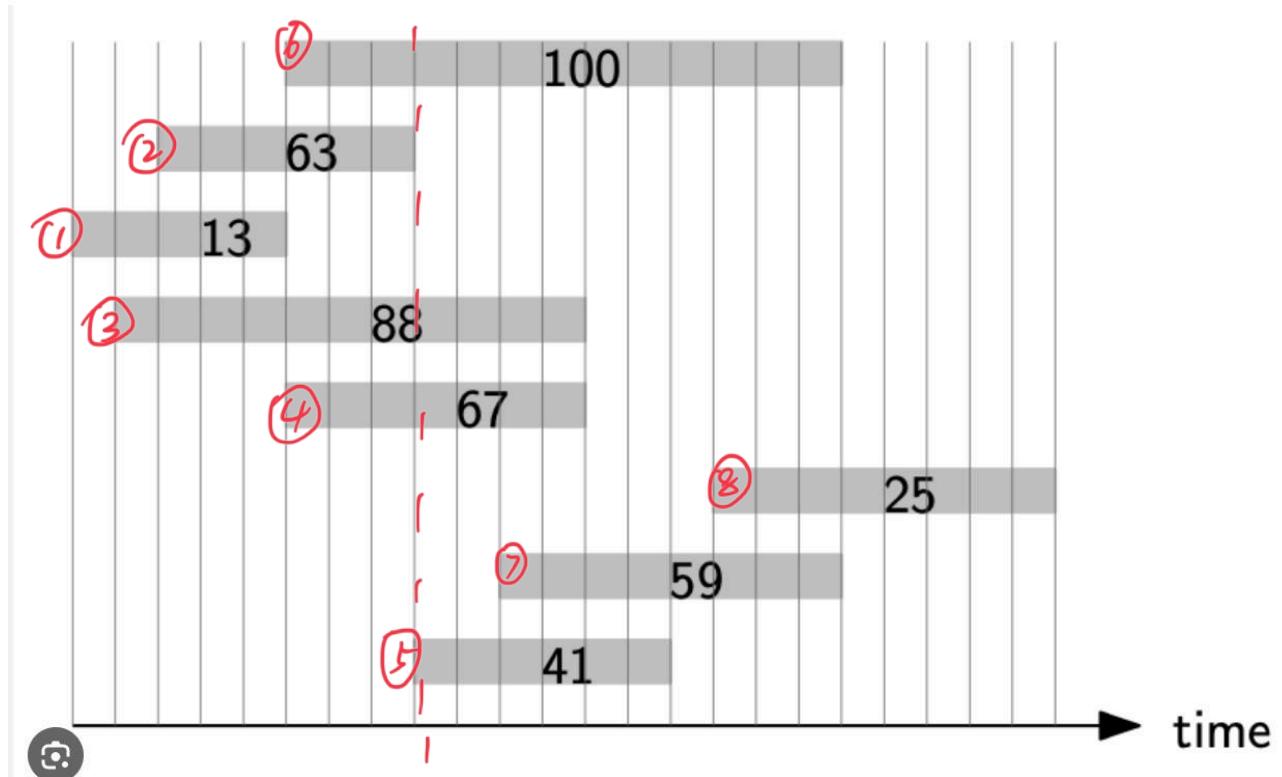


**Question 1****0 / 1 point**

In the weighted interval selection problem, we have the following instance of 8 intervals with different weights:

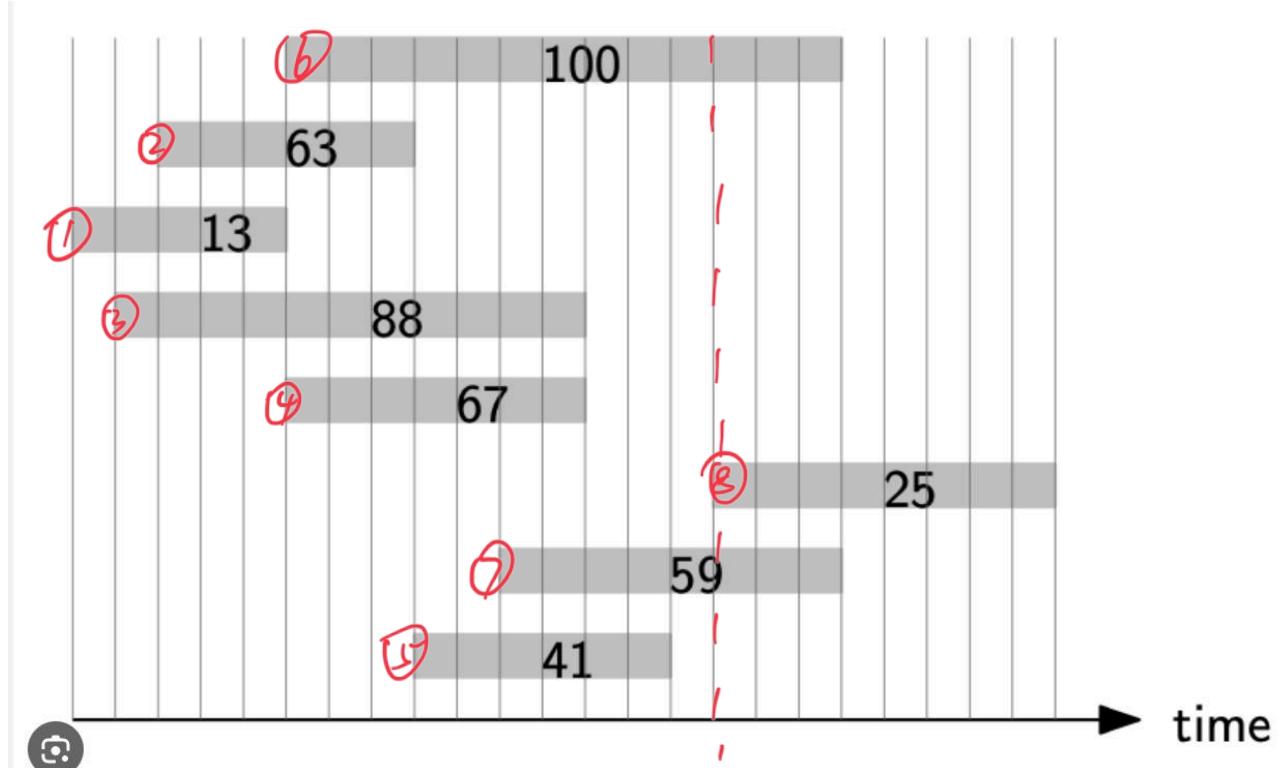


Recall the DP algorithm we used in the lecture. What are we storing in  $\text{opt}[5]$ ?  $\text{opt}[i]$  is the subproblem considering interval 1 to  $i$  by some order we used in the lecture.

- We store  $p_5 = \text{null}$ .  $\text{opt}[5] = 88$ .
- We store  $p_5 = 2$ .  $\text{opt}[5] = 104$ .  $= \max \begin{cases} \text{opt}[4] = 88 \\ 41 + \text{opt}[2] = 104 \end{cases}$
- We store  $p_5 = \text{null}$ .  $\text{opt}[5] = 104$ .
- We store  $p_5 = 2$ .  $\text{opt}[5] = 88$ .

**Question 2****0 / 1 point**

In the weighted interval selection problem, we have the following instance of 8 intervals with different weights:



Recall the DP algorithm we used in the lecture. What are we storing in  $\text{opt}[8]$ ?  $\text{opt}[i]$  is the subproblem considering interval 1 to  $i$  by some order we used in the lecture.

- We store  $p_8 = 5$ .  $\text{opt}[8] = 112$ .
- We store  $p_8 = 7$ .  $\text{opt}[8] = 112$ .
- We store  $p_8 = 5$ .  $\text{opt}[8] = 129$ .  $\Rightarrow \max \{ \text{opt}[7], 25 + \text{opt}[5] \}$
- We store  $p_8 = 7$ .  $\text{opt}[8] = 129$ .

**Question 3****0 / 1 point**

Given a Subset Sum instance:  $W = 7$

item	weight
1	2
2	3
3	5

We try to run the DP algorithm in the lecture.  $\text{opt}[i,W']$  is defined as the solution from item 1 to i given weight  $W'$  just like in the lecture.

What is the value at  $\text{opt}[2,7]$ ?  $= \max \begin{cases} \text{opt}[1, 7] \\ 3 + \text{opt}[1, 4] \end{cases}$

- 2
- 3
- 5
- 7

**Question 4****0 / 1 point**

Given a Subset Sum instance:  $W = 7$

item	weight
1	2
2	3
3	5

3	5
---	---

We try to run the DP algorithm and recover solution algorithm in the lecture.  $\text{opt}[i, W']$  is defined as the solution from item 1 to i given weight  $W'$  just like in the lecture.

- What is the solution for  $\text{opt}[3, 7]$ ?  $= \max \left\{ \begin{array}{l} \text{opt}[2, 7] = 5 \\ 5 + \text{opt}[2, 0] = 7 \end{array} \right.$
- {item 1, item 2}
- {item 3}
- {item 1, item 3}
- {item 1, item 2, item 3}

### Question 5

0 / 1 point

Given a Subset Sum instance:  $W = 7$

item	weight
1	2
2	3
3	5

We try to run the DP algorithm and recover solution algorithm in the lecture.  $\text{opt}[i, W']$  is defined as the solution from item 1 to i given weight  $W'$  just like in the lecture.

What is the solution for  $\text{opt}[3, 5]$ ?

What is the solution for  $\text{opt}[3, 5]$ ?  $= \max \begin{cases} \text{opt}[2, 5] = 5 \\ 5 + \text{opt}[2, 0] = 5 \end{cases}$

{item 1, item 2}

{item 1, item 3}

{item 2, item 3}

{item 3}

By alg in lecture notes

"if  $w_i \leq w'$  and  $\text{opt}[i-1, w'-w_i] + v_i \geq \text{opt}[i, w']$

then  $b[i, w'] \leftarrow Y$ .

## Question 6

0 / 1 point

Given a 0/1 Knapsack instance:  $W = 7$

item	weight	value
1	2	10
2	3	25
3	5	55

We try to run the DP algorithm in the lecture.  $\text{opt}[i, W']$  is defined as the solution from item 1 to i given capacity  $W'$  just like in the lecture.

What is the value at  $\text{opt}[1, 5]$ ?  $= \max \begin{cases} \text{opt}[0, 5] \\ 10 + \text{opt}[0, 3] = 10 \end{cases}$

10

25

35

55