$$\frac{1}{9} = \frac{2}{147} = \frac{3}{147} + \frac{4}{147} + \frac{1}{147} + \frac{1}{1$$

0188 =r

01 VS =1

91 - T

lin H(m) = 1 lin Hom = 0

(shipe I have

UE [5,1]

White I have

UE [5,1]

I - e-ha

I - e-ha

I - e-ha

I - white I - have

Using inverse transform my generate exponential random var

Kolmogon-8mmov &=0,00 ,Da=0,81)

D'=,16) Whiteaask

D&Da -, accepted

$$\begin{aligned}
\alpha &= \sigma_0 \delta \\
G &:= \Upsilon \\
M_0 &= \sum_{k=1}^{\infty} \left(0; -E_i\right)^k / E_i &= \sum_{k=1}^{\infty} \left(c_i - y^k\right) \\
\frac{2k}{k} &= \frac{2k}{k} \cdot \left(c_i - y^k\right) / E_i &= \sum_{k=1}^{\infty} \left(c_i - y^k\right) \\
\frac{2k}{k} &= \frac{2k}{k} \cdot \left(c_i - y^k\right) / E_i &= \frac{2k}{k} \cdot \left(c_i - y^k\right) \\
\frac{2k}{k} &= \frac{2k}{k} \cdot \left(c_i - y^k\right) / E_i &= \frac{2k}{k} \cdot \left(c_i - y^k\right) \\
E &= \frac{2k}{k} \cdot \left(c_i - y^k\right) / E_i &= \frac{2k}{k} \cdot \left(c_i - y^k\right) \\
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E &= \frac{2k}{k} \cdot \left(c_i - y^k\right) / E_i &= \frac{2k}{k} \cdot \left(c_i - y^k\right) / E_i &= \frac{2k}{k} \cdot \left(c_i - y^k\right) \\
E &= \frac{2k}{k} \cdot \left(c_i - y^k\right) / E_i &= \frac{2k} \cdot \left(c_i - y^k\right) / E_i &= \frac{2k}{k} \cdot \left(c_i - y^k\right) / E_i &= \frac{$$