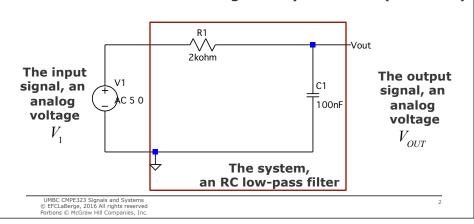


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What's it all about?

- A signal is a waveform or measurement that represents some physical quantity
- A system is a set of operations that transforms input signals to output signals
- We've seen this kind of thing already in circuits (CMPE306)



Signals and Systems

- We're interested in the characteristics of the signals and systems themselves...
- ...generally not in the internal details



- Our task is to provide a model of the signal(s) and the system and their relationships
- The language we use to build the model is mathematics...
- ...the framework we use is based on science!

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Continuous time (analog) vs. Discrete time

- We generally describe signals and systems as function of time, $s(t), s(t_1), s[n]$, etc...
- ...but it's perfectly acceptable to use position, temperature, barometric pressure, etc. as the independent variable
- As computer engineers, we're generally interested in functions of time, so that's what we'll use.
- Don't forget that other independent variables are possible!

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Continuous time (analog) vs. Discrete time

- If the signal is defined for all values of time within a given range, $t_1 \le t \le t_2 = \left[t_1, t_2\right]$, we call the signal "continuous"
- If the signal is defined at only a set of times within a given range, $t_1 < t_2 < t_3 ... < t_n = \left\{t_1, t_2 ..., t_n\right\}$ we call the signal "discrete" or "discrete time
- "Continuous" and "discrete" refer to the time axis

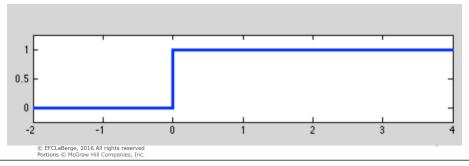
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Continuous vs. Discrete (continued)

- Systems may also be continuous or discrete, where the terms are used in the same way
- Saying "continuous time" does not mean "continuous amplitude" in the sense we learned in Calc I/II!
- Example: The unit step function (remember from 306!)

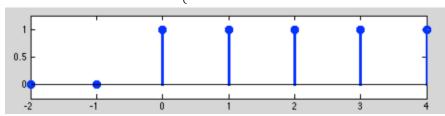
$$u(t) = \begin{cases} 1 & t > 0 \\ 0 & t < 0 \end{cases}$$



Continuous vs. Discrete (continued)

And the discrete version (which we haven't officially seen yet)

 $u[n] = \begin{cases} 1 & n \ge 0 \\ 0 & < 0 \end{cases}$

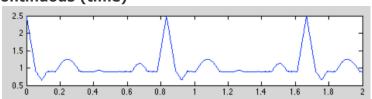


- We'll (eventually) get to a little bit of discrete signals and systems, but our emphases is on analog signals and systems.
- CMPE422 covers discrete signals and systems in great detail

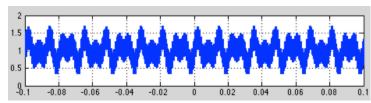
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Continuous (time)

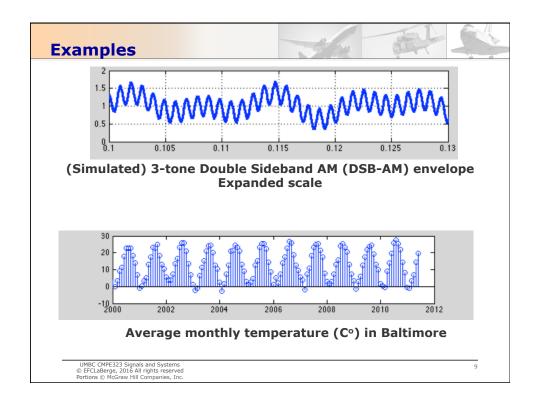


(Simulated) Electrocardiogram (EKG)



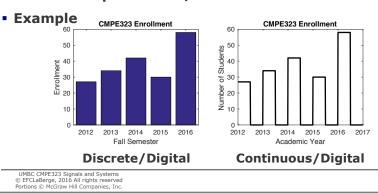
(Simulated) 3-tone Double Sideband AM (DSB-AM) envelope

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Analog vs. Digital

- In the amplitude dimension we can also be "continuous" or "piecewise continuous" in the Calc I/II sense
- Or we can be discrete, as in the output of logic gates...
- ...or the output of an A/D converter



Random vs. Deterministic

- In a deterministic waveform, if you know the value(s) at a single instant in time, you should be able to predict the value(s) at all future (and past?) times.
- In a random waveform, all you can do is predict the statistical properties (e.g. mean, variance, correlation, etc.)
- More on random waveforms in CMPE320...
- ...we'll generally skip them.

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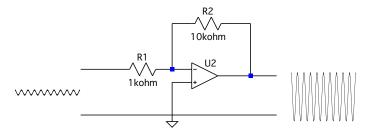
Your turn

- Within a small group of neighbors, choose or describe an examples of a signal, a system that might use that signal, and what the output signal might be.
- Is your signal analog (continuous time) or discrete time? Does your signal have a continuous (in the Calculus sense) amplitude or not?
- If you can, suggest a mathematical model of your input and output signals.

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Systems vs. signals

 A system is some device or process that takes one signal and turns it into another



- It might be linear, or not...
- It might vary with time, or not...
- It might induce a delay, or not...
- It might change the shape of the waveform, or not

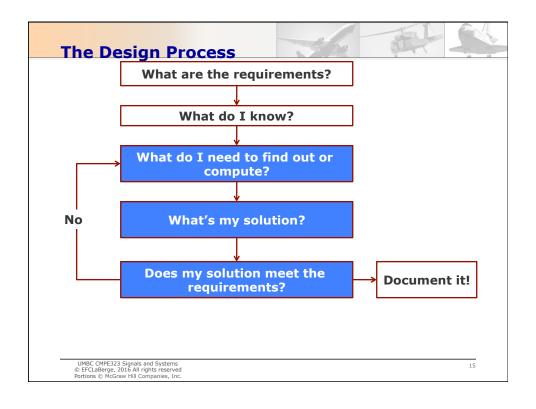
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Why bother?

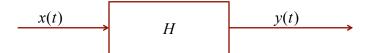
- The major thing we want to do is to predict the output of a system to a given input signal...
- ...without actually building the system.
- It's almost always cheaper to do by analysis!
- Analysis permits us to consider alternatives
 - Consider the feasibility of the system before building it.
 - Stress the system with inputs that might be impossible or dangerous to create in practice.
 - Efficiently perform tradeoffs between different systems or different implementations of the same system.

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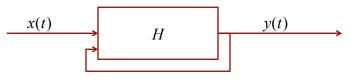


Mathematical Models for Systems

- We will usually have x(t) or s(t) as our system input and y(t) as our output...
- ...and we'll call our system H for reasons that will be obvious later.



Some systems use "feedback" (like an op amp!)



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We are looking for a model

- We're trying to model the output y(t) as some mathematical function of the input
- Examples

Examples
$$y(t) = ax(t)$$
 $y(t) = b_n \frac{d^n}{dt^n} x(t) + b_{n-1} \frac{d^{n-1}}{dt^{n-1}} x(t) + ... + b_0 x(t)$

$$y(t) = \cos(2\pi f_0 t + \beta x(t))$$

$$y(t) = \cos(2\pi f_0 t + \beta \int_{-\infty}^{t} x(t))$$

$$y(t) = x(t)\cos(2\pi f_0 t) \qquad y(t) = b_n \frac{d^n}{dt^n} x(t) + b_{n-1} \frac{d^{n-1}}{dt^{n-1}} x(t) + \dots + b_0 x(t)$$

$$y(t) = x^{n}(t), \ n > 1$$

$$+ a_{n} \frac{d^{n}}{dt^{n}} y(t) + a_{n-1} \frac{d^{n-1}}{dt^{n-1}} y(t) + ...a_{1} \frac{d}{dt} y(t)$$

 $y(t) = e^{-\lambda x(t)}$; x(t) > 0 (What would a useful x(t) be?)

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Your turn

 Working in your table groups and using your common experience, see if you can come up with a system that is modeled by each of the previous candidates

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Some matters of notation





- x(t), y(t), s(t) also represent the VALUE of the signal at time t, x(t) = 10 for t = 1 sec, i.e. x(1) = 10.
- To keep things straight, we usually use a particular time, and write $x(t_0) = 10$, or x(1) = 10.
- If we say x(t) = 10, we (usually) mean "the function x has a constant value for all time t"
- Pay attention! Both notations are used and you need to know which is right in a given situation
- For example $\frac{d}{dt}x(t) = 10, t > 0$ is a time varying signal,

while
$$\frac{d}{dt}x(t_1) = 10$$
 is (probably) a value at time = t_1 .

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Your turn

- Working in your table groups, identify the input signal, the output signal an appropriate math model for the following systems, and draw a simple input/ output diagram. Identify any elements as continuous or discrete time and digital or continuous amplitude
- 1. The fuel gauge on you car.
- 2. The GPS output of your smartphone.
- 3. A simple power meter that measures the power produced in a resistor.
- 4. A thermocouple that measures temperature.
- 5. A Geiger counter
- 6. A simulation of the growth of a bacteria population.
- 7. An automatic temperature measurement and recording system.

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