

## Data Visualization – EN.605.662

### *Revised Project Proposal*

#### **D**escription

Since my undergraduate in Physics, I have been fascinated with quantum computing and progressively trying to learn more over time.

- Well, for starters, quantum computing is a domain of computing that leverages collective properties of quantum states, such as superposition, interference, and entanglement, to perform calculations. With the much hyped-up advantage being faster integer factorization than classical computers, i.e., Bye-Bye encryption! <sup>1</sup>

Now given the field is still analogically at the same stage as vacuum-tube computers of the 1940s, there is ongoing progress in visualizations explaining the core concepts. Thus, I propose a Tableau dashboard simulating single-qubit Bloch spheres for the following quantum gates: Pauli-X, Pauli-Y, Pauli-Z, and Hadamard.

- A Bloch sphere is a 2-D sphere in 3-D Euclidean space representing pure state basis vectors  $|0\rangle$  and  $|1\rangle$  at the antipodal points and mixed (entangled) states at the interior points.
- Quantum logic gates operate on qubits or quantum bits and are fundamental circuit building blocks, just like their classical counterparts.

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<sup>1</sup> <https://www.quantamagazine.org/why-is-quantum-computing-so-hard-to-explain-20210608/>

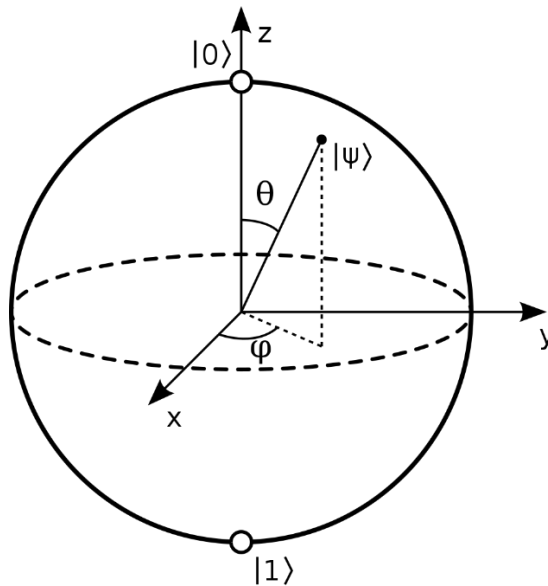


Figure 1: Bloch Sphere for a two-level quantum system <sup>2</sup>

## The Plan

I will use Tableau 2022.1 to create a dashboard simulator with two semitransparent wire frame unit spheres, a single arrow emerging from the origin representing the state vector, and an analogous image for the quantum gate transformation.

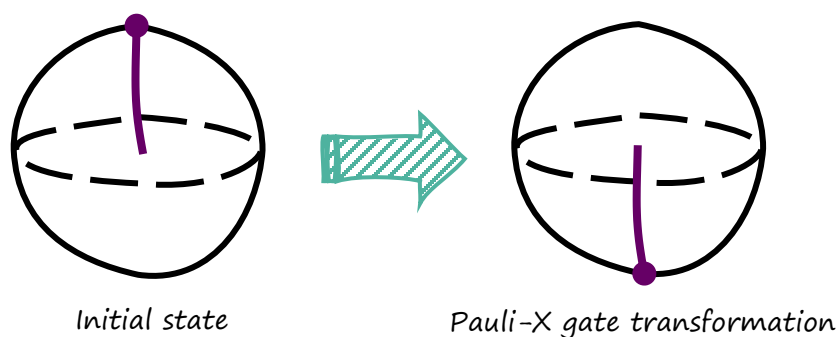


Figure 2: Bloch Spheres depicting a resultant state of a Pauli-X gate

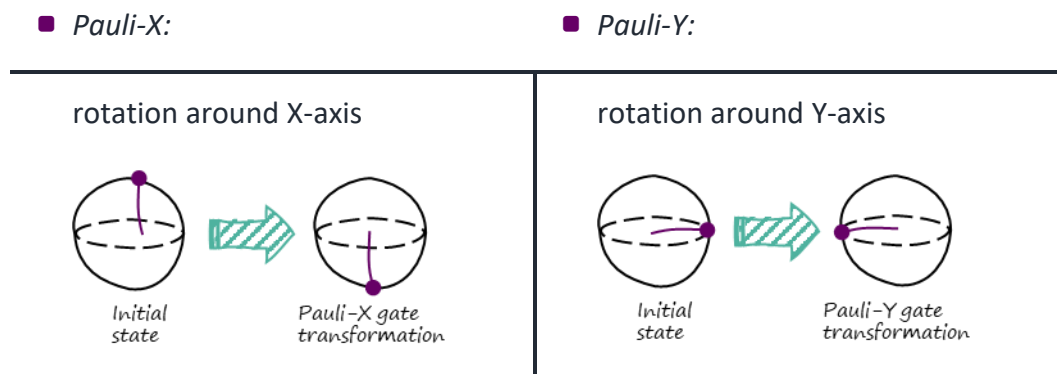
<sup>2</sup> [https://en.wikipedia.org/wiki/Quantum\\_logic\\_gate#/media/File:Bloch\\_sphere.svg](https://en.wikipedia.org/wiki/Quantum_logic_gate#/media/File:Bloch_sphere.svg)

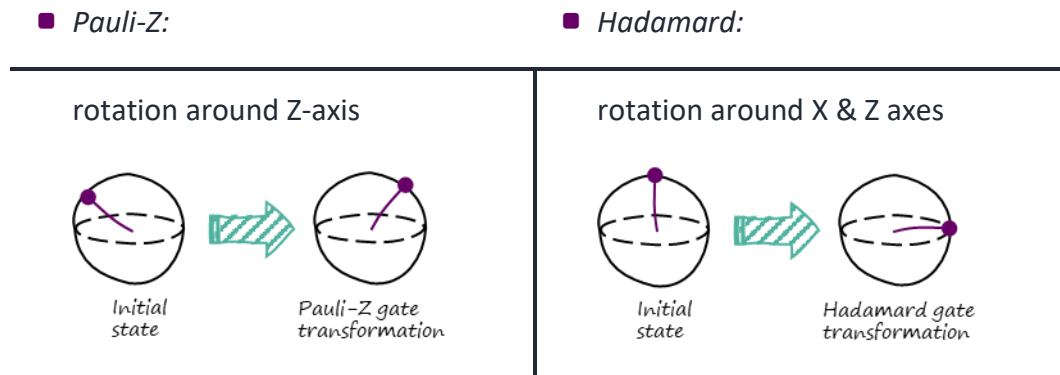
Likewise, the dashboard will have a drop-down box for the four quantum gates operating on the current quantum state.

In principle, these quantum logic gates function as follows:

■ <i>Pauli-X:</i>	■ <i>Pauli-Y:</i>
$\oplus \quad  0\rangle \rightarrow  1\rangle$	$\oplus \quad  0\rangle \rightarrow i 1\rangle$
$\oplus \quad  1\rangle \rightarrow  0\rangle$	$\oplus \quad  1\rangle \rightarrow -i 0\rangle$
■ <i>Pauli-Z:</i>	■ <i>Hadamard:</i>
$\oplus \quad  0\rangle \rightarrow  0\rangle$	$\oplus \quad  0\rangle \rightarrow \frac{ 0\rangle +  1\rangle}{\sqrt{2}}$
$\oplus \quad  1\rangle \rightarrow - 1\rangle$	$\oplus \quad  1\rangle \rightarrow \frac{ 0\rangle -  1\rangle}{\sqrt{2}}$

Visually, these logic gate operations can be represented in Tableau as:





Consequently, I can simulate the effects of these quantum logic gates on a given basis state through some basic trigonometry while providing interactive parameters.

Therefore, given throughout this project, I want to visually learn more about the effect of quantum gates on single-qubit states, I will utilize the following skills learned during the course:

- **Visual Encoding** – to neatly map a complex quantum physics topic
- **Visual Design Guidelines** – to keep the visualization consistent and minimalistic
- **Graphical Integrity** – to stay true to the underlying physics
- **Color Palettes** – to focus attention on the changes in the quantum states
- **Interaction** – to allow the user to explore different (outcome) quantum states

## Timeline

A detailed timeline of each significant aspect of the project follows:

