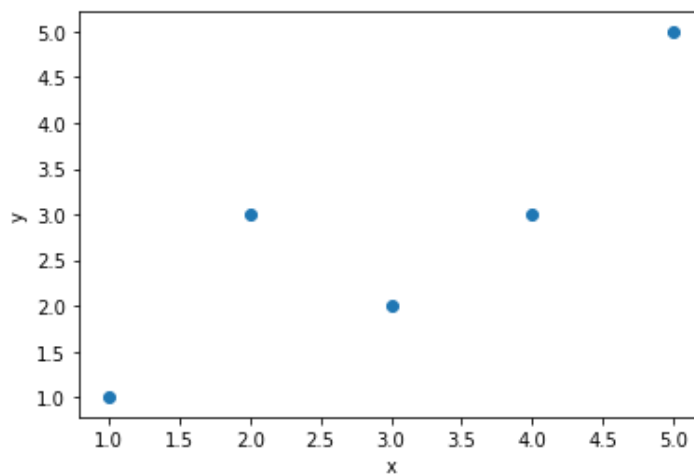


Simple Linear Regression

```
In [1]: 1 import numpy as np
2 import matplotlib.pyplot as plt
3 import pandas as pd
4
5 x = np.array([1,2,4,3,5])
6 y = np.array([1,3,3,2,5])
7 n = np.size(x)
8 print(x)
9 print(y)
10 plt.scatter(x,y)
11 plt.xlabel('x')
12 plt.ylabel('y')
13 plt.show()
14
```

```
[1 2 4 3 5]
[1 3 3 2 5]
```



```
In [8]: 1 #calculate mean of x and mean of y
2 mean_x= np.mean(x)
3 mean_y =np.mean(y)
4 print ("mean_x = ",mean_x," mean_y = ",mean_y)
5
6 #find the error for x and y and multiplication of deviation of x and y i.e. res
7 sum_resi = np.sum((x-mean_x)*(y-mean_y))
8
9 #squared error for x
10 sq_xi = np.sum((x-mean_x)*(x-mean_x))
11
12 print ("residual and squared error")
13 print ("sum of residual error = ",sum_resi, "sum of squared x error = ",sq_xi)
```

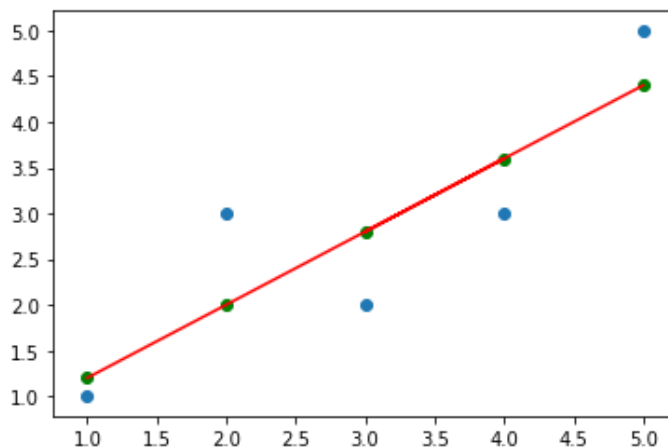
```
mean_x = 3.0 mean_y = 2.8
residual and squared error
sum of residual error = 8.0 sum of squared x error = 10.0
```

```
In [9]: 1 #calculate intercept B1 and B0
2 B1 = sum_resi/sq_xi
3 B0 = mean_y - B1*mean_x
4 print ("B0 =",B0, "\nB1 =",B1)
```

B0 = 0.39999999999999947
B1 = 0.8

```
In [10]: 1 y_pred = B0 + B1*x
2 print ("predicted y values ",y_pred)
3 print ("actual y values ",y)
4 #calculate squared error for predicted values
5 sq_er = np.sum((y_pred-y)*(y_pred-y))
6 print (sq_er)
7 RMSE = np.sqrt(sq_er/n)
8 print ("RMSE = ",RMSE)
9 plt.scatter(x,y)
10 plt.scatter(x,y_pred, color = "g")
11 plt.plot(x, y_pred,color = "r")
12 plt.show()
```

predicted y values [1.2 2. 3.6 2.8 4.4]
actual y values [1 3 3 2 5]
2.4000000000000001
RMSE = 0.692820323027551



In []: 1

In []: 1

In []: 1

In []: 1

In []: 1

In []: 1

In []: 1

In []: 1