



Proximal pose search for adapting SLAM in dynamic environments on slow moving UGVs

AIM

Precise localization of slow moving UGV in dynamic environment like crowded manufacturing factories^[1] for long term SLAM

SYSTEM SETUP

Custom designed UGV by Ati Motors:

- Desktop grade CPU w/ GPU
- Sensor suite:
 - one VP-16 Lidar
 - one stereo camera
 - sonar sensors for obstacle avoidance



LIDAR-BASED SLAM

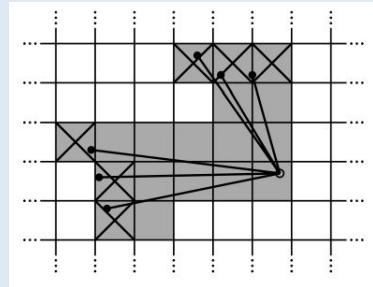
- Google's Cartographer^[4] performs state of the art lidar based SLAM^{[5],[6]} and primarily consists of:
 - Local SLAM : Scan matching of lidar scans to submaps get pose estimates (ξ)^[7]

(In 2d setting) We find the pose $\xi = (\mathbf{p}_x, \mathbf{p}_y, \psi)$ by

$$\xi^* = \operatorname{argmin}_{\xi} \sum_{i=1}^n [1 - M(\mathbf{S}_i(\xi))]^2$$

$\mathbf{S}_i(\xi)$ are the ξ -transformed coords of lidar points $(\mathbf{s}_{i,x}, \mathbf{s}_{i,y})$
 $M(\mathbf{P}^m)$ is occupancy value of a point \mathbf{P}^m in a map, given by bicubic interpolation

Hits (crossed) & Misses (shaded only)
[Fig. 1]



- Global SLAM : Correct for drift using Sparse Pose Adjustment^[10]

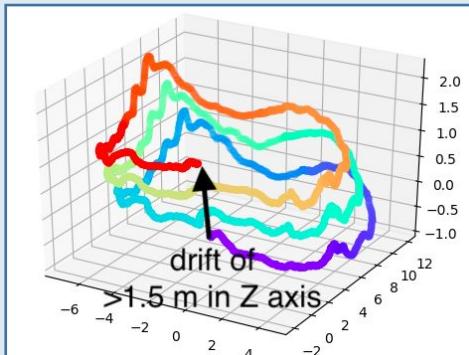
CHALLENGES

- Localization of UGV in dynamic environment drifts with time (It is wrong about its position in env.)

(Blue and Red points denote the starting & final pose estimates)



[Fig. 2] UGV performs three simple square loops in 2D.



[Fig. 3] False detection of vehicle motion along Z axis

- Significant drift -> faulty Path Planning -> accidents in factory
- Long term mapping is an open research challenge^{[8][9]}

GRID BASED PROXIMAL POSE SEARCH

We propose to search for the pose in the grid with max correspondence score:

Using robust point matching^[11], we can find $\xi = (\mathbf{p}_x, \mathbf{p}_y, \psi)$ by :

$$\xi^* = \operatorname{argmin}_{\xi} \sum_{j=1}^m \sum_{i=1}^n \mu_{ij} \|P_j^{\text{map}} - S_i(\xi)\|^2 + g(\xi) - \alpha \sum_{j=1}^m \sum_{i=1}^n \mu_{ij}$$

where, $\mu_{ij} = \begin{cases} 1, & \text{if } P_j^{\text{map}} \text{ corresponds to } S_i(\xi) \\ 0, & \text{otherwise} \end{cases}$

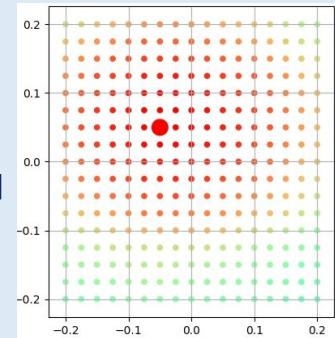
$g(\xi)$ is regularizing function and α biases towards stronger point correspondence

$$\xi^* = \operatorname{argmax}_{\xi} \sum_{j=1}^m \sum_{i=1}^n \mu_{ij}(\xi)$$

such that $\xi = \{(\mathbf{p}_x, \mathbf{p}_y, \psi) : \mathbf{S}^q \times \mathbf{S}^q \times \mathbf{S}^q\}$
and $\mathbf{S} = \{a + (t-1)d \mid t = 1, \dots, q\}$

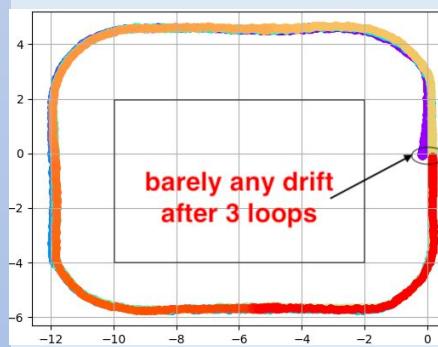
also, $\mu_{ij} = \begin{cases} 1, & \text{if } \|P_k^{\text{map}} - S_i(\xi)\| < \delta \\ & \text{for } k = \operatorname{argmin}_j \|P_j^{\text{map}} - S_i(\xi)\| \\ 0, & \text{otherwise} \end{cases}$

Grid point with max scan matching score gives next pose [Fig. 3]

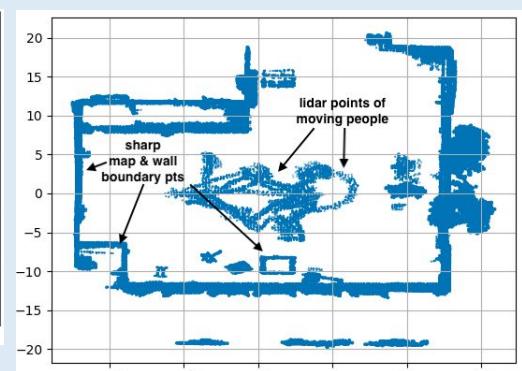


EXPERIMENTAL RESULTS

We run our method on the same dataset to get the following pose estimates and map



[Fig. 4] We see better poses estimates compared to [Fig. 2]



[Fig. 5] Top view of 3D map generated

FUTURE WORK

- Better optimization techniques for Faster search of optimal pose
- Better scoring functions for peaked scoring grid landscape
- Applying loop closures (Global SLAM) for long term consistency
- Segmenting and separately handling dynamic points in the map
- Ability to initialize anywhere in a given map on reset

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