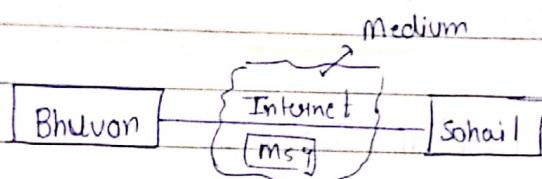


## Cryptography

\* Cryptography: The art of protecting information by transferring into an unreadable format.

Cryptography is about constructing and analyzing protocols that prevent third parties or the public from reading private messages.

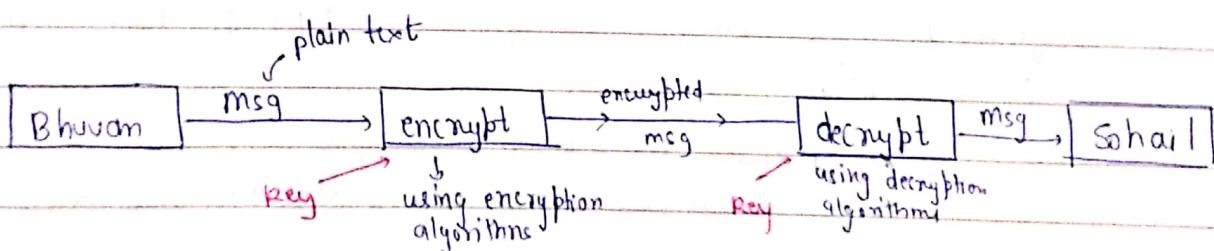
\* Why cryptography?



• Is it secure?

No bcz attacker/3<sup>rd</sup> party can corrupt/change our data and may misuse it also.

Thus, to provide security and protect the valuable info, we can use cryptography.



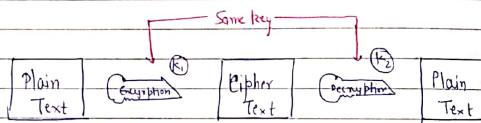
- Case i) If keys are same → Symmetric cryptography
- ii) if key are different → Asymmetric cryptography

- Encryption → change data from readable to unreadable
- Decryption → Transform data from unreadable to readable

Key → String of bits used by cryptographic algorithms to transform plain text to cipher text or vice-versa.

#### \* Types of Cryptography:

- (1) Symmetric: It is the simplest kind of encryption technique that involves only 1 key to encrypt and decrypt (or cipher & decipher information).
- It is also called Secret key Cryptography / Private key Cryptography.
  - e.g. DES (Data Encryption System)



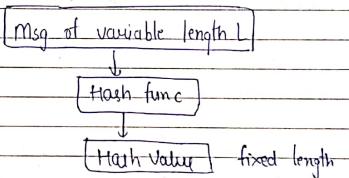
Note: A msg that is encrypted using a public key can only be decrypted using a private key, while also, A message encrypted using private key can be decrypted using public key.

e.g. RSA, DSA, elliptic curve etc.

#### (2) Hash functions:

- There is no concept of key in this algo.
- Takes in variable length size message and gives fixed size output.
  - ↳ Hash code or Hash value
- Hash code makes it impossible for the contents of plain text to be recovered.

Many os we hash functions to encrypt passwords



#### \* Symmetric Crypto

1. Also called private key crypto or secret key crypto
2. Only 1 key is used for encryption & decryption
3. Performance → These are faster in execution
4. less complex & less computational power required

#### Asymmetric Crypto

1. Also called public key crypto.
2. Diff keys (public & private) is used for encryption & decryption
3. Performance → Slower in execution
4. More complex & more computational power required.



- Also called public key cryptography

- 5. Used for transfer of bulk data (bc execute faster)
- 5. Used for security exchanging the secret key
- 6. Problem - Sharing the key in between sender & receiver is not safe
- 6. Problem - No problem of key sharing bc of private key concept
- 7. Commonly used symmetric key algos - DES, AES, RCY  
2 DES, 3 DES
- 7. Algos - RSA, DSA, Diffie Hellman

#### \* Security Goals:

- ① **CONFIDENTIALITY** - It is the most common aspect of information security
- It allows authorized user to access sensitive & protected data.
- The data sent over the network should not be accessed by unauthorized user.

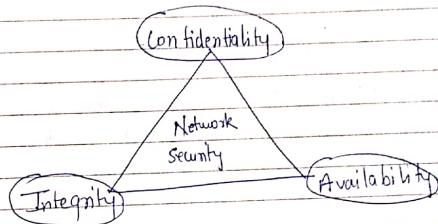
Attacker will try to capture data. To avoid this, various encumbrance techniques are used to safeguard our data so that even if attacker gains access, he/she will be able to decrypt it.

- ② **INTEGRITY** - It means that changes need to be done only by the authorized entities and through authorized mechanisms & nobody else should be able to modify our data.  
eg - In a bank, when we deposit / withdraw money the balance needs to be maintained.

- ③ **AVAILABILITY** :- Data must be available to the authorized user.  
Info is useless if we can't access it.  
(eg) - what would happen if we can't access our bank accounts for transactions

#### **CIA Triad** in cryptography

Confidentiality  
Integrity  
Availability



#### \* Security Services:

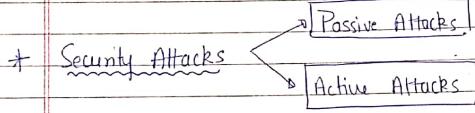
- ① **Data Confidentiality** - Protect data from attackers.
- ② **Data Integrity** - Protecting data from modification
- ③ **Authentication** - Verifying actual person hai ya nahi
- ④ **Non-Repudiation** - Assurance that someone can't deny the validity of something.
- **NR** is a service which provides proof of the origin of data and the integrity of data.

(eg) → A gives ₹1000 check to B & later B deny it!!  
It can't happen bcz A will have its print

⑤ Access Control - To whom the access can be given can be decided.

or

The prevention of unauthorized use of a resource  
(i.e. this service controls who can have access to our info,  
under what conditions)



⑥ Passive Attack - It attempts to learn or make use of the info from the system but do not affect the system resources.  
i.e. the attacker will only see the data he will not modify it

We can prevent it by using better encryption

Two types of passive attacks :-

i. Release of message Contents - The attacker/hacker will easily be able to understand the data/info.

ii. Traffic Analysis - If we have encryption protection, hacker might still be able to observe the pattern of these messages.

The attacker would determine the location and the identity of communication hosts and would observe the frequency & length of messages being exchanged

This info might be helpful in guessing the nature of communication that was taking place

• Passive attacks are difficult to detect bcz they don't involve any alteration of data.

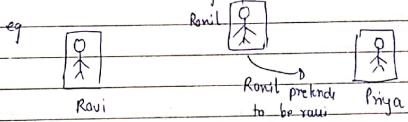
So, the sender & receiver will not be able to know whether a third person is reading their message or not

⑦ Active Attacks - It attempts to alter system & resources/info.

↳ [see + modify] msg

• Masquerade

↳ when one entity pretends to be another entity



• Modification of message

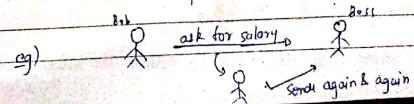
↳ Some portion of the message is altered or the message is reordered to produce an unauthorized effect

eg - Give ₹100 to John

Give ₹500 to Gaurav

• Replay

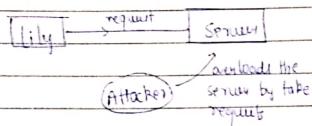
↳ Involves passive capture of a message & its subsequent retransmission to produce an unauthorized effect



### \* Denial of services

↳ It prevents normal use of communication facilities

e.g) disruption of an entire network either by disabling the network or by overloading it by messages so as to degrade performance.



### \* Security Mechanisms

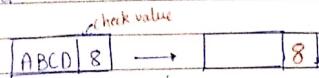
① Encryption - The use of mathematical algos to transform data into a form that is not readable

Plain text → Cipher text

② Digital Signature - Means by which a sender can electronically sign the data & the receiver can electronically verify the signature.

③ Data Integrity - This mechanism appends to the data a short check value that has been created by a specific process from the data itself. The receiver creates a new check value from the received data & compares the newly created check-value with the one received.

If both values are same, the integrity of data has been preserved.



check value made from data like by adding the value of digit to alphabet

④ Authentication Exchange - Two entities exchange some messages to prove their identity to each other.

⑤ Traffic padding - We add some extra/dummy bits with data while encrypting.



⑥ Routing Control - Means selecting & continuously changing different available routes b/w the sender & the receiver to prevent the attacker from eavesdropping on a particular route.

STORY

⑦ Access Control - These methods prove that a user has access right to the data.

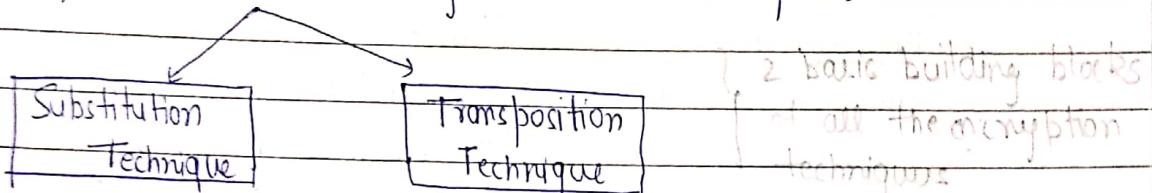
⑧ Notarization - Means selecting a third trusted party to control the communicating b/w two entities. This can be done to prevent repudiation.

## ENCRYPTION

### TECHNIQUES

#### \* Classical Encryption Techniques:

- Symmetric encryption also referred to as conventional encryption is of 2 types. or we can say it has 2 techniques



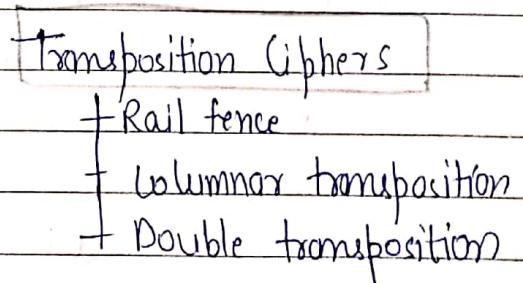
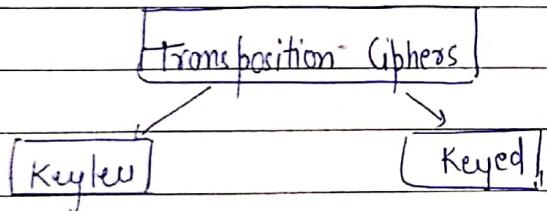
- ① Substitution Techniques - It is the one in which the letters of the plain text are replaced by other letters or by numbers or symbols.

e.g. Name → I w p x

- ② Transposition Techniques - Performing some sort of permutations on the plaintext letters i.e. reordering the symbols.

e.g. N A M E → E A M N or

(4! combinations) A E M N or M N E A etc.



- #### \* Substitution Techniques:
- polyalphabetic cipher
  - Caesar cipher
  - Vigenère cipher
  - monoalphabetic cipher

- ① Mono Alphabetic Substitution Cipher - A single cipher alphabet for each plain text alphabet it is used throughout the process i.e. fixed substitution hoga

If 'N' → I use 'x', then I will always use 'x' in place of 'N'

e.g. my NAME → NP OBNZ

## ② Polyalphabetic substitution -

- There is no fixed substitution
- Each occurrence of a character may have a different substitute i.e. we can use more than 1 substitution for the same letter

e.g. my NAME → N P O B X Z

- The relationship b/w a character in the plain text to a character in cipher text is one to many

e.g. a → d & later a → m

## + Transposition Techniques:

### ① Rail Fence Technique -

- In this, plain text is written down as a sequence of diagonal & then read off as a sequence of rows.

e.g. "all the best for exams" - plain text  
Encrypting with rail fence technique (depth = 2)

a l h b s f r x m  
t e e t o e a s

Encrypted msg is - ALHBSFRXM LTEETOAS

- Used for short messages
- Easy to break by the attacker

### ② Row Transposition Cipher (Columnar Transposition) -

- We write the message in a rectangle, row by row, and read the message off column by column, but permute the order of columns

(Key) - integer value (unique digits from 0 to 9)  
e.g. 45312, 4321 etc.

C R Y P T O → 1 4 6 3 5 2  
1 4 6 3 5 2

- Example - text → "attack postponed until two am"

Key - 4 3 1 2 5 6 7  
a t t a c k p  
o s t p o n e  
d u n t i l t  
w o o m x y z  
extra dummy bits

Cipher - T T N A A P T M T S U O A O D W L O I X K N L Y P E T Z

- Explanation - i) To encrypt start with the column labelled 1 in our case column 3 write down all the letters of column 3  
ii) Now proceed to column no 4 which is labelled as 2  
2, 1, 5, 6, 7 " column

- Can easily be understood by the attacker / 3rd party
- Used for short msgs only.

### ③ Double Transposition -

- Columnar / Row transposition cipher applied twice
- The key in case 2 can be same or different also
- This technique was used in world war I by german military & also by world war II.

Cipher text from prev. example as plain text & applying row transposition again

Plain - TTNA APTM TSUD AODW COIX KNLY Ptz

Key → 4 3 1 2 5 6 7  
t t n a a p t  
m t s u v a o  
d w c o i x k  
n l y p e t z

Cipher - NSCY AUOP TTWL TMDN AOLE PAXT Tokz

NOTE:

key → STRIPE  
564231

{ denoted by the alphabetical order  
of letters in the word }

e.g. key → ZEBRA  
53241

NOTE: Transposition ciphers are of two types ① Keyed (which uses key)  
e.g. Row transposition ② Keyless (which don't use key), e.g. Rail fence

### \* Caesar cipher:

- It is also called shift cipher / additive cipher
- Each letter in the plaintext is replaced by a letter corr. to a no. of shifts in the alphabet

• It is monoalphabetic caesar cipher

• Oldest & simplest method of encryption technique

NOTE: Julius caesar used an additive cipher to communicate with his officers. For this reason, additive ciphers are sometimes known as caesar cipher.

He used a key of 3 for communications.

e.g. Plain → Meet me

Cipher → PHHW PH

$$\text{C} = E(K, P) = (P + K) \bmod 26 \quad // \text{Encryption}$$

$$P = D(K, C) = (C - K) \bmod 26 \quad // \text{Decryption}$$

• Numerical value is assigned to each letter

a	b	c	d	e	f	...	x	y	z
0	1	2	3	4	5	...	23	24	25

• If the cryptanalyst / attacker knows a cipher text, then he can apply a brute-force technique to find the plain text by using all the possible 25 keys.

• Since it is a part of symmetric encryption, some key is used for encryption & decryption.

$$1 \leq K \leq 25$$

e.g. Plain text → "HELLO"

### Encryption

let key = 4

$$c(H) = (P+K) \bmod 26 \\ = (7+4) \bmod 26 = 11 \quad (1)$$

$$c(E) = (P+K) \bmod 26 = (4+4) \bmod 26 = 8 \quad (2)$$

$$c(I) = (11+4) \bmod 26 = 15 \quad (3)$$

$$c(O) = (14+4) \bmod 26 = 18 \quad (4)$$

∴ Cipher - LIPPS

### Decryption

Cipher → "LIPPS" key = 4

$$P(L) = (C-K) \bmod 26 \\ = (11-4) \bmod 26 = 7 \quad (H)$$

$$P(I) = (8-4) \bmod 26 = 4 \quad (E)$$

$$P(P) = (15-4) \bmod 26 = 11 \quad (L)$$

$$P(S) = (18-4) \bmod 26 = 14 \quad (O)$$

∴ Plain - HELLO

### \* Playfair Cipher Algorithm :

• Invented in 1854 by Charles Wheatstone, but was named after Lord Playfair, who promoted the use of cipher.

#### Algorithm

① Create a  $5 \times 5$  matrix of that is called grid of letters.

② The matrix is made by inserting the values of key and remaining alphabets into the matrix (row wise from left to right), where letter J & T will be combined together.

③ Convert the texts into pairs of alphabets

e.g. HEYOR → HE YO RX

→ if pair can't be made with some letters. Break the letter in single and add 'X' to the previous letter.

e.g. Hello → He LO Lo

Helloe → He LO Lo e

alone two letters

→ if the letter is standing alone in the process of pairing, then add 'Z' with the letter.

z was alone so we add a more

e.g. Helloe → He LZ Lo eZ

Hexxode → He XZ Xo eZ

X was already here, so we took 'Z'

④ Code will be formed using 3 rules:

i) if both the alphabets are in the same row, replace them with alphabets to their immediate right

ii) if both the alphabets are in the same column, replace them with alphabets immediately below them.

iii) if not in same row/column, replace them with alphabets in the same row respectively, but at other pair of corners.

key → Abhi

A	B	H	I/J	C
D	E	F	G	K
L	M	N	O	P
Q	R	S	T	U
V	W	X	Y	Z

Plain text	$\begin{cases} BM \rightarrow ER \\ RW \rightarrow WB \end{cases}$
some column	
same row	$\begin{cases} FG \rightarrow GK \\ UQ \rightarrow AR \end{cases}$
Horizontally	$\begin{cases} RW \rightarrow RV \\ KS \rightarrow EU \\ KL \rightarrow DP \end{cases}$

Plain Text	a b c d e f g h i j k l m	n o p q r s t u v w x y z
Key	B C D E F G H I J K L	M N O P Q R S T U V W X Y Z
	D E F G H I J K L M	N O P Q R S T U V W X Y Z
	F G H I J K L M N O	P Q R S T U V W X Y Z

#### \* Vigenere Cipher:

- Designed by Blaise de Vigenere (16<sup>th</sup> century french mathematician)
- It is a polyalphabetic substitution cipher.
- The encryption is done using a  $(66 \times 26)$  matrix or table.

Method (1) → Vigenere Table,

Eg: Plain Text - GIVE MONEY

Key - LOCK

Cipher ↗ G I V E M O N E Y  
↗ L O C K L O C K L

repeat the letters of the key so that the no. of letters in P & K i.e. plain text and key becomes equal

Cipher → R W X O X C P O J

For decryption,

① ↗ R W X O X C P O J  
② ↗ L O C K L O C K L

Plain → G I V E M O N E Y .

Method (2) → Without table |

→ Encryption

$$c_i = e_i = (p_i + k_i) \bmod 26$$

Testing Text

→ Decryption

$$d_i = (e_i - k_i) \bmod 26$$

classmate  
Date \_\_\_\_\_  
Page \_\_\_\_\_

classmate  
Date \_\_\_\_\_  
Page \_\_\_\_\_

Plain text → "she is listening"

key → "PASCAL"

∴ key stream (15, 0, 18, 2, 0, 11) The key stream is the repetition of this initial key stream

Plain	S h e i s l i s t e n i n g
P's value	18 7 4 8 18 11 8 18 19 4 13 8 13 6
key stream	15 0 18 2 0 11 15 0 18 2 0 11 15 0
c's value	7 7 22 10 18 22 23 18 11 6 13 19 2 6
Cipher	H H W K S W X S L Q N T C Q

Plain value	18 7 4 8 18 11 8 18 19 4 13 8 13 6
Plain Text	S H E I S L I S T E N I N G

- ↗

#### \* Vernam Cipher:

- Used for encrypting alphabetic text, it is a type of substitution cipher.
- In this, we assign a number to each character of plain-text like ( $a=0, b=1, c=2, \dots, z=25$ )
- length of key used for encryption = length of plain text

Plain Text - "RAMSWARUPK" Key - "RANCHOBABA"

Plain Text	17 0 12 18 22 0 17 20 15 10
Key	17 0 13 2 7 14 1 0 1 0
PT+ key	34, 0 25 20 29 19 18 20 16 10
Subt.	18 0 25 20 3 14 18 20 16 10
Cipher	I A Z U D O S U Q K
Cipher Text	R A M S W A R U P K
Key	17 0 13 2 7 14 1 0 1 0
CT-Key	-9, 0 12 18 -4, 0 17 20 15 10
Plain	17 0 12 18 22 0 17 20 15 10

### \* Hill Cipher:

1. Developed by Lester Hill in 1929.
2. Encrypts a group of letters called polygraph (like in playfair cipher, we saw it was encrypting a pair of letters which were called as a digraph). So, here it can be a polygraph (digraph, trigraph, etc.)
3. This method make use of mathematics to encrypt.

$$c = KP \bmod 26$$

Step 1 → Choose a key (key matrix must be a square matrix)

We can take any key

$$\text{eg: } \begin{bmatrix} v & 1 \\ E & w \end{bmatrix} \xrightarrow{2 \times 2} \begin{bmatrix} 21 & 8 \\ 4 & 22 \end{bmatrix}$$

$$\text{key = QUICKNESS } \xrightarrow{\text{Q U I}} \begin{bmatrix} Q & U & I \\ C & K & N \\ E & S & S \end{bmatrix}, \begin{bmatrix} 16 & 20 & 8 \\ 7 & 10 & 13 \\ 4 & 18 & 18 \end{bmatrix} \xrightarrow{3 \times 3}$$

e.g. plain text = ATTACK

$$\text{let key: } \begin{bmatrix} 2 & 3 \\ 3 & 6 \end{bmatrix}$$

Since, the key is a  $2 \times 2$  matrix, plain text should be converted into vector of length 2

$$\text{so, } \begin{bmatrix} A \\ T \\ T \\ A \\ C \\ K \end{bmatrix} \xrightarrow{3 \times 2} \begin{bmatrix} A \\ T \\ C \end{bmatrix}$$

Now encryption begins,

$$\text{① So, 1st vector } \rightarrow \begin{bmatrix} A \\ T \\ C \end{bmatrix} \rightarrow \begin{bmatrix} 0 \\ 11 \\ 2 \end{bmatrix}, \text{key} = \begin{bmatrix} 2 & 3 \\ 3 & 6 \end{bmatrix}$$

$$C = KP \bmod 26$$

$$C = \begin{bmatrix} 2 & 3 \\ 3 & 6 \end{bmatrix} \begin{bmatrix} 0 \\ 11 \end{bmatrix} \bmod 26 \rightarrow \begin{bmatrix} 2 \cdot 0 + 3 \cdot 11 \\ 3 \cdot 0 + 6 \cdot 11 \end{bmatrix} \bmod 26$$

$$\rightarrow \begin{bmatrix} 33 \\ 66 \end{bmatrix} \bmod 26 = \begin{bmatrix} 5 \\ 10 \end{bmatrix}$$

$$\text{corresponding elements} = \begin{bmatrix} F \\ K \end{bmatrix}$$

∴ Plain text  $\begin{bmatrix} A \\ T \\ C \end{bmatrix}$  becomes  $\begin{bmatrix} F \\ K \end{bmatrix}$  i.e. AT → FK

② Now, 2nd vector is  $\begin{bmatrix} T \\ A \end{bmatrix} \rightarrow \begin{bmatrix} 11 \\ 0 \end{bmatrix}$

$$C = KP \bmod 26$$

$$\rightarrow \begin{bmatrix} 2 & 3 \\ 3 & 6 \end{bmatrix} \begin{bmatrix} 11 \\ 0 \end{bmatrix} \bmod 26 = \begin{bmatrix} 2 \cdot 11 + 3 \cdot 0 \\ 3 \cdot 11 + 6 \cdot 0 \end{bmatrix} \bmod 26$$

$$\rightarrow \begin{bmatrix} 38 \\ 57 \end{bmatrix} \bmod 26 = \begin{bmatrix} 12 \\ 5 \end{bmatrix}$$

Now, corresponding alphabets will be  $\begin{bmatrix} M \\ F \end{bmatrix}$

So, TA → MF

③ Next is  $\begin{bmatrix} C \\ K \end{bmatrix} \rightarrow \begin{bmatrix} 2 \\ 10 \end{bmatrix}$

$$C = KP \bmod 26 \rightarrow \begin{bmatrix} 2 & 3 \\ 3 & 6 \end{bmatrix} \begin{bmatrix} 2 \\ 10 \end{bmatrix} \bmod 26$$

$$\rightarrow \begin{bmatrix} 34 \\ 66 \end{bmatrix} \bmod 26 = \begin{bmatrix} 8 \\ 14 \end{bmatrix} = \begin{bmatrix} I \\ O \end{bmatrix}$$

So, CK → IO

PLAIN → "AT TA CK"  
Cipher → "FK MF IO"

## \* Hill Cipher Decryption

To encrypt,  $C = KP \pmod{26}$

To decrypt, Find inverse of key matrix  $K^{-1}$   
 $P = K^{-1}C \pmod{26}$

plain - ATIAWK  
 cipher - FKMFIQ

key  $K = \begin{vmatrix} 2 & 3 \\ 3 & 6 \end{vmatrix}$

$$K^{-1} = \frac{1}{\det(K)} \text{adj}(K)$$

$$\det(K) = \begin{vmatrix} 2 & 3 \\ 3 & 6 \end{vmatrix} = (2 \cdot 6) - (3 \cdot 3) = 12 - 9 = 3 \quad \therefore \text{determinant value, } \det(K) = 3$$

Now find multiplicative inverse of determinant  
 i.e.  $\det(K)d^{-1} \equiv 1 \pmod{26}$  (identity matrix)

$$3 \cdot d^{-1} \equiv 1 \pmod{26}$$

$$\text{so, } d^{-1} = 9$$

another example.

$$5 \cdot 5^{-1} \equiv 1 \pmod{26}$$

↳ multiplicative inverse of 5

$$5 \cdot n \pmod{26} = 1$$

$$\text{let } n = 5$$

$$5 \cdot 5 \pmod{26} = 25 \pmod{26} \cdot 25$$

$$\text{let } n = 11$$

$$5 \cdot 11 \pmod{26} = 55 \pmod{26} \cdot 3$$

$$\text{let } n = 21$$

$$5 \cdot 21 \pmod{26} = 105 \pmod{26} = 1$$

Multiplicative inverse of  $5 \cdot 21$

• Use Hit & Trial method  
 $1 \pmod{26} \equiv 1$   
 $3 \cdot 1 \pmod{26} \equiv 1$   
 $3 \cdot 9 \pmod{26} \equiv 1$   
 $27 \pmod{26} \equiv 1$

So till now, determinant  $\det(K) = 3$

$$d^{-1} = 9$$

Now we will find adjoint of the matrix

$$\text{Let } A = \begin{vmatrix} a & b \\ c & d \end{vmatrix} \text{ then } \text{adj}(A) = \begin{vmatrix} d & -b \\ -c & a \end{vmatrix}$$

$$K = \begin{vmatrix} 2 & 3 \\ 3 & 6 \end{vmatrix}, \text{adj}(K) = \begin{vmatrix} 6 & -3 \\ -3 & 2 \end{vmatrix}$$

Before decryption, we have to remove -ve values (add 26 to -ve)

$$\therefore \text{adj}(K) = \begin{vmatrix} 6 & -3+26 \\ -3+26 & 2 \end{vmatrix} = \begin{vmatrix} 6 & 23 \\ 23 & 2 \end{vmatrix}$$

$$\text{adj}(K) = \begin{vmatrix} 6 & 23 \\ 23 & 2 \end{vmatrix} \text{ and } d^{-1} = 9$$

$$K^{-1} = \frac{1}{\det(K)} \text{adj}(K) = |K^{-1}| \text{adj}(K) = d^{-1} \text{adj}(K)$$

$$K^{-1} = \begin{vmatrix} 54 & 207 \\ 207 & 18 \end{vmatrix} \pmod{26} = \begin{vmatrix} 2 & 25 \\ 25 & 18 \end{vmatrix}$$

Now, we will decrypt

Cipher = FK MF IO

$$\textcircled{1} \quad C = \begin{pmatrix} P \\ K \end{pmatrix} \cdot \begin{pmatrix} 5 \\ 10 \end{pmatrix}$$

$$\text{Plain-text, } P = K^{-1}C \pmod{26} = \begin{pmatrix} 2 & 25 \\ 25 & 18 \end{pmatrix} \begin{pmatrix} 5 \\ 10 \end{pmatrix} \pmod{26}$$

$$P = \begin{pmatrix} 250 \\ 305 \end{pmatrix} \pmod{26} = \begin{pmatrix} 0 \\ 19 \end{pmatrix} = \begin{pmatrix} A \\ T \end{pmatrix}$$

$$\textcircled{1} \text{ Similarly, } C = \begin{bmatrix} m \\ f \\ s \end{bmatrix} = \begin{bmatrix} 12 \\ 5 \\ 5 \end{bmatrix}$$

$$P = \begin{bmatrix} 2 & 25 & 12 \\ 25 & 18 & 5 \end{bmatrix} \mod 26 = K^{-1}C \mod 26$$

$$= \begin{bmatrix} 149 \\ 390 \end{bmatrix} \mod 26 = \begin{bmatrix} 17 \\ 0 \end{bmatrix} = \begin{bmatrix} T \\ A \end{bmatrix}$$

$$\textcircled{2} \quad C = \begin{bmatrix} T \\ A \\ S \end{bmatrix} = \begin{bmatrix} 8 \\ 0 \\ 14 \end{bmatrix}$$

$$P = K^{-1}C \mod 26 = \begin{bmatrix} 2 & 25 \\ 25 & 18 \end{bmatrix} \begin{bmatrix} 8 \\ 0 \\ 14 \end{bmatrix} \mod 26$$

$$= \begin{bmatrix} 366 \\ 452 \end{bmatrix} \mod 26 = \begin{bmatrix} 2 \\ 10 \end{bmatrix} \cdot \begin{bmatrix} C \\ K \end{bmatrix}$$

Plain text  $\rightarrow$  ATTACK

\* Hill Cipher (3x3) matrix:

(let plain text  $\rightarrow$  "SAFT MESSAGES")

let key  $\rightarrow$  "CIPHERING"

$$\begin{bmatrix} C & I & P \\ H & E & R \\ I & N & G \end{bmatrix} = \begin{bmatrix} 2 & 8 & 15 \\ 7 & 4 & 17 \\ 8 & 13 & 6 \end{bmatrix}$$

Since, key is a 3x3 matrix, plain text should be converted into column vectors of length 3

i.e.  $(n \times 1)$  matrices

$\downarrow$   
 $(3 \times 1)$  matrices

$$\text{So, we get} \quad \begin{array}{cccc} \text{SAF} & \text{EME} & \text{SSA} & \text{GES} \\ \begin{bmatrix} S \\ A \\ F \end{bmatrix} & \begin{bmatrix} E \\ M \\ E \end{bmatrix} & \begin{bmatrix} S \\ S \\ A \end{bmatrix} & \begin{bmatrix} G \\ E \\ S \end{bmatrix} \end{array}$$

• Encryption:  $C = KP \mod 26$

$$P = \begin{bmatrix} S \\ A \\ F \end{bmatrix} \rightarrow \begin{bmatrix} 18 \\ 0 \\ 5 \end{bmatrix}$$

$$C = \begin{bmatrix} 2 & 8 & 15 \\ 7 & 4 & 17 \\ 8 & 3 & 6 \end{bmatrix} \begin{bmatrix} 18 \\ 0 \\ 5 \end{bmatrix} \mod 26$$

$$C = \begin{bmatrix} 2(18) + 15(5) \\ 7(18) + 4(5) + 17(5) \\ 8(18) + 3(5) + 6(5) \end{bmatrix} = \begin{bmatrix} 111 \\ 211 \\ 274 \end{bmatrix} \mod 26 = \begin{bmatrix} 7 \\ 3 \\ 18 \end{bmatrix}$$

Now the corresponding alphabets are  $\begin{bmatrix} H \\ D \\ S \end{bmatrix}$

$$\textcircled{3} \quad P = \begin{bmatrix} G \\ M \\ E \end{bmatrix} \rightarrow \begin{bmatrix} 9 \\ 12 \\ 4 \end{bmatrix}$$

$$C = KP \mod 26 = \begin{bmatrix} 2 & 8 & 15 \\ 7 & 4 & 17 \\ 8 & 3 & 6 \end{bmatrix} \begin{bmatrix} 9 \\ 12 \\ 4 \end{bmatrix} \mod 26 = \begin{bmatrix} 164 \\ 197 \\ 212 \end{bmatrix} \mod 26$$

$$\rightarrow \begin{bmatrix} 8 \\ 19 \\ 4 \end{bmatrix} \rightarrow \begin{bmatrix} T \\ O \\ E \end{bmatrix}$$

$$\textcircled{4} \quad P = \begin{bmatrix} S \\ S \\ A \end{bmatrix} \rightarrow \begin{bmatrix} 18 \\ 18 \\ 0 \end{bmatrix}$$

$$C = KP \mod 26 = \begin{bmatrix} 2 & 8 & 15 \\ 7 & 4 & 17 \\ 8 & 3 & 6 \end{bmatrix} \begin{bmatrix} 18 \\ 18 \\ 0 \end{bmatrix} \mod 26 = \begin{bmatrix} 180 \\ 198 \\ 378 \end{bmatrix} \mod 26 = \begin{bmatrix} 24 \\ 16 \\ 14 \end{bmatrix}$$

$$C = \begin{bmatrix} 24 \\ 16 \\ 14 \end{bmatrix} \rightarrow \begin{bmatrix} Y \\ Q \\ O \end{bmatrix}$$

$$(b) \text{ Again, } P = \begin{vmatrix} 9 & 6 \\ 5 & 4 \\ 18 \end{vmatrix}$$

$$C = KP \pmod{26} = \begin{vmatrix} 2 & 8 & 15 \\ 7 & 4 & 17 \\ 8 & 13 & 6 \end{vmatrix} \begin{vmatrix} 9 & 6 \\ 5 & 4 \\ 18 \end{vmatrix} \pmod{26} = \begin{vmatrix} 319 \\ 364 \\ 208 \end{vmatrix} \pmod{26}$$

$$\begin{matrix} C = \\ \begin{vmatrix} 2 \\ 0 \\ 0 \end{vmatrix} = \\ A \end{matrix}$$

: Safe messages = HDSI0EYQOCAA

+ Hill - Cipher Decryption (3x3 matrix):

Encrypt  $\rightarrow C = KP \pmod{26}$

Decrypt  $\rightarrow P = K^{-1}C \pmod{26}$

Cipher = "HDSI0EYQOCAA"

$$\text{Key } K = \text{CIPHERING} \quad \begin{vmatrix} 2 & 8 & 15 \\ 7 & 4 & 17 \\ 8 & 13 & 6 \end{vmatrix}$$

Now, we need  $K^{-1}$

i) Finding determinant value

$$\begin{aligned} d = \begin{vmatrix} a & b & c \\ d & e & f \\ g & h & i \end{vmatrix} &= a(ei - fh) - b(di - gf) + c(dh - ge) \\ &= 2(24 - 13(13)) - 8(7(6) - 8(13)) \\ &\quad + 15(7(8) - 8(4)) \end{aligned}$$

$$|d| = 1243$$

Now, we will find multiplicative inverse of the determinant

$$\text{i.e. } d \cdot d' \equiv 1 \pmod{26}$$

$$1243 \cdot d' \equiv 1 \pmod{26}$$

$$\text{so, } d' = 5$$

$$\begin{aligned} \therefore d' &= 5 \\ 1243 \times 5 &\pmod{26} \\ \Rightarrow 6115 &\pmod{26} \\ \Rightarrow 1 & \end{aligned}$$

Now, we will find adjoint (k)

$$K = \begin{vmatrix} 2 & 8 & 15 \\ 7 & 4 & 17 \\ 8 & 13 & 6 \end{vmatrix}$$

$$\text{for 1<sup>st</sup> element } 4(16) - 13(7) \\ = -197$$

$$\text{for 2<sup>nd</sup> element } 7(6) - 8(17) = -94$$

$$\text{for 3<sup>rd</sup> element } 7(13) - 8(7) = 59$$

$$\text{And so on, } \begin{vmatrix} -197 & 94 & 59 \\ 197 & -108 & 38 \\ 76 & 71 & -48 \end{vmatrix}$$

Now, we do transpose

$$\text{adj}(K) = \begin{vmatrix} -197 & 197 & 76 \\ 94 & -108 & 71 \\ 59 & 38 & -48 \end{vmatrix}$$

Removing -ve signs

$$\text{adj}(K) = \begin{vmatrix} -197 + 26(n) & 197 & 76 \\ 94 & -108 + 26(n) & 71 \\ 59 & 38 & -18 + 2(2) \end{vmatrix} = \begin{vmatrix} 11 & 197 & 76 \\ 94 & 22 & 71 \\ 59 & 38 & 4 \end{vmatrix}$$

Now,

$$K^{-1} = \frac{1}{d} \text{adj}(K) \\ = \frac{1}{1243} \begin{vmatrix} 11 & 197 & 76 \\ 94 & 22 & 71 \\ 59 & 38 & 4 \end{vmatrix} = \begin{vmatrix} 55 & 735 & 580 \\ 470 & 110 & 355 \\ 295 & 190 & 20 \end{vmatrix}$$

Now, modulo by 26

$$K^{-1} = \begin{vmatrix} 3 & 7 & 16 \\ 2 & 6 & 17 \\ 9 & 8 & 20 \end{vmatrix}$$

Decyphering using formula  $P = K^{-1}C \bmod 26$   
 Cipher : " HDS TOE YAO CAA "

Now, for HDS,

$$P = K^{-1}C \bmod 26 \rightarrow \begin{array}{|c|c|c|c|c|} \hline & 3 & 7 & 15 & 7 \\ \hline & 2 & 6 & 17 & 3 \\ \hline & 9 & 8 & 20 & 18 \\ \hline \end{array} \bmod 26$$

$$\begin{array}{|c|} \hline 336 \\ \hline 338 \\ \hline 411 \\ \hline \end{array} \bmod 26 = \begin{array}{|c|} \hline 18 \\ \hline 0 \\ \hline 5 \\ \hline \end{array} = \begin{array}{|c|} \hline S \\ \hline A \\ \hline F \\ \hline \end{array}$$

Similarly for IDE  $\rightarrow \begin{array}{|c|} \hline 8 \\ \hline 14 \\ \hline 4 \\ \hline \end{array}$

$$P = \begin{array}{|c|c|c|} \hline 3 & 7 & 15 \\ \hline 2 & 6 & 17 \\ \hline 9 & 8 & 20 \\ \hline \end{array} \begin{array}{|c|} \hline 8 \\ \hline 14 \\ \hline 4 \\ \hline \end{array} \bmod 26 = \begin{array}{|c|c|c|} \hline 186 \\ \hline 168 \\ \hline 264 \\ \hline \end{array} \bmod 26 = \begin{array}{|c|} \hline 4 \\ \hline 12 \\ \hline 4 \\ \hline \end{array}$$

$$P = \begin{array}{|c|} \hline C \\ \hline M \\ \hline E \\ \hline \end{array}$$

Again, for  $\begin{array}{|c|} \hline 4 \\ \hline 10 \\ \hline 14 \\ \hline \end{array} \rightarrow \begin{array}{|c|} \hline 24 \\ \hline 16 \\ \hline 14 \\ \hline \end{array}$

Corresponding to that,

$$P = K^{-1}C \bmod 26 = \begin{array}{|c|c|c|} \hline 3 & 7 & 15 \\ \hline 2 & 6 & 17 \\ \hline 9 & 8 & 20 \\ \hline \end{array} \begin{array}{|c|} \hline 24 \\ \hline 16 \\ \hline 14 \\ \hline \end{array} = \begin{array}{|c|c|c|} \hline 18 \\ \hline 18 \\ \hline 0 \\ \hline \end{array} \rightarrow \begin{array}{|c|} \hline S \\ \hline S \\ \hline A \\ \hline \end{array}$$

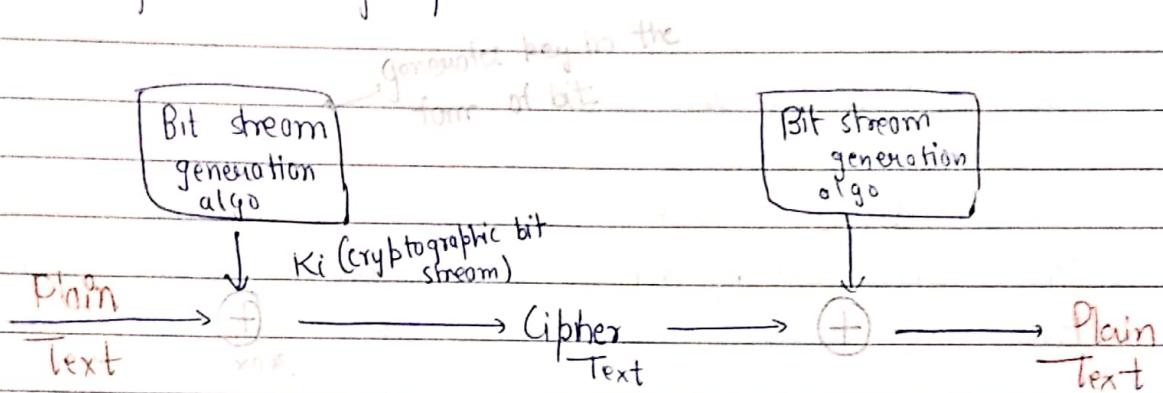
and similarly for  $\begin{array}{|c|} \hline C \\ \hline A \\ \hline N \\ \hline \end{array}$  we will get  $\begin{array}{|c|} \hline G \\ \hline E \\ \hline S \\ \hline \end{array}$  after solving.

$\therefore$  HDSIDEYQOCAA becomes SAFE MESSAGES.

## \* Stream & Block Cipher:

### (1) Stream Cipher

- It is the one that converts (encrypts) a digital data stream one bit or 1 byte at a time.
- It is a symmetric key cipher.



e.g.

$$\begin{array}{r}
 1 \ 0 \ 1 \ 1 \ 0 \ 1 \ 1 \ 0 \quad \leftarrow \text{message at sender side} \\
 + \underline{0 \ 1 \ 0 \ 1 \ 0 \ 1 \ 0 \ 1} \quad \leftarrow \text{key} \\
 \hline
 1 \ 1 \ 1 \ 0 \ 0 \ 0 \ 1 \ 1 \quad \leftarrow \text{cipher}
 \end{array}$$

To de-encrypt,

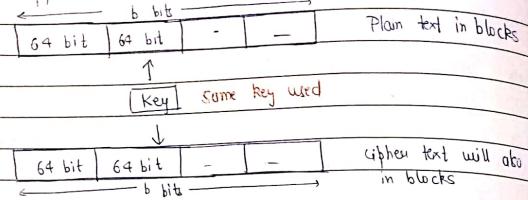
$$\begin{array}{r}
 1 \ 1 \ 1 \ 0 \ 0 \ 0 \ 1 \ 1 \quad \leftarrow \text{cipher} \\
 \text{(KOF)} \quad \underline{0 \ 1 \ 0 \ 1 \ 0 \ 1 \ 0 \ 1} \quad \leftarrow \text{key} \\
 \hline
 1 \ 0 \ 1 \ 1 \ 0 \ 1 \ 1 \ 0 \quad \leftarrow \text{plain text at receiver side}
 \end{array}$$

### (2) Block Cipher

plain text

- In this, a block of cipher is treated as a whole & used to produce the ciphertext of equal length.
- Typically, block size of 64 & 128 bits is used
- Symmetric Cipher (Only 1 key used)

- Key will be applied on each block



e.g. DES (64 bit block size)

#### BLOCK CIPHER

1. Plain  $\rightarrow$  cipher text by taking plain text's block at a time
2. It uses 64 bits or may
3. Complexity of block cipher is simple
4. Uses confusion as well as diffusion concept
5. In this reverse encrypted text is easy to find (we have to do XOR again)
6. ECB (Electronic code block)  
CBC (Cipher block chaining)  
algorithms modes are used
7. CFB (Cipher Feedback)  
OFB (Output feedback)  
algorithm modes used

#### STREAM CIPHER

1. 1 bit or 1 byte of plain text to cipher text
2. Stream cipher uses 8 bits

#### Shannon's theory of confusion & diffusion:

- ① The terms confusion & diffusion were introduced by Claude Shannon.
- ② Shannon's concern was to prevent cryptanalysis, based on statistical analysis.

The reason is -

Assume attacker has some knowledge of the statistical characteristic of the plain text (e.g. in a msg., the frequency distribution of various letters may be known).

If these statistics are in any way reflected in the cipher text, the cryptanalyst i.e. attacker may be able to deduce the encryption key.

- Thus, Shannon suggested 2 methods for frustrating the attackers.
1. Confusion      } Properties for creating a secure cipher
  2. Diffusion

+ **DIFFUSION**  $\rightarrow$  In simple words, if a symbol in the plaintext is changed, several or all symbols in the cipher text will also change.

- The idea of diffusion is to hide the relationship b/w the cipher text & plaintext.

Acc. to wikipedia, Diffusion means that if we change a single bit of the plain text, then (statistically) half of the bits in the cipher text should change & vice-versa.

+ **CONFUSION**  $\rightarrow$  It hides the relationship between cipher text & the key.

↳ is maintained as complex as possible

- If a single bit of in the key is changed then most/all bits of the ciphertext will also be changed.

According to wikipedia, confusion means that each bit of the ciphertext should depend upon several parts of the key, obscuring the connection b/w two.

*make unclear or difficult to understand*

**Summary:** Diffusion - Make statistical relation b/w plaintext and ciphertext as complex as possible

Confusion - Makes relation b/w key & ciphertext as complex as possible

#### \* Feistel Cipher Structure:

- Most of the block cipher technique follows this structure

(i) The plain text is divided into 2 equal halves  $L_0$  and  $R_0$ .

→ The 2 halves of the data pass through  $n$  rounds of processing and then combined to produce the ciphertext block.

→ On the right half we apply a function and in the function we will use a subkey generated from the master key.

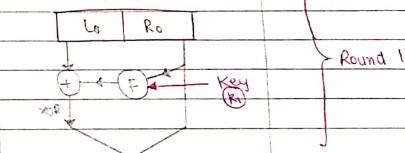
The O/P of this is XORed with the left half & then their O/P will be swapped.

This is one single round.

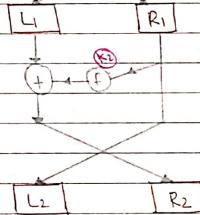
- We will have  $n$  rounds → depends on Algo  
All rounds will have same structure

In any algo, we divide the plaintext in 2 halves & apply the function on RHS & XOR it with LHS and the O/P is swapped then, that algo follows feistel structure.

Plain text divided into 2 equal halves.



Next Round



Now,

- ① Block Size - Larger block size, more security
- ② Key Size - Larger key size means more security but may decrease the speed of encryption/decryption.
- ③ No. of rounds - More rounds, more secure
- ④ Subkey Generation Algo - More complex algo, harder for attacker to steal data.
- ⑤ Function/Round function - More complex function, harder for the crypt analyst to attack.

### \* Data Encryption Standard (DES) :

- 1 Block cipher
- 2 Symmetric cipher
- 3 64 bit plain text block (it encrypts data in blocks of size 64 bits)
- 4 16 rounds of feistel round

#### \* Steps -

- i) Initial permutation
- ii) 16 feistel rounds
- iii) Swapping / left right swap
- iv) Final permutation / Inverse initial permutation

#### \* Basic Structure -

64 bit plain text

↓

**Initial Permutation**

↓

Round-1      ← 48 bit key

Round-2      ←

⋮

⋮

Round-16    ←

↓

**Inverse initial permutation**

↓

**64 bit cipher text**

classmate  
Date \_\_\_\_\_  
Page \_\_\_\_\_

### \* Function definition :

32 bit data



**Expansion Box**



48 bit  
Key  $K_i$



$\oplus$  XOR



**S** → substitution boxes

[S] [S] [S] [S] [S] [S] [S] [S]



**Permutation Box**

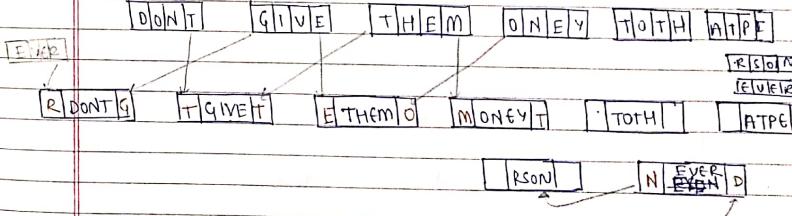


32 bit o/p

### \* What happens in expansion box ?

32 bit data will be → 10 1's & 0's

but for explanation let us consider a test



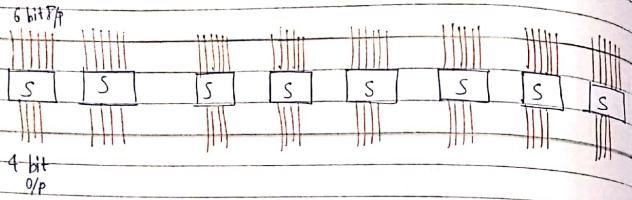
So, hence every 4 bit block is converted to a 6 bit block.

There were 8 blocks of 4 bit each = 32 bit

Now, there are 8 blocks of 6 bit each = 48 bit

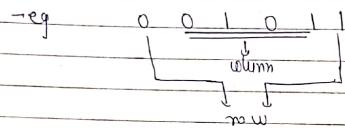
Now, these 48 bits XOR with 48 bit key & given/sent to S-boxes

+ What happens in S box:



$$O/P \rightarrow 4 \times 8 = 32 \text{ bits}$$

• How 6 bit converted to 4 bit?



0	1	2	3	4	5	6	+	8	9	10	11	12	13	14	15
0	3	5	7	0	1	4		1	4	5					
1	4	2	1	0	9	7		2	3	6					
2	10							3	4	0					

number will  
be filled

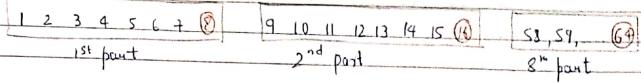
Each S box will have a diff table.

+ How 16 subkeys are generated?

→ Actually, we have a 64 bit key in starting which go as I/P into PC-1 (permuted choice-1) and we get O/P as 32 bit key.

Inside PC-1

64 bit key divided into 8 parts each of 8 bit  $8 \times 8 = 64$  bits



from each part, last bit is discarded

i.e. bit - 8, 16, 24, 32, ..., 64 are discarded

Hence, we have 8 parts of 7 bits each  $= 8 \times 7 = 56$  bits

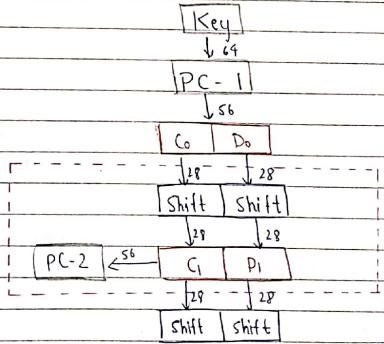
- O/P of PC-1 is 56 bits which is divided into 2 parts of 28 bits each  $\rightarrow C_0, D_0$

- Now, these bits are shifted with left shift in each round.

in Rounds  $i = 1, 2, 9, 16 \rightarrow 1$  shift i.e. rotated left by 1 bit

in other round  $i = 3, 4, \dots, 14, 15 \rightarrow$  two halves rotated left by 2 bits

→ After shifting, we get  $(C_i, D_i)$  which goes as I/P in PC-2



Inside PC-1 56 bit  $\rightarrow$  48 bit  
using a predefined table  
Then we get our 1st key  
for round 1

$$\begin{array}{c} 0 \\ | \\ 1 \\ = \end{array}$$

T. C.  $\rightarrow$  28 bits  $\rightarrow$  (1-32)  
 $P_1$   $\rightarrow$  28 bits  $\rightarrow$  (32-56)

Now 1st 56 bit, 48 bit are selected !!

Left half of C. (9, 2, 22, 25 position bits are missing)

Right half D. (35, 38, 43, 54 position bits are missing i.e discarded)

### + DES Analysis:

#### i) Properties

① Avalanche effect - It means a small change in plaintext (or key) should create a significant change in the ciphertext.

DES has been proved to be strong with regard to this property.

eg.	Plain $\rightarrow$ 0000 0000 0000 0000	Key used is some say
	Cipher $\rightarrow$ 4789 FD47 6E82 ASF1	
	Plain $\rightarrow$ 0000 0000 0000 0001	Key = 2223 4512 987A BB23
	Cipher $\rightarrow$ 0A4E D5C1 5A63 FFA3	

Although, the two plain texts differ only by 1 bit, cipher text block differs a lot significantly.

② Completeness effect - It means that each bit of the ciphertext needs to depend on many bits of the plain text.

The confusion & diffusion produced by D-boxes & S-boxes in DES, show a very strong completeness effect.

#### + DES Weakness:

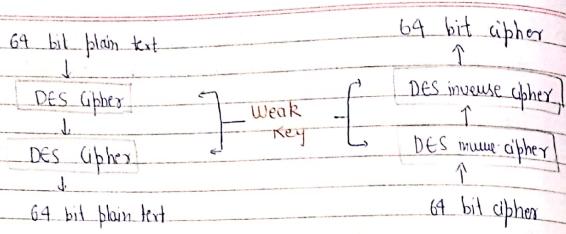
- ① Key Size:  
Critics believe that the most serious weakness of DES is key size of 56 bits.
- Because, with today's technology (like parallel processing & very powerful processor) it can be easily cracked.  
 $2^{56}$  keys (brute force attack)

- Thus, we use triple DES (3DES) with two keys (112 bits) or triple DES with three keys (168 bits).

#### ② Weak keys:

- Four out of  $2^{56}$  keys are called weak keys.
- A weak key is a key which after parity check consists of operation all 0's, all 1's or half 0's & half 1's.
- The disadvantage of using weak key is that if we encrypt a block with a weak key and subsequently encrypt the result the same weak key, we get the original block.
- The process creates the same original block if we decrypt the block twice.

So, if after 2 decryptions, if the result is same, then attacker is successful.



#### ③ Semi-Weak keys:

- Six key-pairs are called semi-weak keys.
- A semi-weak key creates only two different round keys, and thus each of them is repeated 8 times.

#### ④ Possible Weak keys:

- There are 48 keys that are called possible weak keys.
- A possible weak key is a key that creates only 4 different round keys, in other words, the 16 round keys are divided into 4 groups & each group is made of 4 equal keys.

#### ⑤ Key-Clustering:

- Means 2 or more diff keys can create the same cipher-text from the plain text!

#### ⑥ Weakness in Cipher Design:

- Two specifically chosen IP's to S-box array can create the same o/p.

\* Multiple DES: Since DES attack was vulnerable to brute force attack, variation of DES called multiple DES were introduced.

#### ① Double DES

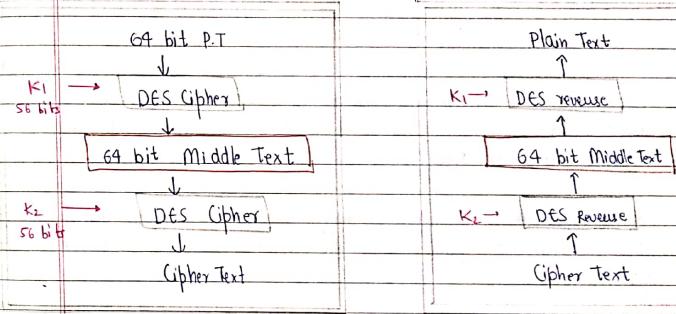
#### ② Triple DES

#### \* Double DES:

- Uses 2 different keys  
 $(56 + 56) = 112$  bit key

- Double encryption occurs as follows:  
 $P \rightarrow E(K_1, P)$

$$E(K_2, E(K_1, P)) = \text{Cipher}$$



ENCRYPTION BLOCK

DECRIPTION BLOCK

Keys are applied in reverse order

$$\text{Plain} = D(K_2, E(K_1, P))$$

- for decryption,  
1<sup>st</sup> decrypted using key  $K_2$  which produces single encrypted cipher text.
- This 64 bit middle text / temp. cipher text is then decrypted using the key  $K_1$  to get plain text.

### \* Drawbacks of Double DES:

#### MEET-IN-THE-MIDDLE attack

This attack involves encryption from one end and decryption from the other end and then "Matching the results in the middle" and hence the name.

Ques Explain meet in the middle (mm) attack.

The attack requires knowing some plaintext / ciphertext pairs. Let's assume,

$$\text{Cipher Text} \rightarrow C, \text{Plain Text} \rightarrow P$$

The attack proceeds as follows -

- i) Encrypt P for all  $2^{56}$  possible values of  $K_1$  and store the results in a table and sort it.
- ii) Now, decrypt C using all  $2^{56}$  possible values of  $K_2$ . At each decryption is produced, check against the table for a match.
- iii) When there is a match, we have located a possibly correct pair of keys.

Note: Now, more than 1 pair of keys may result in a match, but the number of pairs will be small. We should try each pair of keys.

Some pairs of plain text known



Some pairs of cipher text known



Encrypt pairs for all  $2^{56}$  possible values of  $K_1$

Decrypt pairs for all  $2^{56}$  possible values of  $K_2$

From table =  
No of possible  
secret keys

Plain	Cipher	Known

Cipher	Plain	Middle

Set the results in table  
 $(K_1, K_1')$     $(K_2, K_2')$

→ We will compare these values with the values of the 1<sup>st</sup> table computed earlier.

$$\text{Decrypt}(K_2, C) = \text{Encrypt}(K_1, P)$$

$(K_1, K_2)$  is key pair used.

→ So, it takes twice as long to break double DES using brute force.

Because DES has  $2^{56}$  bit security, double DES has  $2 \times 2^{56} = 2^{57}$  security.

### \* Triple DES:

#### ① Using 2 Keys

##### ENCRYPTION

64 Bit Plain Text

$K_1 \rightarrow$  DES Cipher

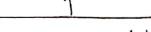
$K_2 \rightarrow$  DES reverse Cipher

$K_1 \rightarrow$  DES Cipher

64 Bit Cipher Text

##### DECRIPTION

64 Bit Plain Text



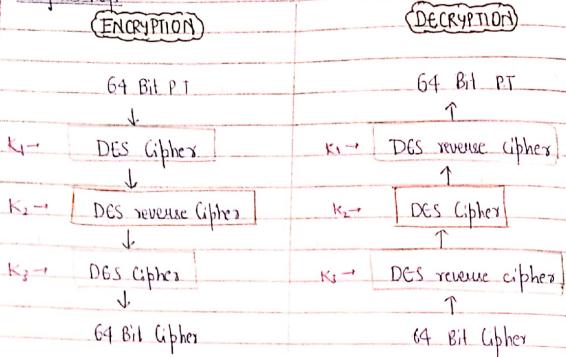
DES reverse Cipher  $\leftarrow K_1$

DES Cipher  $\leftarrow K_2$

DES reverse Cipher  $\leftarrow K_1$

64 Bit Cipher Text

② Using 3 Keys



\* IDEA Algorithm:

- IDEA stands International Data Encryption Algorithm.
- Originally called IPES (Improved Proposed Encryption Standard).
- Symmetric key block cipher (designed by James Massey & Xuejia Lai) in 1991.
- It was intended as a replacement for the DES. It is reversible like DES.

Key Size - 128 bits

→ from which we will generate 52 subkeys

Block Size - 64 bits

→ In each round, block divided into 4 portions/parts (16 bit each)

8 Identical Transformation Rounds

→ In each round, 6 subkeys are used (16 bit each)

One half round is the output transformation

→ It uses 4 subkeys (16 bit each)  
→ O/P after this round gives cipher text (64 bit)

→ I/P divided into 4

portions (P<sub>1</sub> to P<sub>4</sub>)

16 bits each.

• There are 8 similar

rounds

• Each round uses 6 subkeys

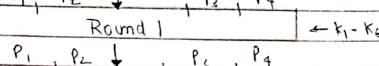
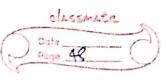
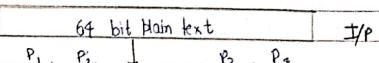
(16 bits each)

• Last round i.e. output trans-

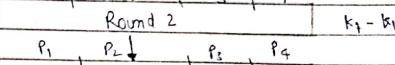
formation produces the cipher

text & uses 4 subkeys

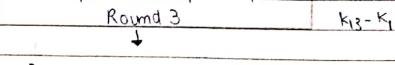
(16 bit each).



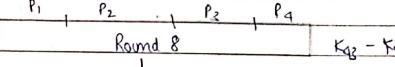
K<sub>13</sub> - K<sub>18</sub>



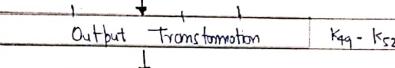
K<sub>19</sub> - K<sub>24</sub>



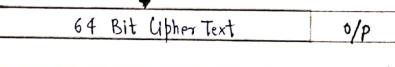
K<sub>25</sub> - K<sub>30</sub>



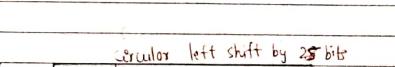
K<sub>31</sub> - K<sub>36</sub>



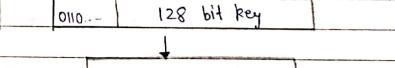
K<sub>37</sub> - K<sub>42</sub>



K<sub>43</sub> - K<sub>48</sub>

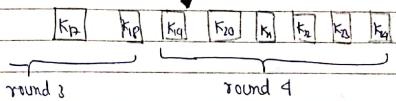
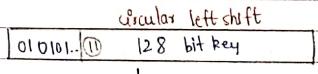
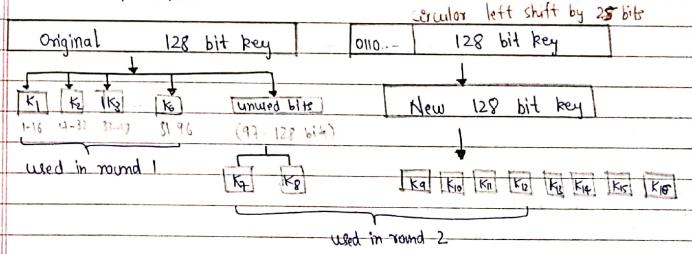


K<sub>49</sub> - K<sub>54</sub>



64 Bit Cipher Text o/p

→ 52 Subkeys Generation:



round 3 round 4

→ Single Round Details:-

$$\begin{aligned} S_1 &= P_1 \times K_1 \\ S_2 &= P_2 + K_2 \\ S_3 &= P_3 + K_3 \\ S_4 &= P_4 \times K_4 \end{aligned}$$

$$\begin{aligned} S_5 &= S_1 \oplus S_3 \\ S_6 &= S_2 \oplus S_4 \end{aligned}$$

$$\begin{aligned} S_7 &= S_5 \times K_5 \\ S_8 &= S_6 + S_7 \\ S_9 &= S_8 \times K_6 \\ S_{10} &= S_2 + S_9 \end{aligned}$$

$$\begin{aligned} S_{11} &= S_1 \oplus S_9 \rightarrow \text{new } P_1 \\ S_{12} &= S_3 \oplus S_7 \rightarrow \text{new } P_2 \\ S_{13} &= S_2 \oplus S_{10} \rightarrow \text{new } P_3 \\ S_{14} &= S_4 \oplus S_{10} \rightarrow \text{new } P_4 \end{aligned}$$

In short,

6 subkeys used in round  
6 times XOR

→ Output Transformation (one half round)

$$\begin{aligned} R_1 &\times K_{49} \rightarrow C_1 \\ R_2 &+ K_{50} \rightarrow C_2 \\ R_3 &+ K_{51} \rightarrow C_3 \\ R_4 &\times K_{52} \rightarrow C_4 \end{aligned}$$

- Takes place at the end of 8<sup>th</sup> round
- I/P to this block is a 64 bit value divided into 4 sub-blocks (say  $P_1, P_2, P_3, P_4$ ).

\* Block Cipher Modes of Operation:

For different types of messages, we need different modes of operations.

5 modes of operations are:

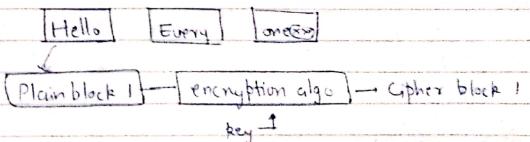
- i) ECB - Electronic Code Book Mode
- ii) CBC - Cipher Block Chaining Mode
- iii) CFB - Cipher FeedBack Mode
- iv) OFB - Output feed Back Mode
- v) CTR - Counter Mode

\* ECB (Electronic Code Book):

- Simplest mode of operation
- Plain text is divided into a no. of fixed size block.
- If message is not a multiple of block size, then padding is done.
- Take one block at a time & encrypt it
- Same key used for encryption & decryption.

e.g. let block size = 5

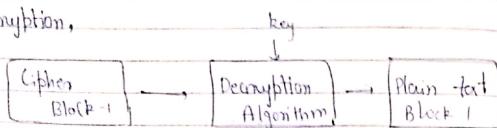
Plain text → Hello Everyone



This will happen for all the blocks.

- Note:
- (i) Best for short amount of data, such as a key
  - (ii) Not secure for lengthy data.
  - (iii) If identical blocks appear, then this mode produces same cipher.

for decryption,



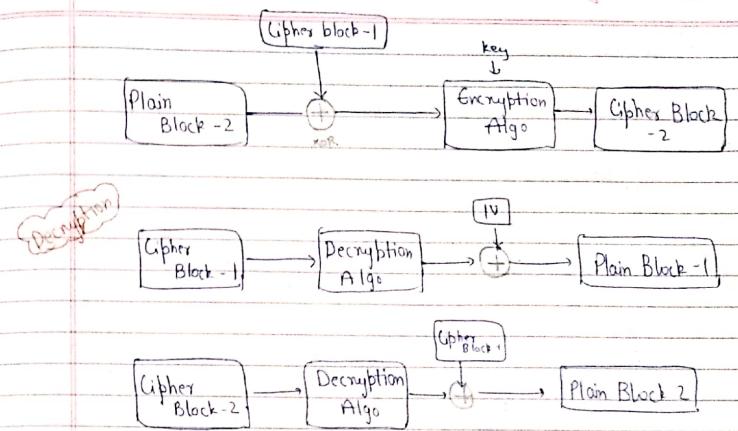
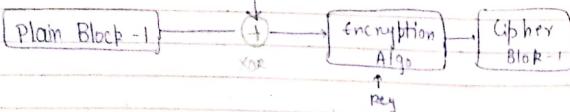
This will happen for every block.

#### \* CBC (Cipher Block Chaining):

- To overcome security issues of ECB mode (bcz in ECB if some block appears twice then cipher text produced will be same)
- I/P to the encryption algo is XOR of the current plain text block and the preceding ciphertext block. So, repeating patterns not exposed.
- Same key for encryption & decryption.

*(Encryption)*

IV Initialization vector is used in 1<sup>st</sup> encryption  
as 1<sup>st</sup> decryption



- IV should be known to both parties, but should be unpredictable by the 3<sup>rd</sup> party.
- So, we can use ECB encryption to encrypt IV to ensure max security.

Note: Now, if we have 2 diff. blocks it will produce different ciphers.

Limitation: If we have 2 identical msgs & if we use same IV, cipher will be same.

#### \* CFB (Cipher Feed Back):

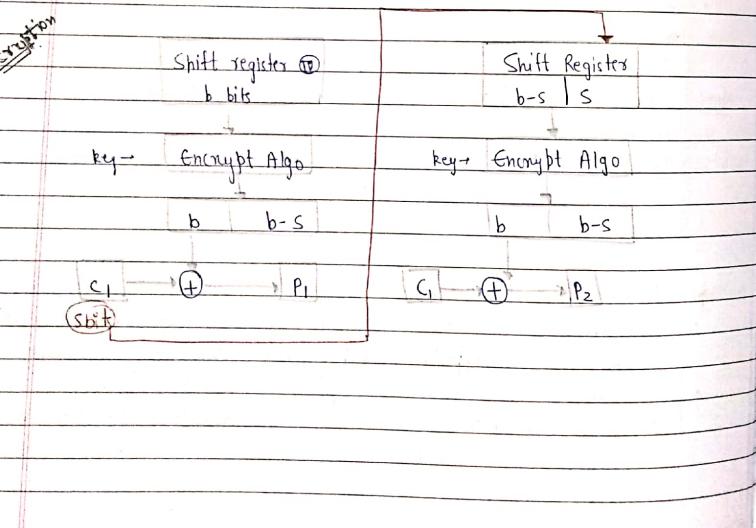
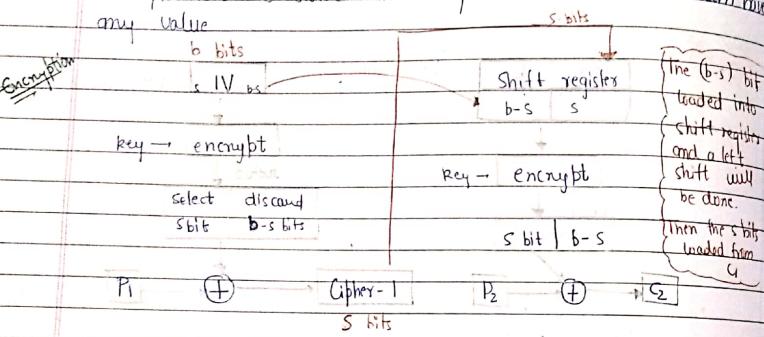
- In this mode cipher is given a feedback to the next block of encryption with some new specifications.
- I<sup>th</sup> an initial vector IV is used for 1<sup>st</sup> encryption & the o/p bits are 2<sup>b</sup> bits divided as set of 's' and 'b's' bits.

EN  $\rightarrow$  bct PS

Date \_\_\_\_\_  
Page \_\_\_\_\_

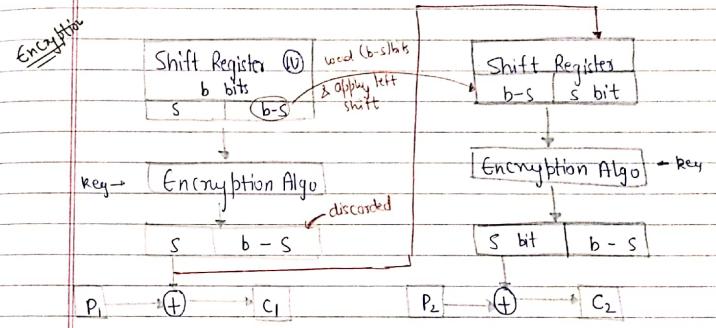
- The left hand side 's' bits are selected & applied on XOR operation with the plain text bits. This result is given to a shift register & the process continues.

The plaintext is divided into segments of 's' bits. 's' can have any value.



#### \* OFB (Output feed Back):

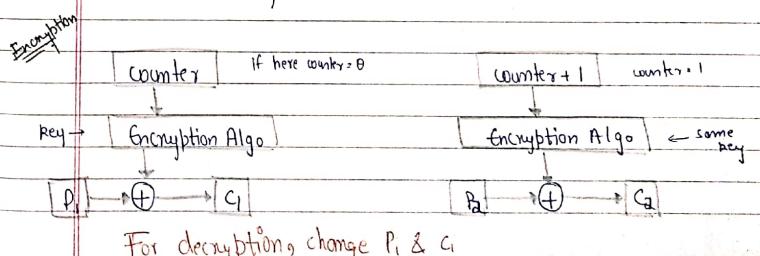
- Similar in structure to CFB
- The O/P of encryption function that is feedback to the shift register in OFB, whereas in CFB the cipher text unit is fed back to the shift register.



For decryption,  $c_j$  &  $p_j$  will be exchanged.

#### \* Counter Mode (CTR):

- Simple & fast
- A counter, equal to the plain text block size is used.
- Counter is initialized to some value & then incremented by 1 for each subsequent block.



For decryption, change  $P_i$  &  $C_i$