

Playtennis.csv:

```
In [6]: import pandas as pd
from sklearn import metrics
df_tennis = pd.read_csv('playtennis.csv')
print("\n Given Data Set:\n\n", df_tennis)
```

Given Data Set:

	Outlook	Temperature	Humidity	Wind	Play Tennis
0	Sunny	Hot	High	Weak	No
1	Sunny	Hot	High	Strong	No
2	Overcast	Hot	High	Weak	Yes
3	Rain	Mild	High	Weak	Yes
4	Rain	Cool	Normal	Weak	Yes
5	Rain	Cool	Normal	Strong	No
6	Overcast	Cool	Normal	Strong	Yes
7	Sunny	Mild	High	Weak	No
8	Sunny	Cool	Normal	Weak	Yes
9	Rain	Mild	Normal	Weak	Yes
10	Sunny	Mild	Normal	Strong	Yes
11	Overcast	Mild	High	Strong	Yes
12	Overcast	Hot	Normal	Weak	Yes
13	Rain	Mild	High	Strong	No

```
In [9]: #Function to calculate the entropy of probability of observations
# -p*log2*p

def entropy(probs):
    import math
    return sum( [-prob*math.log(prob, 2) for prob in probs] )

#Function to calculate the entropy of the given Data Sets/List with respect to target attributes
def entropy_of_list(a_list):
    #print("A-list",a_list)
    from collections import Counter
    cnt = Counter(x for x in a_list) # Counter calculates the proportion of class
    print("\nClasses:",cnt)
    #print("No and Yes Classes:",a_list.name,cnt)
    num_instances = len(a_list)*1.0 # = 14
    print("\n Number of Instances of the Current Sub Class is {0}:".format(num_instances ))
    probs = [x / num_instances for x in cnt.values()] # x means no of YES/NO
    #print("\n Classes:",min(cnt),max(cnt))

    #for a in cnt.keys():
    #    print(" \n Probabilities of Class",a," is ",cnt[a]/num_instances)

    #print(" \n Probabilities of Class {0} is {1}:".format(max(cnt),max(probs)))
    print(" \n Probabilities of Class {0} is {1}:".format(min(cnt),min(probs)))
    print(" \n Probabilities of Class {0} is {1}:".format(max(cnt),max(probs)))
    return entropy(probs) # Call Entropy :

# The initial entropy of the YES/NO attribute for our dataset.
print("\n INPUT DATA SET FOR ENTROPY CALCULATION:\n", df_tennis['Wind'])

total_entropy = entropy_of_list(df_tennis['Wind'])

print("\n Total Entropy of Party Data Set:",total_entropy)
```

```

In [14]: def information_gain(df, split_attribute_name, target_attribute_name, trace=0):
    print("Information Gain Calculation of ",split_attribute_name)
    """
    Takes a DataFrame of attributes, and quantifies the entropy of a target
    attribute after performing a split along the values of another attribute.
    """
    # Split Data by Possible Vals of Attribute:
    df_split = df.groupby(split_attribute_name)
    # for name,group in df_split:
    #     print("Name:\n",name)
    #     print("Group:\n",group)

    # Calculate Entropy for Target Attribute, as well as
    # Proportion of Obs in Each Data-Split
    nobs = len(df.index) * 1.0
    # print("NOBS",nobs)
    df_agg_ent = df_split.agg({target_attribute_name : [entropy_of_list, lambda x: len(x)/nobs] })[target_attribute_name]
    #print([target_attribute_name])
    #print(" Entropy List ",entropy_of_list)
    #print("DFAGGENT",df_agg_ent)
    df_agg_ent.columns = ['Entropy', 'PropObservations']
    #if trace: # helps understand what fxn is doing:
    #     print(df_agg_ent)

    # Calculate Information Gain:
    new_entropy = sum( df_agg_ent['Entropy'] * df_agg_ent['PropObservations'] )
    old_entropy = entropy_of_list(df[target_attribute_name])
    return old_entropy - new_entropy

print('Info-gain for Deadline is :'+str( information_gain(df_tennis, 'Temperature', 'Wind')),"\n")
print('\n Info-gain for Party is: ' + str( information_gain(df_tennis, 'Humidity', 'Wind')),"\n")
print('\n Info-gain for Lazy is:' + str( information_gain(df_tennis, 'Play Tennis', 'Wind')),"\n")
#print('\n Info-gain for Temperature is:' + str( information_gain(df_tennis, 'Temperature', 'Wind')),"\n")

```

```

In [21]: def id3(df, target_attribute_name, attribute_names, default_class=None):

    ## Tally target attribute:
    from collections import Counter
    cnt = Counter(x for x in df[target_attribute_name])# class of YES /NO

    ## First check: Is this split of the dataset homogeneous?
    if len(cnt) == 1:
        return next(iter(cnt)) # next input data set, or raises StopIteration when EOF is hit.

    ## Second check: Is this split of the dataset empty?
    # if yes, return a default value
    elif df.empty or (not attribute_names):
        return default_class # Return None for Empty Data Set

    ## Otherwise: This dataset is ready to be devied up!
    else:
        # Get Default Value for next recursive call of this function:
        default_class = max(cnt.keys()) #No of YES and NO Class
        # Compute the Information Gain of the attributes:|
        gainz = [information_gain(df, attr, target_attribute_name) for attr in attribute_names] #
        index_of_max = gainz.index(max(gainz)) # Index of Best Attribute
        # Choose Best Attribute to split on:
        best_attr = attribute_names[index_of_max]

        # Create an empty tree, to be populated in a moment
        tree = {best_attr:{}} # Initiate the tree with best attribute as a node
        remaining_attribute_names = [i for i in attribute_names if i != best_attr]

        # Split dataset
        # On each split, recursively call this algorithm.
        # populate the empty tree with subtrees, which
        # are the result of the recursive call
        for attr_val, data_subset in df.groupby(best_attr):
            subtree = id3(data_subset,
                           target_attribute_name,
                           remaining_attribute_names,
                           default_class)
            tree[best_attr][attr_val] = subtree
        return tree

```

```
In [24]: # Run Algorithm:
from pprint import pprint
tree = id3(df_tennis, 'Wind', attribute_names)
print("\n\nThe Resultant Decision Tree is :\n")
#print(tree)
pprint(tree)
attribute = next(iter(tree))
print("Best Attribute :\n", attribute)
print("Tree Keys:\n", tree[attribute].keys())
```

Output:

```
0      Weak
1      Weak
2      Weak
3      Weak
4      Weak
5      Strong
6      Strong
7      Weak
8      Weak
9      Weak
10     Strong
11     Strong
12     Weak
13     Strong
Name: predicted, dtype: object
[[5 1]
 [0 8]]
Accuracy = 92.85714285714286 %
```

Number of Instances of the Current Sub Class is 14.0:

Probabilities of Class Strong is 0.42857142857142855:

Probabilities of Class Weak is 0.5714285714285714:

Total Entropy of Party Data Set: 0.9852281360342516

```
In [32]: class_wise = metrics.classification_report(y_true = test_data['Wind'], y_pred = test_data['predicted2'])
print(class_wise)
```

	precision	recall	f1-score	support
Strong	0.33	0.20	0.25	5
Weak	0.43	0.60	0.50	5
accuracy			0.40	10
macro avg	0.38	0.40	0.38	10
weighted avg	0.38	0.40	0.38	10

Using iris data set:

```
In [3]: import pandas as pd
from sklearn import metrics
df_iris = pd.read_csv('iris.csv')
print("\n Given Data Set:\n\n", df_iris)
```

Given Data Set:

	Sepal_length	Sepal_width	Petal_length	Petal_width	Class
0	5.1	3.5	1.4	0.2	1
1	4.9	3.0	1.4	0.2	1
2	4.7	3.2	1.3	0.2	1
3	4.6	3.1	1.5	0.2	1
4	5.0	3.6	1.4	0.2	1
..
145	6.7	3.0	5.2	2.3	3
146	6.3	2.5	5.0	1.9	3
147	6.5	3.0	5.2	2.0	3
148	6.2	3.4	5.4	2.3	3
149	5.9	3.0	5.1	1.8	3

[150 rows x 5 columns]

```
In [6]: #Function to calculate the entropy of probability of observations
# -p*Log2*p

def entropy(probs):
    import math
    return sum( [-prob*math.log(prob, 2) for prob in probs] )

#Function to calculate the entropy of the given Data Sets/List with respect to target attributes
def entropy_of_list(a_list):
    #print("A-list",a_list)
    from collections import Counter
    cnt = Counter(x for x in a_list) # Counter calculates the proportion of class
    print("\nClasses:",cnt)
    #print("No and Yes Classes:",a_list.name,cnt)
    num_instances = len(a_list)*1.0 # = 14
    print("\n Number of Instances of the Current Sub Class is {0}:".format(num_instances ))
    probs = [x / num_instances for x in cnt.values()] # x means no of YES/NO
    #print("\n Classes:",min(cnt),max(cnt))

    #for a in cnt.keys():
    #    print(" \n Probabilities of Class",a," is ",cnt[a]/num_instances)

    #print(" \n Probabilities of Class {0} is {1}:".format(max(cnt),max(probs)))
    print(" \n Probabilities of Class {0} is {1}:".format(min(cnt),min(probs)))
    print(" \n Probabilities of Class {0} is {1}:".format(max(cnt),max(probs)))
    return entropy(probs) # Call Entropy :

# The initial entropy of the YES/NO attribute for our dataset.
print("\n INPUT DATA SET FOR ENTROPY CALCULATION:\n", df_tennis['Petal_width'])

total_entropy = entropy_of_list(df_tennis['Petal_width'])

print("\n Total Entropy of Party Data Set:",total_entropy)
```

```
In [7]: def information_gain(df, split_attribute_name, target_attribute_name, trace=0):
    print("Information Gain Calculation of ",split_attribute_name)
    """
    Takes a DataFrame of attributes, and quantifies the entropy of a target
    attribute after performing a split along the values of another attribute.
    """

    # Split Data by Possible Vals of Attribute:
    df_split = df.groupby(split_attribute_name)
    # for name,group in df_split:
    #     print("Name:\n",name)
    #     print("Group:\n",group)

    # Calculate Entropy for Target Attribute, as well as
    # Proportion of Obs in Each Data-Split
    nobs = len(df.index) * 1.0
    # print("NOBS",nobs)
    df_agg_ent = df_split.agg({target_attribute_name : [entropy_of_list, lambda x: len(x)/nobs] })[target_attribute_name]
    #print([target_attribute_name])
    #print(" Entropy List ",entropy_of_list)
    #print("DFAGGENT",df_agg_ent)
    df_agg_ent.columns = ['Entropy', 'PropObservations']
    #if trace: # helps understand what fxn is doing:
    #     print(df_agg_ent)

    # Calculate Information Gain:
    new_entropy = sum( df_agg_ent['Entropy'] * df_agg_ent['PropObservations'] )
    old_entropy = entropy_of_list(df[target_attribute_name])
    return old_entropy - new_entropy

print('Info-gain for Deadline is :'+str( information_gain(df_tennis, 'Sepal_length', 'Petal_width')),"\n")
print('\n Info-gain for Party is: ' + str( information_gain(df_tennis, 'Sepal_width', 'Petal_width')),"\n")
print('\n Info-gain for Lazy is: ' + str( information_gain(df_tennis, 'Petal_length', 'Petal_width')),"\n")
```

```
In [8]: def id3(df, target_attribute_name, attribute_names, default_class=None):

    ## Tally target attribute:
    from collections import Counter
    cnt = Counter(x for x in df[target_attribute_name]) # class of YES /NO

    ## First check: Is this split of the dataset homogeneous?
    if len(cnt) == 1:
        return next(iter(cnt)) # next input data set, or raises StopIteration when EOF is hit.

    ## Second check: Is this split of the dataset empty?
    # if yes, return a default value
    elif df.empty or (not attribute_names):
        return default_class # Return None for Empty Data Set

    ## Otherwise: This dataset is ready to be devied up!
    else:
        # Get Default Value for next recursive call of this function:
        default_class = max(cnt.keys()) #No of YES and NO Class
        # Compute the Information Gain of the attributes:
        gainz = [information_gain(df, attr, target_attribute_name) for attr in attribute_names] #
        index_of_max = gainz.index(max(gainz)) # Index of Best Attribute
        # Choose Best Attribute to split on:
        best_attr = attribute_names[index_of_max]

        # Create an empty tree, to be populated in a moment
        tree = {best_attr:{}} # Initiate the tree with best attribute as a node
        remaining_attribute_names = [i for i in attribute_names if i != best_attr]

        # Split dataset
        # On each split, recursively call this algorithm.
        # populate the empty tree with subtrees, which
        # are the result of the recursive call
        for attr_val, data_subset in df.groupby(best_attr):
            subtree = id3(data_subset,
                           target_attribute_name,
                           remaining_attribute_names,
                           default_class)
            tree[best_attr][attr_val] = subtree
        return tree
```

```
In [11]: # Run Algorithm:
from pprint import pprint
tree = id3(df_tennis, 'Petal_width', attribute_names)
print("\n\nThe Resultant Decision Tree is :\n")
#print(tree)
pprint(tree)
attribute = next(iter(tree))
print("Best Attribute :\n", attribute)
print("Tree Keys:\n", tree[attribute].keys())
```

```
In [15]: y_pred = model.predict(X_test)

from sklearn.metrics import confusion_matrix
from sklearn.metrics import classification_report
from sklearn.metrics import accuracy_score

y_true = y_test

print('Accuracy = ', accuracy_score(y_pred, y_test))

print('\nConfusion Matrix: \n', confusion_matrix(y_true, y_pred))

# classification report for precision, recall f1-score and accuracy
matrix = classification_report(y_true, y_pred)
print('\nClassification report : \n', matrix)
```

Accuracy = 0.9666666666666667

Confusion Matrix:

```
[[11  0  0]
 [ 0  9  1]
 [ 0  0  9]]
```

Classification report :

	precision	recall	f1-score	support
Iris-setosa	1.00	1.00	1.00	11
Iris-versicolor	1.00	0.90	0.95	10
Iris-virginica	0.90	1.00	0.95	9
accuracy			0.97	30
macro avg	0.97	0.97	0.96	30
weighted avg	0.97	0.97	0.97	30

Output:

INPUT DATA SET FOR ENTROPY CALCULATION:

```
0      0.2
1      0.2
2      0.2
3      0.2
4      0.2
...
145    2.3
146    1.9
147    2.0
148    2.3
149    1.8
```

Name: Petal_width, Length: 150, dtype: float64

Classes: Counter({0.2: 28, 1.3: 13, 1.5: 12, 1.8: 12, 1.4: 8, 2.3: 8, 0.4: 7, 0.3: 7, 1.0: 7, 0.1: 6, 2.1: 6, 2.0: 6, 1.2: 5, 1.9: 5, 1.6: 4, 1.1: 3, 2.5: 3, 2.2: 3, 2.4: 3, 1.7: 2, 0.5: 1, 0.6: 1})

Number of Instances of the Current Sub Class is 150.0:

Probabilities of Class 0.1 is 0.006666666666666667:

Probabilities of Class 2.5 is 0.18666666666666668:

Total Entropy of Party Data Set: 4.065662933799395

Number of Instances of the Current Sub Class is 150.0:

Probabilities of Class 0.1 is 0.00666666666666667:

Probabilities of Class 2.5 is 0.1866666666666668:

Info-gain for Lazy is:2.708997661751434