(Adaptive Gradient)

$$h_{t} = x_{t-1} + (\nabla Q_{t})^{2} , x_{0} \ge 0$$

$$Q_{t+1} = Q_{t} - \underbrace{\langle \nabla Q_{t} \rangle^{2}}_{S + \sqrt{x_{t}}} \nabla Q_{t}$$

the number to avoide divide by O.

=) As time progress, x, will get to a large value, hence, the moment does not happen.

@ 20th Ada M Optimization
(Adaptive Moments)

Adaghu Momentums

Movement $b_t = \frac{C_1}{b_{t-1}} + (1 - \frac{C_1}{b_1}) \nabla \theta_t - 0 \cos \frac{1}{2} \sin \frac{1}{2}$ $\cos \frac{1}{2} \sin \frac{1}{2} \cos \frac{1}{2} \cos$

 $\theta_{t+1} = \theta_t - 2 \cdot 3 \cdot 3 \cdot 4$ $\psi_{t} = \frac{r_t}{1 + \ell_t^t}, \quad \delta_t = \frac{s_t}{1 - \ell_t^t}$ $\theta_{t+1} = \theta_t - 2 \cdot 3 \cdot 3 \cdot 4$ $\theta_{t+1} = \theta_t - 2 \cdot 3 \cdot 3 \cdot 4$ $\theta_{t+1} = \theta_t - 2 \cdot 3 \cdot 4$ $\theta_{t+1} = \theta_t - 2 \cdot 3 \cdot 4$ $\theta_{t+1} = \theta_t - 2 \cdot 3 \cdot 4$ $\theta_{t+1} = \theta_t - 2 \cdot 3 \cdot 4$ $\theta_{t+1} = \theta_t - 2 \cdot 3 \cdot 4$ $\theta_{t+1} = \theta_t - 2 \cdot 3 \cdot 4$ $\theta_{t+1} = \theta_t - 2 \cdot 3 \cdot 4$ $\theta_{t+1} = \theta_t - 2 \cdot 3 \cdot 4$ $\theta_{t+1} = \theta_t - 3 \cdot 4$

REGULARIZATION

- -> Generalized Metwork.
- Fraining Sample (a distolbation)

 Testing.

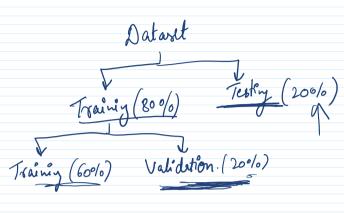
Noing Frainic Samples Testin

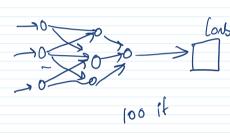
Do main- Shifting

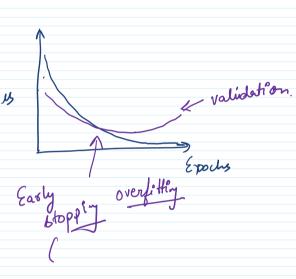
Image Net 1.3 Billion

New Section 1 Page









Early Stopping

Data Augmentation

10 dans dans fration.

→ 100 lmges → 100 lmges → 100 lmges → 100 lmges

(80.10)

-> Geometric Transformations: Rotation, Translation, these, scale,

-> Photometric Transformations:

(3) Adding regularization on weights.
$$\widetilde{L}(\omega) = L(\omega) + \frac{B}{2} ||\omega||^2.$$

Poix hypetion: MSE Lows

to the imput

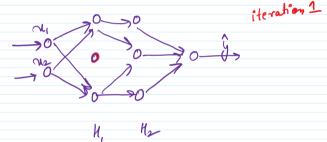
$$y_{inoiny} = \sum_{i} w_{i}(x_{i}^{2} + \ell_{i}) \qquad (i = w_{i}^{2} w_{i}^{2} + \sum_{i} w_{i}^{2} \ell_{i}^{2} \qquad (i = w_{i}^{2} + \sum_{i} w_{i}^{2} \ell_{i}^{2})$$

$$= \sum_{i} w_{i} w_{i}^{2} + \sum_{i} w_{i}^{2} \ell_{i}^{2} \qquad (nawhian oliotribution.)$$

$$= y + \sum_{i} w_{i}^{2} \ell_{i}^{2} \qquad (nawhian oliotribution.)$$

$$= y + \sum_{i} w_{i}^{2} \ell_{i}^{2} \qquad (nawhian oliotribution.)$$

$$= y + \sum_{i} w_{i}^{2} \ell_{i}^{2} \qquad (nawhian oliotribution.)$$



probability of picking a neuron.

p=0.5 &0% of nodes of that

hidden layer are dropped.

Mini-batch GD.

$$0 \rightarrow 0 \rightarrow 0$$

$$0 \rightarrow 0 \rightarrow 0 \rightarrow 0$$

$$0 \rightarrow 0 \rightarrow 0$$

1 If only some of the neurons take on the entire load of the task on hand, it can lead to overfitting.

1 The rest of the neurons do not learn anything.

1 Typically, nodes are decopped only once for a minipotatch

af sample.

(4) Modes are dropped with a probability of 'p'.

3 Flu & b/w pars are done only through action neurons.

(3) At the time of testing, weights are multiplied by probability.

weights will reduce by factor p'.

Algorithm.	No. of steps	
VanillaGD	2	
Stochastic GD	N -	N -> no af traing samples.
Mhibatch.	N/B.	B-> batch-rize

Outputs			
	Real values (Regrevier on)	Probability (Clavification)	
Oleactivation	Linear	Signoid/ Saftmass	
Low Junction	MSE	ÇCE.	