



Noakhali Science and Technology University  
Department of Information and Communication Engineering

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# **DIGITAL IMAGE** **PROCESSING**

## **LAB MANUAL 4**

Histogram Processing

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### Lab Objectives:

The objective of this lab is to understand & implement

1. Histogram
2. Histogram Equalization
3. Histogram Specification/Matching

### Histogram Equalization:

Histogram of a digital image with intensity levels in the range  $[0, L-1]$  is a discrete function  $h(r_k) = n_k$  where  $r_k$  is the  $k^{\text{th}}$  intensity value and  $n_k$  is the number of pixels in the image with intensity  $r_k$ .

In histogram there are 3 possibilities as follows,

1. For a dark image the components of histogram on the low (dark) side.
2. For a bright image the component are on high ( bright ) side &
3. For an image with low contrast they are in the middle of gray side.

Histogram equalization is done to spread their component uniformly over the gray scale as far as possible. This is obtained by function-

$$S_k = \sum_{i=0}^k \frac{h_i}{n}; k = 0, 1, 2, \dots, i-1$$

Thus processed image is obtained by mapping each pixel with level  $r_k$  into a corresponding pixel with level  $s_k$  in outpup image. This transformation is called Histogram equalization.

### Histogram Specification/Matching:

Histogram equalization automatically determines a transformation function that seeks to produce an output image that has a uniform histogram. But it is useful sometimes to be able specify the shape of the histogram that we wish the processed image to have. The method used to generate a processed image that has a specified histogram is called histogram specification.

$$S_k = T(r_k) = {}^XPr(r_j); k = 0, 1, 2, 3, \dots, L-1$$

$$V_k = G(z_k) = {}^XPz(z_j); k = 0, 1, 2, 3, \dots, L-1$$

$$Z_k = G^{-1}(T(r_k)); k = 0, 1, 2, 3, \dots, L-1$$

Map each pixel with level  $r_k$  into a corresponding pixel with level  $s_k$ . Obtain the transformation function  $G$  from a given histogram  $P_z(z)$ . For any  $Z_q$  this transformation function yields a corresponding value  $V_q$ . We would find the corresponding value  $Z_q$  from  $G^{-1}$ .

### **Background Study:**

Use help command of Matlab to learn the below concept and apply them on your test data.

- a. Modulus
- b. Remainder
- c. Bar graph
- d. Axis
- e. Xlabel
- f. Ylabel

### **Practice Tasks:**

#### **TASK 1**

Plot histogram of image 'lab3\_2.tif'. Although Matlab has a histogram function 'imhist' but you write your code to calculate histogram. Finally compare two output and display both image in same display.

#### **TASK 2**

Write a program to equalize the histogram and repeat the task 2. (Note: For histogram equalization use 'histeq')

#### **TASK 3**

- a. Write a program to implement Histogram Matching Algorithm in Matlab.
- b. Write a program for Local Histogram Equalization and note differences between local and global histogram equalization.