



Evaluation and Validation

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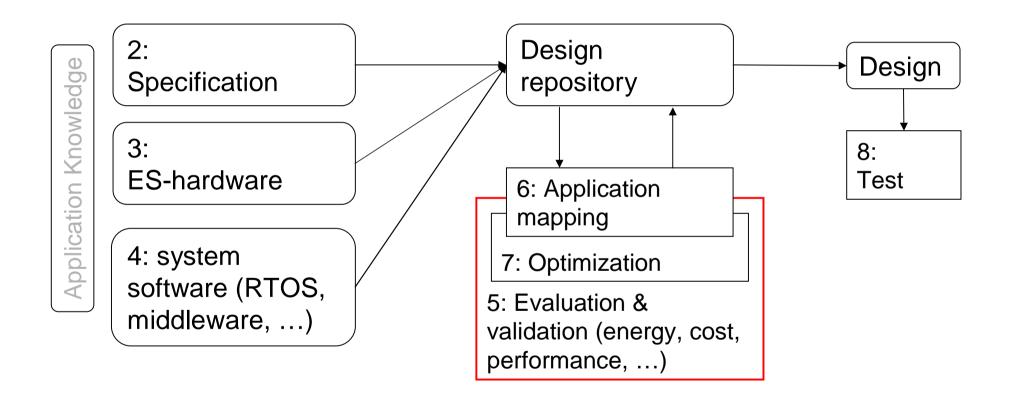


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Structure of this course



Numbers denote sequence of chapters





Validation and Evaluation

Definition: <u>Validation</u> is the process of checking whether or not a certain (possibly partial) design is appropriate for its purpose, meets all constraints and will perform as expected (yes/no decision).

Definition: Validation with mathematical rigor is called *(formal) verification*.

Definition: Evaluation is the process of computing quantitative information of some key characteristics of a certain (possibly partial) design.

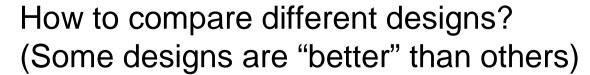




How to evaluate designs according to multiple criteria?

Many different criteria are relevant for evaluating designs:

- Average & worst case delay
- power/energy consumption
- thermal behavior
- reliability, safety, security
- cost, size
- weight
- **EMC** characteristics
- radiation hardness, environmental friendliness, ..



















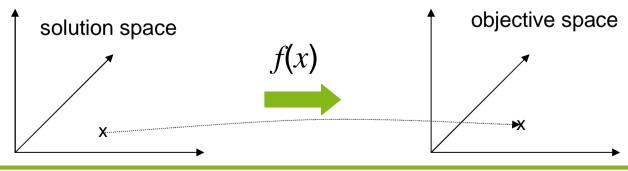


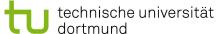




Definitions

- Let X: m-dimensional solution space for the design problem. Example: dimensions correspond to # of processors, size of memories, type and width of busses etc.
- Let *F*: *n*-dimensional **objective space** for the design problem. Example: dimensions correspond to average and worst case delay, power/energy consumption, size, weight, reliability, ...
- Let $f(x) = (f_1(x), ..., f_n(x))$ where $x \in X$ be an **objective function**. We assume that we are using f(x) for evaluating designs.







Pareto points

• We assume that, for each objective, an order < and the corresponding order ≤ are defined.

Definition:

Vector
$$u=(u_1,...,u_n) \in F$$
 dominates vector $v=(v_1,...,v_n) \in F$ \Leftrightarrow

u is "better" than v with respect to one objective and not worse than v with respect to all other objectives:

$$\forall i \in \{1, ..., n\} : u_i \le v_i \land$$
$$\exists i \in \{1, ..., n\} : u_i < v_i$$

Definition:

Vector $u \in F$ is **indifferent** with respect to vector $v \in F$ \Leftrightarrow neither u dominates v nor v dominates u





Pareto points

- A solution $x \in X$ is called **Pareto-optimal** with respect to X \Leftrightarrow there is no solution $y \in X$ such that u = f(x) is dominated by v = f(y). x is a **Pareto point**.
- **Definition**: Let $S \subseteq F$ be a subset of solutions. $v \in F$ is called a **non-dominated solution** with respect to $S \Leftrightarrow v$ is not dominated by any element $\subseteq S$.
- v is called **Pareto-optimal** $\Leftrightarrow v$ is non-dominated with respect to all solutions F.
- A Pareto-set is the set of all Pareto-optimal solutions

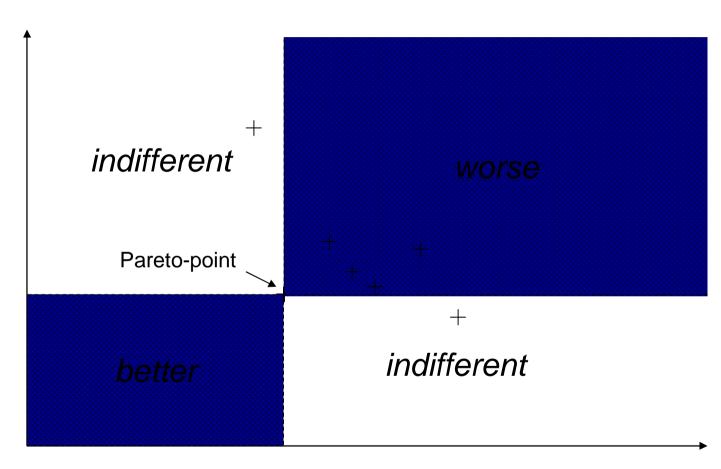
Pareto-sets define a **Pareto-front** (boundary of dominated subspace)





Pareto Point

Objective 1 (e.g. energy consumption)



(Assuming *minimization* of objectives)

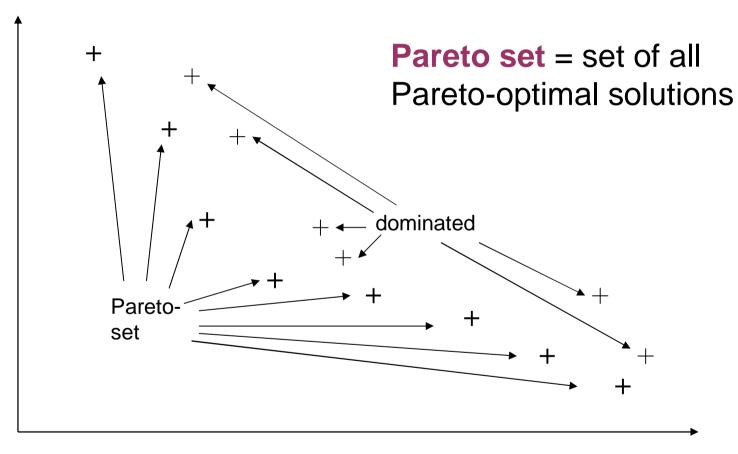
Objective 2 (e.g. run time)





Pareto Set

Objective 1 (e.g. energy consumption)



(Assuming *minimization* of objectives)

Objective 2 (e.g. run time)

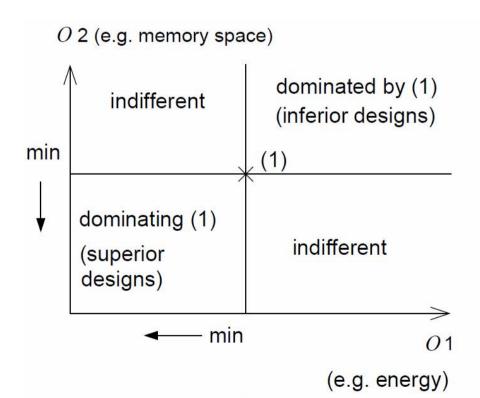


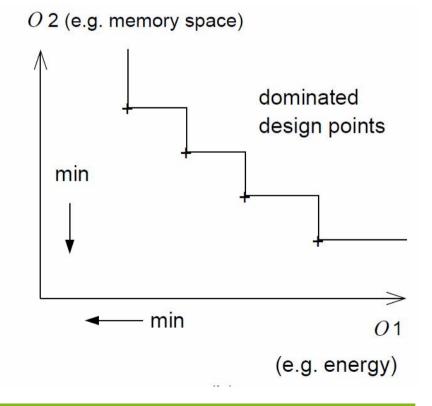


One more time ...

Pareto point

Pareto front









Design space evaluation

Design space evaluation (DSE) based on Pareto-points is the process of finding and returning a set of Pareto-optimal designs to the user, enabling the user to select the most appropriate design.



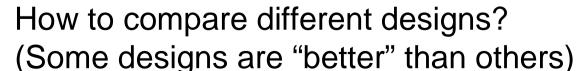


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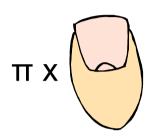






Average delays (execution times)

Estimated average execution times:
 Difficult to generate sufficiently precise estimates;
 Balance between run-time and precision



Accurate average execution times:
 As precise as the input data is.

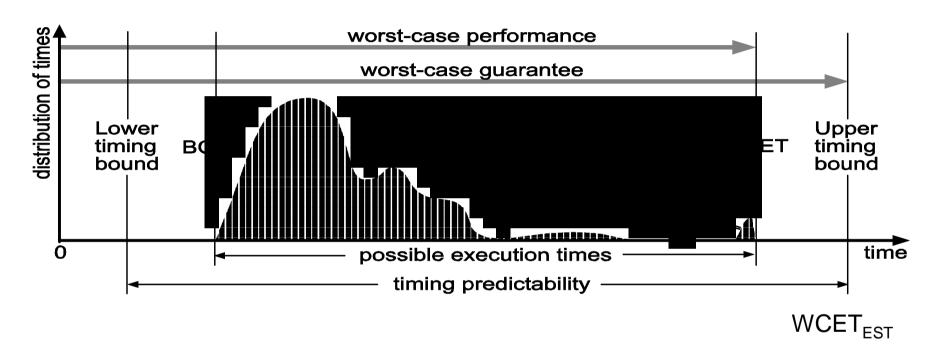


We need to compute **average** and **worst case** execution times





Worst/best case execution times



Requirements on WCET estimates:

- Safeness: WCET ≤ WCET_{EST}!
- Tightness: WCET_{EST} WCET → minimal





Worst case execution times (2)

Complexity:

- in the general case: undecidable if a bound exists.
- for restricted programs: simple for "old" architectures, very complex for new architectures with pipelines, caches, interrupts, virtual memory, etc.

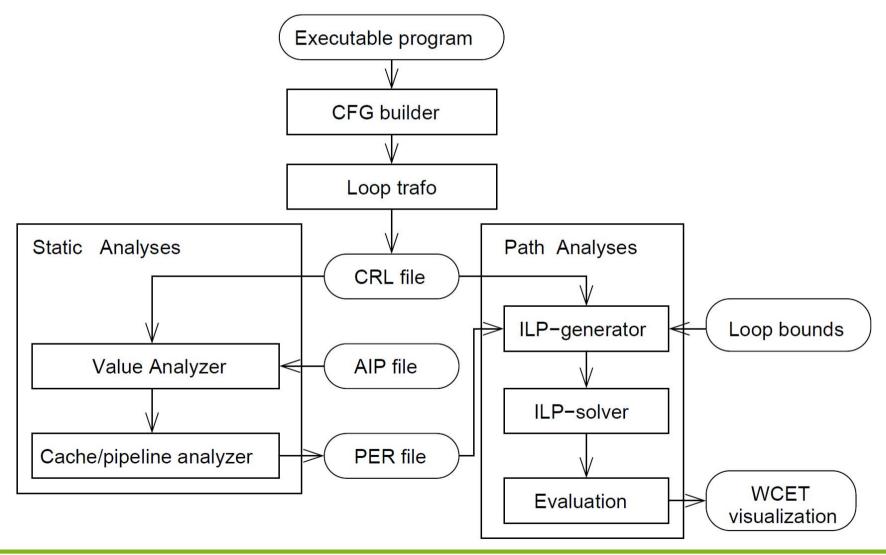
Approaches:

- for hardware: requires detailed timing behavior
- for software: requires availability of machine programs; complex analysis (see, e.g., www.absint.de)





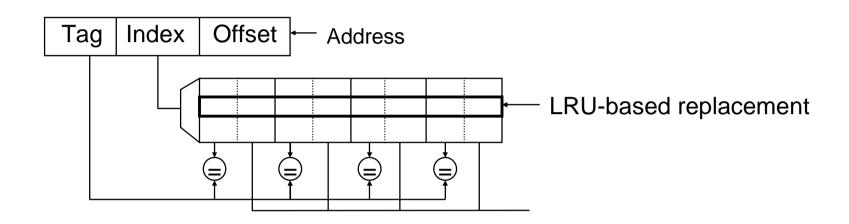
WCET estimation: AiT (AbsInt)



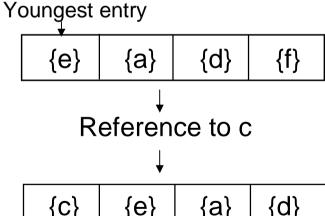




WCET estimation for caches

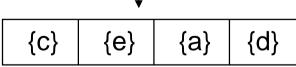






Variables getting older

New state

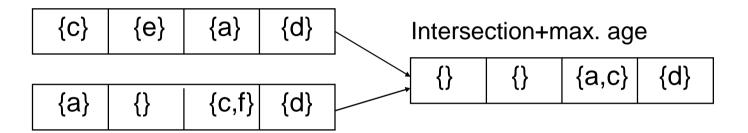




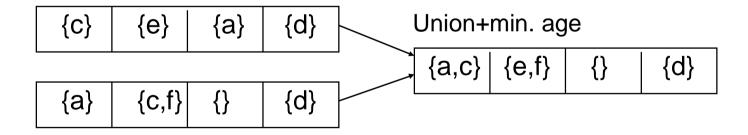


Behavior at program joins

Worst case



Best case

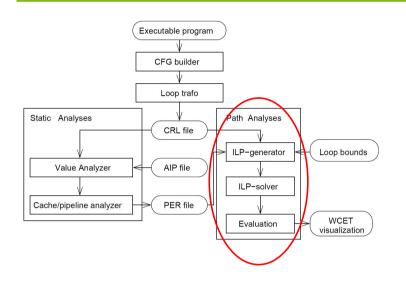


Possibly several variables per entry





ILP model



- Objective function reflects execution time as a function of the execution time of blocks.
 To be maximized.
- Constraints reflect dependencies between blocks.
- Avoids explicit consideration of all paths
- Called implicit path enumeration technique.

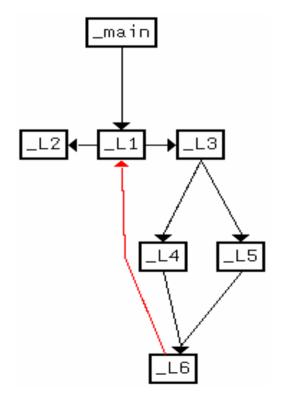


Example (1)

Program

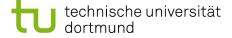
```
int main()
 int i, j = 0;
 _Pragma( "loopbound min
             100 max 100");
 for (i = 0; i < 100; i++)
  if (i < 50)
   j += i;
  else
   j += (i * 13) \% 42;
 return j;
```

CFG



WCETs of BB (aiT 4 TriCore)

```
_main: 21 cycles
_L1: 27
_L3: 2
_L4: 2
_L5: 20
_L6: 13
_L2: 20
```





Example (2)

- Virtual start node
- Virtual end node
- Virtual end node per function

Variables:

- 1 variable per node
- 1 variable per edge

Constraints: "Kirchhoff" equations per node

_main

8x

x6

x10¯

Sum of incoming edge variables = flux through node

Sum of outgoing edge variables = flux through node

_main: 21 cycles

_L1: 27

L3: 2

_L4: 2

_L5: 20

L6: 13

_L2: 20



```
/* Objective function = WCET to be maximized*/
21 \times 2 + 27 \times 7 + 2 \times 11 + 2 \times 14 + 20 \times 16 + 13 \times 18 + 20 \times 19:
/* CFG Start Constraint */ x0 - x4 = 0;
/* CFG Exit Constraint */ x1 - x5 = 0:
/* Constraint for flow entering function main */
x2 - x4 = 0:
/* Constraint for flow leaving exit node of main */
x3 - x5 = 0;
/* Constraint for flow entering exit node of main */
x3 - x20 = 0:
/* Constraint for flow entering main = flow leaving main */
x2 - x3 = 0:
/* Constraint for flow leaving CFG node main */
x2 - x6 = 0:
/* Constraint for flow entering CFG node _L1 */
x7 - x8 - x6 = 0;
/* Constraint for flow leaving CFG node L1 */
x7 - x9 - x10 = 0;
/* Constraint for lower loop bound of _L1 */
x7 - 101 x9 >= 0;
/* Constraint for upper loop bound of _L1 */
x7 - 101 x9 <= 0; ....
```



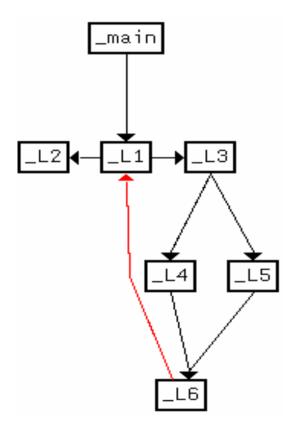


Example (3)

Value of objective function: 6268

Actual values of the variables:

	values of the variables.
x2	1
x7	101
x11	100
x14	0
x16	100
x18	100
x19	1
x0	1
x4	i
x1	1
x5	i
x3	1
x20	1
x6	1
x8	100
x9	100
x10	100
x12	100
x13	0
x15	0
x17	100







Summary

Evaluation and Validation

- In general, multiple objectives
- Pareto optimality
- Design space evaluation (DSE)
- Execution time analysis
 - Trade-off between speed and accuracy
 - Computation of worst case execution times
 - Cache/pipeline analysis
 - ILP model for computing WCET of application from WCET of blocks

