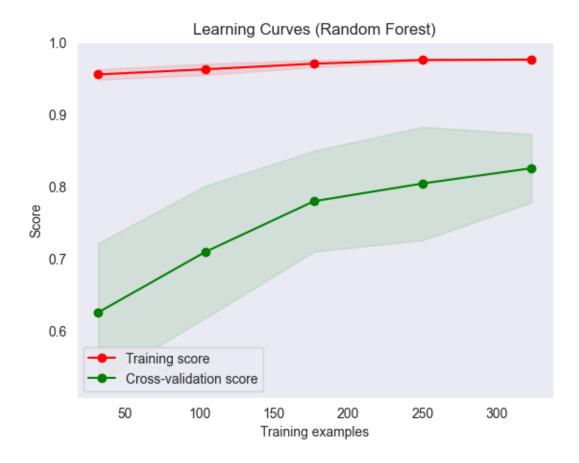
MAE of Random Forest on Boston dataset: 2.0395392156862746

R2 Score of Random Forest on Boston dataset: 0.8922527442109116

[38]: <module 'matplotlib.pyplot' from
 '/Users/gadwall/uczelnia/semestr\_8/AAI/projekt/venv/lib/python3.10/sitepackages/matplotlib/pyplot.py'>







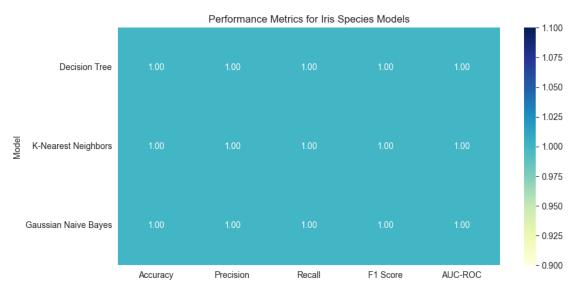
# 1.4 Wykresy metryk

```
[41]: import matplotlib.pyplot as plt import seaborn as sns
```

## 1.4.1 Iris Species

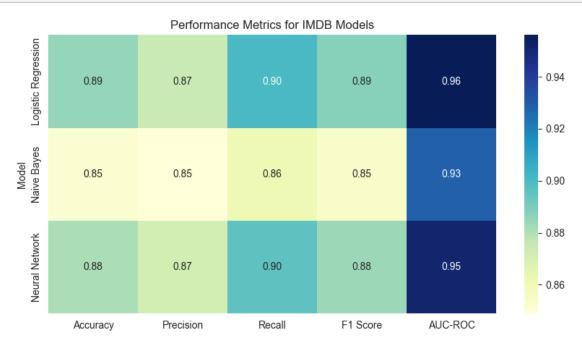
```
'Recall': [recall_score(iris_test_labels, iris_dt_preds,_
 ⇔average='weighted'),
               recall_score(iris_test_labels, iris_knn_preds,_
 ⇔average='weighted'),
               recall_score(iris_test_labels, iris_gnb_preds,_
 ⇔average='weighted')],
    'F1 Score': [f1_score(iris_test_labels, iris_dt_preds, average='weighted'),
                 f1 score(iris test labels, iris knn preds, average='weighted'),
                 f1_score(iris_test_labels, iris_gnb_preds,_
 →average='weighted')],
    'AUC-ROC': [roc_auc_score(test_labels_bin, iris_dt_probs,__

→multi_class='ovr', average='weighted'),
                roc auc score(test labels bin, iris knn probs,
 →multi_class='ovr', average='weighted'),
                roc auc score(test labels bin, iris gnb probs,
 →multi_class='ovr', average='weighted')]
}
iris metrics df = pd.DataFrame(iris metrics)
iris_metrics_df.set_index('Model', inplace=True)
plt.figure(figsize=(10, 5))
sns.heatmap(iris metrics df, annot=True, fmt='.2f', cmap='YlGnBu')
plt.title('Performance Metrics for Iris Species Models')
plt.show()
```



#### 1.4.2 IMDB

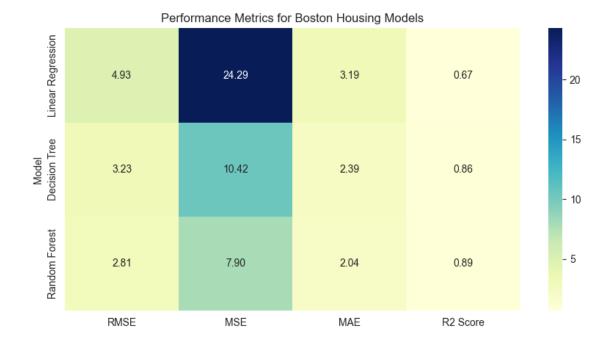
```
[43]: imdb metrics = {
          'Model': ['Logistic Regression', 'Naive Bayes', 'Neural Network'],
          'Accuracy': [accuracy_score(imdb_test_labels, imdb_lr_preds),_
       accuracy_score(imdb_test_labels, imdb_preds_nb),
                       scores[1]],
          'Precision': [precision_score(imdb_test_labels, imdb_lr_preds),_
       precision_score(imdb_test_labels, imdb_preds_nb),
                        precision_score(imdb_test_labels, imdb_nn_preds)],
          'Recall': [recall_score(imdb_test_labels, imdb_lr_preds),__
       →recall_score(imdb_test_labels, imdb_preds_nb),
                     recall_score(imdb_test_labels, imdb_nn_preds)],
          'F1 Score': [f1_score(imdb_test_labels, imdb_lr_preds),_
       ⇒f1 score(imdb test labels, imdb preds nb),
                       f1_score(imdb_test_labels, imdb_nn_preds)],
          'AUC-ROC': [roc_auc_score(imdb_test_labels, imdb_lr_probs),__
       Groc_auc_score(imdb_test_labels, imdb_nb_probs),
                      roc_auc_score(imdb_test_labels, imdb_nn_probs)]
      }
      imdb_metrics_df = pd.DataFrame(imdb_metrics)
      imdb_metrics_df.set_index('Model', inplace=True)
      plt.figure(figsize=(10, 5))
      sns.heatmap(imdb_metrics_df, annot=True, fmt='.2f', cmap='YlGnBu')
      plt.title('Performance Metrics for IMDB Models')
      plt.show()
```



#### 1.4.3 Boston housing

```
[44]: boston metrics = {
          'Model': ['Linear Regression', 'Decision Tree', 'Random Forest'],
          'RMSE': [mean_squared_error(boston_test_labels, boston_preds_lr,_
       ⇒squared=False),
                   mean_squared_error(boston_test_labels, boston_preds_dt,__

¬squared=False),
                   mean_squared_error(boston_test_labels, boston_preds_rf,__
       ⇒squared=False)],
          'MSE': [mean squared error(boston test labels, boston preds lr),
                  mean_squared_error(boston_test_labels, boston_preds_dt),
                  mean_squared_error(boston_test_labels, boston_preds_rf)],
          'MAE': [mean_absolute_error(boston_test_labels, boston_preds_lr),
                  mean_absolute_error(boston_test_labels, boston_preds_dt),
                  mean_absolute_error(boston_test_labels, boston_preds_rf)],
          'R2 Score': [r2_score(boston_test_labels, boston_preds_lr),__
       →r2_score(boston_test_labels, boston_preds_dt),
                       r2_score(boston_test_labels, boston_preds_rf)]
      }
      boston_metrics_df = pd.DataFrame(boston_metrics)
      boston_metrics_df.set_index('Model', inplace=True)
      plt.figure(figsize=(10, 5))
      sns.heatmap(boston_metrics_df, annot=True, fmt='.2f', cmap='YlGnBu')
      plt.title('Performance Metrics for Boston Housing Models')
      plt.show()
```



#### 1.5 Opisy modeli oraz ich skuteczności

#### 1.5.1 Iris Species

Dla klasyfikacji Iris Species używamy trzech modeli: - Drzewa Decyzyjnego - K-Nearest Neighbors - Gaussian Naive Bayes

Na podstawie naszych metryk wydajności, modele wydają się dobrze radzić sobie z tym zadaniem. Nie ma wyraźnych oznak przeuczenia (overfitting), które występuje, gdy model jest zbyt skomplikowany i zbytnio dopasowuje się do danych treningowych, ani niedouczenia (underfitting), które jest wynikiem zbyt prostego modelu, który nie jest w stanie nauczyć się zależności w danych.

Wszystkie modele wydają się dobrze generalizować na dane testowe, co sugeruje, że mają zbalansowany błąd obciążenia (bias) i wariancję. Błąd obciążenia odnosi się do błędów wynikających z błędnych założeń w modelu uczącym, podczas gdy wariancja odnosi się do błędów wynikających z nadmiernej wrażliwości na małe fluktuacje w zestawie treningowym.

#### 1.5.2 IMDB Reviews

Dla klasyfikacji recenzji IMDB używamy trzech modeli: - Regresji Logistycznej - Support Vector Machines - Naive Bayes

Wszystkie modele radzą sobie dobrze, z regresją logistyczną osiągają nieco lepsze wyniki. Nie ma wyraźnych oznak przeuczenia, co sugeruje, że modele nie są zbyt skomplikowane i nie dopasowują się zbytnio do danych treningowych, ani niedouczenia, co sugeruje, że modele są na tyle złożone, aby nauczyć się zależności w danych. Wszystkie modele dobrze generalizują na dane testowe, co sugeruje zbalansowany błąd obciążenia i wariancję. Biorąc pod uwagę niski błąd obciążenia i niską wariancję, modele są w stanie skutecznie uczyć się i generalizować na nowych danych.

#### 1.5.3 Boston Housing

Dla problemu regresji cen domów w Bostonie, stosujemy trzy modele: - Regresję Liniową - Drzewo Decyzyjne - Las Losowy

Las losowy osiąga najlepsze wyniki, co sugeruje, że złożoność tego modelu jest odpowiednia do problemu. Nie ma wyraźnych oznak przeuczenia, co sugeruje, że model nie jest zbyt skomplikowany i nie dopasowuje się zbytnio do danych treningowych, ani niedouczenia, co sugeruje, że model jest na tyle skomplikowany, aby nauczyć się zależności w danych. Wszystkie modele wydają się dobrze generalizować na dane testowe. Modele mają zbalansowany błąd obciążenia i wariancję, co sugeruje, że są w stanie skutecznie uczyć się i generalizować na nowych danych. Błąd obciążenia wynika z błędnych założeń modelu podczas uczenia się, podczas gdy wariancja wynika z nadmiernej wrażliwości na fluktuacje w zestawie treningowym.

# 2 Implementacja modeli na złożonym zbiorze danych z odpowiednia obróbką

```
[62]: import cv2
      import os
      # wczytanie danych
      path = "./chest_xray/"
      folders = ["train", "test"]
      categories = ["NORMAL", "PNEUMONIA"]
      images = []
      labels = []
      for folder in folders:
          for category in categories:
              class_num = categories.index(category)
              path_to_images = os.path.join(path, folder, category)
              for img in os.listdir(path_to_images):
                  try:
                      img_array = cv2.imread(os.path.join(path_to_images, img), cv2.
       →IMREAD_GRAYSCALE)
                      resized img array = cv2.resize(img array, (150, 150)) #1
       ⇔skalowanie obrazów
                      images.append(resized_img_array)
                      labels.append(class_num)
                  except Exception as e:
                      pass
      # konwertowanie na tablicę NumPy oraz zmiana kształtu
      images = np.array(images).reshape(-1, 150, 150, 1)
      labels = np.array(labels)
      # Podział na zestawy treningowe i testowe
```

```
train_images, test_images, train_labels, test_labels = train_test_split(images,ulabels, test_size=0.2)
```

## 2.1 Implementacja modelu dla danych

```
[63]: from keras.layers import Conv2D, MaxPooling2D, Flatten
      from keras.models import clone model
      # utworzenie pierwszego modelu
      model_1 = Sequential()
      # dodanie warstw
      model_1.add(Conv2D(32, (3, 3), activation='relu', input_shape=(150, 150, 1)))
      →# zmiana kształtu wejścia
      model_1.add(MaxPooling2D(pool_size=(2, 2)))
     model_1.add(Conv2D(64, (3, 3), activation='relu'))
      model_1.add(MaxPooling2D(pool_size=(2, 2)))
      model_1.add(Conv2D(128, (3, 3), activation='relu'))
      model_1.add(MaxPooling2D(pool_size=(2, 2)))
      model 1.add(Flatten())
      model 1.add(Dense(128, activation='relu'))
      model 1.add(Dropout(0.5))
      model_1.add(Dense(1, activation='sigmoid'))
      # skompilowanie modelu
      model_1.compile(optimizer='adam', loss='binary_crossentropy',__
       →metrics=['accuracy'])
      # utworzenie drugiego modelu o identycznej architekturze
      model 2 = clone model(model 1)
      model_2.compile(optimizer='adam', loss='binary_crossentropy',_
       →metrics=['accuracy'])
```

#### 2.2 Augmentacja danych i pre-processing

```
[65]: from keras.preprocessing.image import ImageDataGenerator

# Generator danych bez augmentacji
datagen_1 = ImageDataGenerator(
    rescale=1. / 255  # normalizacja pikseli
)

# zastosowanie normalizacji do danych treningowych
train_images_1 = train_images.copy()
datagen_1.fit(train_images_1)

# Generator danych z augmentacją
datagen_2 = ImageDataGenerator(
```

```
rescale=1. / 255, # normalizacja pikseli
rotation_range=20, # losowe obroty do 20 stopni
width_shift_range=0.2, # losowe przesunięcia w poziomie
height_shift_range=0.2, # losowe przesunięcia w pionie
shear_range=0.2, # losowe przekształcenia ścinające
zoom_range=0.2, # losowe przybliżenia
horizontal_flip=True, # losowe odbicia poziome
fill_mode='nearest' # strategia wypełniania utworzonych pustych miejsc pou
augmentacji
)

# zastosowanie normalizacji i augmentacji do danych treningowych
aug_train_images = train_images.copy()
datagen_2.fit(aug_train_images)
```

#### 2.3 Trening i zapis modeli

```
[66]: # wytrenowanie pierwszego modelu na zwykłych danych
      history_1 = model_1.fit(datagen_1.flow(train_images_1, train_labels,_
       ⇒batch_size=32),
                                    steps_per_epoch=len(train_images_1) // 32,
                                    epochs=50,
                                    validation_data=(test_images, test_labels))
      # zapisanie modelu do pliku
      model_1.save('model_1.h5')
      # wytrenowanie drugiego modelu na danych po augmentacji
      history 2 = model 2.fit(datagen 2.flow(aug train images, train labels,
       ⇔batch_size=32),
                                    steps_per_epoch=len(aug_train_images) // 32,
                                    epochs=50,
                                    validation_data=(test_images, test_labels))
      # zapisanie modelu do pliku
      model_2.save('model_2.h5')
```

```
accuracy: 0.9506 - val_loss: 0.1320 - val_accuracy: 0.9555
Epoch 5/50
accuracy: 0.9565 - val_loss: 0.1257 - val_accuracy: 0.9529
Epoch 6/50
accuracy: 0.9613 - val_loss: 0.1406 - val_accuracy: 0.9435
Epoch 7/50
accuracy: 0.9681 - val_loss: 0.1207 - val_accuracy: 0.9555
Epoch 8/50
accuracy: 0.9647 - val_loss: 0.1160 - val_accuracy: 0.9572
accuracy: 0.9698 - val_loss: 0.1228 - val_accuracy: 0.9563
Epoch 10/50
accuracy: 0.9754 - val_loss: 0.1325 - val_accuracy: 0.9606
Epoch 11/50
accuracy: 0.9767 - val_loss: 0.1344 - val_accuracy: 0.9589
Epoch 12/50
accuracy: 0.9801 - val_loss: 0.1436 - val_accuracy: 0.9546
Epoch 13/50
accuracy: 0.9861 - val_loss: 0.1215 - val_accuracy: 0.9606
Epoch 14/50
146/146 [============ ] - 33s 227ms/step - loss: 0.0496 -
accuracy: 0.9805 - val_loss: 0.1746 - val_accuracy: 0.9469
Epoch 15/50
accuracy: 0.9865 - val_loss: 0.1579 - val_accuracy: 0.9589
Epoch 16/50
accuracy: 0.9878 - val_loss: 0.1489 - val_accuracy: 0.9580
Epoch 17/50
accuracy: 0.9908 - val_loss: 0.1651 - val_accuracy: 0.9563
Epoch 18/50
accuracy: 0.9912 - val_loss: 0.1913 - val_accuracy: 0.9529
Epoch 19/50
accuracy: 0.9889 - val_loss: 0.1838 - val_accuracy: 0.9546
Epoch 20/50
```

```
accuracy: 0.9882 - val_loss: 0.1877 - val_accuracy: 0.9538
Epoch 21/50
accuracy: 0.9949 - val loss: 0.2569 - val accuracy: 0.9461
Epoch 22/50
accuracy: 0.9932 - val_loss: 0.2218 - val_accuracy: 0.9435
Epoch 23/50
accuracy: 0.9906 - val_loss: 0.1809 - val_accuracy: 0.9529
Epoch 24/50
accuracy: 0.9927 - val_loss: 0.2109 - val_accuracy: 0.9572
Epoch 25/50
accuracy: 0.9953 - val_loss: 0.2123 - val_accuracy: 0.9546
Epoch 26/50
accuracy: 0.9929 - val_loss: 0.2280 - val_accuracy: 0.9572
Epoch 27/50
accuracy: 0.9966 - val_loss: 0.2424 - val_accuracy: 0.9606
Epoch 28/50
accuracy: 0.9929 - val_loss: 0.2043 - val_accuracy: 0.9546
Epoch 29/50
accuracy: 0.9940 - val_loss: 0.2032 - val_accuracy: 0.9572
Epoch 30/50
146/146 [============ ] - 33s 227ms/step - loss: 0.0166 -
accuracy: 0.9927 - val_loss: 0.2517 - val_accuracy: 0.9486
Epoch 31/50
accuracy: 0.9942 - val_loss: 0.2671 - val_accuracy: 0.9563
Epoch 32/50
accuracy: 0.9946 - val_loss: 0.3719 - val_accuracy: 0.9512
Epoch 33/50
accuracy: 0.9932 - val_loss: 0.1676 - val_accuracy: 0.9589
Epoch 34/50
accuracy: 0.9927 - val_loss: 0.2444 - val_accuracy: 0.9512
Epoch 35/50
accuracy: 0.9968 - val_loss: 0.2555 - val_accuracy: 0.9598
Epoch 36/50
```

```
accuracy: 0.9983 - val_loss: 0.2538 - val_accuracy: 0.9521
Epoch 37/50
accuracy: 0.9970 - val_loss: 0.2490 - val_accuracy: 0.9572
Epoch 38/50
accuracy: 0.9966 - val_loss: 0.2564 - val_accuracy: 0.9512
Epoch 39/50
accuracy: 0.9959 - val_loss: 0.2574 - val_accuracy: 0.9589
Epoch 40/50
accuracy: 0.9961 - val_loss: 0.2425 - val_accuracy: 0.9580
146/146 [============== ] - 33s 226ms/step - loss: 0.0048 -
accuracy: 0.9985 - val_loss: 0.2725 - val_accuracy: 0.9521
Epoch 42/50
accuracy: 0.9976 - val_loss: 0.2502 - val_accuracy: 0.9598
Epoch 43/50
accuracy: 0.9955 - val_loss: 0.2201 - val_accuracy: 0.9529
Epoch 44/50
accuracy: 0.9981 - val_loss: 0.2692 - val_accuracy: 0.9580
Epoch 45/50
accuracy: 0.9968 - val_loss: 0.2455 - val_accuracy: 0.9580
Epoch 46/50
146/146 [============ ] - 33s 226ms/step - loss: 0.0233 -
accuracy: 0.9929 - val_loss: 0.2318 - val_accuracy: 0.9563
Epoch 47/50
accuracy: 0.9957 - val_loss: 0.2745 - val_accuracy: 0.9512
Epoch 48/50
accuracy: 0.9957 - val_loss: 0.3371 - val_accuracy: 0.9538
Epoch 49/50
accuracy: 0.9959 - val_loss: 0.2869 - val_accuracy: 0.9555
Epoch 50/50
accuracy: 0.9976 - val_loss: 0.3275 - val_accuracy: 0.9478
/Users/gadwall/uczelnia/semestr_8/AAI/projekt/venv/lib/python3.10/site-
packages/keras/src/engine/training.py:3000: UserWarning: You are saving your
model as an HDF5 file via `model.save()`. This file format is considered legacy.
```

```
We recommend using instead the native Keras format, e.g.
`model.save('my_model.keras')`.
 saving_api.save_model(
Epoch 1/50
accuracy: 0.7414 - val_loss: 0.4397 - val_accuracy: 0.8108
Epoch 2/50
accuracy: 0.8268 - val_loss: 0.2632 - val_accuracy: 0.8896
accuracy: 0.8517 - val_loss: 0.2018 - val_accuracy: 0.9170
Epoch 4/50
accuracy: 0.8696 - val_loss: 0.2995 - val_accuracy: 0.8570
accuracy: 0.8722 - val_loss: 0.3532 - val_accuracy: 0.8348
Epoch 6/50
accuracy: 0.8804 - val_loss: 0.2391 - val_accuracy: 0.8853
Epoch 7/50
accuracy: 0.8842 - val_loss: 0.1912 - val_accuracy: 0.9187
Epoch 8/50
accuracy: 0.8891 - val_loss: 0.2559 - val_accuracy: 0.8827
Epoch 9/50
accuracy: 0.8940 - val_loss: 0.1771 - val_accuracy: 0.9384
Epoch 10/50
accuracy: 0.8964 - val_loss: 0.2416 - val_accuracy: 0.9075
Epoch 11/50
accuracy: 0.9056 - val_loss: 0.3372 - val_accuracy: 0.8442
Epoch 12/50
accuracy: 0.9015 - val_loss: 0.1632 - val_accuracy: 0.9426
Epoch 13/50
accuracy: 0.9007 - val_loss: 0.1809 - val_accuracy: 0.9238
Epoch 14/50
accuracy: 0.9090 - val_loss: 0.2154 - val_accuracy: 0.9101
Epoch 15/50
```

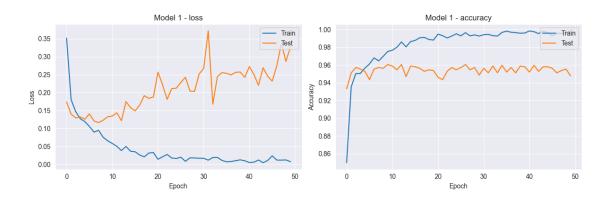
```
accuracy: 0.9024 - val_loss: 0.2214 - val_accuracy: 0.9041
Epoch 16/50
accuracy: 0.9035 - val_loss: 0.2730 - val_accuracy: 0.8784
Epoch 17/50
accuracy: 0.9105 - val_loss: 0.2019 - val_accuracy: 0.9041
Epoch 18/50
accuracy: 0.9150 - val_loss: 0.1486 - val_accuracy: 0.9589
Epoch 19/50
accuracy: 0.9137 - val_loss: 0.1838 - val_accuracy: 0.9229
Epoch 20/50
accuracy: 0.9144 - val_loss: 0.1590 - val_accuracy: 0.9546
Epoch 21/50
accuracy: 0.9189 - val_loss: 0.2049 - val_accuracy: 0.9170
Epoch 22/50
accuracy: 0.9212 - val_loss: 0.1656 - val_accuracy: 0.9289
Epoch 23/50
accuracy: 0.9172 - val_loss: 0.1406 - val_accuracy: 0.9563
Epoch 24/50
accuracy: 0.9185 - val_loss: 0.1924 - val_accuracy: 0.9127
accuracy: 0.9208 - val_loss: 0.2243 - val_accuracy: 0.9092
Epoch 26/50
accuracy: 0.9180 - val_loss: 0.2338 - val_accuracy: 0.8896
Epoch 27/50
accuracy: 0.9229 - val loss: 0.1954 - val accuracy: 0.9255
Epoch 28/50
accuracy: 0.9236 - val_loss: 0.1962 - val_accuracy: 0.9075
Epoch 29/50
accuracy: 0.9229 - val_loss: 0.1785 - val_accuracy: 0.9264
Epoch 30/50
accuracy: 0.9270 - val_loss: 0.2900 - val_accuracy: 0.8613
Epoch 31/50
```

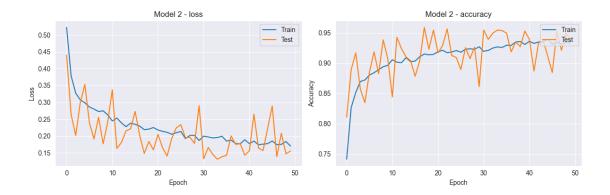
```
accuracy: 0.9195 - val_loss: 0.1327 - val_accuracy: 0.9546
Epoch 32/50
accuracy: 0.9210 - val_loss: 0.1661 - val_accuracy: 0.9392
Epoch 33/50
accuracy: 0.9249 - val_loss: 0.1454 - val_accuracy: 0.9495
Epoch 34/50
accuracy: 0.9268 - val_loss: 0.1313 - val_accuracy: 0.9546
Epoch 35/50
accuracy: 0.9257 - val_loss: 0.1386 - val_accuracy: 0.9538
Epoch 36/50
accuracy: 0.9296 - val_loss: 0.1431 - val_accuracy: 0.9495
Epoch 37/50
accuracy: 0.9292 - val_loss: 0.2004 - val_accuracy: 0.9187
Epoch 38/50
accuracy: 0.9349 - val_loss: 0.1753 - val_accuracy: 0.9349
Epoch 39/50
accuracy: 0.9356 - val_loss: 0.1771 - val_accuracy: 0.9272
Epoch 40/50
accuracy: 0.9309 - val_loss: 0.1433 - val_accuracy: 0.9529
accuracy: 0.9360 - val_loss: 0.1559 - val_accuracy: 0.9392
Epoch 42/50
accuracy: 0.9326 - val_loss: 0.2647 - val_accuracy: 0.8870
Epoch 43/50
accuracy: 0.9349 - val loss: 0.1643 - val accuracy: 0.9332
Epoch 44/50
accuracy: 0.9347 - val_loss: 0.1571 - val_accuracy: 0.9375
Epoch 45/50
accuracy: 0.9394 - val_loss: 0.2226 - val_accuracy: 0.9118
Epoch 46/50
accuracy: 0.9313 - val_loss: 0.2891 - val_accuracy: 0.8844
Epoch 47/50
```

# 3 Dogłębna analiza działania i skuteczności modeli

#### 3.1 Analiza krzywych uczenia

```
[67]: import matplotlib.pyplot as plt
      # funkcja do wygenerowania krzywych uczenia
      def plot_learning_curves(history, title):
          plt.figure(figsize=(12,4))
          plt.subplot(1,2,1)
          plt.plot(history.history['loss'])
          plt.plot(history.history['val_loss'])
          plt.title(title + ' - loss')
          plt.ylabel('Loss')
          plt.xlabel('Epoch')
          plt.legend(['Train', 'Test'], loc='upper right')
          plt.subplot(1,2,2)
          plt.plot(history.history['accuracy'])
          plt.plot(history.history['val_accuracy'])
          plt.title(title + ' - accuracy')
          plt.ylabel('Accuracy')
          plt.xlabel('Epoch')
          plt.legend(['Train', 'Test'], loc='upper right')
          plt.tight_layout()
          plt.show()
      # wygenerowanie krzywych uczenia dla modelu 1
      plot_learning_curves(history_1, 'Model 1')
      # wygenerowanie krzywych uczenia dla modelu 2
      plot_learning_curves(history_2, 'Model 2')
```





#### 3.2 Analiza metryk

# 3.2.1 Macierz pomyłek oraz AUC ROC (Area Under the Receiver Operating Characteristic curve)

Wartość AUC ROC bliżej 1 wskazuje na lepszą skuteczność modelu w klasyfikacji obrazów

```
[68]: from sklearn.metrics import confusion_matrix, roc_auc_score
    import seaborn as sns

# funkcja do generowania macierzy pomyłek i obliczania AUC ROC

def evaluate_model(model, title, test_images, test_labels):
    # przewidywanie klas przez model
    predictions = model.predict(test_images)
    predictions = [1 if p > 0.5 else 0 for p in predictions]

# obliczanie macierzy pomyłek
    cm = confusion_matrix(test_labels, predictions)

# obliczanie AUC ROC
    auc_roc = roc_auc_score(test_labels, predictions)
```

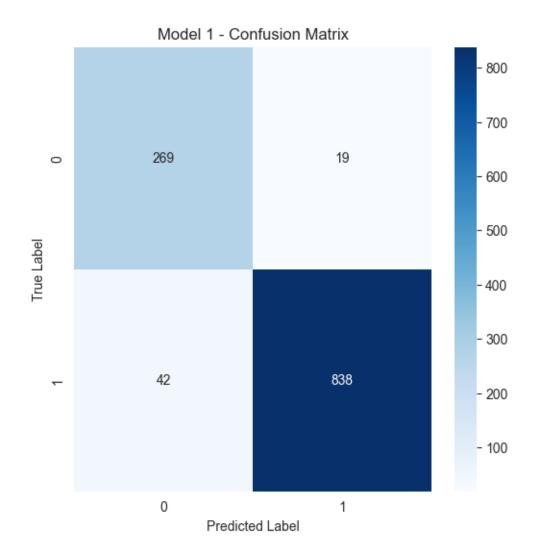
```
# wyświetlanie macierzy pomyłek
plt.figure(figsize=(6, 6))
sns.heatmap(cm, annot=True, fmt='d', cmap='Blues')
plt.title(title + ' - Confusion Matrix')
plt.xlabel('Predicted Label')
plt.ylabel('True Label')
plt.show()

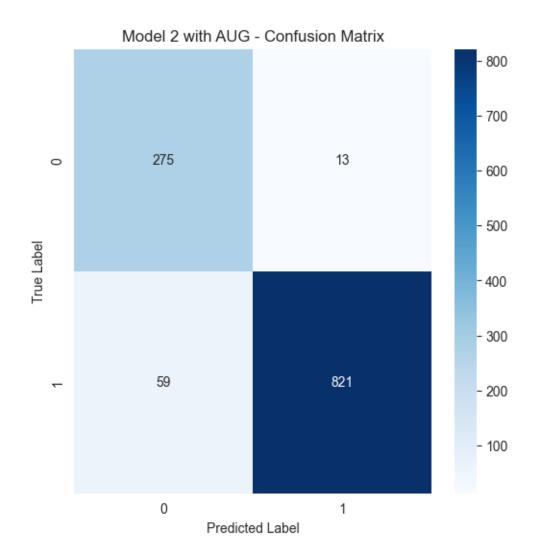
print(title + ' - AUC ROC:', auc_roc)

# ocena modelu 1
evaluate_model(model_1, 'Model 1', test_images, test_labels)

# ocena modelu 2
evaluate_model(model_2, 'Model 2 with AUG', test_images, test_labels)
```

37/37 [======== ] - 2s 59ms/step





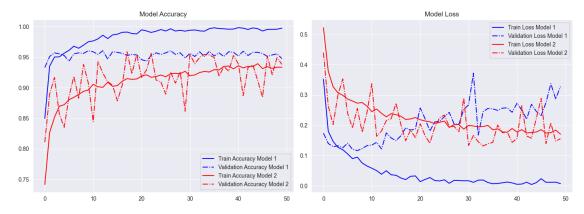
Model 2 with AUG - AUC ROC: 0.9439078282828284

# 3.3 Porównanie modeli

```
axes[0].plot(history_2.history['val_accuracy'], label='Validation Accuracy_
 + title_2, color='red', linestyle = "dashdot")
   axes[0].set_title('Model Accuracy')
   axes[0].legend()
    # wykres straty
   axes[1].plot(history_1.history['loss'], label='Train Loss' + title_1,__

color='blue')

    axes[1].plot(history_1.history['val_loss'], label='Validation Loss ' +_ 
 ⇔title_1, color='blue', linestyle = "dashdot")
   axes[1].plot(history_2.history['loss'], label='Train Loss' + title_2,__
 ⇔color='red')
    axes[1].plot(history_2.history['val_loss'], label='Validation Loss ' +__
 stitle_2, color='red', linestyle = "dashdot")
   axes[1].set_title('Model Loss')
   axes[1].legend()
   plt.tight_layout()
   plt.show()
# porównanie modeli
compare_learning_curves(history_1, history_2, 'Model 1', 'Model 2')
```



[]: