

Sr. Software Engineer (SSE)

ABSTRACT

This is one of the subject from my personal notes series named "Coding-With-Arqam" that I am developing from the start of my professional development career.

Subject Data Structure Portfolio: https://arqam-dev.github.io/

DATA STRUCTURE

> Why to Learn Data Structure and Algorithms?	
-> As applications are getting complex and data rich, there are three common problems that applications face now-a-days.	
-> Data Search:	
-> Consider an inventory of 1 million(106) items of a store.	
-> Processor speed:	
-> Processor speed although being very high, falls limited if the data grows to billion records.	
-> Multiple requests:	
-> As thousands of users can search data simultaneously on a web server, even the fast server fails while searching the data.	
> Applications of Data Structure and Algorithms:	
-> Search , Sort , Insert , Update , Delete	
> Foundation terms:	
-> Interface:	
-> Each data structure has an interface.	
-> Interface represents the set of operations that a data structure supports.	
-> An interface only provides the list of supported operations, type of parameters they can accept and return type of these operations.	
-> Implementation:	
-> Implementation provides the internal representation of a data structure.	
-> Implementation also provides the definition of the algorithms used in the operations of the data structure.	
imprementation also provides the adjunction of the algorithms asea in the operations of the data strategic	
> Characteristics of a Data Structure:	
-> Correctness:	
-> Data structure implementation should implement its interface correctly.	
-> Time Complexity:	
-> Running time or the execution time of operations of data structure must be as small as possible.	
-> Space Complexity:	
-> Memory usage of a data structure operation should be as little as possible.	
> Execution Time Cases:	
-> Worst Case	
-> Average Case	
-> Best Case	

- --> Basic Terminology:
 - -> Data Data are values or set of values.
 - -> Data Item Data item refers to single unit of values.
 - -> Group Items Data items that are divided into sub items are called as Group Items.
 - -> Elementary Items Data items that cannot be divided are called as Elementary Items.
 - -> Attribute and Entity An entity is that which contains certain attributes or properties, which may be assigned values
 - -> Entity Set Entities of similar attributes form an entity set.
 - -> Field Field is a single elementary unit of information representing an attribute of an entity.

-> R	ecord – Record is a collection of field values of a given entity.
-> F	ile – File is a collection of records of the entities in a given entity set.
> Asympto	tic Notations:
	ypes:
	-> O Notation:
	-> Big Oh
	-> Upper bound of an algorithm's running time
	-> It measures the worst case time complexity or the longest amount of time an algorithm can possibly take to complete.
	-> Ω Notation:
	-> Omega
	-> Lower bound of an algorithm's running time.
	-> & Notation:
	-> Theta
	-> Both the lower bound and the upper bound of an algorithm's running time.
-> E.	xample:
	-> constant = O(1)
	-> logarithmic = O(log n)
	-> linear = O(n)
> Greedy A	Algorithms:
-> G	reedy algorithms try to find a localized optimum solution, which may eventually lead to globally optimized solutions.
-> E.	xample (Counting):
	-> We have 1, 7, 10 number and we have to give 15 as sum result.
	-> Approach 1: 10+1+1+1+1 (6 numbers used)
	-> Approach 2: 7+7+1 (3 numbers used)
> Divide ar	nd conquer approach:
-> D	ivide/Break
-> C	onquer/Solve
-> /	1erge/Combine
-> E.	xample:
	-> Merge Sort
	-> Quick Sort
	-> Binary Search
	-> Strassen's Matrix Multiplication
	-> Closest pair (points)
> Data Typ	ne:
	uilt-in: Integers, Boolean , Floating , Character and Strings
	erived: List, Array, Stack, Queue
> Basic Op	erations:
-> T	raversing, Searching, Insertion, Deletion, Sorting, Merging
> Array:	
-> C	an hold a fix number of items and these items should be of the same type.

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-> Array Representation:

-> Type Name[Size] = {Elements}

--> Linked List:

- -> A linked list is a sequence of data structures, which are connected together via links.
- -> Linked List Representation:
 - -> Head -> NODE(Data Items -> Next) -> NODE(Data Items -> Next) -> NODE(next of last node will be null)
- -> Types:
 - -> Simple Linked List Item navigation is forward only.
 - -> Doubly Linked List Items can be navigated forward and backward.
 - -> Last item contains link of the first element as next

--> Stack:

- -> LIFO, FILO
- -> Basic Operations:
 - -> push()
 - -> pop()
 - -> peek() = get the top data element
 - -> isFull() check if stack is full.
 - -> isEmpty() check if stack is empty.
- --> Expression Parsing:
 - -> Infix Notation:
 - -> Example:

$$-> a - b = a - b$$

- -> Prefix Notation:
 - -> Example:

$$-> a + b = +ab$$

- -> Postfix Notation:
 - -> Example:

$$-> a + b = ab +$$

--> Queue:

- -> A queue can also be implemented using Arrays.
- -> Basic Operations:
 - -> enqueue() add (store) an item to the queue.
 - -> dequeue() remove (access) an item from the queue.
 - -> peek(), isfull(), isempty()
- --> Linear Search:
 - -> worst-case complexity of O(n)
 - -> Simple loop iteration N-times.
- --> Binary Search:
 - -> worst-case complexity of O(log n)
 - -> For a binary search to work, it is mandatory for the target array to be sorted
 - -> mid = low + (high low) / 2
 - -> Divide array in to two portions and then select one portion and do the same.

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--> Interpolation Search:
        -> O(????)
        -> Similar to binary search for searching for a given target value in a sorted array.
--> Hash Table:
        -> Hashing:
                -> Hashing is a technique to convert a range of key values into a range of indexes of an array.
        -> Linear Probing:
                -> As we can see, it may happen that the hashing technique is used to create an already used index of the array.
                         In such a case, we can search the next empty location in the array by looking into the next cell until we find
                         an empty cell.
--> Sorting techniques:
        -> Example (real time):
                -> Telephone Directory
                -> Dictionary
        -> Stable sorting:
                -> If a sorting algorithm, after sorting the contents, does not change the sequence of similar content in which they appear.
                -> Example:
                        -> Input: 2, 3(first), 5, 3(second)
                                 Outout: 2, 3(first), 3(second), 5
        -> Un-Stable sorting:
                -> changes the sequence of similar content in which they appear.
                -> Example:
                         -> Input: 2, 3(first), 5, 3(second)
                                 Outout: 2, 3(second), 3(first),
--> Bubble Sort Algorithm:
        \rightarrow O(n log n)
        -> Example (ascending sorting):
                -> Input: 14, 33, 27, 35, 10
                -> Iteration 1:
                         -> Step 1: Compare 14, 33 => already sorted => 14,33,27,35,10
                         -> Step 2: Compare 33, 27 => Swap => 14,27,33,35,10
                         -> Step 3: Compare 33, 35 => already sorted => 14,27,33,35,10
                         -> Step 4: Compare 35, 10 => Swap => 14,27,33,10,35
                -> Iteration 2:
                         -> Final step: 14,27,10,33,35
                -> Iteration 3:
                         -> Final step: 14,10,27,33,35
                -> Iteration 4:
                        -> Final step: 10,14,27,33,35
        -> Algorithm:
                for all elements of list
                        if list[i] > list[i+1]
                                 swap(list[i], list[i+1])
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end if

end for

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--> Merge Sort:
        -> O(n log n)
        -> Divides the whole array iteratively into equal halves unless the atomic values are achieved.
        -> Example:
                -> Input: 14,33,27,,10,35,,19,42,44
                -> Step 1: 14,33,27,10 | 35,19,42,44
                -> Step 2: 14,33 | 27,10 | 35,19 | 42,44
                -> Step 3: 14 | 33 | 27 | 10 | 35 | 19 | 42 | 44
                -> Now, we combine them in exactly the same manner as they were broken down by arranging the pairs.
                -> Step 4: 14,33 | 10,27 | 19,35 | 42,44
                -> Step 5: 10,14,27,33 | 19,35,42,44
                -> Step 6: 10,14,19,27,33,35,42,44
--> Quick Sort:
        -> O(n logn)
        -> Step 1 – Choose the highest index value as pivot
        -> Step 2 - Take two variables to point left and right of the list excluding pivot
        -> Step 3 - left points to the low index
        -> Step 4 – right points to the high
        -> Step 5 - while value at left is less than pivot move right
       -> Step 6 - while value at right is greater than pivot move left
        -> Step 7 – if both step 5 and step 6 does not match swap left and right
        -> Step 8 – if left ≥ right, the point where they met is new pivot
        -> Link: https://www.tutorialspoint.com/data_structures_algorithms/quick_sort_algorithm.htm
--> Insertion Sort:
        -> O(n^2)
        -> It swaps the element and also checks with all the elements of sorted sub-list (array left to the current index).
        -> Example:
                -> Input: 14,33,27,10,35,19,42,44
                -> Iteration 1:
                        -> Step 1: Compare 14, 27 (already sorted) => 14,33,27,10,35,19,42,44 => Sub-List = [14] (already sorted)
                -> Iteration 2:
                        -> Step 1: Compare 33,27 => Swap => 14,27,33,10,35,19,42,44 => Sub-List = [14,27] (already sorted)
                -> Iteration 3:
                        -> Step 1: Compare 33,10 => Swap => 14,27,10,33,35,19,42,44 => 14,10,27,33,35,19,42,44 => 10,14,27,33,35,19,42,44
                -> Iteration 4:
                        -> This process goes on until all the unsorted values are covered in a sorted sub-list.
--> Selection Sort:
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- -> O(n^2)
- -> List is divided into two parts, the sorted part at the left end and the unsorted part at the right end.
- -> The smallest element is selected from the unsorted array and swapped with the leftmost element, and that element becomes a part of the sorted array.
 - -> Example:
 - -> Input: 14,33,27,10,35,19,42,44

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-> Step 1: Compare 14 and 10 => Swap 10 and 14 => Sorted array: [10] => 10,33,27,14,35,19,42,44
                -> Step 2: Compare 14 and 33 => Swap 14 and 33 => Sorted array: [10,14] => 10,14,27,33,35,19,42,44
                -> Step 3: Compare 14 and 10 => Swap 10 and 14 => Sorted array: [10,14,33] => 10,33,27,14,35,19,42,44
                -> Step 4: The same process is applied to the rest of the items in the array.
                -> Step 5: Final Array: [10,14,19,27,33,35,42,44]
        -> Worst case: Depends on gap sequence
        -> Average complexity: n*log(n)^2 or n^(3/2)
        -> Best casae: n
        -> Based on insertion sort algorithm
        -> Link: https://www.tutorialspoint.com/data_structures_algorithms/shell_sort_algorithm.htm
--> Graph Data Structure Traversal:
        -> Depth First Search(DFS):
                -> Uses Stack.
                -> Rules/Steps:
                        -> Step 1 - Visit the adjacent unvisited vertex. Mark it as visited. Display it. Push it in a stack.
                        -> Step 2 - If no adjacent vertex is found, pop up a vertex from the stack. (It will pop up all the vertices from the stack,
which do not have adjacent vertices.)
                        -> Step 3 - Repeat Rule 1 and Rule 2 until the stack is empty.
                -> Applications:
                        -> Path finding algorithm is based on BFS or DFS.
                -> Link: https://www.tutorialspoint.com/data_structures_algorithms/depth_first_traversal.htm
        -> Breadth First Search(BFS):
                -> Uses Queue.
                -> Rules/Steps:
                        -> Step 1: Visit the adjacent unvisited vertex. Mark it as visited. Display it. Insert it in a queue.
                        -> Step 2: If no adjacent vertex is found, remove the first vertex from the queue.
                        -> Step 3: Repeat Rule 1 and Rule 2 until the queue is empty.
                -> Link: https://www.tutorialspoint.com/data_structures_algorithms/breadth_first_traversal.htm
                -> Applications:
                        -> Path finding algorithm is based on BFS or DFS.
                        -> In peer-to-peer network like bit-torrent, BFS is used to find all neighbor nodes
                        -> Search engine crawlers are used BFS to build index. Starting from source page, it finds all links in it to get new pages
                        -> Using GPS navigation system BFS is used to find neighboring places.
                        -> In networking, when we want to broadcast some packets, we use the BFS algorithm.
        -> Binary Tree:
                -> Each node can have a maximum of two children.
        -> Important Terms:
                -> Path, Root, Parent, Child, Leaf, Subtree, Visiting, Traversing, Levels, keys
        -> BST Basic Operations:
                -> Insert - Inserts an element in a tree/create a tree.
                -> Search - Searches an element in a tree.
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-> Preorder Traversal – Traverses a tree in a pre-order manner.

--> *Tree*:

--> Shell Sort:

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-> Steps:
                                 -> Step 1 - Visit root node.
                                 -> Step 2 – Recursively traverse left subtree.
                                 -> Step 3 - Recursively traverse right subtree.
                         -> Syntax: N-L*-R*
                -> Inorder Traversal - Traverses a tree in an in-order manner
                         -> The left subtree is visited first, then the root and later the right sub-tree.
                         -> Steps:
                                 -> Step 1 – Recursively traverse left subtree.
                                 -> Step 2 – Visit root node.
                                 -> Step 3 – Recursively traverse right subtree.
                         -> Syntax: L*-N-R*
                -> Postorder Traversal – Traverses a tree in a post-order manner.
                         -> Steps:
                                 -> Step 1 - Recursively traverse left subtree.
                                 -> Step 2 – Recursively traverse right subtree.
                                 -> Step 3 - Visit root node.
                         -> Syntax: L*-R*-N
--> Binary Search Tree:
        -> A Binary Search Tree (BST) is a tree in which all the nodes follow the below-mentioned properties:
                -> The value of the key of the left sub-tree is less than the value of its parent (root) node's key.
                -> The value of the key of the right sub-tree is greater than or equal to the value of its parent (root) node's key.
                -> Syntax: left_subtree (keys) < node (key) ≤ right_subtree (keys)
                -> Order: (L-N-R)
--> AVL Trees:
--> Spanning Tree:
        -> Special case of balanced binary tree data structure
                where the root-node key is compared with its children and arranged accordingly.
        -> Min-Heap:
                -> Where the value of the root node is less than or equal to either of its children.
        -> Max-Heap:
                -> Where the value of the root node is greater than or equal to either of its children.
                -> Steps:
                         -> Step 1 – Create a new node at the end of heap.
                         -> Step 2 - Assign new value to the node.
                         -> Step 3 - Compare the value of this child node with its parent.
                         -> Step 4 – If value of parent is less than child, then swap them.
                         -> Step 5 – Repeat step 3 & 4 until Heap property holds.
                -> Max Heap Deletion Algorithm:
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--> Heap:

-> Step 1 – Remove root node.

-> Step 2 – Move the last element of last level to root.

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-> Step 3 – Compare the value of this child node with its parent.
                        -> Step 4 – If value of parent is less than child, then swap them.
                        -> Step 5 – Repeat step 3 & 4 until Heap property holds.
--> Recursion:
       -> Properties:
                -> Base criteria
                -> Progressive approach
       -> Uses Stack.
       -> Time Complexity: O(n)
        -> Example:
                -> Tower of Hanoi:
                        ->
                -> Fibonacci Series:
                        -> F8 = "0 1 1 2 3 5 8 13" OR "1 1 2 3 5 8 13 21"
--> Notations: (a + b * c + d) -> [a + (B * c) + d]
Prefix Notation \rightarrow * + a b + c d
Postfix Notation \rightarrow a b + c d + *
// Always follow DMAS rule.
Abbrevations:
MEAN = mongo, express, angular, node.
                                                Reference Links
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