## Transition Based Parsing: Formulation

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#### Deterministic Parsing

#### Basic idea

Derive a single syntactic representation (dependency graph) through a deterministic sequence of elementary parsing actions

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Derive a single syntactic representation (dependency graph) through a deterministic sequence of elementary parsing actions

#### **Configurations**

A parser configuration is a triple c = (S, B, A), where

- S: a stack  $[..., w_i]_S$  of partially processed words,
- B: a buffer  $[w_j,...]_B$  of remaining input words,
- A: a set of labeled arcs  $(w_i, d, w_j)$ .

Stack	Buffer	Arcs
[sent, her, a] $_{S}$	[letter, .] <sub>B</sub>	$He \overset{\mathtt{SBJ}}{\longleftarrow} sent$

#### Transition System

A transition system for dependency parsing is a quadruple  $S = (C, T, c_s, C_t)$ , where

- C is a set of configurations,
- T is a set of transitions, such that  $t: C \to C$ ,
- $c_s$  is an initialization function
- $C_t \subseteq C$  is a set of terminal configurations.

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A transition sequence for a sentence *x* is a set of configurations

$$C_{0,m} = (c_o, c_1, \dots, c_m)$$
 such that

$$c_o = c_s(x), c_m \in C_t, c_i = t(c_{i-1})$$
 for some  $t \in T$ 

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Initialization:  $([]_S, [w_1, \dots, w_n]_B, \{\})$ 

Termination:  $(S, []_B, A)$ 

## Transitions for Arc-Eager Parsing

Shift  $\frac{([\ldots]_S, [W_i, \ldots]_B, A)}{([\ldots, W_i]_S, [\ldots]_B, A)}$ 

Left-Arc(
$$d$$
)  $\frac{([\ldots, w_i]_S, [w_j, \ldots]_B, A)}{([\ldots]_S, [w_j, \ldots]_B, A \cup \{(w_j, d, w_i)\})}$   $\neg \text{HEAD}(w_i)$ 

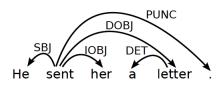
Right-Arc( $d$ )  $\frac{([\ldots, w_i]_S, [w_j, \ldots]_B, A)}{([\ldots, w_i, w_j]_S, [\ldots]_B, A \cup \{(w_i, d, w_j)\})}$ 

Reduce  $\frac{([\ldots, w_i]_S, B, A)}{([\ldots]_S, B, A)}$   $\vdash \text{HEAD}(w_i)$ 

#### **Transitions:**

Stack Buffer Arcs

[] $_S$  [He, sent, her, a, letter, .] $_B$ 



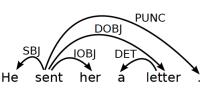
#### Example

#### **Parse Example**

Transitions: SH

Stack **Buffer** 

 $[He]_S$ [sent, her, a, letter, .] $_{B}$ 



**Transitions: SH-LA** 

Stack Buffer

[] $_S$  [sent, her, a, letter, .] $_B$ 

DOBJ DET
He sent her a letter .

Arcs

 $He \stackrel{\text{SBJ}}{\longleftarrow} sent$ 

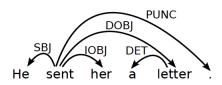
**Transitions: SH-LA-SH** 

Stack Buffer

[sent]<sub>S</sub> [her, a, letter, .]<sub>B</sub>

Arcs

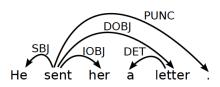
 $He \stackrel{SBJ}{\longleftarrow} sent$ 



**Transitions: SH-LA-SH-RA** 

## Stack Buffer

[sent, her] $_S$  [a, letter, .] $_B$ 



#### **Arcs**

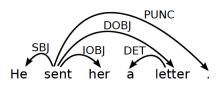
#### Example

## Parse Example

Transitions: SH-LA-SH-RA-SH

#### Stack Buffer

[sent, her, a] $_S$  [letter, .] $_B$ 



#### **Arcs**

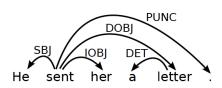
#### Example

## Parse Example

Transitions: SH-LA-SH-RA-SH-LA

## Stack Buffer

[sent, her]<sub>S</sub> [letter, .]<sub>B</sub>



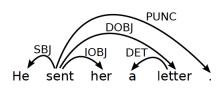
#### **Arcs**

 $\begin{array}{c} \text{He} \xleftarrow{\text{SBJ}} \text{sent} \\ \text{sent} \xrightarrow{\text{IOBJ}} \text{her} \\ \text{a} \xleftarrow{\text{DET}} \text{letter} \end{array}$ 

**Transitions:** SH-LA-SH-RA-SH-LA-RE

## Stack Buffer

 $[sent]_S$   $[letter, .]_B$ 



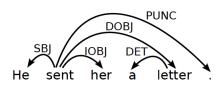
#### **Arcs**

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Transitions: SH-LA-SH-RA-SH-LA-RE-RA

## Stack Buffer

[sent, letter]<sub>S</sub> [.]<sub>B</sub>

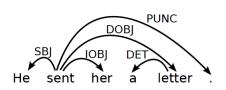


#### **Arcs**

He  $\stackrel{\text{SBJ}}{\longleftarrow}$  sent sent  $\stackrel{\text{IOBJ}}{\longrightarrow}$  her a  $\stackrel{\text{DET}}{\longleftarrow}$  letter sent  $\stackrel{\text{DOBJ}}{\longrightarrow}$  letter

Transitions: SH-LA-SH-RA-SH-LA-RE-RA-RE

# Stack Buffer $[sent]_S$ $[.]_B$

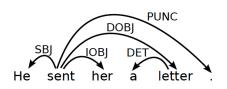


#### Arcs

He  $\stackrel{\text{SBJ}}{\longleftarrow}$  sent sent  $\stackrel{\text{IOBJ}}{\longleftarrow}$  her a  $\stackrel{\text{DET}}{\longleftarrow}$  letter sent  $\stackrel{\text{DOBJ}}{\longrightarrow}$  letter

Transitions: SH-LA-SH-RA-SH-LA-RE-RA-RE-RA

# Stack Buffer [sent, .] $_S$ [] $_B$



#### **Arcs**

 $\begin{array}{c} \text{He} \xleftarrow{\text{SBJ}} \text{ sent} \\ \text{sent} \xrightarrow{\text{IOBJ}} \text{ her} \\ \text{a} \xleftarrow{\text{DET}} \text{ letter} \\ \text{sent} \xrightarrow{\text{DOBJ}} \text{ letter} \\ \text{sent} \xrightarrow{\text{PUNC}} . \end{array}$