





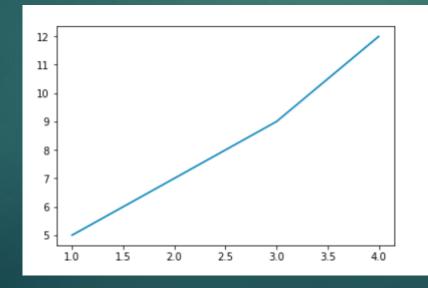
# Python for Physics Lab -4

## Matplotlib

```
In [706]: import matplotlib.pyplot as plt

x = np.array([1,2,3,4])
y = np.array([5,7,9,12])

plt.plot(x,y)
plt.show()
```



# Vectors

#### Magnitude of a Vector

$$A = Axi + Ayj + Azk$$

$$A=\sqrt(Ax^2+Ay^2)$$

```
In [707]: vector = np.array([2,4,7])
    magnitude_vector = np.linalg.norm(vector)
    print ("The magnitude of the vector ", vector , "is :", magnitude_vector)
```

The magnitude of the vector [2 4 7] is: 8.306623862918075

```
In [708]: np.sqrt(2**2 + 4**2 + 7**2)
```

### Horizontal and Vertical Components of a Vector

$$Ax = ACosx$$

$$Ay = ASinx$$

Out[709]: (2.626609944088649, 3.4036140981364738)

#### Find the angle between "a" and "b".

where

$$a=5i+4j-6k$$

$$b = -2i + 2j + 3k$$

$$A.B = ABcos\theta$$

$$\theta = cos - 1(A.B/AB)$$

mag\_a = np.linalg.norm(a) # magnitude of a
mag\_b = np.linalg.norm(b) # magnitude of b

value = (a\_dot\_b / (mag\_a \* mag\_b)) # this is in radian
angle = np.arccos(value)
direction = np.degrees(angle) # radian to degree
print ('The angle between a and b is:\n', direction)

The angle between a and b is:
123.55862948381244

In [712]: a\*b

Out[712]: array([-10, 8, -18])

In []:

#### Angle with respect to x , y and z axes

```
In [713]:

def Angle(s):
    xcosine_angle = s[0] / (np.linalg.norm(s))
    x = np.arccos(xcosine_angle)
    anglex = np.degrees(x)

    ycosine_angle = s[1] / (np.linalg.norm(s))
    y = np.arccos(ycosine_angle)
    angley = np.degrees(y)

    zcosine_angle = s[2] / (np.linalg.norm(s))
    z = np.arccos(zcosine_angle)
    anglez = np.degrees(z)

    print('The angle with X is : ', anglex)
```

```
print('The angle with Y is : ', angley)
print('The angle with Z is : ', anglez)

vector =[2,-3,5]

Angle(vector)

The angle with X is : 71.06817681913482
The angle with Y is : 119.12156807035144
The angle with Z is : 35.795759914707084
```

### One Dimensional Kinematics

#### **One Dimension Kinematics**

The position of a particle moving in a straight line is given by

$$X = 5 + 2t + 4t2 - t3$$

where x is in meter. (a) Find an expression for the Velocity and Acceleration as a function of time.

(b) Find the position of the particle at t=1 sec

```
In [722]: import sympy as sp
           sp.init printing()
           t = sp.symbols('t')
           Position = 2*t + 4*t**2 + t**3+ 5
           velocity = sp.diff(Position,t)
           acceleration = sp.diff(Position,t,2)
          print('The position is:') Position
In [723]: print('The velocity is : ')
           velocity
          The velocity is:
Out[723]: 3t^2 + 8t + 2
In [724]: print('The acceleration is : ')
```

```
acceleration
```

The acceleration is:

```
Out[724]: 2(3t+4)
```