

Questions 7-11

Here is our design of has-path? so far:

	false	(make-node Nat Str BT BT)
empty	false	true
(cons "L" Path)	false	(has-path? <left-child> (rest path))
(cons "R" Path)	false	(has-path? <right-child> (rest path))

```
;; BinaryTree Path -> Boolean
;; produce true if following p through bt leads to a node; false otherwise
(check-expect (has-path? false empty) false)
(check-expect (has-path? false P2) false)
(check-expect (has-path? false P3) false)
(check-expect (has-path? BT1 empty) true)
(check-expect (has-path? BT4 (list "L")) true)
(check-expect (has-path? BT4 (list "R")) true)
(check-expect (has-path? BT4 (list "L" "L")) true)
(check-expect (has-path? BT4 (list "L" "L" "R")) false)
```

If we template the function from the table without thinking about the results we will end up with 6 cases:

```
(define (has-path? bt p)
  (cond [(and (false? bt)(empty? p)) false]
        [(and (false? bt)(string=? "L" (first p))) false]
        [(and (false? bt)(string=? "R" (first p))) false]
        [(and (node? bt)(empty? p)) true]
        [(and (node? bt)(string=? "L" (first p))) (has-path? (node-l bt) (rest bt))]
        [(and (node? bt)(string=? "R" (first p))) (has-path? (node-r bt) (rest bt))]))
```

This will work, but there is a MUCH simpler way of writing the function definition for has-path?.

Question 7

1/1 point (graded)

Look at the table again:

	false	(make-node Nat Str BT BT)
empty	false	true
(cons "L" Path)	false	(has-path? <left-child> (rest path))
(cons "R" Path)	false	(has-path? <right-child> (rest path))

How many cases can we reduce it to?

✓ Answer: 4

Explanation

The table can be reduced to these four cases:

	false	(make-node Nat Str BT BT)
empty	false	true
(cons "L" Path)	false	(has-path? <left-child> (rest path))
(cons "R" Path)	false	(has-path? <right-child> (rest path))

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Answers are displayed within the problem

Question 8

1/1 point (graded)

Here is a partially completed function body for has-path?:

```
(define (has-path? bt p)
  (cond [(1) false]
        [(2) true]
        [(3) (has-path? (node-l bt) (rest p))]
        [(4) (has-path? (node-r bt) (rest p))]))
```

What should the question for case (1) be?

☐ (empty? p)

☒ (false? bt)

☐ (and (empty? p) (false? bt))

☐ (string=? "L" (first p))

☐ (string=? "R" (first p))

☐ (node? bt)



Explanation

The entire column has a bt that is false, so (false? bt) is the correct question for case (1).

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Question 9

1/1 point (graded)

What should the question for case (2) be?

☒ (empty? p)

☐ (false? bt)

☐ (and (empty? p) (false? bt))

☐ (string=? "L" (first p))

☐ (string=? "R" (first p))

☐ (node? bt)



Explanation

We know that (false? bt) is not true, so bt must be a node, so we can simply check (empty? p).

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Question 10

1/1 point (graded)

What should the question for case (3) be?

- ☐ (empty? p)
- ☐ (false? bt)
- ☐ (and (empty? p) (false? bt))
- ☒ (string=? "L" (first p))
- ☐ (string=? "R" (first p))
- ☐ (node? bt)



Explanation

Again, we know that if we reach this case, bt must be a node, so we can simply check that the first element of p is "L".

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Question 11

1/1 point (graded)

What should the question for case (4) be?

- ☐ (empty? p)
- ☐ (false? bt)
- ☐ (and (empty? p) (false? bt))
- ☐ (string=? "L" (first p))
- ☒ (string=? "R" (first p))
- ☐ (node? bt)



Explanation

Again, we know that if we reach this case, bt must be a node, so we can simply check that the first element of p is "R".

The simplified function definition is:

```
(define (has-path? bt p)
  (cond [(false? bt) false]
        [(empty? p) true]
        [(string=? "L" (first p))(has-path? (node-l bt) (rest p))]
        [(string=? "R" (first p))(has-path? (node-r bt) (rest p))]))
```

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