```
\sum_{n=1}^{\infty}
\begin{array}{c} \left\backslash \left[x\right\backslash\right]_{x}^{\angle} \\ \\ \left\langle \underline{\phantom{a}}\right\rangle_{x}^{2} \\ \end{array} 
                                                     \hbox{\tt equation}
                                                     \begin{equation}
                                                     \sum
                                                     \end{equation}
                                                    \begin{align}
4+5\times 2&=4+5+5\cr
                                                    &=4+10\cr
                                                &=14.
                                                align align*

2+ \\
cx+ \\
d = \\
ax^3+ \\
bx^2+ \\
cx+ \\
d_1 = \\
0.25i_{12} = \\
i_{21}i_{13} = \\
i_{23} \\
i_{21} = \\
\frac{1}{3}i_{11}i_{22} = \\
0.5i_{12}i_{23} = \\
i_{31}

                                                  i_{31}
i_{31} =
0.33i_{22}i_{32} =
0.15i_{32}i_{33} =
                                                \begin{array}{l} 0.13i_{32}i_{33}\\ i_{11}\\ \Delta i_{11} = \\ 0i_{21} = \\ \frac{1}{3}i_{11}i_{31} = \\ 0.33i_{22} \end{array}
                                                    \{f(x) = 0x = 0f(x) = 1x = \neq 0
                                                    \[
                                                  \begin{cases}
f(x)=0&x=0\\
f(x)=1&x=\neq 0
                                                     \ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath}\ensuremath{\mbox{\ensuremath{\mbox{\ensuremath}\ensuremath{\mbox{\ensuremath}\ensuremath{\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremath}\ensuremat
                                                  \Gamma(\alpha) = \int_0^\infty y^{\alpha - 1} e^{-y} dy = (\alpha - 1) \int_0^\infty y^{\alpha - 2} e^{-y} dy
                          (2)
```

$$ABCdef123, \underbrace{1}{2} \begin{pmatrix} 0 & 1 & 2 \\ ABC \\ d & e & f \\ 1 & 2 & 3 \end{pmatrix} ([\quad)[]]121x1x22x3x43x5x6(* \quad)[\{\}]x1x21x3x42x5x6312.$$

 $a\ bcd, abcd, abcd, abcd, abcd, (a)\ bcd, abcd.$

$$\sum_{\substack{1 \leq j \leq p1 \leq j \leq q1 \leq k \leq r \\ A, A}} a_{ij}b_{jk}c_{ki}.$$

ab, ab.

$$bluef(x) = \int_{1}^{\infty} red \frac{1}{x^2} mathrmdx = 1$$

$$(4) \frac{y(x)}{y(x)} = ax^3 + bx^2 + cx + d, \alpha$$

$$a^3 + bx^2 + cx + d$$

$$a^3 + bx^2 + cx + d$$

$$UpperLeft\,UpperRight\\LowerLeft\,LowerRight\\ \sum_{B}^{T}$$

$$= (a+b)^{2}$$

$$\stackrel{?}{=} (a+b) \times (a+b) \times (a+b) := a^{2} + b^{2} + 2ab \cdot \frac{1}{x^{2}} dx = \frac{\int_{1}^{\infty} \frac{1}{x^{2}} dx = 1}{\int_{1}^{\infty} \frac{1}{x^{2}} dx = 2}$$

$$\frac{\int_{1}^{\infty} \frac{1}{x^{2}} dx = 2}{\int_{1}^{\infty} \frac{1}{x^{2}} dx = 3}$$

$$f(x) = \int \frac{\sin x}{x} dx$$

$$f(x) = \int \frac{\sin x}{x} \, \mathrm{d}x$$

(5)

$$f(x) = \int \frac{\sin x}{x} \, \mathrm{d}x$$

$$f(x) = \int \frac{\sin x}{x} \, \mathrm{d}x.$$

