Möller-Trumbore Ayorithm :-A faster ray-triangle intersection aborithm. (1997) Uning barycentric coordinates equation, l= WA + uB + VC --- 0 also w+u+v=1 => W= 1-4-V -2 lung @ in O

P= (1-u-v)A+ uB+vC P = A - Au - Av + uB+vc

(B-A) → AB edge (c-A) -> AC edge

Also, f= 0+tD wing in 3

 $0+t\Delta = A + u(B-A) + v(C-A)$ 0-A = -tD + u(B-A) + v(C-A)

 $\begin{bmatrix} -D & (B-A) & (C-A) \end{bmatrix} \begin{bmatrix} + \\ 4 \end{bmatrix} = (O-A)$ known.

where -D, (B-A), (C-A), (O-A) are vectors t, u, v are scalar quantities bary centric e (oordinates

from ray to interection point







Ving Gramer's Rule,

$$\begin{bmatrix} t \\ u \\ v \end{bmatrix} = \begin{bmatrix} -D & B-A & C-A \\ |-D & O-A & C-A \\ |-D & B-A & O-A \end{bmatrix}$$

[ABC] = (AXC).B = (CXB).A

$$= \underbrace{\left((o-A) \times CC-A \right) \cdot (B-A)}_{\left(D \times (C-A) \right) \cdot \left(B-A \right)} \underbrace{\left((o-A) \times CC-A \right) \cdot (O-A)}_{\left(-D \times (O-A) \right) \cdot \left(B-A \right)}$$

t, u, v can be calculating wring (ross and dot products between vertices of the triangle, origin and the ray direction.

Advantage:

Plane equation need not be computed on the fly or stored.

Fast, Minimum Storage Ray/Triangle Intersection

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Abstract

We present a clean algorithm for determining whether a ray intersects a triangle. The algorithm translates the origin of the ray and then changes the base of that vector which yields a vector $(t \ u \ v)^T$, where t is the distance to the plane in which the triangle lies and (u, v) represents the coordinates inside the triangle.

One advention of this method is that the plane equation need not be