Source: Computer Graphics by Donald Hearn and M. Pauline Baker

Polygon _ Thading :-

from af applying Illumination model to surface points.

approaches:-

- 1) Plat Shading
- @ Crawrand Shading
- 3 Phony Shading

Flat Shading :-

One intensity for the whale polyson (onetant chading for each face.



Solut a point P on the face rp. Find intensity I at P Fill the polygon with I.

- -> Congutationally Fast -> Not romooth
- -> Match Band effect





Polyson mech approximation



Kedered with flat shading

Flat shadly provides an accurate sundering if

- 1) The object does not have a curued surface.
- a All light sources illuminating the object are sufficiently far from the surface.
- 3) The viewing pointion is infliciently for from the surface

(nourand Stading: _ (Henri Courand, 1971)

Smooth Shading





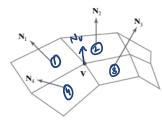


Kedered with flat shading Rendered with Crawraud Shading

INTERPOLATION: - Internity values for each polygon are motched with the values of adjascent

STEPS: -

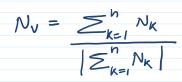
- 1) Determine the average unit normal ve dor at each polyson vertex.
- Deply an illumination model to each vertex to calculate the vertex intensity.
- 3 Linearly interpolate the verter internities over the rurface of the polyson.



The normal vector at vertex ${\bf V}$ is calculated as the average of the surface normals for each polygon sharing

Unit Normal at a vertex V is average of normals of the polygons incident at the vertex.

$$N_V = \sum_{k=1}^h N_k$$



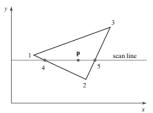


FIGURE 3 6
For Gouraud surface rendering, the intensity at point 4
is linearly interpolated from the intensities at vertices 1 and 2.
The intensity at point 5 is linearly interpolated from intensities
at vertices 2 and 3. An interior point p is then assigned an
intensity value that is linearly interpolated from intensities at
positions 4 and 5.

Oughte the juterrities at their vertices using their normals and some illumination model.

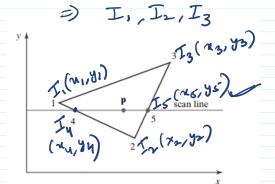


FIGURE 36
For Gouraud surface rendering, the intensity at point 4
is linearly interpolated from the intensities at vertices 1 and 2.
The intensity at point 5 is linearly interpolated from intensities
at vertices 2 and 3. An interior point **p** is then assigned an
intensity value that is linearly interpolated from intensities at
positions 4 and 5.

II (N,, y1) I2 (N2, y2)

3 Fell the polygon wing san line conversion and interpolation.

$$I_4 = \frac{y_4 - y_2}{y_1 - y_2} I_1 + \frac{y_1 - y_4}{y_1 - y_2} I_2$$

$$I_{5} = \frac{y_{5} - y_{3}}{y_{2} - y_{3}} I_{2} + \underbrace{y_{2} - y_{5}}_{y_{2} - y_{3}} I_{3} - \emptyset$$

Calculation of interesties along incremental som lines,

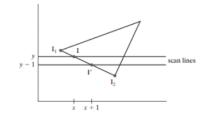


FIGURE 37 Incremental interpolation of intensity values along a polygon edge for successive scan lines.

$$I(x,y)$$

$$I_{1} \qquad I_{2} \qquad (x_{1},y_{1}) \qquad (x_{2},y_{2})$$
wing equation $O(2)$

$$I = y-y- I_{1} + y_{1}-y_{2} I_{2} \qquad 3$$

$$y_{1}-y_{2} \qquad y_{1}-y_{2}$$

$$To obtain t-torning I' for the next line
$$y = y-1 \qquad \text{in eq } 2$$

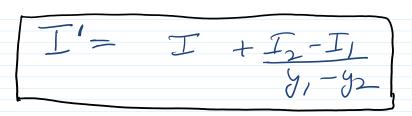
$$I' = (y-1)-y_{2} I_{1} + y_{1}(y-1) I_{2} \qquad y_{1}-y_{2}$$

$$= (y-y_{1}-1)I_{1} + (y_{1}-y+1)I_{2} \qquad y_{1}-y_{2}$$

$$= (y-y_{2})I_{1}-I_{1} + (y_{1}-y)I_{2}+I_{2} \qquad y_{1}-y_{2}$$

$$= (y-y_{2})I_{1} + (y_{1}-y)I_{2} + I_{2}-I_{1} \qquad y_{1}-y_{2}$$

$$= I + I_{2}-I_{1} \qquad y_{1}-y_{2} \qquad y_{1}-y_{2}$$$$



Successful intensity values down the edges is computed simply by adding constant term $\underline{I_2}-\underline{I_1}$ to the previous intensity value.



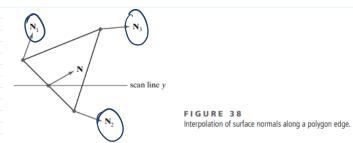
Drawbacks of Courand Shaden : -

- Heplifts on the surface are sometimes diployed with some shapes, and linear intensity interpolation causes bright / dark intensity streaks called Match Bands.

 (an be reduced by dividing the surface into A polysoms more precess intensity calculations.

Phony Shading: Phony Bui Tuong 1973 Interpolation of normal vectors instead of the intervity values.

then compute intervity at each point.



- 1) Determine the average unit normal vector at each vertex of the polygon.
- De Interpolite the vertex normals linearly over the projected area of the polyson.
- B Apply an illumination model at positions along scan lines to calculate pixel intensitives using the interpolated normal vectors.

Normal vector N is interpolated vertically from the normal vectors at vertices 1 and 2

$$N = \frac{y - y_2}{y_1 - y_2} N_1 + \frac{y_1 - y}{y_1 - y_2} N_2$$

a) Apply incremental methods for obtainly normal ve ctors on successive scan lines also at successive pixel possissions along scan lines.