```
u = [1;0;0];
mut=[2;2;0];
covt=zeros(3,3);
velocity=[1 0;1 0;1 0;pi/2 pi/2;pi/2 pi/2;1 0;1 0; 1 0];
signature=[2;3;3;4;5;6;6;6];
pmx=[2];
pmy=[2];
cmx=[];
cmy=[];
hold on
 for i = 1:8
     u(1) = velocity(i,1);
     u(2) = velocity(i, 2);
     c=signature(i);
     z_mes=i;
     %plot(mut(1),mut(2))
     %hold on
     scatter(2,2)
     [mutbar,covtbar] = motion_model_ekf(mut,covt,u);
     plot(mutbar(1),mutbar(2))
     hold on
     plot_error(mutbar(1), mutbar(2), covtbar)
     pmx(end+1) = mutbar(1);
     pmy(end+1) = mutbar(2);
     hold on
응
       pmx(end+1) = mutbar(1);
       pmy(end+1) =mutbar(2);
     %pred_cov(end+1)=covtbar;
     [mut,covt] = correction_ekf(mutbar,covtbar,z_mes,c);
     plot(mut(1),mut(2))
     hold on
     plot error(mut(1), mut(2), covt)
     hold on
     cmx(end+1) = mut(1);
     cmy(end+1) = mut(2);
       cmx(end+1) = mut(1);
       cmy(end+1) = mut(2);
     %cor_mean(end+1)=mut;
     %cor_cov(end+1)=covt;
 end
%[0.0;0.0],[4.0;0.0],[8.0;0.0],[8.0;6.0],[4.0;6.0],[0.0;6.0]
plot(pmx,pmy)
hold on
plot(cmx,cmy)
plot_lines(cmx,cmy)
function plots = plot_lines(cmx,cmy)
title("EKF filter localization")
scatter(0,0)
hold on
```

```
scatter(4,0)
hold on
scatter(8,0)
hold on
scatter(8,6)
hold on
scatter(4,6)
hold on
scatter(0,6)
hold on
plot([cmx(1) 4],[cmy(1) 0],'--')
hold on
plot([cmx(2) 8],[cmy(2) 0],'--')
hold on
plot([cmx(3) 8],[cmy(3) 0],'--')
hold on
plot([cmx(4) 8],[cmy(4) 6],'--')
hold on
plot([cmx(5) 4],[cmy(5) 6],'--')
hold on
plot([cmx(6) 0],[cmy(6) 6],'--')
hold on
plot([cmx(7) 0],[cmy(7) 6],'--')
hold on
plot([cmx(8) 0],[cmy(8) 6],'--')
end
 function [mutbar,covtbar] = motion_model_ekf(mut_1,covt_1,u)
plot(mut_1(1),mut_1(2))
hold on
%UNTITLED3 Summary of this function goes here
    Detailed explanation goes here
%u=[4;0;0];
%mut_1=[2;2;0];
alpha=[0.0001; 0.0001; 0.01; 0.0001; 0.0001; 0.0001];
Gt = eye(3);
Vt = zeros(3,2);
mt = zeros(2,2);
%mutbar=zeros(3,1);
%covtbar=zeros(3,3);
%covt 1=zeros(3,3);
dt=1;
v=u(1);
w=u(2);
mt(1,1) = alpha(1) *v^2 + alpha(2) *w^2;
mt(2,2) = alpha(3) *v^2 + alpha(4) *w^2;
eps=1e-4;
theta=mut_1(3);
if abs(w)>eps
```

```
k=v/w;
    Gt(1,3)=-k*cos(theta)+k*cos(theta+w); %not multiplying with dt as
 its 1
    Gt(2,3)=-k*sin(theta)+k*sin(theta+w);
    Vt(1,1) = -(sin(theta) + sin(theta + w*dt))/w;
    Vt(2,1) = (cos(theta) - cos(theta + w*dt))/w;
    Vt(1,2) = v*(sin(theta) - sin(theta + w*dt))/(w*w) + v*cos(theta)
 + w*dt)*dt/w;
    Vt(2,2) = -v*(cos(theta) - cos(theta + w*dt))/(w*w) + v*sin(theta)
 + w*dt)*dt/w;
    Vt(3,1) = 0;
    Vt(3,2) = dt;
    mutbar(1)= mut_1(1) - k*sin(theta) + k*sin(theta + w*dt);
    mutbar(2) = mut_1(2) + k*cos(theta) - k*cos(theta + w*dt);
    mutbar(3) = mut 1(3) + w*dt;
    mutbar=mutbar.';
    %predicted mean.append(mutbar)
    covtbar = Gt*covt_1*Gt.'+Vt*mt*Vt.';
    %predicted cov.append(covtbar)
else
    Gt(1,3) = -v*sin(theta)*dt; %not multiplying with dt as its 1
    Gt(2,3)=v*cos(theta)*dt;
    Vt(1,1) = cos(theta)*dt;
    Vt(2,1) = sin(theta)*dt;
    Vt(1,2) = -v*sin(theta)*dt*dt*0.5;
    Vt(2,2) = v*cos(theta)*dt*dt*0.5;
    Vt(3,1) = 0;
    Vt(3,2) = dt;
    mutbar(1) = mut_1(1) + v*cos(theta)*dt;
    mutbar(2) = mut 1(2) + v*sin(theta)*dt;
    mutbar(3) = mut 1(3);
    mutbar=mutbar.';
    %predicted_mean.append(mutbar)
    covtbar = Gt*covt_1*Gt.'+Vt*mt*Vt.';
    %predicted cov.append(covtbar)
end
 end
 function [mut,covt] = correction_ekf(mutbar,covtbar,z_mes,c)
%UNTITLED4 Summary of this function goes here
    Detailed explanation goes here
mapObj = containers.Map(\{1,2,3,4,5,6\},\{[0.0;0.0],[4.0;0.0],[8.0;0.0],
[8.0;6.0],[4.0;6.0],[0.0;6.0]});
measurement=[2.276 5.249 2;4.321 5.834 3;3.418 5.869 3;3.774 5.911
 4;2.631 5.140 5;4.770 5.791 6;3.828 5.742 6;3.153 5.739 6];
sigmar=0.1;
sigmaphi=0.09;
Qt=zeros(2,2);
Ht=zeros(2,3);
%St=zeros(3,2);
I=eye(3);
Qt(1,1)=sigmar*sigmar;
```

```
Qt(2,2)=sigmaphi*sigmaphi;
landmark=mapObj(c);
mx=landmark(1);
my=landmark(2);
q=(mx-mutbar(1))^2 + (my-mutbar(2))^2;
zthat(1) = sqrt(q);
temp angle=atan2(my-mutbar(2), mx-mutbar(1))-mutbar(3);
zthat(2)=check_angle(temp_angle);
Ht(1,1)=-(mx-mutbar(1))/sqrt(q);
Ht(1,2)=-(my-mutbar(2))/sqrt(q);
Ht(2,1) = (my-mutbar(2))/(q);
Ht(2,2) = -(mx - mutbar(1))/(q);
Ht(2,3)=-1;
St=(Ht*covtbar)*Ht.'+Qt;
inverseS = inv(St);
Kt=(covtbar*Ht.')*inverseS;
z_measurement(1) = measurement(z_mes,1);
z_measurement(2) = measurement(z_mes,2);
mut=mutbar+Kt*((z measurement-zthat).');
covt=(I-Kt*Ht)*covtbar;
 end
 function angle = check_angle(rad)
  if rad<0</pre>
      angle = rad + 2*pi;
  elseif rad >2*pi
       angle = rad- 2*pi;
  else
      angle = rad;
  end
 end
 function [error_plot] = plot_error(x,y,cov_mat)
    cov_mat=cov_mat(1:2,1:2);
    disp(cov_mat)
    disp(x);
    disp(y);
    [eigenvec, eigenval ] = eig(cov_mat);
    max_values = max(eigenval);
    [argvalue1, argmin] = min(max values);
    [argvalue2, argmax] = max(max_values);
    largest_eigenvec = eigenvec(:, argmax);
    smallest_eigenvec=eigenvec(:,argmin);
    % Calculate the angle between the x-axis and the largest
 eigenvector
    angle = atan2(largest_eigenvec(2), largest_eigenvec(1));
```

```
% This angle is between -pi and pi.
    % Let's shift it such that the angle is between 0 and 2pi
   if(angle < 0)</pre>
        angle = angle + 2*pi;
   end
   chisquare_val = 2.4477;
   theta_grid = linspace(0,2*pi);
   phi = angle;
   a=chisquare_val*sqrt(argvalue2);
   b=chisquare_val*sqrt(argvalue1);
% the ellipse in x and y coordinates
   ellipse_x_r = a*cos( theta_grid );
   ellipse_y_r = b*sin( theta_grid );
   %Define a rotation matrix
   R = [\cos(phi) \sin(phi); -\sin(phi) \cos(phi)];
   %let's rotate the ellipse to some angle phi
   r_ellipse = [ellipse_x_r;ellipse_y_r]' * R;
   % Draw the error ellipse
   plot(r ellipse(:,1) + x,r ellipse(:,2) + y,'-')
   hold on;
   % Plot the original data
   plot(x, y, '.');
   % mindata = min(min(data));
   % maxdata = max(max(data));
    % Xlim([mindata-3, maxdata+3]);
    % Ylim([mindata-3, maxdata+3]);
   hold on;
    % Plot the eigenvectors
   quiver(x,y, largest_eigenvec(1)*sqrt(argvalue2),
 largest eigenvec(2)*sqrt(argvalue2), '-m', 'LineWidth',4);
   quiver(x,y, smallest_eigenvec(1)*sqrt(argvalue1),
 smallest_eigenvec(2)*sqrt(argvalue1), '-g', 'LineWidth',4);
   hold on;
    % Set the axis labels
   hXLabel = xlabel('x');
   hYLabel = ylabel('y');
   % error_plot=true;
 end
   0.0001
             0.0025
     3
     2
```

1.	0e	-0	3	*
----	----	----	---	---

0.0996	-0.0063
-0.0063	0.9285

- 2.9996
- 1.9850
- 0.0002 0.0002 0.0002 0.0108
- 3.9991
- 1.9549
- 0.0002 0.0001 0.0001 0.0043
- 4.0013
- 1.9419
- 0.0003 0.0005 0.0005 0.0164
- 5.0008
- 1.9112
- 0.0003 0.0002 0.0002 0.0064
- 5.0000
- 1.8103
- 0.0121 -0.0120 -0.0120 0.0209
- 6.1071
- 2.6902
- 0.0023 -0.0017 -0.0017 0.0067
- 6.1201
- 2.6973
- 0.0197 0.0095 0.0095 0.0159

3.8240

0.0061 0.0007 0.0007 0.0047

5.1818

3.7018

0.0061 0.0021 0.0021 0.0146

4.1819

3.6826

0.0045 0.0018 0.0018 0.0071

4.1832

3.7003

0.0046 0.0022 0.0022 0.0186

3.1832

3.7014

0.0039 0.0022 0.0022 0.0084

3.1734

3.7709

0.0040 0.0025 0.0025 0.0185

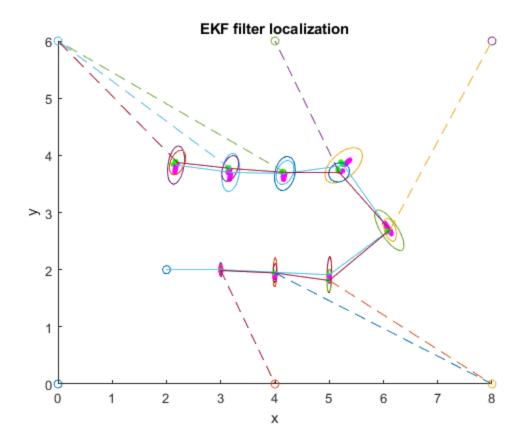
2.1751

3.8299

0.0037 0.0022 0.0022 0.0076

2.2026

3.8738



Published with MATLAB® R2021a