

CSE422 : Artificial Intelligence
Assignment 2
Genetic Algorithm

Date :

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sec: 08

Answer to the Question no: 1

① Here, creating initial population of 4 different chromosomes,

	A	B	C	D	E	F	G	
P ₁	1	1	1	1	0	0	0	
P ₂	1	0	1	0	1	0	0	
P ₃	0	1	0	1	0	1	0	
P ₄	1	0	0	1	0	0	1	

② 4 different chromosomes,

$$P1 : A+B+C+D = 3+2+6+8 = 19 \text{ [weight]}$$

$$P2 : A+C+E = 3+6+5 = 14 \text{ [weight]}$$

$$P3 : B+D+F = 2+8+1 = 11 \text{ [weight]}$$

$$P4 : A+D+G = 3+8+4 = 15 \text{ [weight]}$$

③ now, using fitness function to calculate the fitness level of all the chromosomes,

$$P1 = \frac{P1}{P1+P2+P3+P4} \times 100\%$$

$$= \frac{19}{19+14+11+15} \times 100\%$$

$$= \frac{19}{59} \times 100\%$$

$$= 32\%$$

$$P2 = \frac{P2}{P1+P2+P3+P4} \times 100\%$$

$$= \frac{14}{19+14+11+15} \times 100\% = \frac{14}{59} \times 100\%$$

$$= 24\%$$

$$p_3 = \frac{p_3}{p_1 + p_2 + p_3 + p_4} \times 100\%$$

$$= \frac{11}{19 + 14 + 11 + 15} \times 100\% = \frac{11}{59} \times 100\%$$

$$= 19\%$$

$$p_4 = \frac{p_4}{p_1 + p_2 + p_3 + p_4} \times 100\%$$

$$= \frac{15}{19 + 14 + 11 + 15} \times 100\% = \frac{15}{59} \times 100\%$$

$$= 25\%$$

④

now after product probabilities value, we can choose p_1, p_2, p_3, p_4 all of this weight is ≤ 20 [below]

Then, if we look at the fitness level,

$$p_1 = 32\%, p_2 = 24\%$$

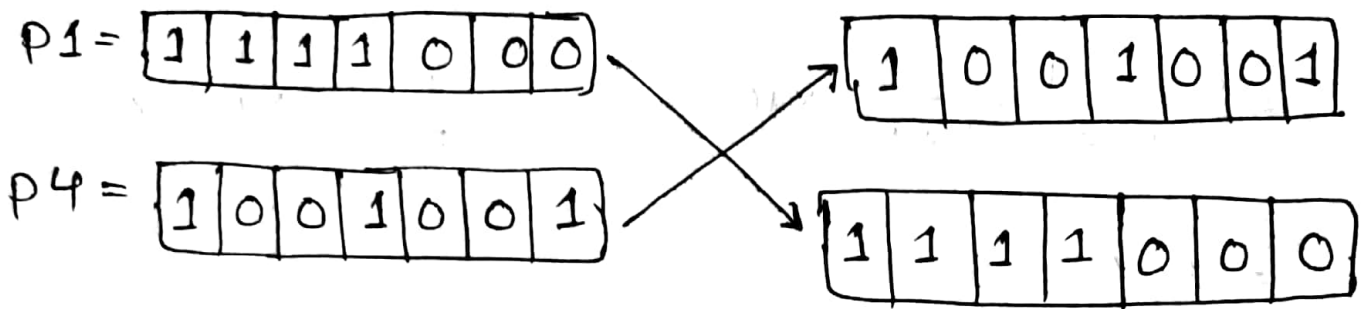
$$p_1 = 32\%, p_2 = 24\%, p_3 = 19\%, p_4 = 25\%$$

so p_1 & p_4 are the highest fitness level of chromosomes.
that's why we are choosing p_1 and p_4 ,

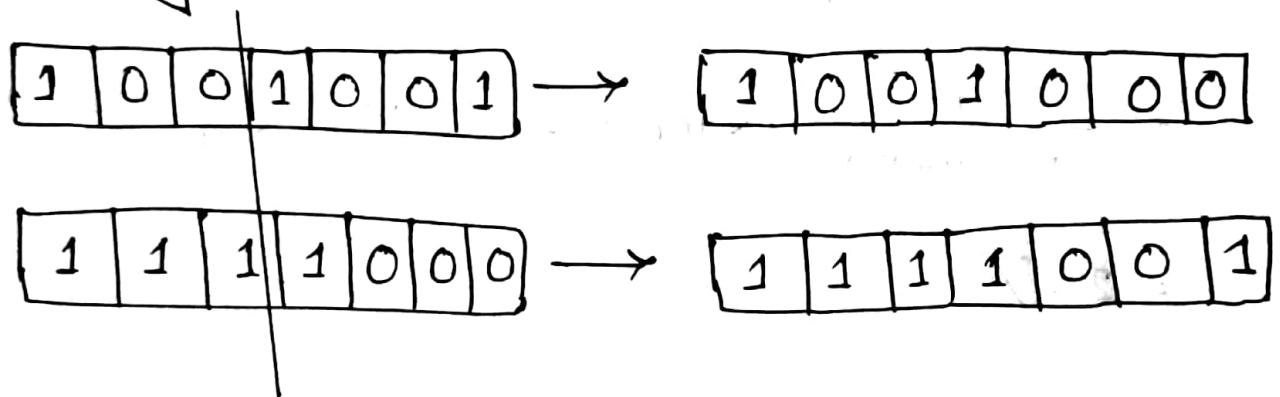


Oricef
ceftriaxone

Selection:



⑤ performing crossover;



⑥ Performing mutation & checking fitness of the offspring.

$1\ 0\ 0\ \underline{1}\ 0\ 0\ 0 \rightarrow 1\ 0\ 0\ 0\ 0\ 0\ 0$

$1\ 1\ \underline{1}\ 1\ 0\ 0\ 1 \rightarrow 1\ 1\ 0\ 1\ 0\ 0\ 1$

now, $p1, 10000000 = 3$

$p4, 1101001 = 17$

then, $P1$ previous weight $= 19$
 $P1$ new weight $= 3$

$\therefore 3 < 19$; better

again,

for, $P4$ previous weight $= 15$

$P4$ new weight $= 17$

$\therefore 17 > 15$; not better

now here, we got optimal solution for $P1$, but $P4$ solution is not optimal.

Answer to the Question no: 2

① using 3 bit binary encoding scheme,

Node	3 bit code
A	000
B	001
C	010
D	011
E	100
F	101

here A is source & F is the destination,

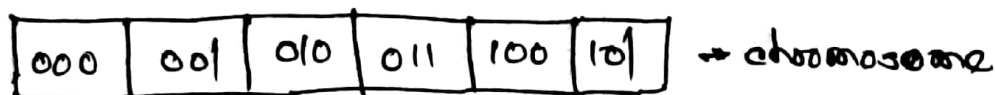
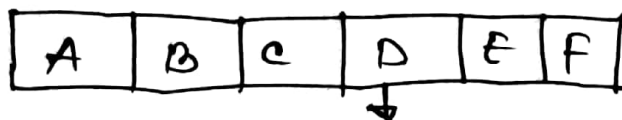
so 3 initial pathways.

1st path $\rightarrow A \rightarrow B \rightarrow C \rightarrow D \rightarrow E \rightarrow F$

2nd path $\rightarrow A \rightarrow C \rightarrow B \rightarrow D \rightarrow E \rightarrow F$

3rd path $\rightarrow A \rightarrow B \rightarrow D \rightarrow E \rightarrow C \rightarrow F$

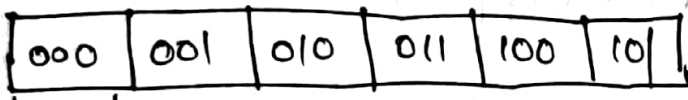
now,



These are three distinctive chromosomes of a starting of population. Every time we run this algorithm, a diverse starting population made and so various chromosomes.

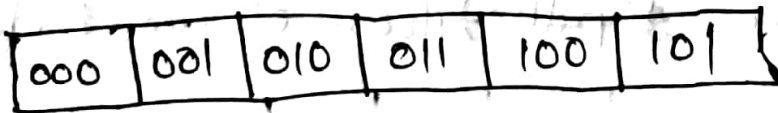
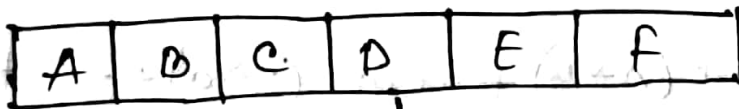
② 1st path,

①



these 3 digits represents a gene

② now again taking 1st path,



here the full length represents the chromosome.

③ To decide which chromosome is best to fit, utilize the weight of way as a wellness work. The lower the weight of the path is way better,

as we know, fitness function,

= sum of weights of paths taken

$$= \text{weight}(A \rightarrow B) + \text{weight}(B \rightarrow C) + \text{weight}(C \rightarrow D) + \dots + \text{weight}(D \rightarrow E) + \text{weight}(E \rightarrow F)$$

lower fitness function gives better performance.

④ From ③ we get,

fitness function equation, such as,

$$\text{fitness function} = \text{weight}(A \rightarrow B) + \text{weight}(B \rightarrow C) + \dots + \text{weight}(E \rightarrow F)$$

now we will calculate ~~our 3 paths~~ fitness of our 3 chromosomes,

1st,

A	B	C	D	E	F
---	---	---	---	---	---

$$= (A \rightarrow B) + (B \rightarrow C) + (C \rightarrow D) + (D \rightarrow E) + (E \rightarrow F)$$
$$= 2 + 3 + 3 + 1 + 4$$
$$= 13$$

2nd,

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$$\begin{array}{|c|c|c|c|c|c|} \hline A & C & B & D & E & F \\ \hline \end{array} = (A \rightarrow C) + (C \rightarrow B) + (B \rightarrow D) + (D \rightarrow E) + (E \rightarrow F) \\ = 4 + 3 + 5 + 1 + 4 \\ = 17$$

3rd,

$$\begin{array}{|c|c|c|c|c|c|} \hline A & B & D & E & C & F \\ \hline \end{array} = (A \rightarrow B) + (B \rightarrow D) + (D \rightarrow E) + (E \rightarrow C) + (C \rightarrow F) \\ = 2 + 5 + 1 + 6 + 11 \\ = 25$$

So, three fitness. we got, 13, 17, 25

now we are taking two lowest distance,

so chosen 2 parents,

A	B	C	D	E	F
---	---	---	---	---	---

and

A	C	B	D	E	F
---	---	---	---	---	---

these two are fittest chromosome.

⑤ now from ④ no answers,
we got,

2 selected parents,

parent 1: A B C D E F \rightarrow 00000101001100101

parent 2: A C B D E F \rightarrow 00001000101100101

now performing crossover,

parent 1: 0000|0101001100101
parent 2: 0000|1000101100101

↑ crossover
at point 4

now, we got,

offspring 1: 00001000101100101

offspring 2: 00000101001100101

offspring 1 is identical to parent 2 [ACBDEF]

offspring 2 is identical to parent 1 [ABCDEF]

So, we can say that this is not the good way to perform
as parents and childrens are identical.

⑥ Mutation,

offspring 1:

A	C	B	D	E	F
000	010	001	011	100	101

 $\xrightarrow{\text{mutation}}$

A	B	C	D	E	F
000	001	010	011	100	101

fitness = 13

offspring 2:

A	B	C	D	E	F
000	001	010	011	100	101

 \rightarrow

A	B	D	C	E	F
000	001	011	010	100	101

fitness = 20

here A & F are source and destination so, we can't able to mutate them. Only B, C, D, E are mutable.

Again we look at the graph A only go to B or C, so $A \rightarrow B$, $A \rightarrow C$ mutate possible because A has lowest number of edges which is 2, E has 3, B, F has 4 & C has maximum edges 5.

here also mutations are identical to the child,

(ACBDEF \rightarrow ABCDEF).

also we can add that, fitness depends on the weight of the path.

So it is not the best way to perform mutation. cause not many mutations are possible as variables are quite low and only 6 nodes are there.