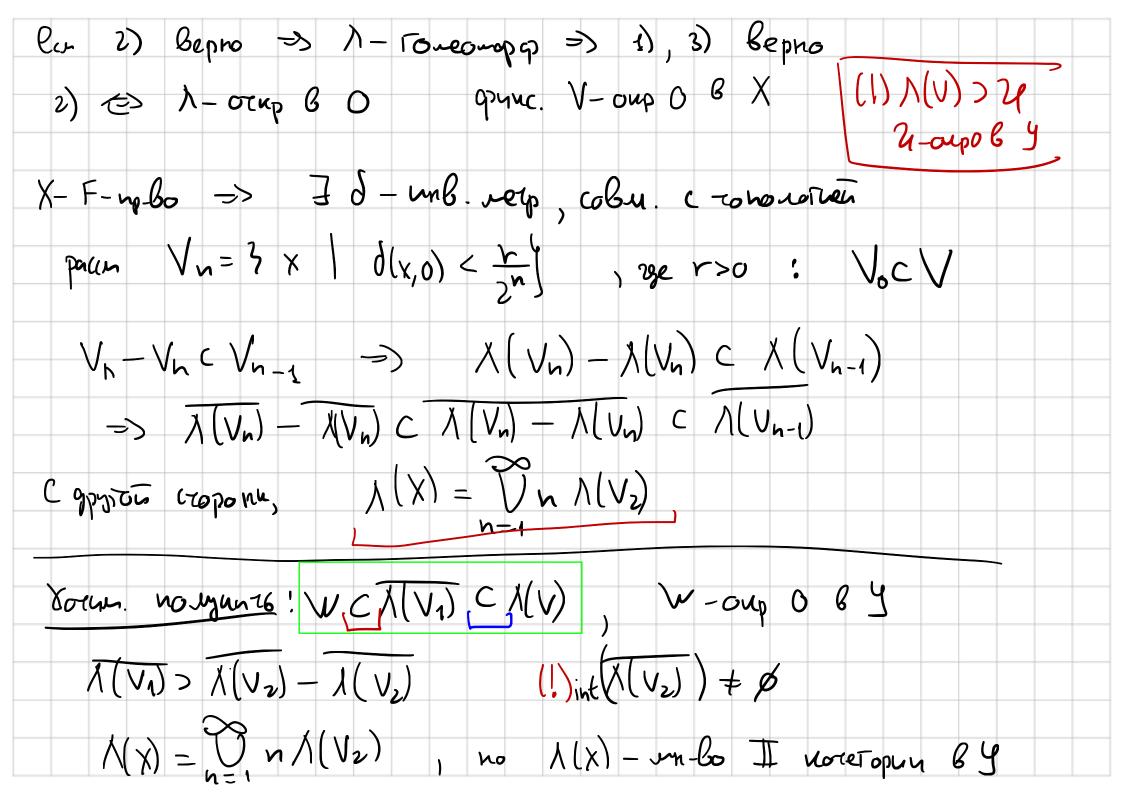
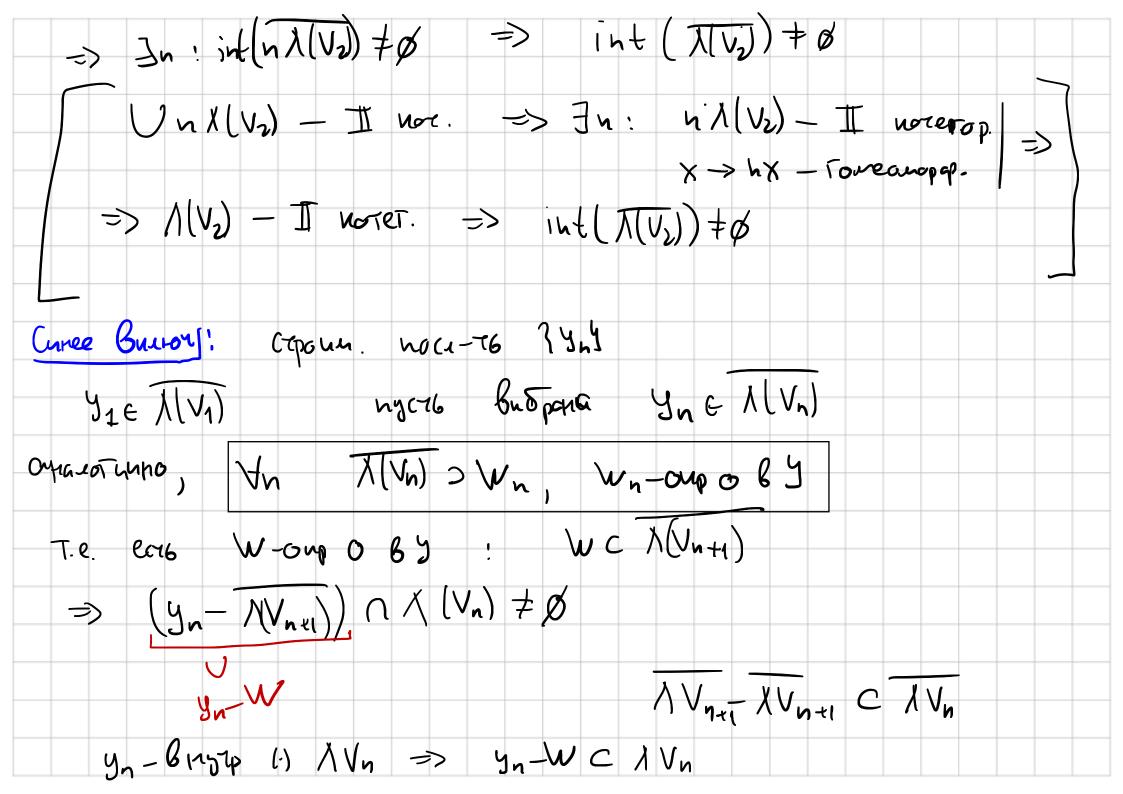


$$\exists x_0 \in \mathbb{K} \cap \mathbb{E}, \quad V - \text{oup } 0 : \quad \mathbb{K} \cap (x_0 + V) \subseteq \mathbb{K} \cap \mathbb{E} \cap \mathbb{E}$$

$$\text{noupperun } \mathbb{K} \quad \text{un-beam } \frac{1}{2}(x_0 + V) \subseteq \mathbb{K} \cap \mathbb{E} \cap \mathbb{E}$$

T.O. Yw-ypaln. O		HL>s BCEW
=> B - OTP. B		
no nocus B,	V(K)CR	
Onp: f: X -> 4 - 1	orup. Yu-orup BX	f(21)- otup 84
Onp: f:X->y - or	up B wx xxx, ecm 42	1-oup. x 3V-oup Cex);
	f(	
3au: X, y _ 7.B.n.	f: X-> y - 0 tup (=> f - orup	6 0
3an: f:X->y - Tueny	is, remp f-Tovearopap. =>	f - ocup.
Teopena: Los orup. 000	5p.) X - F-np-Bo, Y - npures (X) - I varietop	T. B.h.
1: X > y _ resp.,	upures $\Lambda(X) - I$ vorcetop	3 4
>> 1) \(\lambda(\chi)=\forall	, 2) N-orup, 3) y - F	up-Bo
g-bo: ecn 1) bepro	=> Ker 1=304 => 1- Toured	$\mu \rightarrow \Lambda - \sigma \epsilon \mu_{p}$
		y-F-mp-60





To. 
$$y_n \in V_n$$
:  $\lambda v_n \in y_n - \lambda v_n \in y_n - \lambda v_n \in y_n + \lambda v_n \in \lambda (v_{net})$ 

To.  $y_n \in \lambda(v_n)$ ,  $y_{net} = y_n - \lambda v_n$ ,  $y_n \in V_n$ 

$$d(v_n) < \frac{v}{2^n} \Rightarrow v_n = v_n + \lambda v_n - v_n = v_n \in \lambda v$$

$$\frac{1}{2} = \frac{1}{2} \times \frac{1$$

Τ.β.	f: //	-> y , 1	(x+N)= Xx -	Henp.

