Title of the project

for the Bachelor of Science (General) Degree By Name Index No

> Supervisor: Names

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Acknowledgment

First I would like to thank.....

Abstract

This project carries out the objective of finding......

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Introduction

1.1 Background of the study

This chapter is not intended to be a comprehensive manual of MATLAB 5757 α Our sole aim is to provide sufficient information to give you a good start [1, 2]. If you are familiar with another computer language, andwe assume that youare, it is not difficult to pick up the rest as you go[5].

1.2 Objectives

1.2.1 Major Object

MATLAB has other advantages over mainstream languages that contribute to rapid program development:

- i MATLAB contains a large number of functions that access proven numerical libraries, suchasLINPACKandEISPACK. Thismeans that many common tasks (e.g., solution of simultaneous equations) can be accomplished with a single function call.
- ii There is extensive graphics support that allows the results of computations to be plottedwith a few statements [1].

E	A	В
С	0	1
D	2	3

Im Projects [?]

Problem Statement

2.1 Minimization Along a Line

Before a minimization algorithmcan be entered, the minimum point must be bracketed. The procedure of bracketing is simple: aaaaaaaaaaaaaaa

2.1.1 Bracketing

Methodology

3.1 Bisection Method

Figure 3.1 shows that

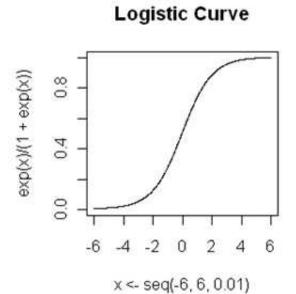


Figure 3.1: Logistic Regression curve

We can insert a Table.....

Literature reported values for the parameters are given in the Table 3.1.

parameter	value	unit
b	4	km
С	2	g

$$\sqrt{s} = 5$$

$$\underline{a} + \underline{b} = \underline{0}$$

$$\int_{a}^{b} f(x)dx. \tag{3.1}$$

Discussion

4.1

Conclusion

5.1 Summary

In this report chapters were ordered as follows. First chapter included

Appendix

Maxima Codes

Bibliography

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- [4] S. Busenberg, K. Cook; *Vertically Transmitted Diseases, Models and Dynamics, Biomathematics* 23, Springer-Verlag, Berlin, 1993.
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