

Assignment 2

Web Analytics and Mining

MET CS 688

Use the Indiegogo dataset (<https://webrobots.io/indiegogo-dataset/>) and download five files of data, preferable in different years.

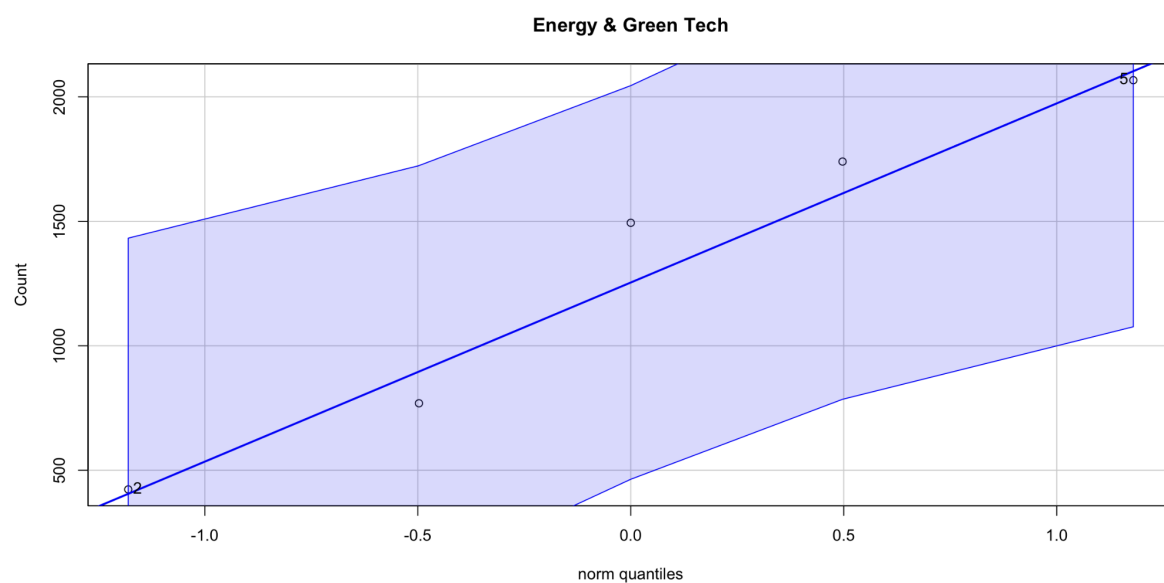
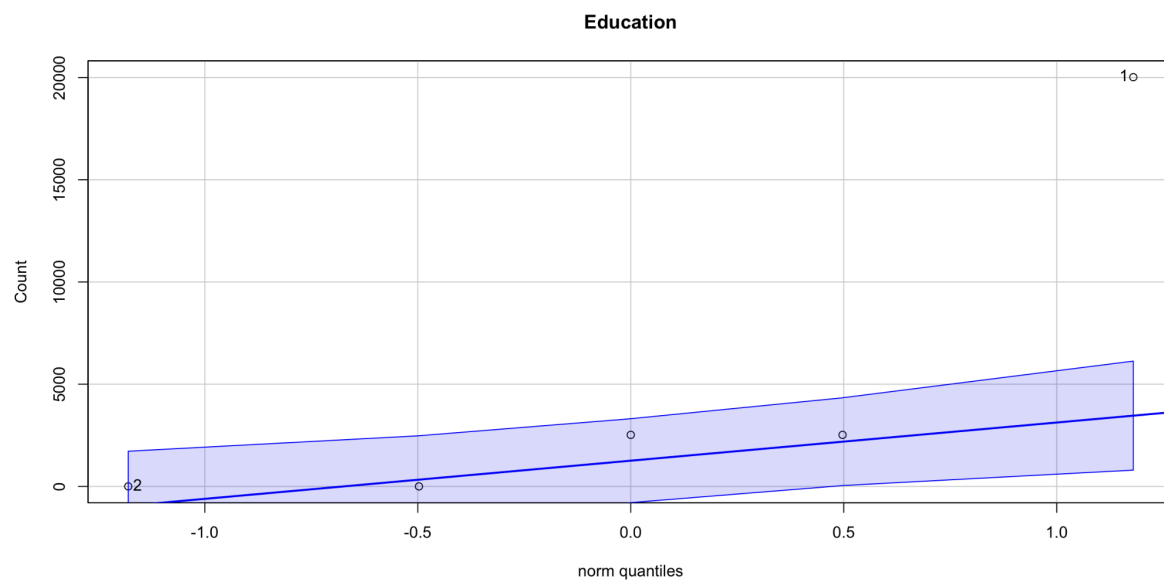
1. For each of these categories* in the category of JSON element, check whether all keywords have a Gaussian distribution. You should count the appearance of the keyword per month and then assign the keyword month. e.g., "Education," "Jan," "2020", "32" Then, plot their distributions based on the number of years (use density plot). It means you should download the data for five years and then compare their frequency separately.

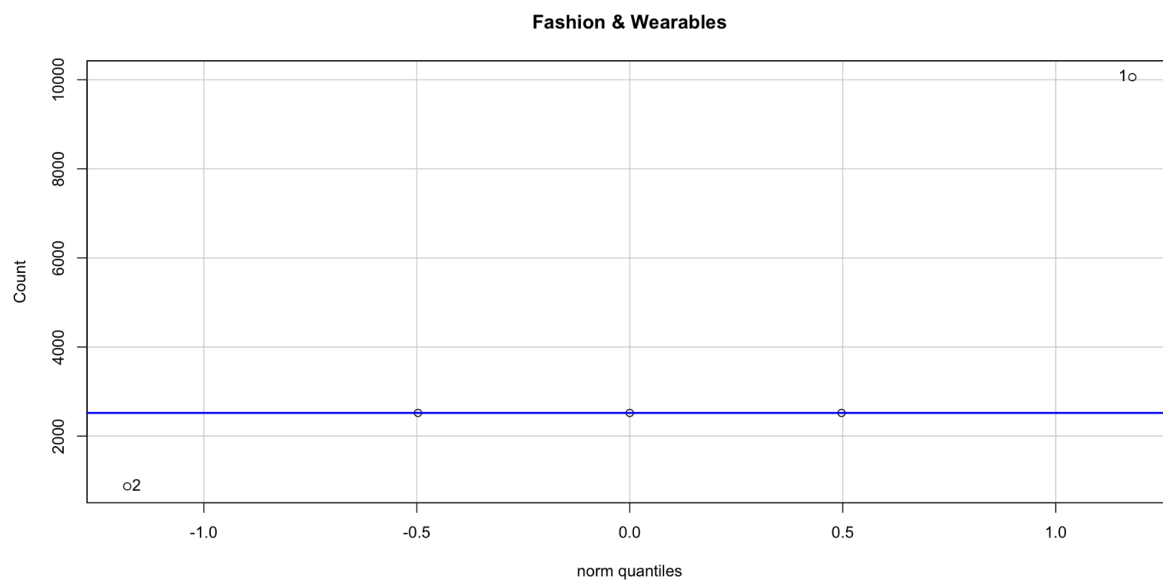
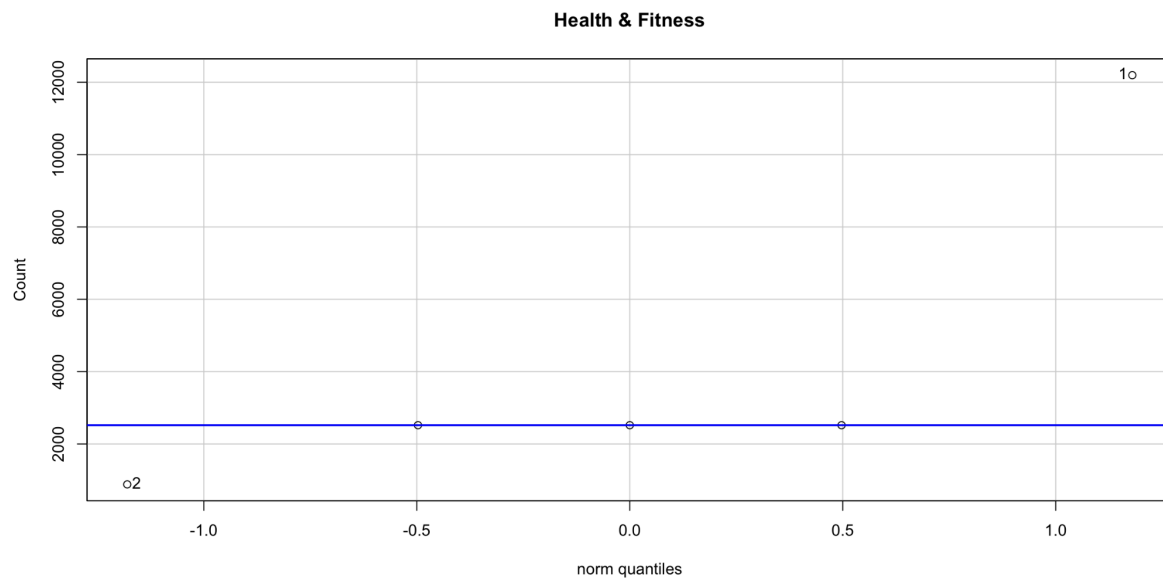
Solution:

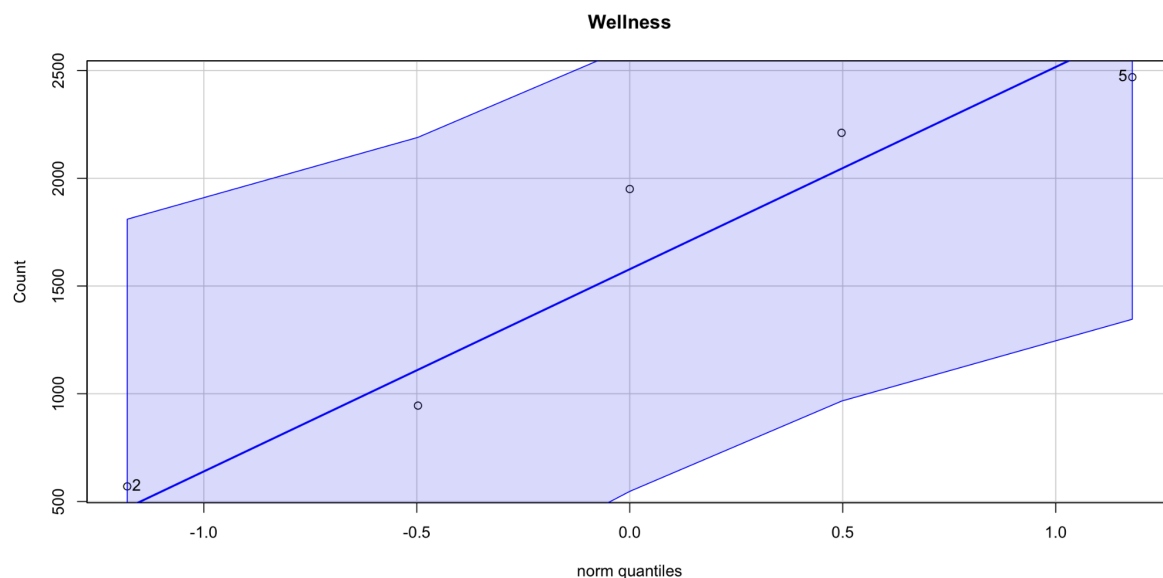
In [34]: df

Out[34]:

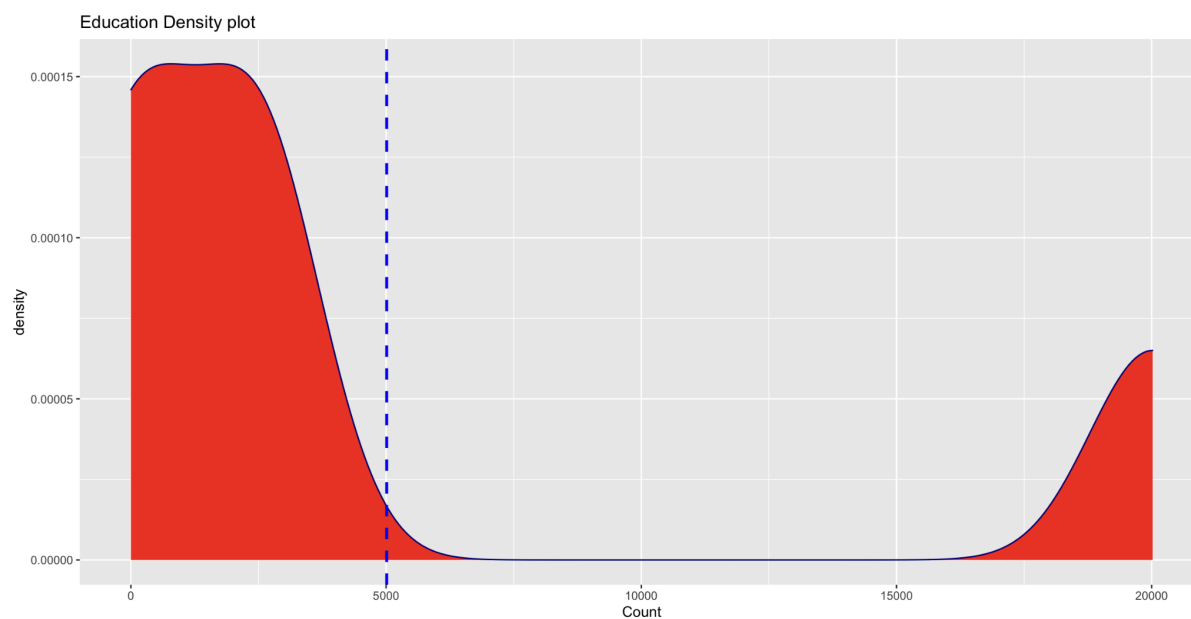
	Category	Month	Year	Count
0	Education	Nov	2017	20017
0	Energy & Green Tech	Nov	2017	769
0	Health & Fitness	Nov	2017	12195
0	Fashion & Wearables	Nov	2017	10059
0	Wellness	Nov	2017	945
1	Education	Nov	2018	0
1	Energy & Green Tech	Nov	2018	423
1	Health & Fitness	Nov	2018	883
1	Fashion & Wearables	Nov	2018	870
1	Wellness	Nov	2018	570
2	Education	Nov	2019	0
2	Energy & Green Tech	Nov	2019	1494
2	Health & Fitness	Nov	2019	2520
2	Fashion & Wearables	Nov	2019	2520
2	Wellness	Nov	2019	1950
3	Education	Nov	2020	2520
3	Energy & Green Tech	Nov	2020	1740
3	Health & Fitness	Nov	2020	2520
3	Fashion & Wearables	Nov	2020	2520
3	Wellness	Nov	2020	2211
4	Education	Sept	2021	2520
4	Energy & Green Tech	Sept	2021	2067
4	Health & Fitness	Sept	2021	2520
4	Fashion & Wearables	Sept	2021	2520
4	Wellness	Sept	2021	2469

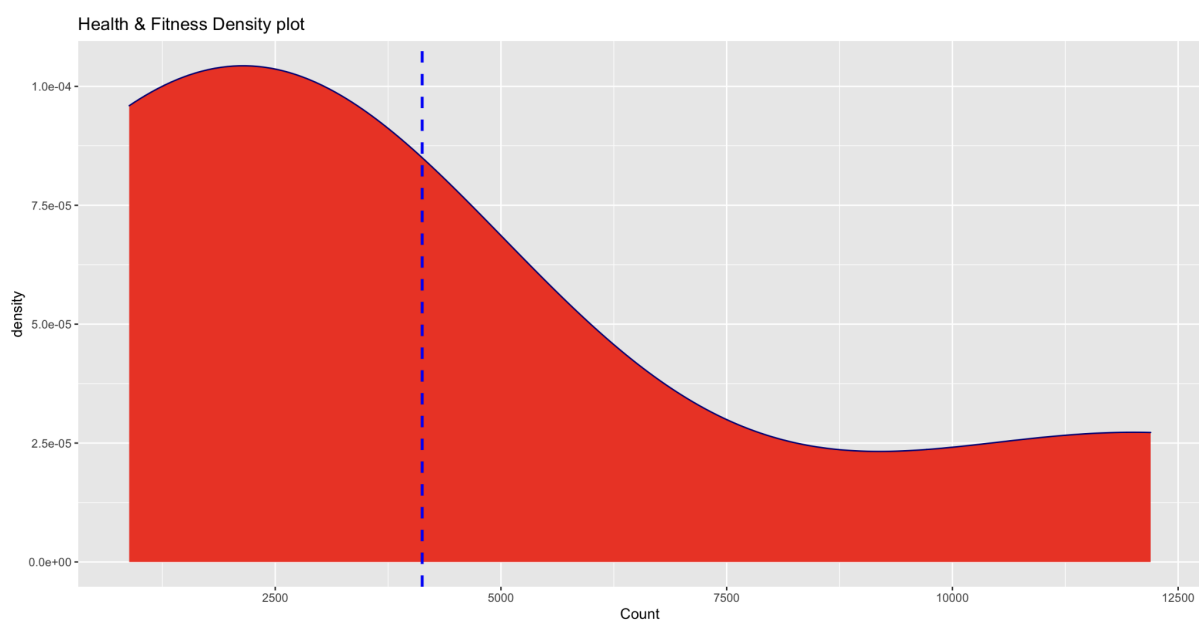
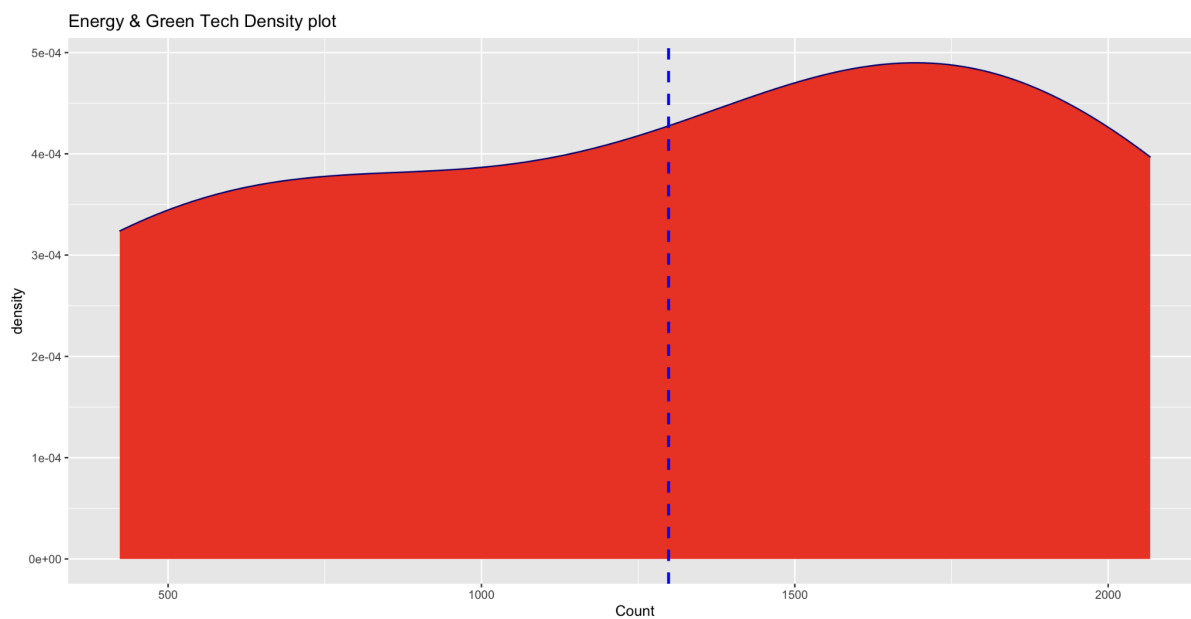


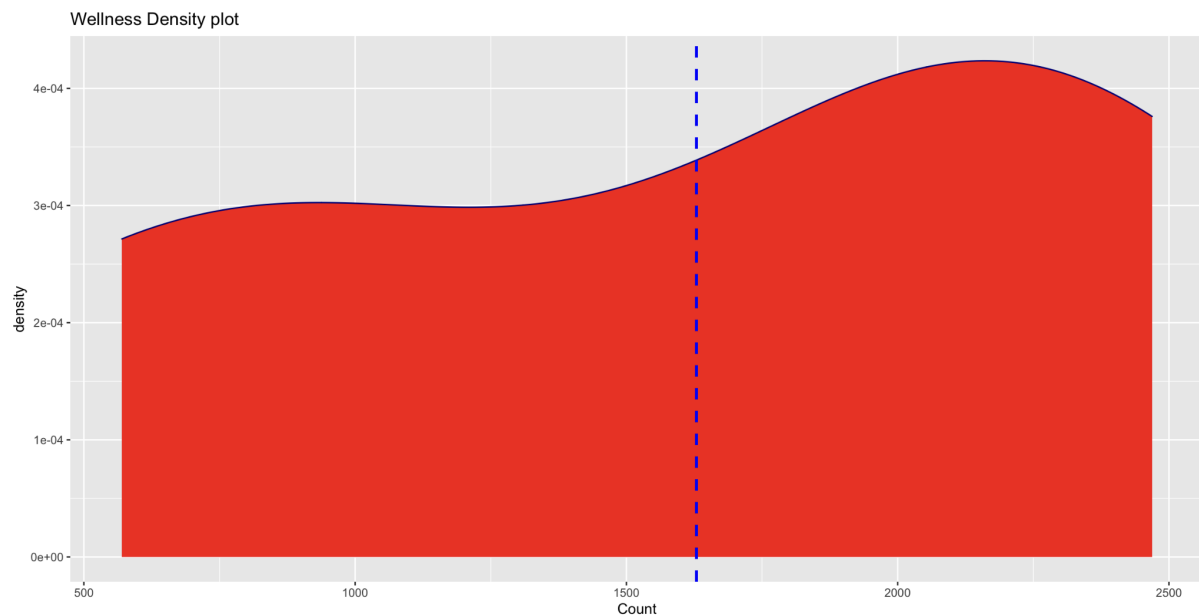
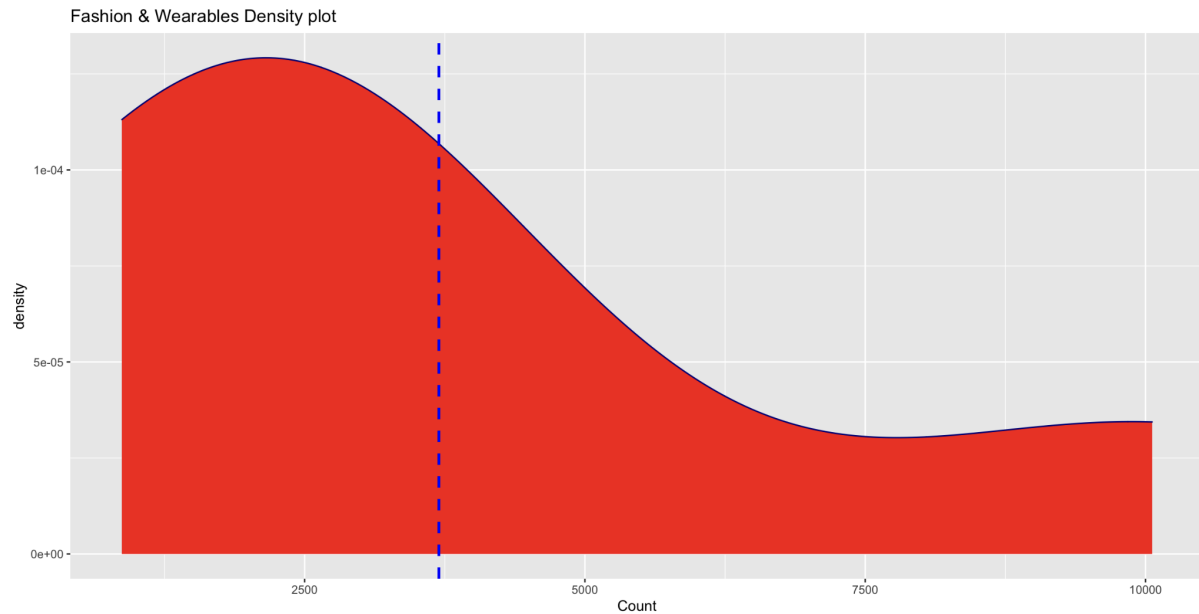




Education, Energy & Green Tech, Health & Fitness, Fashion & Wearables, and Wellness **follow Gaussian distribution.** Although, the distribution is skewed.







2. Compare the following two categories: “Health & Fitness,” “Fashion & Wearables” on a year basis (2018, 2019, 2020).

a. With three statistics tests, one parametric, two non-parametric tests, and report results.

Solution:

if (p-value < α) \rightarrow H_0 is rejected

if (p-value \geq α) \rightarrow H_1 is rejected

$H_0 = \mu_1 = \mu_2$ (means of both dataset are equal.)

$H_1 \neq \mu_1 \neq \mu_2$ (Means are not all equal)

T-test parametric test

Welch Two Sample t-test

```
data: x and y
t = 0.0055931, df = 3.9997, p-value = 0.9958
alternative hypothesis: true difference in means is not equal to 0
95 percent confidence interval:
 -2146.797  2155.463
sample estimates:
mean of x mean of y
1974.333 1970.000
```

Since, $p\text{-value} > 0.05$. We reject H_1 , i.e., we fail to reject the null hypothesis (H_0)

Non-parametric tests

- KS-Test
- Mann-Whitney-U Test

Two-sample Kolmogorov-Smirnov test

```
data: x and y
D = 0.33333, p-value = 0.9963
alternative hypothesis: two-sided
```

Wilcoxon rank sum test with continuity correction

```
data: x and y
W = 5, p-value = 1
alternative hypothesis: true location shift is not equal to 0
```

b. Use the effect size test to quantify the magnitude of differences.

Solution:

Since data belongs to a normal distribution, we will use Cohens'd test, which is parametric.

Cohen's d

d estimate: 0.004566775 (negligible)

95 percent confidence interval:

lower	upper
-2.262394	2.271528

This means that the difference between two groups' means is less than **0.2 standard deviations**, the **difference is negligible**.

3. Use three correlation coefficient tests (Pearson, Spearman, KendallTau) and report whether the following two keywords have correlations: "Fashion & Wearables," "Health & Fitness."

Solution:

Correlation test is performed on Health & Fitness", "Fashion & Wearables" on years (2018, 2019, 2020).

Pearson's product-moment correlation

```
data: x and y
t = Inf, df = 1, p-value < 2.2e-16
alternative hypothesis: true correlation is not equal to 0
sample estimates:
cor
1
```

Spearman's rank correlation rho

```
data: x and y
S = 0, p-value < 2.2e-16
alternative hypothesis: true rho is not equal to 0
sample estimates:
rho
1
```

Kendall's rank correlation tau

```
data: x and y
z = 1.4142, p-value = 0.1573
alternative hypothesis: true tau is not equal to 0
sample estimates:
tau
1
```

For all three of these, test r is 1. Positive r: means increasing one variable results in increasing the other variable.